Visualization of RNN hidden state

It's nice that we have update equations telling us the mechanics of an RNN layer.

But what is an RNN layer really doing? How does it make the magic happen?

One plausible theory is that

- ullet The individual elements of the latent state ${f h}$
- Are acting like counters
- Incrementing/Decrementing according to the input

A visualization can confirm this theory (in some cases).

- Pick one element \mathbf{h}_j of the latent state
- Examine the sequence $[\mathbf{h}_{(t),j}|1\leq t\leq T]$ of this element
- Correlate changes in $\mathbf{h}_{(t),j}$ with the input sequence $[\mathbf{x}_{(t)}|1 \leq t \leq T]$

Below is a <u>visualization (http://karpathy.github.io/2015/05/21/rnn-effectiveness/#visualizing-the-predictions-and-the-neuron-firings-in-the-rnn)</u>

- Of several elements of the hidden state
- Where the value of the element is color-coded
 - Red: High; Blue: Low
- ullet And overlaid on the corresponding element of ${f x}_{(t)}$
- On an RNN trained on a "predict the next character" in the sequence task

Here is an element ("cell") that becomes active

- Inside quotes (" .. ")
- Inside code comments (/ ... /)

```
Cell that turns on inside comments and quotes:
Duplicate LSM field information. The lsm_rule
 * re-initialized. */
static inline int audit_dupe_lsm_field(struct audit_field *df,
         struct audit_field *sf)
 int ret = \theta;
 char *lsm_str;
 /* our own copy of lsm_str */
 lsm_str = kstrdup(sf->lsm_str, GFP_KERNEL);
 if (unlikely(!lsm_str))
  return - ENOMEM;
 /* our own (refreshed) copy of lsm_rule */
ret = security_audit_rule_init(df->type, df->op, df->lsm_str,
            (void **)&df->lsm_rule);
    Keep currently invalid fields around in case they
    become valid after a policy reload. */
   (ret == -EINVAL) {
  pr_warn("audit rule for LSM \
   df->lsm_str);
  ret = 0;
 return ret;
```

Here is a cell that seems to be

• Counting the *depth* of nesting of code

```
Cell that is sensitive to the depth of an expression:
#if def    CONFIG_AUDITSYSCALL
static inline int audit_match_class_bits(int class, u32 *mask)
{
    int i;
    if (classes[class]) {
        for (i = 0; i < AUDIT_BITMASK_SIZE; i++)
            if (mask[i] & classes[class][i])
            return 0;
}
return 1;</pre>
```

And here is a cell that has been interpretted

• As predicting end-of-line characers

```
Cell that might be helpful in predicting a new line. Note that it only turns on for some ")":
    char *audit_unpack_string(void **bufp, size_t *remain, si
    {
        char *str;
        if (!*bufp || (len == 0) || (len > *remain))
            return ERR_PTR(-EINVAL);
        /* of the currently implemented string fields, PATH_MAX
        * defines the longest valid length.
        */
        if (len > PATH_MAX)
        return ERR_PTR(-ENAMETOOLONG);
        str = kmalloc(len + 1, GFP_KERNEL);
        if (unlikely(!str))
        return ERR_PTR(-ENOMEM);
        memcpy(str, *bufp, len);
        str[len] = 0;
        *bufp += len;
        return str;
}
```

Of course, this is a matter of interpretation rather than mathematics.

Still: there is some logic in believing that counters

- Can capture structure
- Sufficient to encode the probability of the next character (our target)

In a later module

- We will study a more advanced Recurrent layer called an LSTM
- It's internal workings are closely aligned with the notion of implementing counters

```
In [2]: print("Done")
```

Done