

## Binary Search Working

Binary Search Algorithm can be implemented in two ways which are discussed below.

1. Iterative Method
2. Recursive Method

The recursive method follows [the divide and conquer](#) approach.

The general steps for both methods are discussed below.

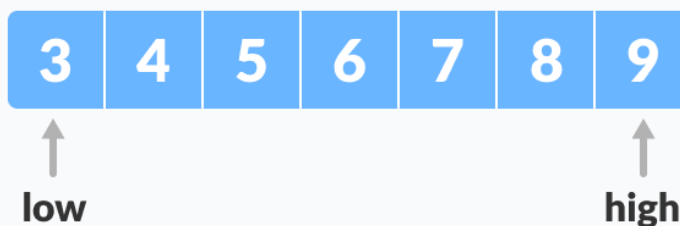
1. The array in which searching is to be performed is:



Initial array

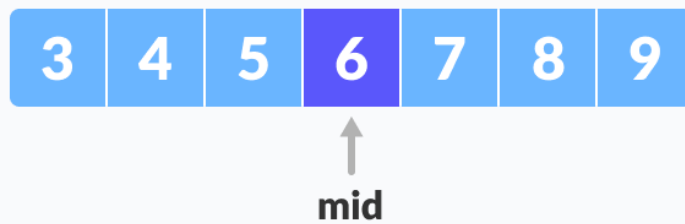
Let  $x = 4$  be the element to be searched.

2. Set two pointers low and high at the lowest and the highest positions respectively



Setting pointers

3. Find the middle element `mid` of the array ie. `arr[(low + high)/2] = 6`.

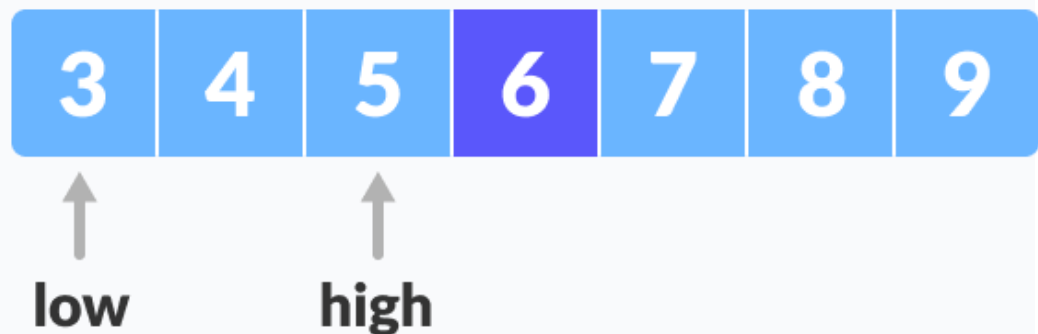


Mid element

4. If  $x == \text{mid}$ , then return mid. Else, compare the element to be searched with m.

5. If  $x > \text{mid}$ , compare  $x$  with the middle element of the elements on the right side of `mid`. This is done by setting `low` to `low = mid + 1`.

6. Else, compare  $x$  with the middle element of the elements on the left side of `mid`. This is done by setting `high` to `high = mid - 1`.

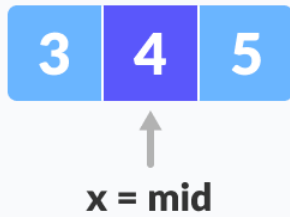


low meets high. Mid element

7. Repeat steps 3 to 6 until



8. `x = 4` is found. Found



## Binary Search Algorithm

### Iteration Method

do until the pointers low and high meet each other.

```
mid = (low + high)/2
```

```
if (x == arr[mid])
```

```
    return mid
```

```
else if (x > arr[mid]) // x is on the right side
```

```
    low = mid + 1
```

```
else // x is on the left side
```

```
    high = mid - 1
```

### Recursive Method

```
binarySearch(arr, x, low, high)
```

```
if low > high
```

```
    return False
```

```
else
```

```
mid = (low + high) / 2

if x == arr[mid]

    return mid

else if x > arr[mid]    // x is on the right side

    return binarySearch(arr, x, mid + 1, high)

else                    // x is on the right side

    return binarySearch(arr, x, low, mid - 1)
```

