

Magic Squares

Version 1

1. Take in input 3
2. Find magic square solutions for 3
3. Print those out

Version 2

1. Main:
 - a. Take in input 3
 - b. Get magic constant (15) as *mag*
 - c. Send 3 to `process(x, mag)`, get back *result*
 - d. Print result
2. `process(x, mag)`:
 - a. list of possible permutations as *lis*
 - b. get permutation of [1,2,3,4,5,6,7,8,9]
 - c. send first 3 of permutation to *a0*
 - d. send second 3 to *a1*
 - e. send last 3 to *a2*
 - f. call `check(a0, a1, a2, n, mag)` and get back *pass*
 - g. if *pass* is true add current permutation to *lis*
 - h. do this for all permutations
 - i. when done, return *lis*
3. `check(a0, a1, a2, n, mag)`:
 - a. start *pass* as true
 - b. check all of the math needed to check if condition is broke
 - c. if any condition breaks set *pass* to False
 - d. return *pass*

Version 3

1. Main:
 - a. take in input (should be 3 for this example) $\leftarrow n$
 - b. determine magic constant on $n \leftarrow mag$
 - c. `process(x, mag) $\leftarrow result$`
 - d. print *result*
2. `process(x, mag)`:
 - a. `[] $\leftarrow lis$`
 - b. `[] $\leftarrow baseP$`
 - c. for *x* in range of 1, $n^2 + 1$:
 - i. add *x* to *baseP*
 - d. all permutations of *baseP* $\leftarrow perms$
 - e. for *perm* in *perms*:

- i. first n elements of $perm \leftarrow a0$
 - ii. second n elements of $perm \leftarrow a1$
 - iii. last n elements of $perm \leftarrow a2$
 - iv. $checkMag(a0, a1, a2, n, mag) \leftarrow pass$
 - v. if $pass$ is true add $perm$ to lis
 - f. return $pass$
- 3. $check(a0, a1, a2, n, mag)$:
 - a. $True \leftarrow pass$
 - b. if sum of all elements of $a0 \neq mag$ set $pass$ to False
 - c. if sum of all elements of $a1 \neq mag$ set $pass$ to False
 - d. if sum of all elements of $a2 \neq mag$ set $pass$ to False
 - e. if sum of all first elements $\neq mag$ set $pass$ to False
 - f. if sum of all second elements $\neq mag$ set $pass$ to False
 - g. if sum of all third elements $\neq mag$ set $pass$ to False
 - h. if sum of first from $a0$, second from $a1$, and third from $a2 \neq mag$ set $pass$ to False
 - i. return $pass$

Minimum Scalar Product

Version 1

1. While test cases still need to be ran do the following:
 - a. Take in two vectors
 - b. Determine the smallest permutation of the products of the two vectors
 - c. Return that product

Version 2

1. Main:
 - a. Get number of test cases
 - b. Get number of contents in each vector as $size$
 - c. Take in the two vectors
 - d. Send these two vectors to $process(x, y, size)$ and get back min
 - e. Print min
 - f. If test cases still left to perform, go to step 1b
2. $Process(x, y, size)$:
 - a. Takes in two vectors and one int
 - b. Gets all permutations of vectors x and y as Px and Py
 - c. $Min \leftarrow$ maximum int
 - d. For each permutation in $Px - px$
 - i. For each permutation in $Py - py$
 1. $Product$ is all of them multiplied by each other and added together
 2. If $product$ is less than min , $min = product$
 - e. Return min

Version 3

- a. main:
 - a. $n \leftarrow$ get number of test cases
 - b. while $n > 0$
 - i. $size \leftarrow$ get number of contents in each vector
 - ii. $x \leftarrow$ first vector of n length
 - iii. $y \leftarrow$ second vector of n length
 - iv. $min \leftarrow process(x, y, size)$
 - v. print min
 - vi. $n = n - 1$
- b. $process(x, y, size)$
 - a. use itertools for permutations
 - b. $Px \leftarrow$ permutations of x
 - c. $Py \leftarrow$ permutations of y
 - d. $min \leftarrow$ max int
 - e. for px in Px
 - i. $Py \leftarrow$ permutations of y
 - ii. for py in Py
 - 1. $product \leftarrow px[0] * py[0] + px[1] * py[1] + px[2] * py[2]$
 - 2. if $product < min$
 - a. $min \leftarrow product$
 - f. return min