

```
In [60]: ▶ import pandas as pd
import statsmodels.api as sm
```

1.) Import Data from FRED

```
In [61]: ▶ data = pd.read_csv("TaylorRuleData.csv", index_col = 0).dropna()
data.head()
```

```
Out[61]:
```

	FedFunds	Unemployment	HousingStarts	Inflation
1959-01-01	2.48	6.0	1657.0	29.01
1959-02-01	2.43	5.9	1667.0	29.00
1959-03-01	2.80	5.6	1620.0	28.97
1959-04-01	2.96	5.2	1590.0	28.98
1959-05-01	2.90	5.1	1498.0	29.04

```
In [62]: ▶ data.index = pd.to_datetime(data.index)
```

2.) Do Not Randomize, split your data into Train, Test Holdout

```
In [63]: ▶ split_1 = int(len(data)*0.6)
split_2 = int(len(data)*0.9)
data_in = data[:split_1]
data_out = data[split_1:split_2]
data_hold = data[split_2:]
```

```
In [64]: ▶ X_in = data_in.iloc[:,1:]
y_in = data_in.iloc[:,0]
X_out = data_out.iloc[:,1:]
y_out = data_out.iloc[:,0]
X_hold = data_hold.iloc[:,1:]
y_hold = data_hold.iloc[:,0]
```

```
In [65]: ▶ # Add Constants
X_in = sm.add_constant(X_in)
X_out = sm.add_constant(X_out)
X_hold = sm.add_constant(X_hold)
```

3.) Build a model that regresses FF~Unemp, HousingStarts, Inflation

```
In [66]: ▶ model1 = sm.OLS(y_in, X_in).fit()
```

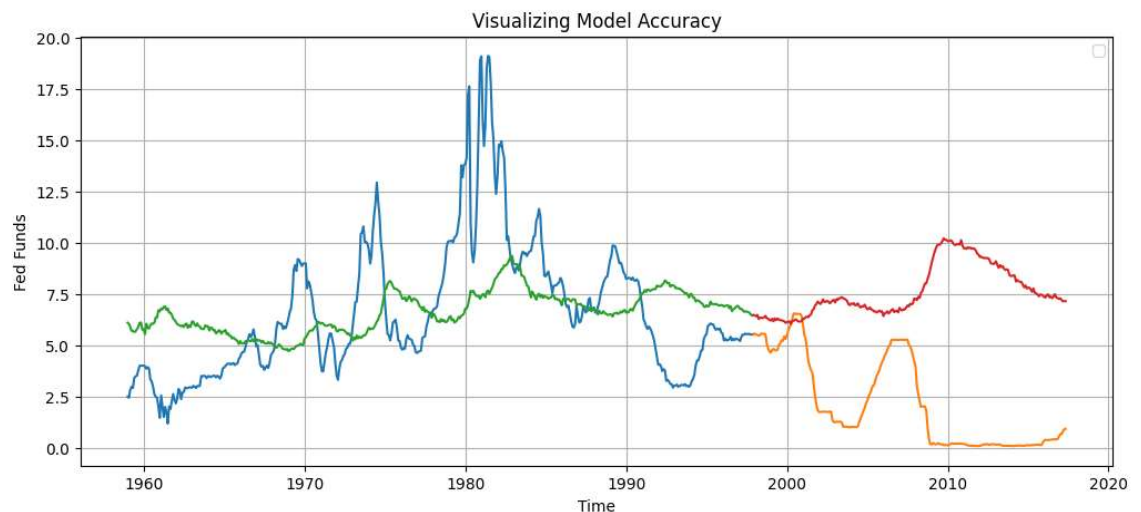
4.) Recreate the graph for your model

```
In [67]: ▶ import matplotlib.pyplot as plt
```

```
In [68]: ▶ plt.figure(figsize = (12,5))

###
plt.plot(y_in)
plt.plot(y_out)
plt.plot(model1.predict(X_in))
plt.plot(model1.predict(X_out))
###

plt.ylabel("Fed Funds")
plt.xlabel("Time")
plt.title("Visualizing Model Accuracy")
plt.legend([])
plt.grid()
plt.show()
```



