



COMP 4106 PROJECT

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APRIL 16, 2021
CARLETON UNIVERSITY
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0 – ABSTRACT

The report herein is information about a group project for COMP 4106 Artificial Intelligence, an AI course at Carleton University taught by Matthew Holden over the Winter of 2021. This report aims to introduce, describe, and explain the results of a final group project based on the course. Contained in the report herein are introductions to our group's project topic, our motivations for exploring the topic, and an explanation of the theory and methods used to solve it. A discussion of the project results and future implications or directions for the project are also touched on. The report also consists of a user manual to describe how to use the project code and its functionality. The project outcome was positive, with successful results yielded as a function of the project code.

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1 – INTRO

The chosen project was creating an evolution simulator inspired by evolution games. The simulator the project was based around models an environment by using a discrete event loop. The environment itself consisted of a matrix which individual numbers on the matrix representing tiles in a two-dimension map. Organisms on the tiles can move around and collect food based on a set of organism attributes. The organisms attempt to collect food and safely make it across tiles. If the organism fails to collect any food or the tile's dangers are too great, they die. If the organisms make it to the end of the day, they have a chance of reproducing. Every unit of food it can collect increases its desirability to the general population. Children of an organism inherit some of the same attributes as their parents, saying the simulation only model's sexual reproduction (no asexual reproduction exists). There is a 10% chance a mutation will occur in the offspring, which will modify their distribution of character attributes.

Figure 1 below shows an example of the simulated environment, the world is a 6X6 grid with the population being initialized to 6 organisms. Also, each tile has an attribute associated with it (e.g., Food, danger) even though it is not being shown in the figure above. Exactly how everything comes together will further be elaborated on in the sections below.

Organism				Organism	
		Organism			Organism
	Organism			Organism	

Figure 1 Environment Visual

2 – MOTIVATIONS

The problem's motivation is to create a simulated evolution environment to refine the best set of traits to increase our organisms' survival using the genetic algorithm. The genetic algorithm simulates how real-world microevolution transpires and how organisms can evolve to have vastly different traits over short periods than their ancestors. This simulation can further explain how humans and other species evolved to have today's traits, which is very exciting. For example, most dog breeds originate from the last one hundred and fifty years and are the by-product of human breeding; natural selection occurs similarly but at a different pace. Thus, the simulation above represents what may happen if animals get introduced onto an island they never inhabited before. Therefore, traits that evolve in the island's organisms will be tweaked with each passing generation until we reach an optimal equilibrium.

3 – DESCRIPTION OF METHODS

3.1 – A.I Technique

We used a genetic algorithm to determine which organisms survived and reproduced; the steps we followed are as follow:

- a) Randomly populate our world with organisms
- b) Once a simulated day goes by, evaluating the fitness function of every organism in our population, which is $f(x) = \text{age} * \text{food gathered in a day}$. The idea is that the organism that can survive longer and gather more food is a better organism than those that do not.
- c) We then select pairs of organisms to reproduce randomly. Our genetic operator is $g(x, y) = \text{randomly select attributes from } x \text{ and } y \text{ to create a new organism}$.
- d) We call our mutation function, which is $m(x) = \text{randomly increase one attribute by 1 to 5}$; mutations only occur in 10% of the new organisms.
- e) We then eliminate organisms from the population based on their fitness function. Additionally, an organism with fitness of zero will get eliminated from the population. The idea is that the fitness function will only be 0 if the organism was unsuccessful in collecting food and the unsuccessful organism starves and dies (natural selection).
- f) Repeat the steps above.

3.2 – Organisms

The organisms have a finite number of points to allocate to their attributes. Organism attributes include endurance, strength, agility, and intelligence. Endurance enables an organism to move across more tiles each time the discrete event loop iterates. Strength enables an organism to unlock tiles to collect food. Agility determines an organism's ability to evade and defend against dangers on a tile. Finally, intelligence increases the food collected per tile by an organism.

Each turn of the discrete event loop, each organism will undergo a check to determine if they are still alive. Organisms' statistics also determine how much food they collect if they are on a tile with food. Organisms possess an inertia value, meaning they maintain momentum during movement across tiles rather than blitz across tiles and then

pause instantly. The inertia simulates a dynamic movement of organisms flowing across the grid environment.

