

## **EXERCISE 3.5 CONTINUED**

(6)

```
In[14]:= t = Table[" ", {100}]
```

```
Out[14]= { , , , , , , , , , , , , , , , , , , ,  
          , , , , , , , , , , , , , , , , , , , ,  
          , , , , , , , , , , , , , , , , , , , ,  
          , , , , , , , , , , , , , , , , , , , , }
```

```
In[18]:= p = Partition[t, {10}]
```

```
Out[18]= {{ , , , , , , , , , }, { , , , , , , , , , },  
          { , , , , , , , , , }, { , , , , , , , , , },  
          { , , , , , , , , , }, { , , , , , , , , , }, { , , , , , , , , , },  
          { , , , , , , , , , }, { , , , , , , , , , }, { , , , , , , , , , }}
```

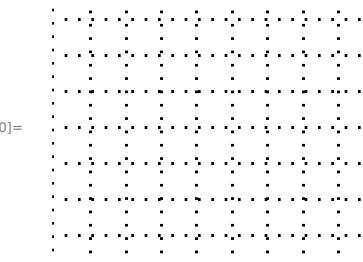
(a)

```
In[19]:= Grid[p, Dividers -> Gray]
```

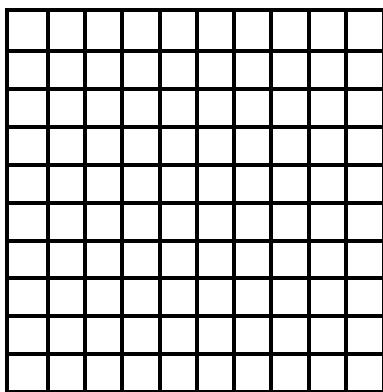
A 10x10 grid of empty cells, representing an empty matrix or table.

```
In[20]:= Grid[p, Dividers -> Dotted]
```

Out[20]=

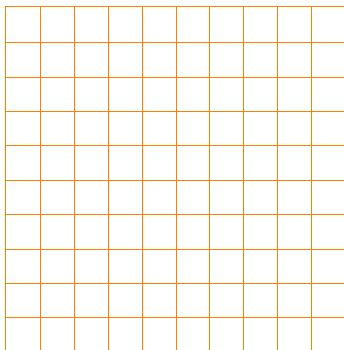
A 10x10 grid of black dots arranged in a square pattern, representing a 10x10 matrix.

In[21]:= `Grid[p, Dividers -> Thick]`



Out[21]=

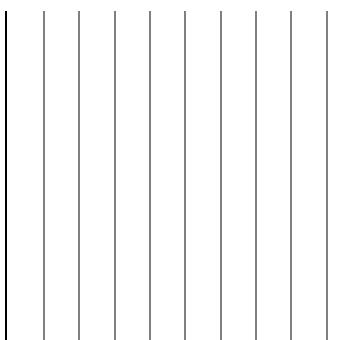
In[22]:= `Grid[p, Dividers -> Directive[Thin, Orange]]`



Out[22]=

(b)

In[23]:= `Grid[p, Dividers -> {{Black, {Gray}, Black}, None}]`



Out[23]=

(c)

In[25]:= `t = Table[" ", {100}]`

Out[25]= { , , , , , , , , , , , , , , , , , ,  
 ,  
 ,  
 , }

```
In[27]:= p = Partition[t, {10}]
Out[27]= {{ , , , , , , , , , }, { , , , , , , , , , },  

{ , , , , , , , , , }, { , , , , , , , , , },  

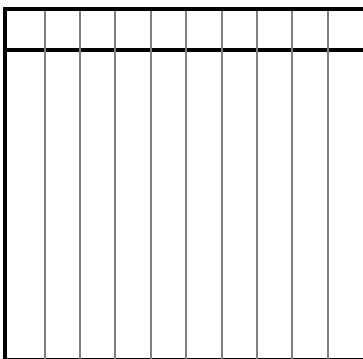
{ , , , , , , , , , }, { , , , , , , , , , }, { , , , , , , , , , },  

{ , , , , , , , , , }}


