

Recursion

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Outline

- [Why Recursion?
- [Definition
- [Examples

Why Recursion?

— [Want to work with Google, Amazon, Facebook or Microsoft ?

— 80% of technical interview questions designed to use recursion.

Why Recursion?

- [Recursion is more than programming skills, but problem solving skills.

- Well related to many algorithm design paradigms and analysis, such as Divide and Conquer, Dynamic programming, even exhaustive search.

- Well related to many data structures,

such as binary tree and linked list.

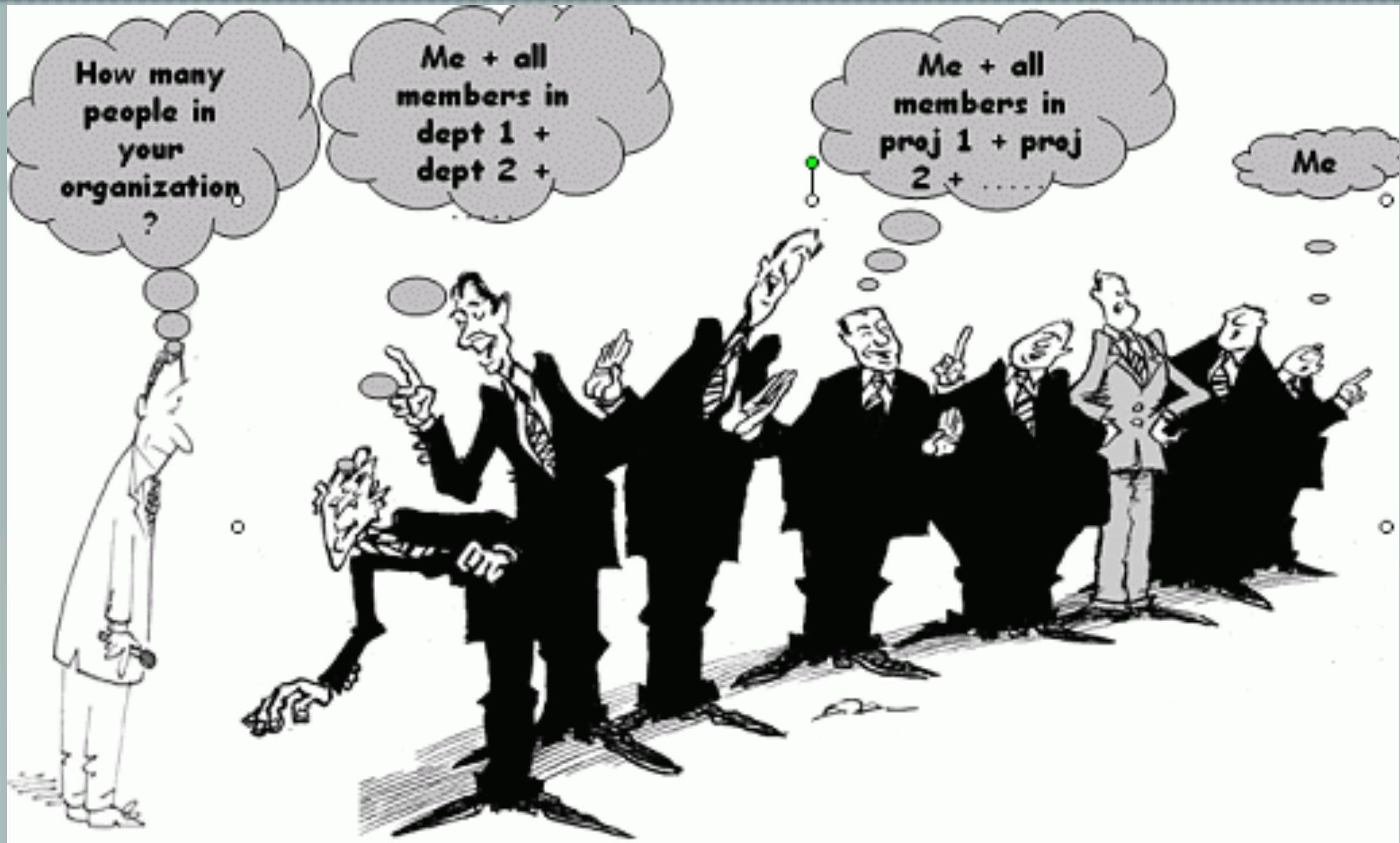
Pattern of Recursion

— [We divide a problem into smaller subproblems of the same type.

— [Repeat this process till subproblems are solvable.

— [Solving higher level subproblems uses solutions of lower level of subproblems.