Food collected by the organism is scaled based on a predefined logarithmic formula. The formula is conditional based on a conditional formula:

$$f = [\text{food} * \text{math.log}(\text{intelligence}/\text{difficulty}, \text{multiplier})]$$

Where if the result f is positive, the organism collects the value of food the formula returns. If the formula's result f returns negative, the organism collects no food. The formula produces a minimum intelligence requirement to collect food - based on the tile's 'difficulty' value - since logs of numbers less than one are harmful; however extra intelligence multiplies the food collected. An intelligence that is too high results in diminishing returns, though, since a logarithmic scale tends to be asymptotic where a significant increase in intelligence results in a minimal increase in food. The diminishing returns suggest overinvesting in intelligence is a waste of organism statistics.

Organisms have a random chance of death based on the 'danger' value of the tile the organism is passing over. The age of an organism also increases the chance of death proportionally, meaning older organisms have a higher chance of dying. The formula above is a product of Euler's-number, meaning an exponential growth in the probability of dying increases with proportion to $[\text{age} * (\text{danger} - \text{agility})]$. Therefore, the formula is $e^{[\text{age} * (\text{danger} - \text{agility})]}$. 'age' represents the organism's current age in the simulation, danger represents the danger value of the tile it has just passed. Agility represents the organism's chance of avoiding danger. Slight differences between agility and danger only slightly increase the risk of dying, whereas significant differences make death an almost inevitable outcome. Therefore, there becomes a trade-off between agility and danger since organisms will find a balance between the chance of dying and putting their points elsewhere. More so, agility will increase the organism's longevity since the organism's age increases the chance of dying. All the above reasons result in agile organisms living far longer, but the trade-off is that extra points in agility go to waste if the danger level in the environment is not that high.

Strength and endurance are straightforward mechanics compared to intelligence and agility. Strength unlocks an organism's ability to collect food from a tile, and endurance changes how many tiles an organism can cross per turn. Since endurance also has an inertia value, if an organism attempts to cross a tile with a higher movement value, the organism's endurance and organisms can 'build' up inertia over time to cross a hard-to-pass tile. If an organism cannot cross a tile at any given turn, they store it as inertia. There is a trade-off for strength and endurance like the other traits. Strength can unlock extra tiles to get food from; but having too high strength may not be worth losing points in other areas. For example, if an organism has no endurance and only strength,

all the food will be taken by the time it reaches any tiles. Likewise, if endurance is high and strength is minimal, an organism will not harvest any food to live, even though it makes it to the food tiles before any other organism.

3.3 – Environment/World Explained

The simulation's environment is a two-dimensional matrix-based environment, which represents the world the organisms inhabit. Each tile within the matrix is randomly assigned a set of values representing if they have food, how strong an organism must be to collect food, and difficulty it takes to cross the tile, and the tile's danger value to cross the tile. Since all the matrix variables are randomly assigned, the discrete event loop begins to function as a simulated Markov-chain-based environment. Initial probabilities determine the world the organisms live in, and random mutations and genetic inheritance patterns determine an organism's traits. More so, random values assign an organism's chance of death per turn. Hypothetically, we see that the entire simulation is representable as a Markov chain, where each iteration of the discrete event loop causes all organisms within the Markov chain to move around based on a random probability value.

For the simulation, we made many simplifications to highlight how the organism attributes change on a micro-evolutionary scale. Many simplified things include organism path-making, organisms fighting each other, organisms cooperating, sexual selection, and damaging/helpful mutations. Organisms cannot choose the path they make; they wander around at random and hope to find food. Intelligence does not modify path-making, and organisms can get unlucky and never find food during a simulated day. Furthermore, organisms do not fight each other, meaning a high-strength organism will not attempt to rob food from other organisms or kill off competition. Also, organisms cannot cooperate either, meaning no teams or clans get made in the simulation. Organisms wander past each other and ignore each other's existence. Organisms do not engage in Darwinian sexual selection, which is a principle that states organisms 'choose' their mates based on attractiveness, their ability to protect offspring, and other characteristics. Sexual selection is not modelled in the simulation, meaning a perfectly viable organism will 'randomly' choose to mate with other organisms. Thus, perfectly designed organisms can choose to produce offspring with organisms that can hardly survive (or have only survived up to this point through luck). Lastly, we do not model harmful or beneficial mutations; all mutations are neutral in a sense. Organisms cannot *gain* new points through a mutation, nor can they *lose* points; they can only

shuffle the points they have. The simulation represents a more micro-evolution scale - like how humans bred dogs and plants - rather than the macro-scale of evolution that would turn bacteria-sized organisms into complex animals. The timescale for evolution in the simulation is over-simplified as well, real-world organisms cannot evolve traits as quickly as is shown in the simulator, and mutations do not work in an environment this constrained. The purpose is to show how microevolution can occur in an organism over a small number of generations (like what occurred with dog breeds).

