

# Characterising effect of anaemia on mortality in severe malaria

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## Background

This looks at the severe malaria legacy dataset from MORU

The contributions of the different studies:

```
# Whole dataset
table(Leg_data$studyID)

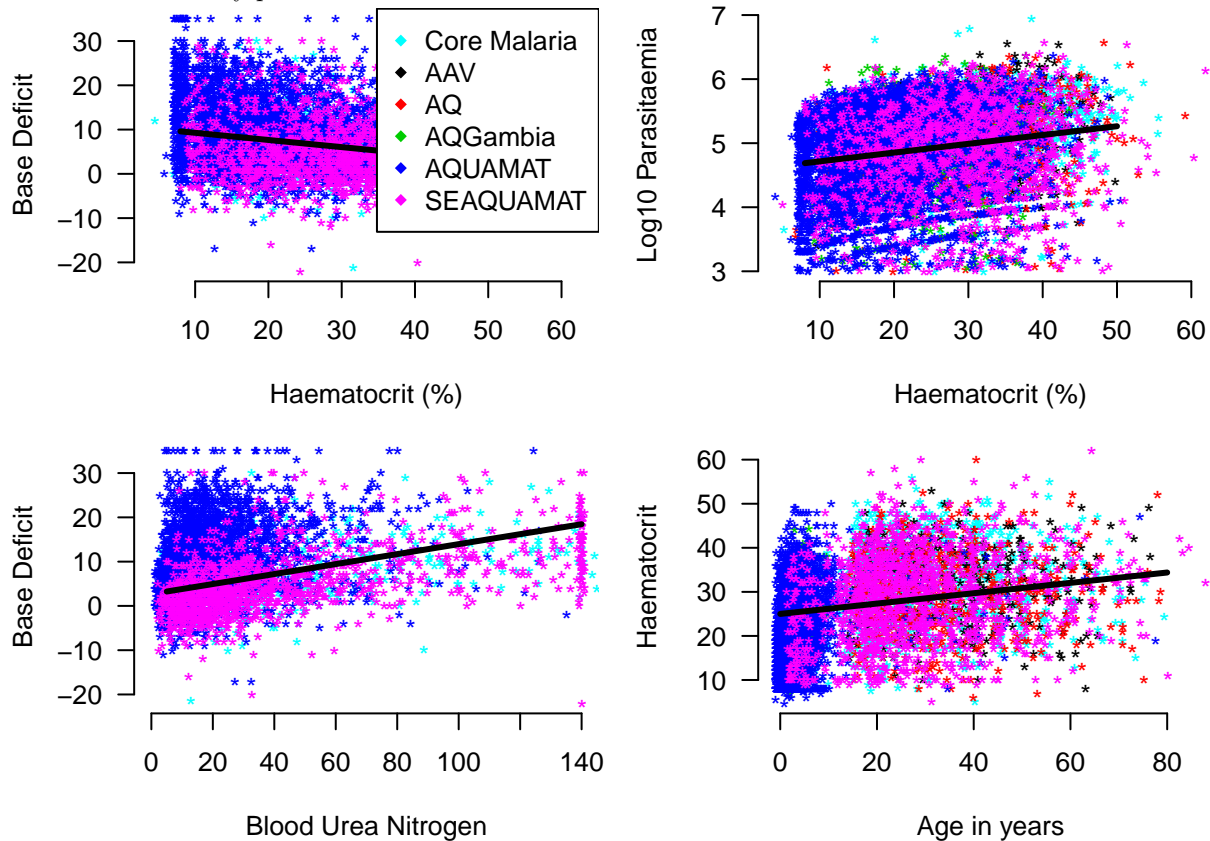
##
##      AAV      AQ  AQGambia  AQUAMAT Core Malaria
##      370      560      579      5494      1121
##  SEQUAMAT
##      1461

# in the complete dataset (all variables recorded)
table(Complete_Leg_data$studyID)

##
##  AQUAMAT Core Malaria  SEQUAMAT
##      3779      359      1090
```

## Exploratory analysis

Let's look at the key predictive variables. We use a random effects term to model differences between studies.