```

```
In[30]:= Grid[p, Dividers -> {{Thick, {Gray}, Thick}, {1 -> Thick, 2 -> Thick, 11 -> Thick}}]
```

Out[30]=



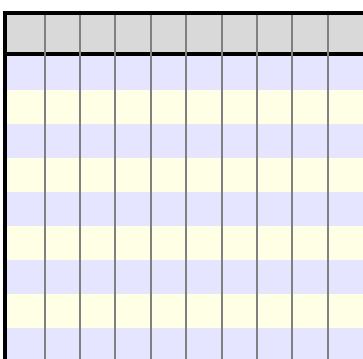
,

(d)

```
In[34]:= Grid[p, Dividers -> {{Thick, {Gray}, Thick}, {1 -> Thick, 2 -> Thick, 11 -> Thick}},  

Background -> {None, {Lighter[Gray, .7], {Lighter[Blue, .9], Lighter[Yellow, .9]}}}]
```

Out[34]=



,

MOREOVER

```
In[20]:= Grid[p,
Dividers -> {{Thick, {Gray}, Thick}, {1 -> Thick, 2 -> Thick, 11 -> Thick}}, Background ->
{None, {Lighter[Pink, .7], {Lighter[Blue, .9], Lighter[Yellow, .9]}, Lighter[Green, .3]}}]

Out[20]= Grid[p, Dividers -> {{Thickness[Large], {█, Thickness[Large]},  

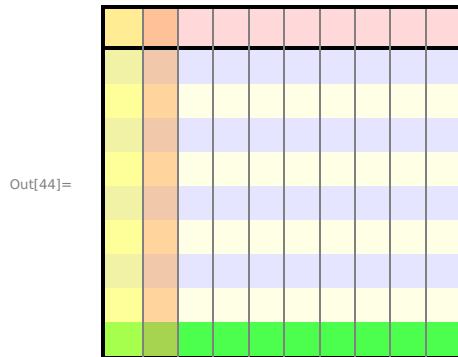
{1 -> Thickness[Large], 2 -> Thickness[Large], 11 -> Thickness[Large]}},  

Background -> {None, {█, {█, █}, █}}}]
```

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ALSO

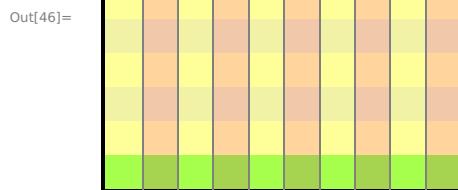
```
In[44]:= Grid[p, Dividers -> {{Thick, {Gray}, Thick}, {1 -> Thick, 2 -> Thick, 11 -> Thick}},  
Background -> {{Lighter[Yellow, 0.3], Lighter[Orange]},  
{Lighter[Pink, .7], {Lighter[Blue, .9], Lighter[Yellow, .9]}, Lighter[Green, .3]}}]
```



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**NOTICE**

```
In[46]:= Grid[p, Dividers -> {{Thick, {Gray}, Thick}, {1 -> Thick, 2 -> Thick, 11 -> Thick}},  
Background -> {{Lighter[Yellow, 0.3], Lighter[Orange]},  
{Lighter[Pink, .7], {Lighter[Blue, .9], Lighter[Yellow, .9]}, Lighter[Green, .3]}}]
```



,

(e)

```
In[2]:= t = Table[{Superscript[10, x], N[10^x]}, {x, -5, 5}]  
Out[2]= {{10^-5, 0.00001}, {10^-4, 0.0001}, {10^-3, 0.001}, {10^-2, 0.01}, {10^-1, 0.1},  
{10^0, 1.}, {10^1, 10.}, {10^2, 100.}, {10^3, 1000.}, {10^4, 10000.}, {10^5, 100000.}}
```

```
In[49]:= Grid[t, Dividers -> {{1 -> Black, 2 -> Black, 3 -> Black}, {Black, {Gray}, Black}},  
Background -> {{Lighter[Black, 0.4], None},  
{Lighter[Gray, .6], {None, Lighter[Gray, 0.6]}}, Alignment -> {{Left, "."}, Baseline},  
ItemStyle -> {{Directive[FontFamily -> "Helvetica", FontColor -> White]}, Default}]
```