Each day within the simulation lasts for twenty-four hours, with organisms collecting food four twelve hours per day. The organisms collect food for twelve hours. Each iteration of the discrete event loop represents an hour, meaning twelve iterations of the loop occur before the end of the day. Upon the day's end, a thirteenth step occurs where organisms reproduce and get ready for the next day. The day repeats with the same setup as the previous day, and our simulation runs for 100 days. After 100 days, the simulation ends, and the program outputs the results onto plots.

4 – RESULTS

The below figures show the two graphs; each first shows the average endurance, strength, agility, intelligence, and age on the y-axis and days on the x-axis. The second graph shows the population (# of organisms in our environment) on the y-axis and days on the x-axis. An expected pattern shows up in most of our runs in which, in the first few days, the population of our environment dwindles drastically before picking back up and growing exponentially. The patterns seen in the graphs align with what the group expected since the organisms only reproduce if they survive. As anticipated, in a few test cases, the population goes to zero; this was since the organisms are given attributes randomly at initialization and might be unlucky.

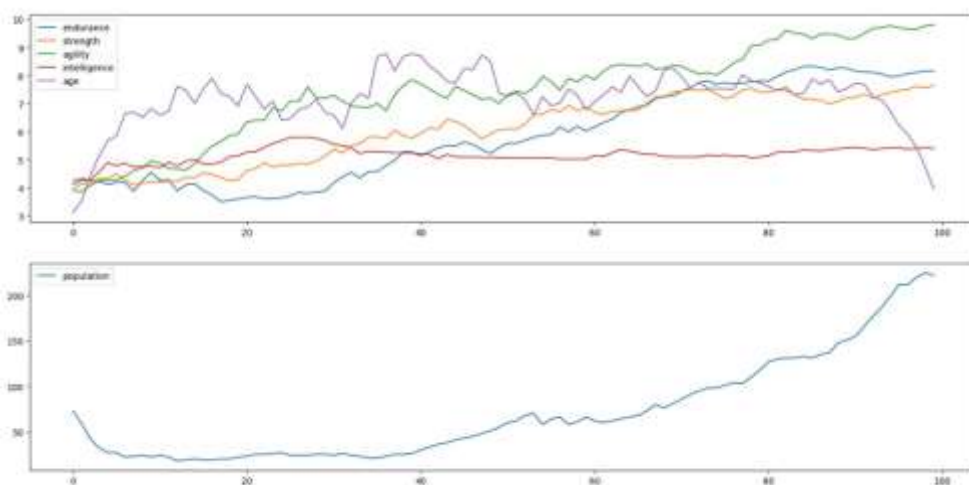


Figure 2 Evolution Plot 1

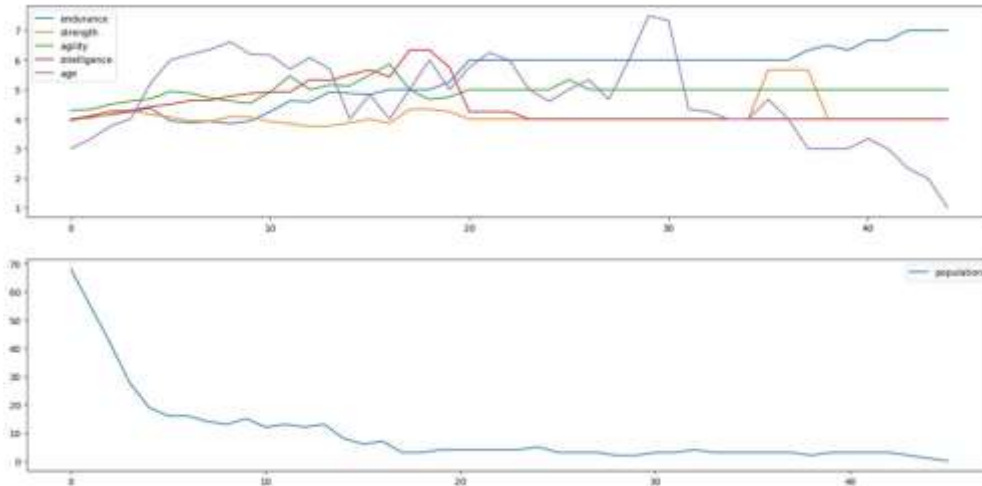


Figure 3 Evolution Plot 3

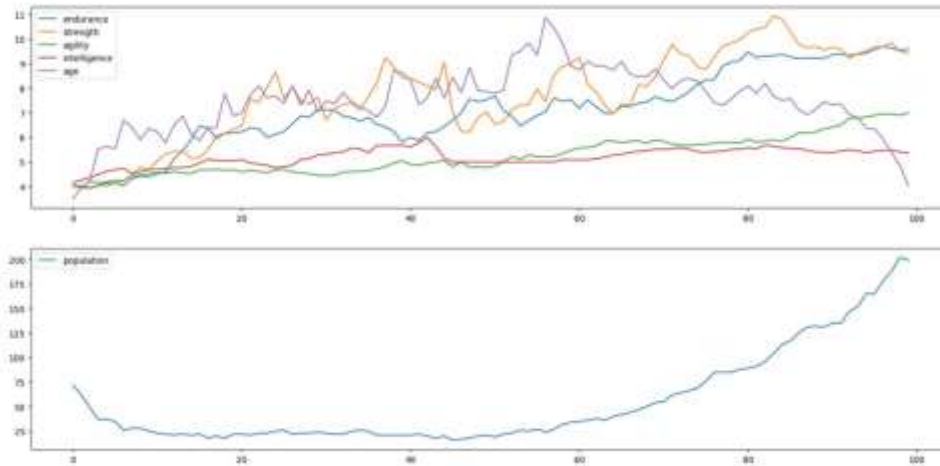


Figure 4 Evolution Plot 4

5 – DISCUSSION OF THE IMPLICATIONS OF THE WORK

The implications of the work show that it is possible to simulate micro-evolution within a computation environment if the variables and mechanisms behind the evolution are known. The tool shows that it is possible to simulate the results or probabilistic evolution using a discrete event Markov simulation environment within a computer. The mathematical nature of the tool can significantly lower the costs of running experiments to determine the result of biology experiments within self-enclosed ecosystems. For example, rather than running microbiology experiments on a petri dish or ecology experiments on islands and biodomes, initial stages of testing could be used with the application. More complexity would be added to the model for researchers to find the helpful tool, but such features could get introduced in future iterations. Also, the tool has robust implementations in an educational environment since the tool provides a more concrete way of showing the relationship between microevolution and mathematics than