## Predictive value of anaemia on death adjusting for confounders

Before fitting the more complex GAM models we explore the standard glm (logistic regression) models.

```
mod_full = glmer(outcome ~ HCT + LPAR + AgeInYear + BUN + BD + drug + (1 | studyID),
  data=Complete_Leg_data, family=binomial)
```

```
## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control
## $checkConv, : unable to evaluate scaled gradient

## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control
## $checkConv, : Model failed to converge: degenerate Hessian with 1 negative
## eigenvalues
```

```
summary(mod_full)
```

```
## Warning in vcov.merMod(object, use.hessian = use.hessian): variance-covariance matrix computed from
## not positive definite or contains NA values: falling back to var-cov estimated from RX

## Warning in vcov.merMod(object, correlation = correlation, sigma = sig): variance-covariance matrix co
## not positive definite or contains NA values: falling back to var-cov estimated from RX

## Generalized linear mixed model fit by maximum likelihood (Laplace
## Approximation) [glmerMod]
```

```

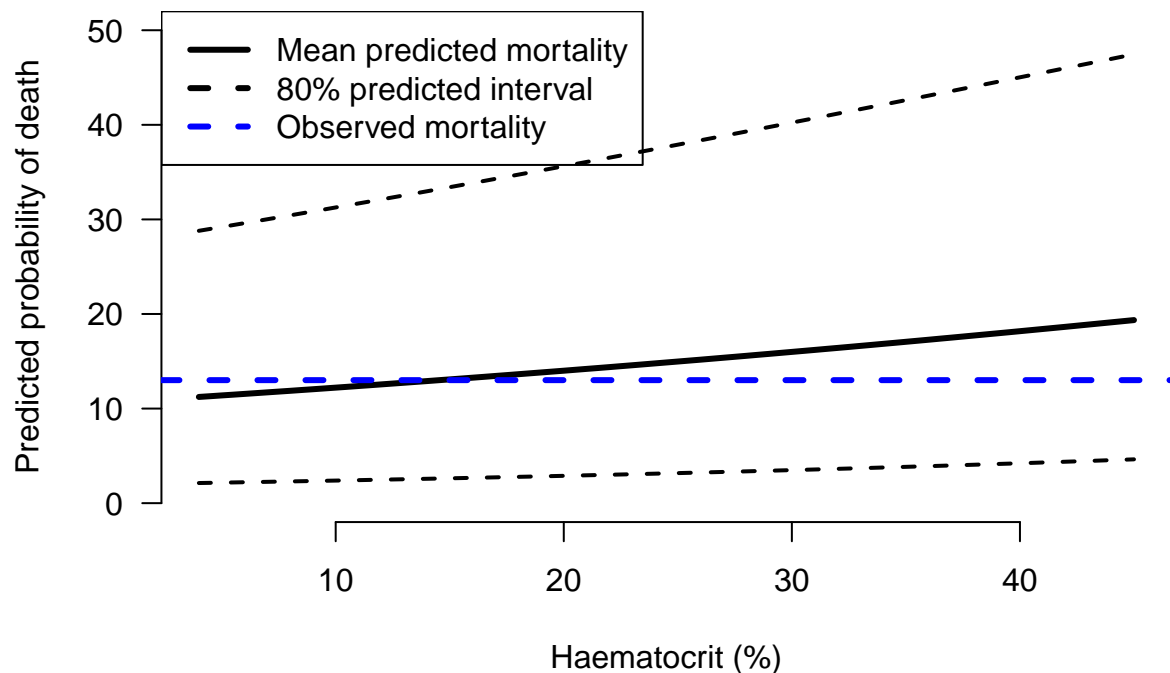
## Family: binomial ( logit )
## Formula:
## outcome ~ HCT + LPAR + AgeInYear + BUN + BD + drug + (1 | studyID)
## Data: Complete_Leg_data
##
##      AIC      BIC    logLik deviance df.resid
##  3199.6   3278.3 -1587.8   3175.6     5216
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -2.7825 -0.3409 -0.2313 -0.1633 10.1058
##
## Random effects:
## Groups Name Variance Std.Dev.
## studyID (Intercept) 0.07967 0.2823
## Number of obs: 5228, groups: studyID, 3
##
## Fixed effects:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)   -1.850e+01  5.664e+02  -0.033  0.97394
## HCT            1.960e-02  5.471e-03   3.583  0.00034 ***
## LPAR           1.855e-02  6.719e-02   0.276  0.78247
## AgeInYear      2.186e-02  4.343e-03   5.033  4.83e-07 ***
## BUN            1.166e-02  1.694e-03   6.882  5.89e-12 ***
## BD             1.361e-01  6.944e-03  19.601 < 2e-16 ***
## drugArtesunate 1.404e+01  5.664e+02   0.025  0.98022
## drugChloroquine 1.610e+01  5.664e+02   0.028  0.97733
## drugLumefantrine -1.034e+00  4.187e+03   0.000  0.99980
## drugNAC        -5.245e+00  8.479e+03  -0.001  0.99951
## drugQuinine     1.438e+01  5.664e+02   0.025  0.97975
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##      (Intr) HCT    LPAR   AgInYr BUN    BD      drgArt drgChl drgLmf
## HCT      0.000
## LPAR     -0.001 -0.172
## AgeInYear 0.000 -0.183 0.030
## BUN       0.000 0.064 -0.050 -0.189
## BD        0.000 0.263 -0.135 0.120 -0.263
## drugArtesnt -1.000 0.000 0.000 0.000 0.000 0.000
## drugChlorqn -1.000 0.000 0.000 0.000 0.000 0.000 1.000
## drugLmfntn -0.135 0.000 0.000 0.000 0.000 0.000 0.135 0.135
## drugNAC    -0.067 0.000 0.000 0.000 0.000 0.000 0.067 0.067 0.009
## drugQuinine -1.000 0.000 0.000 0.000 0.000 0.000 1.000 1.000 0.135
##      drgNAC
## HCT
## LPAR
## AgeInYear
## BUN
## BD
## drugArtesnt
## drugChlorqn
## drugLmfntn