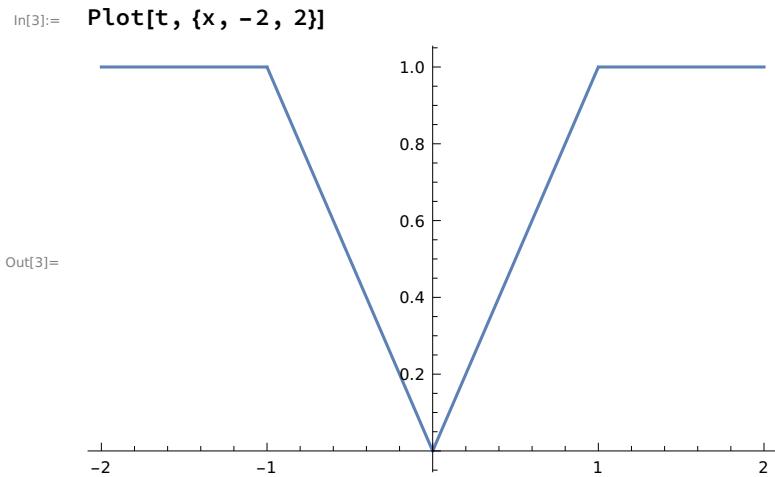
Out[49]=

$10^{-5}$	0.00001
$10^{-4}$	0.0001
$10^{-3}$	0.001
$10^{-2}$	0.01
$10^{-1}$	0.1
$10^0$	1.
$10^1$	10.
$10^2$	100.
$10^3$	1000.
$10^4$	10000.
$10^5$	100000.



## SECTION 3.6

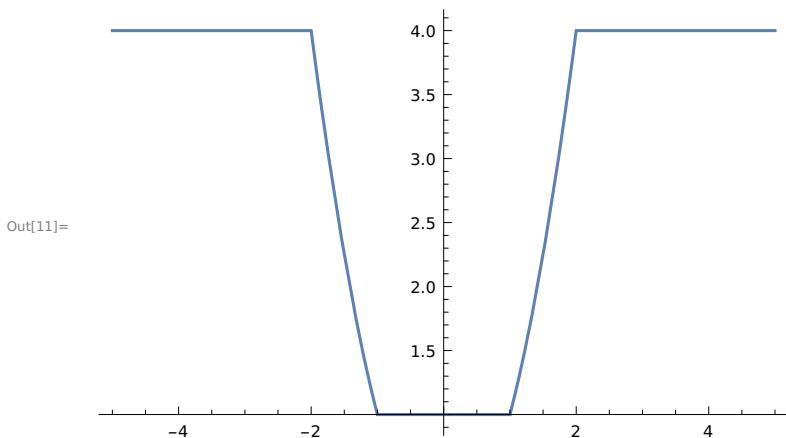
```
In[1]:= Clear[f];  
t = Piecewise[{{x, 0 <= x <= 1}, {-x, -1 < x < 0}}, 1]  
Out[2]=
```

$$\begin{cases} x & 0 \leq x \leq 1 \\ -x & -1 < x < 0 \\ 1 & \text{True} \end{cases}$$


```
In[10]:= k = Piecewise[{{x^2, (-2 <= x <= -1) || (1 <= x <= 2)}, {1, -1 < x < 1}}, 4]  
Out[10]=
```

$$\begin{cases} x^2 & -2 \leq x \leq -1 \text{ || } 1 \leq x \leq 2 \\ 1 & -1 < x < 1 \\ 4 & \text{True} \end{cases}$$