a lab-based environment would show. Many students misunderstand the relationship between evolution and algorithms, probability, and discrete Markov-chains; however, the project could provide a more transparent way of showing how evolutionary phenomena occur in a mathematical setting. The tool provided by the project can help train future students to understand biology in a mathematical/informational context, which is much more helpful to our digital world than lab-based approaches.

6 – DIRECTIONS FOR FUTURE WORK

Future implications of the work can include adding to the work created, studying the results of the experiments further, and creating easy-to-understand models for the results. One of the primary goals for future implications of the work would be to keep adding to the project to build increasingly sophisticated models for the evolution simulation. More complex models can allow controlling for more variables that would affect microevolution in the real world. These extra variables include examples like sexual selection, harmful and beneficial mutations, or predator-prey relationships. The project would allow for models depicting the dynamic relationship between organisms in a real-world environment and how the equilibrium between genetic traits and the organism's population gets established.

Studying the results of these types of experiments further can allow for the discovery and gentle explanation of various ecological and micro-genetic phenomena. The project can be helpful either as an educational tool (which shows a simulated ecosystem evolving for students) or as a scientific model to predict environmental equilibria in isolated environments. As an educational tool, this model can help train future elementary and high school students to see how natural selection panes out in a real-world environment. It can also help train university students by showing the mathematical and probabilistic relationship between micro-evolutionary phenomena and an organism's environment. If the project's development results in a sufficiently complex tool, ecologists or microbiologists could use the tool to predict the outcomes of placing a set of organisms in an isolated environment (like placing deer and wolves onto an island or placing bacteria on a petri dish). A complex simulation could help to model future events to predict how a successful test or experiment will occur for the researchers.

