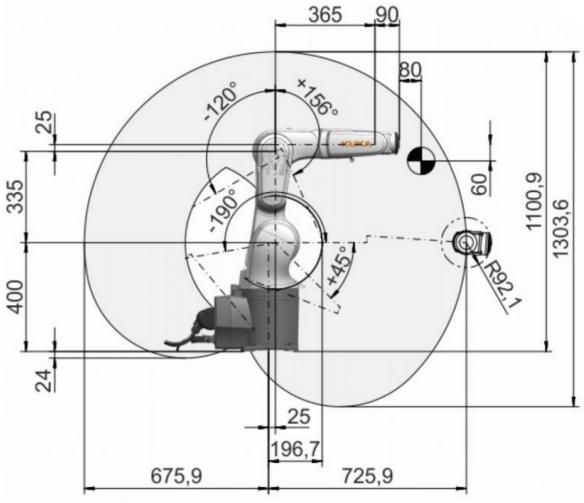
Robotic Arm Kinematics

Joint Parameter Optimization

Presenter: Steven VanCamp





Dimensions: mm

Methodology - Forward Kinematics

- Denavit Hartenberg (DH) Representation
 - Each joint represented as a transformation matrix
 - 3 At least 1 DOF per joint
- Solve for end effector position from joint parameters
 - Calculate the DH translation matrix for the final joint

$$\boldsymbol{T_{i}^{i-1}} = \begin{bmatrix} c_{\theta_{i}} & -s_{\theta_{i}}c_{\alpha_{i}} & s_{\theta_{i}}s_{\alpha_{i}} & a_{i}c_{\theta_{i}} \\ s_{\theta_{i}} & c_{\theta_{i}}c_{\alpha_{i}} & -c_{\theta_{i}}s_{\alpha_{i}} & a_{i}s_{\theta_{i}} \\ 0 & s_{\alpha_{i}} & c_{\alpha_{i}} & d_{i} \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Methodology - Point Swarm Optimization (PSO)

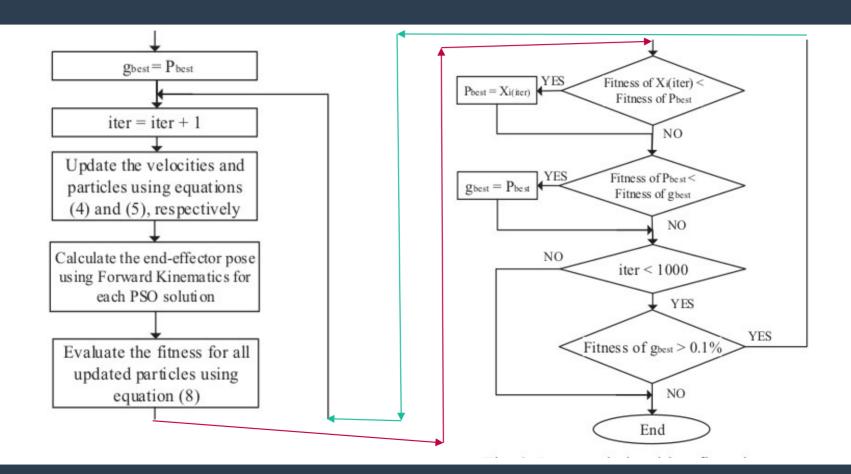
Parameter Optimization

- Swarm of points each representing a collection of parameter values
- Searches parameter space for a solution via random variation and through interactions between particles

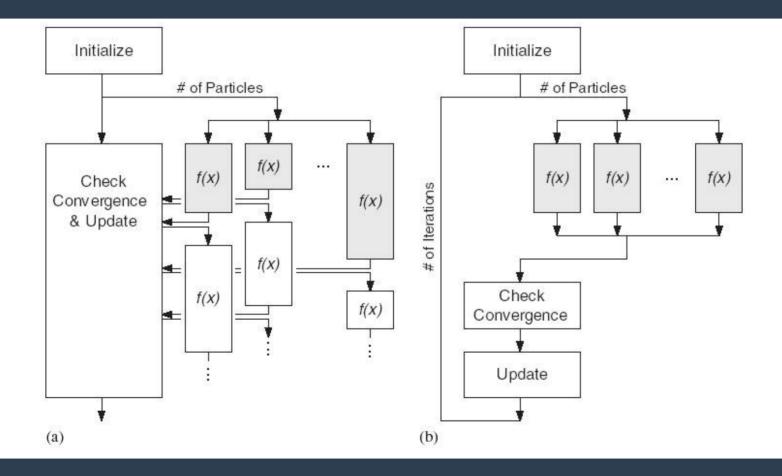
Almost Embarrassingly Parallel

- Each thread handles its own particles
- 1 check for current best solution between iterations

Methodology - Algorithm



Parallelization - Two Types of (PSO)



Results - Overview

- The program was already very fast in serial
 - Runtime < 0.1 [s] for 1000 particles over 100 iterations
- Parallelization was fairly straight forward
 - Almost no change to the algorithm was needed
- Parallelization did have a noticeable effect
 - The time to complete n iterations was decreased
 - The solution accuracy was not effected