```

```
## drugNAC
## drugQuinine 0.067
## convergence code: 0
## unable to evaluate scaled gradient
## Model failed to converge: degenerate Hessian with 1 negative eigenvalues
```

Now let's make counterfactual predictions of anaemia on death for the patients in the database. The way to interpret this 'counterfactual' plot is as follows: suppose that every individual in the dataset was assigned (as in a intervention) a specific haematocrit  $X$ , what would the resulting per patient probability of death be. Here we summarise these probabilities by the predicted mean probability of death and 80% predictive intervals.

```
overall_mortality = 100*mean(Complete_Leg_data$outcome)
par(las=1, bty='n')
x_hcts = seq(4,45, by=.5)
probs = array(dim = c(3, length(x_hcts)))
for(i in 1:length(x_hcts)){
  mydata = Complete_Leg_data
  mydata$HCT=x_hcts[i]
  ys = 100*predict(mod_full, newdata = mydata, re.form=NA, type='response')
  probs[2,i] = mean(ys)
  probs[c(1,3),i] = quantile(ys, probs=c(0.1,0.9))
}
plot(x_hcts,probs[2,], xlim=c(4,45), ylab='Predicted probability of death',
     xlab='Haematocrit (%)', ylim=c(0,50), lty=1, lwd=3, type='l')
lines(x_hcts, probs[1,], lty=2, lwd=2)
lines(x_hcts, probs[3,], lty=2, lwd=2)
abline(h=overall_mortality, lwd=3, col='blue',lty=2)
legend('topleft', col=c('black','black','blue'), lwd=3, lty=c(1,2,2),
     legend = c('Mean predicted mortality', '80% predicted interval','Observed mortality'))
```



## More complex GAM model

The GAM model allows for non-linear relationships between certain variables and the outcome.

Here we fit as non-linear the effect of age and haematocrit on mortality.

```
mod_full_GAM = gam(outcome ~ s(HCT, AgeInYear) + LPAR + BUN + BD,
                    data=Complete_Leg_data, family=binomial)
summary(mod_full_GAM)
```

```
##
## Family: binomial
## Link function: logit
##
## Formula:
## outcome ~ s(HCT, AgeInYear) + LPAR + BUN + BD
##
## Parametric coefficients:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept) -3.706458   0.332187 -11.158  < 2e-16 ***
## LPAR         -0.003305   0.067265  -0.049    0.961
## BUN          0.010038   0.001720   5.838 5.29e-09 ***
## BD           0.140822   0.007133  19.742  < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Approximate significance of smooth terms:
##              edf Ref.df Chi.sq p-value
## s(HCT, AgeInYear) 6.522   9.09  131.3  <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## R-sq.(adj) =  0.202   Deviance explained = 21.4%
## UBRE = -0.38846   Scale est. = 1          n = 5228
```

Now we compute the corresponding counterfactual probabilities of death for the dataset for all values of the haematocrit:

```
overall_mortality = 100*mean(Complete_Leg_data$outcome)
par(las=1, bty='n')
x_hcts = seq(4,45, by=.5)
probs = array(dim = c(3, length(x_hcts)))
for(i in 1:length(x_hcts)){
  mydata = Complete_Leg_data
  mydata$HCT=x_hcts[i]
  ys = 100*predict(mod_full_GAM, newdata = mydata, re.form=NA, type='response')
  probs[2,i] = mean(ys)
  probs[c(1,3),i] = quantile(ys, probs=c(0.1,0.9))
}
```

We see that the effect of haematocrit on mortality is non-linear under this model: below 20 is protective, above 20 plateaus out:

```
par(las=1, bty='n')
plot(x_hcts, probs[2,], xlim=c(4,45), ylab='Predicted probability of death',
     xlab='Haematocrit (%)', ylim=c(0,40), lty=1, lwd=3, type='l')
lines(x_hcts, probs[1,], lty=2, lwd=2)
```

```

lines(x_hcts, probs[3,], lty=2, lwd=2)
abline(h=overall_mortality, lwd=3, col='blue', lty=2)
legend('topleft', col=c('black','black','blue'), lwd=3, lty=c(1,2,2),
      legend = c('Mean predicted mortality', '80% predicted interval', 'Observed mortality'))

```