In either event, the tool is useful mainly as a computational aid for researchers or students. The general population would not be interested in this tool outside of a limited number of people who have casual interests in ecology or micro-evolution. Therefore, future implementations would revolve around building more complicated models for the simulation to cater to students and researchers. The model could have a complexity slider built-in so that simpler models - for elementary and high school students - are possible to show. The program can also execute complex models if need be, like simulating a researcher's ecosystem.

7 – USER MANUAL

The code written for this project can be found here:

<https://github.com/GabrielleSL/COMP4106Project>.

To run it, use the command ``python game.py`` in the same folder as the `game.py` file. The code was written and tested with python 3.8. NumPy and matplotlib need to be imported for the code to run.

The program will ask the user how many days to run the simulation for (expects an integer) and outputs the result as a plot as seen in the 'Results' section above. If the population falls to 0 before it reaches the number of days specified, the simulation will stop there and output the resulting graph.

8 – STATEMENT OF CONTRIBUTIONS

Overall, the project was completed in group meetings through discord. All group members made significant contributions to the overall project, with approximately equal contribution among each member. Since the group work was evenly divided amongst members and completed in a shared environment, all members of the group completed all aspects of the assignment together.

9 – REFERENCES

- [1]Ha, D. (2017, October 29). *A Visual Guide to Evolution Strategies*. Retrieved from <https://blog.otoro.net/2017/10/29/visual-evolution-strategies/>
- [2]Holden, M. (2021). *Genetic Algorithm*. Ottawa: Carleton University .

APPENDIX – CODE USED FOR PROJECT

```

1  from evolution import Evolution
2  import matplotlib.pyplot as plt

3  # initialize world
4  country = Evolution(100, 100)
5  country.initialize_population()

6  # run the simulation through a single day
7  def day():
8      temp_pop = []
9      # 12 hours of day
10     for _ in range(12):
11         temp_pop = []
12         # for every organism in the country
13         for org in country.population:

14             organism, loc_x, loc_y = org
15             # organism has a turn: eats food, moves, dies,
16             # etc.
17             new_x, new_y =
18             org[0].turn(country.world.get_tile(loc_x,
19             loc_y)[0], loc_x, loc_y)

17     if new_x is None and new_y is None:
18         a. continue
19     elif not organism.alive:
20         a. country.world.set_organism(loc_x,
21         loc_y, None)
22         b. continue
23     temp_pop.append([org[0], new_x, new_y])
24     country.world.set_organism(loc_x, loc_y, None)
25     # END for
26     # END for
27     genetic_population =
28     country.genetic_algorithm(temp_pop)
29     new_population =
30     country.populate(genetic_population)
31     country.population = new_population
32     return new_population
33     # END day
34     # create plots for the simulation
35     def simulation_plot(populations):
36         endurance_avg = []
37         strength_avg = []
38         agility_avg = []
39         intelligence_avg = []
40         age_avg = []
41         pop_size = []
42         attribute_size = len(populations)
43         for pop in populations:
44             endurance.append(org[0].endurance)
45             strength.append(org[0].strength)
46             agility.append(org[0].agility)
47             intelligence.append(org[0].intelligence)
48             age.append(org[0].age)
49             # END for
50             endurance_avg.append(sum(endurance) /
51             len(endurance))
52             strength_avg.append(sum(strength) /
53             len(strength))
54             agility_avg.append(sum(agility) / len(agility))
55             intelligence_avg.append(sum(intelligence) /
56             len(intelligence))
57             age_avg.append(sum(age) / len(age))
58             # END for

61         # create plots
62         # attributes plot
63         t = range(0, attribute_size)
64         plt.subplot(2, 1, 1)
65         plt.plot(t, endurance_avg, label='endurance')
66         plt.plot(t, strength_avg, label='strength')
67         plt.plot(t, agility_avg, label='agility')
68         plt.plot(t, intelligence_avg, label='intelligence')
69         plt.plot(t, age_avg, label='age')
70         plt.legend()

71         # population plot
72         plt.subplot(2, 1, 2)
73         t = range(0, len(populations))
74         plt.plot(t, pop_size, label='population')

75         plt.legend()
76         plt.show()
77         # END day_plot
78         # user input
79         print("How may days to run the simulation:")
80         x = input()
81         # create array with day 0 population
82         days_population = [country.population]
83         for i in range(int(x)):
84             pop = day()
85             days_population.append(pop)
86             if len(country.population) == 0:
87                 print(f"Population reached 0 at day {i}.
88                 Organism was wiped out.")
89             break
90         # END if
91         # END for

91     simulation_plot(days_population)