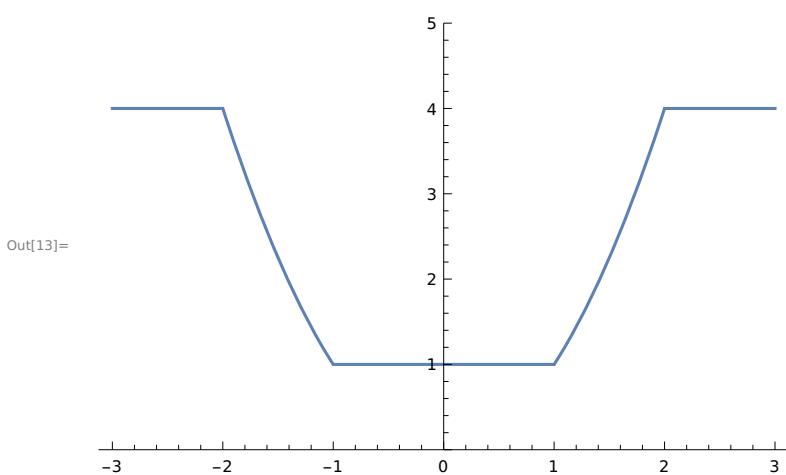
In[11]:= Plot[k, {x, -5, 5}]



In[12]:= p = Piecewise[{{x^2, 1 <= Abs[x] <= 2}, {1, Abs[x] < 1}, 4]

$$\begin{cases} x^2 & 1 \leq \text{Abs}[x] \leq 2 \\ 1 & \text{Abs}[x] < 1 \\ 4 & \text{True} \end{cases}$$

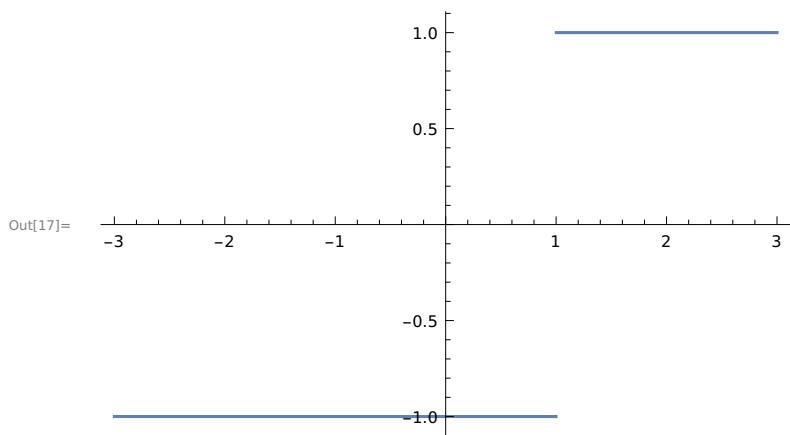
In[13]:= Plot[p, {x, -3, 3}, PlotRange -> {0, 5}]



In[16]:= l = Piecewise[{{1, x >= 1}, {-1, x < 1}}]

