Security and Privacy, Blatt 5

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Problem 1: Schnorr's protocol - special honest verifier zero-knowledge

It is easy to see, that (P, V) as given for Schnorr's protocol has the form of a Σ -protocol with commitment a, challenge e and response z. The "special honest verifier ZK" property requires: \exists ppt simulator M such that $\forall x \in L_R$ and $e \in \{0,1\}^t : M(x,e) = Trans_{Ve}^P(x)$ where $Trans_{Ve}^P(x)$ is the Transcript of an interaction between P and V using challenge e on input x.

to be continued

Problem 2: Homomorphic properties of algorithms

 $p = (\mathcal{G}, q, g, h)$ fixed, $r_0, r_1, v_0, v_1 \in \mathbb{Z}_q$, we show:

$$com^{r_0+r_1}(p, v_0+v_1) \stackrel{!}{=} com^{r_0}(p, v_0) \cdot com^{r_1}(p, v_1)$$

By just applying the definition of com in the Pedersen commitment scheme, we know:

$$com^{r_0+r_1}(p, v_0 + v_1) = g^{v_0+v_1} \cdot h^{r_0+r_1}$$
$$com^{r_0}(p, v_0) = g^{v_0} \cdot h^{r_0}$$
$$com^{r_1}(p, v_1) = g^{v_1} \cdot h^{r_1}$$

Thus:

$$com^{r_0}(p, v_0) \cdot com^{r_1}(p, v_1) = g^{v_0} \cdot h^{r_0} \cdot g^{v_1} \cdot h^{r_1}$$

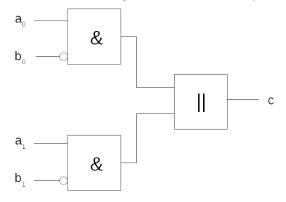
$$= g^{v_0} \cdot g^{v_1} \cdot h^{r_0} \cdot h^{r_1}$$

$$= g^{v_0 + v_1} \cdot h^{r_0 + r_1}$$

$$= com^{r_0 + r_1}(p, v_0 + v_1)$$

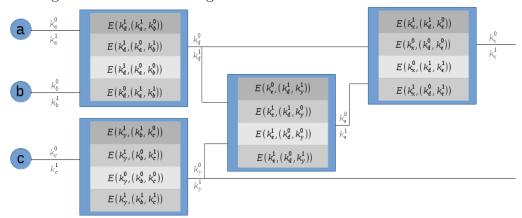
Problem 3: Building circuits for functions

Find the drawing of our circuit for f below.



Problem 4: Garbled circuits

Find a garbled circuit for the given circuit below.



Problem 5: 51%-Attack on Bitcoin