```

```

1  from worldMap import World
2  from organ import Organism
3  import numpy as np
4  import random

5  class Evolution:
6  def __init__(self, width, height):
7  self.width = width
8  self.height = height
9  self.population = []
10 self.world = World(width, height)

11 # fitness function for the genetic algorithm
12 # f(x) = x.age * x.food
13 def fitness(self, organism):
14 return organism.age * organism.food

15 # initialize population with a random value
    between 3 and 5 for each attribute
16 def initialize_population(self):
17 for i in range(self.width):
18 organ = Organism(random.randint(3, 5),
    random.randint(3, 5), random.randint(3, 5),
    i. random.randint(3, 5))
19 # randomly assign the location of the organism
    on the map
20 locx = random.randint(0, self.width - 1)
21 locy = random.randint(0, self.height - 1)
22 self.world.set_organism(locx, locy, organ)
23 # add organism to the population
24 self.population.append([organ, locx, locy])

25 def populate(self, population):
26 newp = []
27 for org in population:
28 locx = random.randint(0, self.width - 1)
29 locy = random.randint(0, self.height - 1)
30 newp.append([org, locx, locy])
31 self.world.set_organism(locx, locy, org)

32 return newp

33 def genetic_algorithm(self, population):
34 # fitness function
35 sorted_pop_fitness =
    self.population_fitness(population)
36 # genetic_operator
37 pop_size = len(sorted_pop_fitness)
38 r_sample = random.sample(range(0, pop_size),
    int(pop_size / 2))
39 new_orgs = []
40 for i in range(0, len(r_sample), 2):
41 new_org =
    self.genetic_operator(sorted_pop_fitness[i][0],
    sorted_pop_fitness[i + 1][0])
42 # mutate

43 self.mutate(new_org)
44 new_orgs.append(new_org)
45 # remove members with a fitness of 0
46 remaining_pop = list(filter(lambda x: x[1] != 0,
    sorted_pop_fitness))

47 new_pop = []
48 for org in remaining_pop:
49 org[0].age += 1
50 org[0].food = 0
51 new_pop.append(org[0])

52 for org in new_orgs:
53 new_pop.append(org)

54 return new_pop

55 # egnetic operator of the genetic algorithm
56 # randomly uses the attributes from each parent
57 def genetic_operator(self, x, y):
58 temp = [x, y]
59 new_org = Organism(temp[random.randint(0,
    1)].endurance, temp[random.randint(0,
    1)].strength,
    i. temp[random.randint(0,
    1)].agility,
    ii. temp[random.randint(0,
    1)].intelligence)

60 return new_org
61 # mutates one of the organism's attribute by a
    random factor of 1 to 5
62 def mutate(self, org):
63 chance_of_mutation = random.randint(0, 100)
64 # 10% chance of mutation
65 if chance_of_mutation <= 10:
66 choice = random.randint(0, 3)
67 if choice == 0:
68     a. org.endurance += random.randint(1, 5)
69 elif choice == 1:
70     a. org.strength += random.randint(1, 5)
71 elif choice == 2:
72     a. org.agility += random.randint(1, 5)
73 elif choice == 3:
74     a. org.intelligence += random.randint(1, 5)
75 # sort the population by it's fitness
76 def population_fitness(self, population):
77 if len(population) > 0:
78 temp = []
79 for org in population:
80     a. temp.append([org[0],
        self.fitness(org[0])])
81 temp2 = np.array(temp)
82 return temp2[temp2[:, 1].argsort()]
83 else:
84 return []