**"All Models are wrong but some are useful" - 1976
George Box**

5.) What are the in/out of sample MSEs

```
In [69]: ▶ from sklearn.metrics import mean_squared_error
```

```
In [70]: ► in_mse_1 = mean_squared_error(model1.predict(X_in), y_in)
          out_mse_1 = mean_squared_error(model1.predict(X_out), y_out)
```

```
In [71]: ► print("Insample MSE : ", in_mse_1)
          print("Outsample MSE : ", out_mse_1)
```

```
Insample MSE : 10.071422013168643
Outsample MSE : 40.36082783566727
```

6.) Using a for loop. Repeat 3,4,5 for polynomial degrees 1,2,3

```
In [72]: ► from sklearn.preprocessing import PolynomialFeatures
```

```
In [73]: ► max_degrees = 3
```

```

In [75]:  for degrees in range(1, max_degrees+1):
            print("DEGREES : ", degrees)
            poly = PolynomialFeatures(degree = degrees)
            X_in_poly = poly.fit_transform(X_in)
            X_out_poly = poly.transform(X_out)

            #Q3
            model1 = sm.OLS(y_in, X_in_poly).fit()

            #Q4
            plt.figure(figsize = (12,5))

            in_preds = model1.predict(X_in_poly)
            in_preds = pd.DataFrame(in_preds, index = y_in.index)
            out_preds = model1.predict(X_out_poly)
            out_preds = pd.DataFrame(out_preds, index = y_out.index)

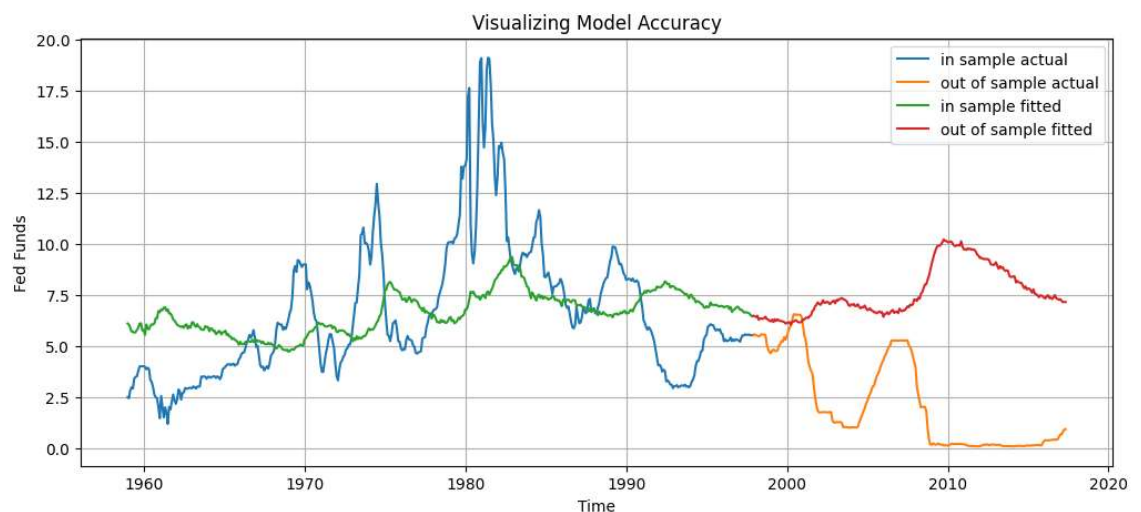
            plt.plot(y_in)
            plt.plot(y_out)
            plt.plot(in_preds)
            plt.plot(out_preds)

            plt.ylabel("Fed Funds")
            plt.xlabel("Time")
            plt.title("Visualizing Model Accuracy")
            plt.legend(["in sample actual", "out of sample actual", "in sample fitted", "out of sample fitted"])
            plt.grid()
            plt.show()

            #Q5
            in_mse_1 = mean_squared_error(model1.predict(X_in_poly), y_in)
            out_mse_1 = mean_squared_error(model1.predict(X_out_poly), y_out)
            print("Insample MSE : ", in_mse_1)
            print("Outsample MSE : ", out_mse_1)
            print("_____")

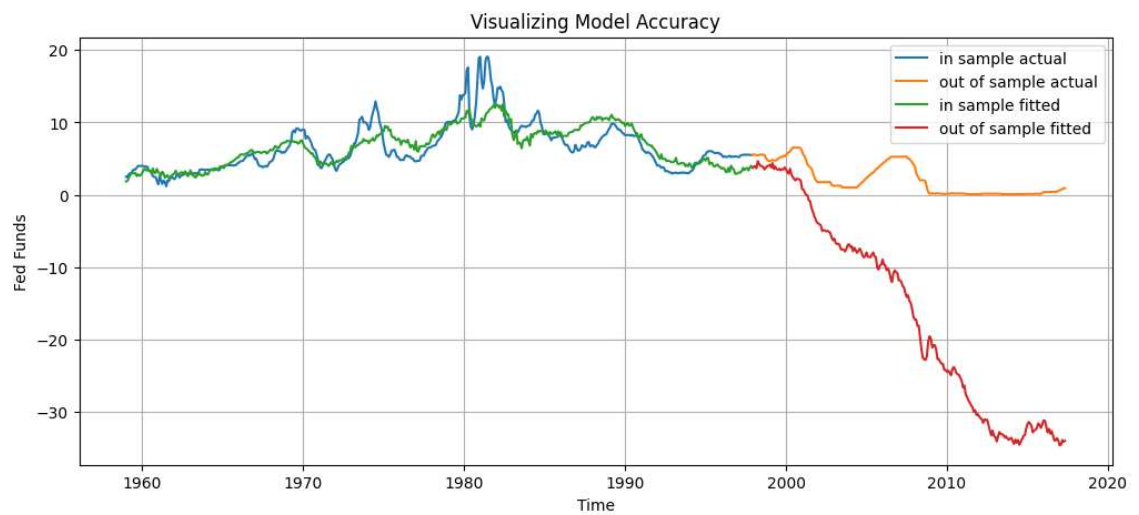
```