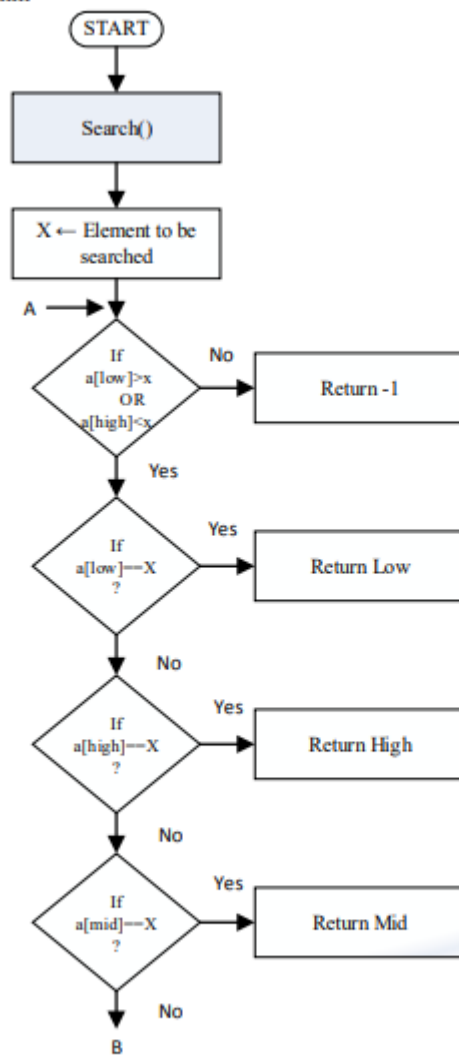
#### 4. Pseudo Code

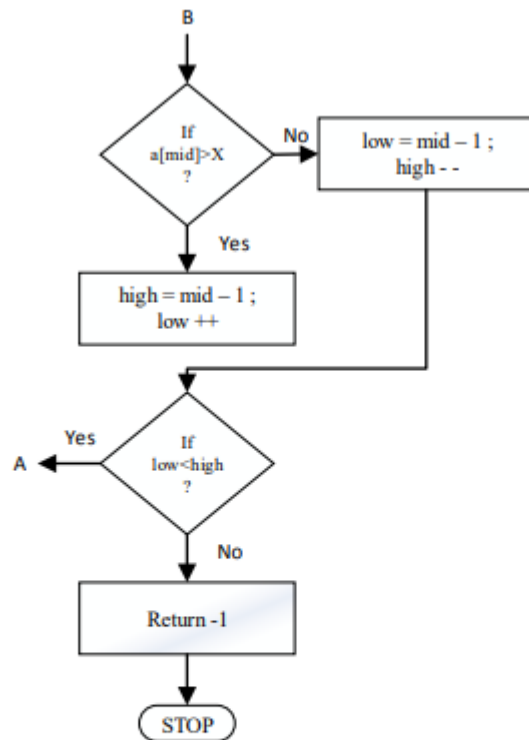
$X$  = number to be searched,  $a[]$  - elements array , 'n' total number of elements

```
1. low=0 , high= n-1
2. while(low<high)
3. mid=(low+high)/2
4. if(a[low]>X OR a[high]<X)
5. return -1
6. end if
7. if(a[low]==X)
8. return low
9. else if(a[high]==X)
10. return high
11. else
12. if(a[mid]==X)
13. return mid
14. else if(a[mid]>X)
15. high=mid-1
16. low++
17. else if(a[mid]<X)
18. low=mid+1
19. high--
20. end if
21. end if
22. end while
23. return -1
```

Flow chart :-

Below is the flow chart for the Modified binary search algorithm





Terms used,  
 Search() – function call to check whether the given element is present or not

Low – the lowest index in the array  
 High- highest index in the array  
 Middle – middle element's index in the array  
 X – element to be searched

**Coding:-(value from user in python)**

**def “indrjeet saini”**

**def binary\_sort(sorted\_list, length, key):**

**start = 0**

**end = length-1**

**while start <= end:**

**mid = int((start + end)/2)**

**if key == sorted\_list[mid]:**

```
        print("\nEntered number %d is present at  
position: %d" % (key, mid))
```

```
    return -1
```

```
elif key < sorted_list[mid]:
```

```
    end = mid - 1
```

```
elif key > sorted_list[mid]:
```

```
    start = mid + 1
```

```
print("\nElement not found!")
```

```
return -1
```

```
lst = []
```

```
size = int(input("Enter size of list: \t"))
```

```
for n in range(size):
```

```
    numbers = int(input("Enter any number: \t"))
```

```
    lst.append(numbers)
```



```
lst.sort()
```

```
print('\n\nThe list will be sorted, the sorted list is:',  
lst)
```

```
x = int(input("\nEnter the number to search: "))
```

```
binary_sort(lst, size, x)
```