```



```

1  import math
2  import random
3  """
4  Name:
5  Organism
6  Input:
7  endurance - this is the amount of space an organism
8  can cross per turn
9  strength - this determines if an organism can unlock
10 a food tile
11 agility - this determines an organisms defences
12 intelligence - this multiplies the food collected per
13 tile
14 Output:
15 Instantiates a data structure which describes an
16 organism
17 Description:
18 Used to create an organism and define its properties
19 for an evolutionary simulation
20 Note that the organisms inertia represents built up
21 momentum from a previous or current turn
22 Essentially, if an organism attempts to cross a
23 difficult tile, it can build movement across turns to
24 do so
25 Also, if an organism has leftover movement after
26 crossing a tile, it can use excess inertia to cross
27 more tiles
28 """
29 class Organism:
30     def __init__(self, endurance, strength, agility,
31 intelligence):
32         self.endurance = endurance
33         self.strength = strength
34         self.agility = agility
35         self.intelligence = intelligence
36         self.food = 0 # the amount of food gathered in a
37 day
38         self.age = 1 # its age in days
39         self.inertia = 0 # this is the amount of movement
40 built up over time
41         self.alive = True # flags the organism as alive
42 # END __init__
43 """
44 Name:
45 turn
46 Input:
47 tileStats - refers to the current tile space the
48 organism is on
49 locx and locy - location of the organism on the map
50 Output:
51 Determines if the organism crosses the tile and how
52 much food it collects from the tile
53 Returns the new location of the organism if it was
54 able to survive
55 Description:
56 Used to determine if an organism successfully
57 crosses a tile alive and how much food it gets by
58 doing so
59 """
60
61 def turn(self, tileStats, locx, locy):
62     # checks if we can enter the tile this turn
63     if self.endurance + self.inertia >= tileStats.cross:
64         # add any extra movement for the organism
65         self.inertia += self.endurance - self.inertia
66         # report that the organism has entered the tile
67         else: # otherwise we build inertia
68             self.inertia += tileStats.cross
69         # report nothing has changed this turn
70         return [None, None]
71     # END IF
72     # checks our chance of death this turn
73     death = self.chanceOfDeath(self.agility,
74 tileStats.danger)
75     if death > random.uniform(0, 100):
76         self.alive = False # flags the organism is now dead
77         # report no food was collected this turn
78         else:
79             # this means that the tile has food on it
80             if tileStats.food != 0:
81                 a. # this checks if the organism is strong enough to
82 collect from this tile
83                 b. if self.strength >= tileStats.food_diff:
84                 c. # finds the amount of food collected as a product of
85 intelligence and tiles complexity
86                 d. yield_ammount = self.foodYield(tileStats.food,
87 self.intelligence, tileStats.difficulty, 2)
88                 e. self.food += yield_ammount
89             # END IF
90         # END IF
91         choice = random.randint(0, 1)
92         if choice == 1:
93             a. if random.randint(0, 1) == 0:
94             b. return [locx + 1, locy + 1]
95             c. else:
96             d. return [locx - 1, locy + 1]
97         else:
98             a. if random.randint(0, 1) == 0:
99             b. return [locx - 1, locy - 1]
100            c. else:
101            d. return [locx + 1, locy - 1]
102        return [None, None]
103    # END turn
104    # calculates - on a logarithmic scale - the amount of
105    food yielded on the current tile
106    def foodYield(self, food, intelligence, difficulty,
107 multiplier=2):
108        if math.log(intelligence / difficulty, multiplier) < 0:
109            return 0
110        else:
111            return food * math.log(intelligence / difficulty,
112 multiplier)
113    # END foodYield
114    # calculates - on an exponential scale - the chance
115    that the organism has died
116    def chanceOfDeath(self, agility, danger):
117        return math.exp(self.age * (danger - agility))
118    # END chanceOfDeath
119    # END Organism

```

```

1  # list of imported libraries
2  import random
3  class Tiles:
4      def __init__(self):
5          # difficulty of crossing tile
6          self.cross = random.randint(0, 4)
7          # amount of food on the tile
8          self.food = random.randint(0, 4)
9          # danger level of the tile
10         self.danger = random.randint(1, 4)
11         # difficulty level of getting the food
12         self.food_diff = random.randint(1, 4)
13         # difficulty level of the tile
14         self.difficulty = random.randint(1, 4)
15     # END __init__
16 # END Tiles

17 class World:
18     def __init__(self, width, height):
19         self.width = width
20         self.height = height
21         # 2D map of the world: [Tile, Organism]
22         self.data = [[[Tiles(), None] for y in
range(height)] for x in range(width)]
23     # END __init__

24     def set_organism(self, x, y, value):
25         self.data[y][x][1] = value
26     # END set_organism

27     def get_tile(self, x, y):
28         return self.data[y][x]
29     # END get_tile
30 # END World

```