DEGREES : 1



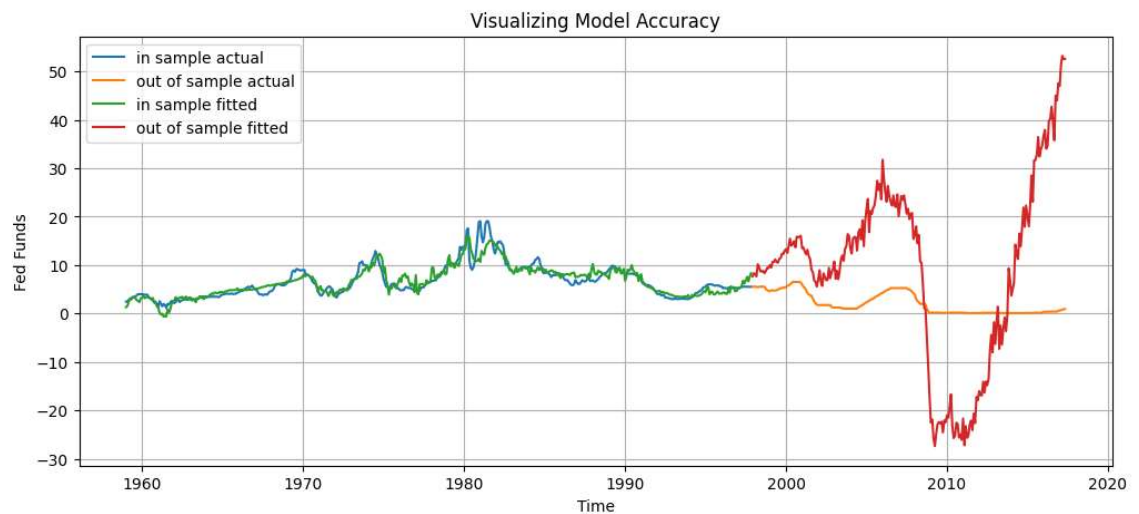
Insample MSE : 10.07142201316864
Outsample MSE : 40.36082783566782

DEGREES : 2



Insample MSE : 3.8634771392760685
Outsample MSE : 481.4465099294859

DEGREES : 3



Insample MSE : 1.8723636266506438
Outsample MSE : 371.7680409381023

7.) State your observations :

In the first graph, the model generally follows the in-sample data but does not capture the out-of-sample (test) data well. In the second graph, the model fits the in-sample data very well but performs the worst in fitting the out-of-sample data (highest out-of-sample MSE). In the third graph, the model fits the in-sample data the best (lowest in-sample MSE) but does not capture the out-of-sample data well.