$$\begin{cases} 1 & x \geq 1 \\ -1 & x < 1 \\ 0 & \text{True} \end{cases}$$

In[17]:= `Plot[l, {x, -3, 3}]`

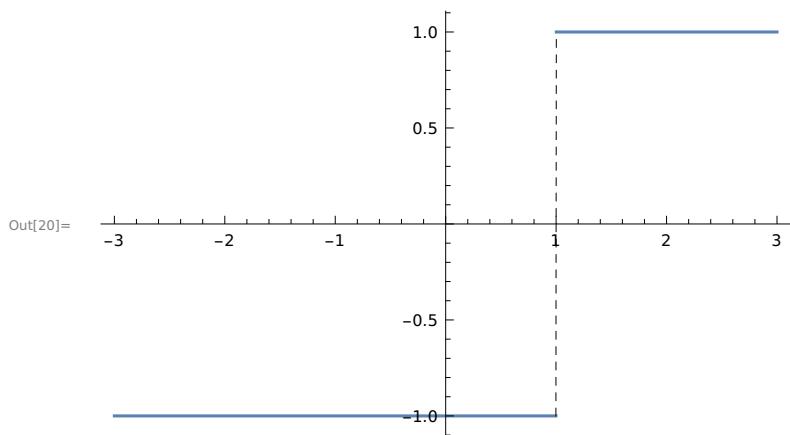


In[18]:= `j = Piecewise[{{1, x >= 1}, {-1, x < 1}}]`

$$\begin{cases} 1 & x \geq 1 \\ -1 & x < 1 \\ 0 & \text{True} \end{cases}$$

Out[18]=

In[20]:= `Plot[j, {x, -3, 3}, ExclusionsStyle → Dashed]`

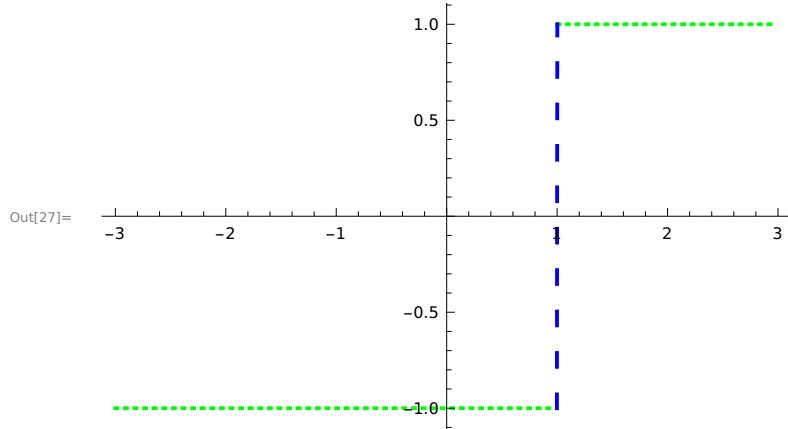


In[21]:= `u = Piecewise[{{1, x >= 1}, {-1, x < 1}}]`

$$\begin{cases} 1 & x \geq 1 \\ -1 & x < 1 \\ 0 & \text{True} \end{cases}$$

Out[21]=

```
In[27]:= Plot[u, {x, -3, 3}, PlotStyle -> Directive[Thick, Green, Dotted],
ExclusionsStyle -> Directive[Blue, Thick, Dashing[{0.02, 0.04}]]]
```

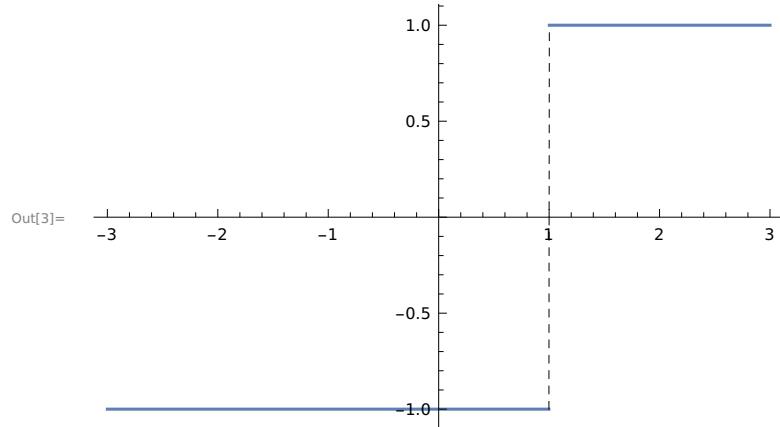


### EXERCISE 3.6

```
In[1]:= t = Piecewise[{{1, x >= 1}}, -1]
```

$$\begin{cases} 1 & x \geq 1 \\ -1 & \text{True} \end{cases}$$

```
In[3]:= Plot[t, {x, -3, 3}, ExclusionsStyle -> Dashed]
```

