

# Pseudo-Code

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## Algorithm 1: Prunning based clustering

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**Input:**  $A$ : the point set;  $n\_clusters$ : the target number of clusters;

**Output:**  $S$ : the tree set;

**Algorithm:** KMeans: clusters generated by k-means; Delaunay: performs the triangulation and returns the network; Kruskal: generates the MST;

# rough clustering by k-means

$G \leftarrow KMeans(A)$ ;

$S \leftarrow \emptyset$ , add  $Kruskal(Delaunay(g_i))$  into  $S$ , all  $g_i \in G$ ;

**while** length of  $S < n\_clusters$  **do**

    find the cluster with the highest STD in  $S$  as  $t_0$ ;

    prun  $t_0$  into  $t_1$  and  $t_2$ , where the higher STD of  $t_1$  and  $t_2$  is the lowest case;

$S \leftarrow S \setminus t_0$ ; add  $t_1, t_2$  to  $S$ ;

**end while**;

**return**  $S$ ;

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## Algorithm 2: Attribute spatial association based sampling

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**Input:**  $A$ : the point set;  $r$ : radius parameter;  $min\_r$ : minimum radius;

**Output:**  $S$ : sampled set;

**Algorithm:** Random: randomly returns an element from the set; KDE: kernel-density estimate; Label: the label of point, processed by the clustering algorithm; Dist: the Euclidean distance between the given two points; Entropy: the entropy of the set;

$S \leftarrow \emptyset$ ;  $T \leftarrow \emptyset$ ;

**while**  $A \neq \emptyset$  **or**  $T \neq \emptyset$  **do**

**if**  $T \neq \emptyset$  **then**

$c \leftarrow Random(T)$ ;  $T \leftarrow T \setminus c$ ; add  $c$  into  $S$ ;

**else**

$c \leftarrow Random(A)$ ;  $A \leftarrow A \setminus c$ ; add  $c$  into  $S$ ;

$radius \leftarrow Max(r / KDE(c), min\_r)$ ;

$neighbors \leftarrow \emptyset$ ;

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add  $Label(pi)$  into  $neighbors$ ,  $Dist(c, pi) \leq radius$ , all  $pi \in (A + T)$ ;  
 $radius \leftarrow (radius - min\_r) / (1 + Entropy(neighbors)) + min\_r$ ;  
 $disabled \leftarrow \emptyset$ ;  $active \leftarrow \emptyset$ ;  
add  $pi$  into  $disabled$ ,  $Dist(c, pi) \leq radius$ , all  $pi \in (A + T)$ ;  
add  $pi$  into  $active$ ,  $radius < Dist(c, pi) \leq 2 * radius$ , all  $pi \in (A + T)$ ;  
 $A \leftarrow A \setminus pi$ , all  $pi \in (disabled + active)$ ;  
 $T \leftarrow T \setminus pi$ , all  $pi \in (disabled + active)$ ;  
add  $pi$  into  $T$ , all  $pi \in active$ ;  
end while;  
return  $S$ ;
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