Definition of Recursion



Figure, Recursive Pattern

www.codeproject.com/Articles/29036/Patterns-in-Real-Life

Example of Recursion

Factorial Example

$$5! = 5 \times 4 \times 3 \times 2 \times 1$$

$$n! = n \times \underbrace{(n-1) \times (n-2) \times (n-3) \times \dots \times 2 \times 1}_{(n-1)!} \quad (1)$$

$$n! = n \times (n-1)! \quad (2)$$

Example of Recursion

- Factorial Example Continued,

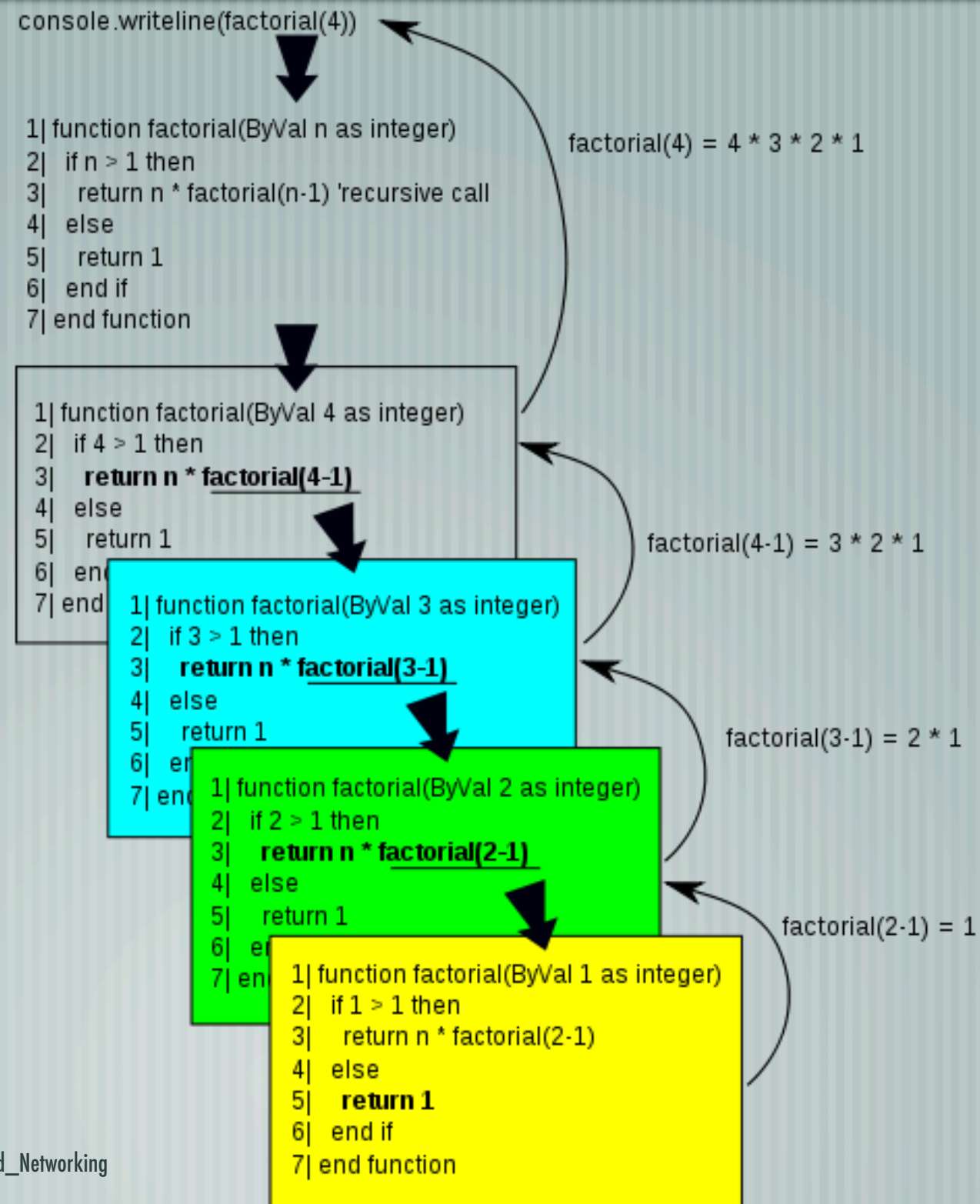
- We reduce the size of problem to $(n-1)$. We could further reduce the problem towards $0! = 1$.

- We represent the original problem using subproblem(s) of the **same type**, but with **smaller size**.

- $$\text{Fac}(n) = n * \text{Fac}(n-1)$$

Example of Recursion

Diagram showing function calls and return values on recursive solution to factorial(4)



Each Function(or method) call results in a record in the call stack.(Data in stack frame include local variables, arguments,

Formal Definition

- [Recursion is defined by two properties:
 - One or more simple base cases (lowest level subproblems that are solvable)
 - How to divide(represent) the original problem into(with) subproblem(s). (recursive definition)

Formal Definition

- [Two properties of Recursion in factorial
 - [Fac(0) is 1. [base case]
 - For all integers $n > 1$: Fac(n) is $n * \text{Fac}(n-1)$. [Recursive Definition]

Implementation – call itself

```
void fac(int n) {  
    if( n == 0 ) return 1;  
    else  
        return n * fac(n - 1);  
}
```

Two Secret Weapons for Recursion:

- You make the recursive call as if you are calling a regular method(or an existing API).
- You HAVE TO trust that the recursive call will surely do the work for you!

Take Home Summary

- Definition of Recursion
- Why we have to learn Recursion?
- Secret Weapons for Recursion