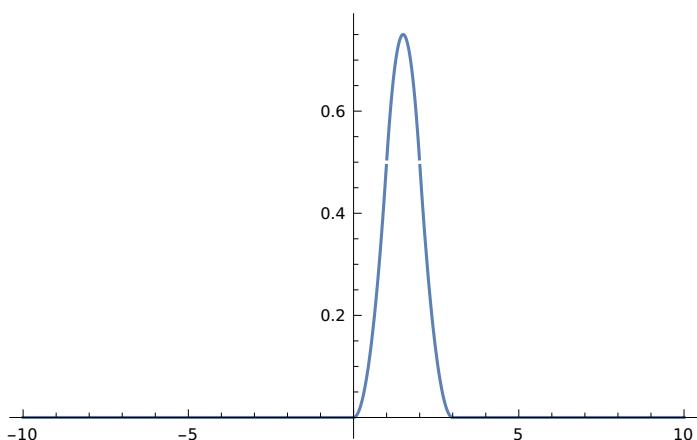


```
In[4]:= p = Piecewise[{{0, x < 0}, {(x^2)/2, 0 <= x < 1},
{-x^2 + 3x - 3/2, 1 <= x < 2}, {(1/2)(3-x)^2, 2 <= x < 3}, {0, 3 <= x}}]
```

$$\begin{cases} 0 & x < 0 \\ \frac{x^2}{2} & 0 \leq x < 1 \\ -\frac{3}{2} + 3x - x^2 & 1 \leq x < 2 \\ \frac{1}{2}(3-x)^2 & 2 \leq x < 3 \\ 0 & \text{True} \end{cases}$$

In[8]:= Plot[p, {x, -10, 10}]

Out[8]=

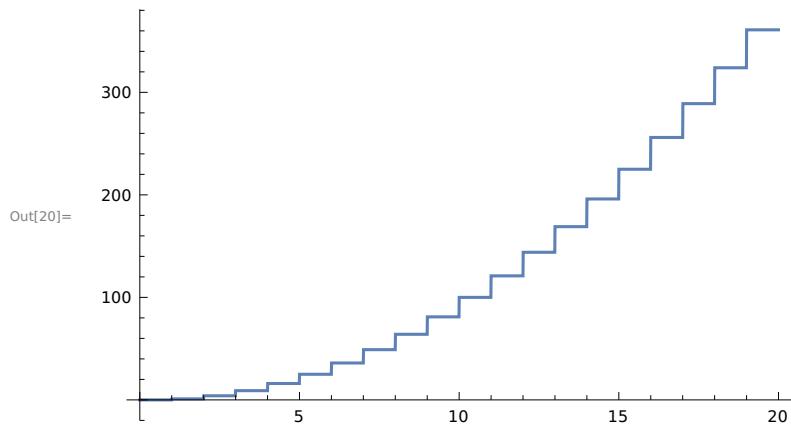


In[19]:= l = Piecewise[Table[{n^2, n <= x < n + 1}, {n, 0, 19}]]

Out[19]=

$$\begin{cases} 0 & 0 \leq x < 1 \\ 1 & 1 \leq x < 2 \\ 4 & 2 \leq x < 3 \\ 9 & 3 \leq x < 4 \\ 16 & 4 \leq x < 5 \\ 25 & 5 \leq x < 6 \\ 36 & 6 \leq x < 7 \\ 49 & 7 \leq x < 8 \\ 64 & 8 \leq x < 9 \\ 81 & 9 \leq x < 10 \\ 100 & 10 \leq x < 11 \\ 121 & 11 \leq x < 12 \\ 144 & 12 \leq x < 13 \\ 169 & 13 \leq x < 14 \\ 196 & 14 \leq x < 15 \\ 225 & 15 \leq x < 16 \\ 256 & 16 \leq x < 17 \\ 289 & 17 \leq x < 18 \\ 324 & 18 \leq x < 19 \\ 361 & 19 \leq x < 20 \\ 0 & \text{True} \end{cases}$$

In[20]:= Plot[l, {x, 0, 20}]



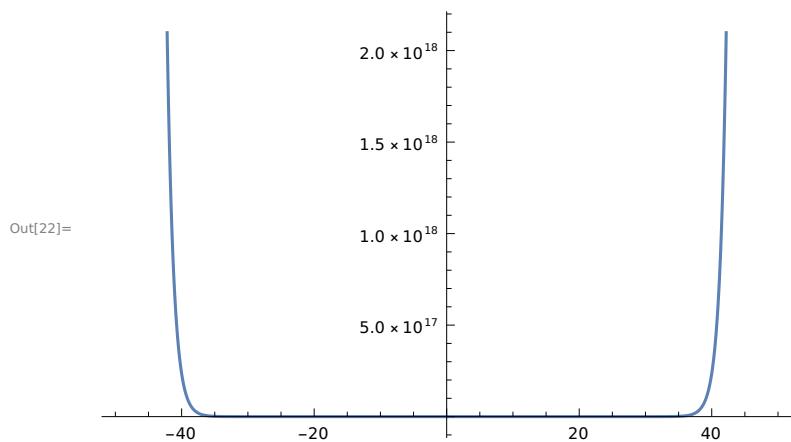
## FOR FUN

In[21]:= g = Piecewise[{{e^x, x > 0}, {e^{-x}, x < 0}}]

Out[21]=

$$\begin{cases} e^x & x > 0 \\ e^{-x} & x < 0 \\ 0 & \text{True} \end{cases}$$

In[22]:= Plot[g, {x, -50, 50}]



In[23]:= Clear[g]

In[26]:= g = Piecewise[Table[{n, n ≤ x < n + 1}, {n, -30, 30}]]

Out[26]=

$$\begin{cases} -30 & -30 \leq x < -29 \\ -29 & -29 \leq x < -28 \\ -28 & -28 \leq x < -27 \\ -27 & -27 \leq x < -26 \\ -26 & -26 \leq x < -25 \\ -25 & -25 \leq x < -24 \\ -24 & -24 \leq x < -23 \\ -23 & -23 \leq x < -22 \\ -22 & -22 \leq x < -21 \\ -21 & -21 \leq x < -20 \\ \dots & \dots \end{cases}$$

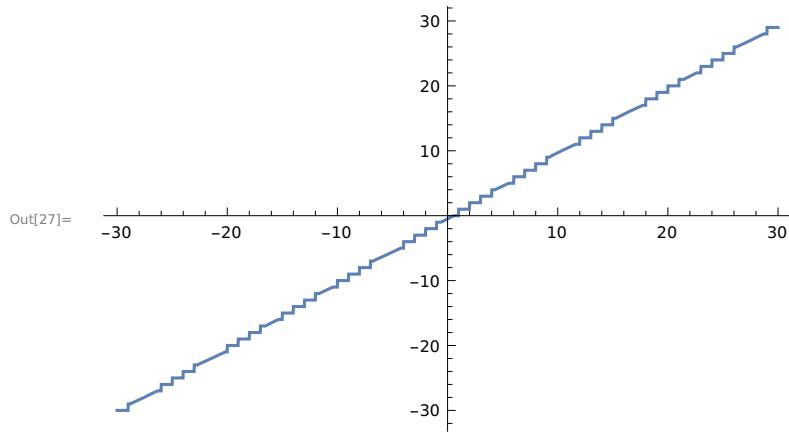
```

Out[26]=
  -20  -20 ≤ x < -19
  -19  -19 ≤ x < -18
  -18  -18 ≤ x < -17
  -17  -17 ≤ x < -16
  -16  -16 ≤ x < -15
  -15  -15 ≤ x < -14
  -14  -14 ≤ x < -13
  -13  -13 ≤ x < -12
  -12  -12 ≤ x < -11
  -11  -11 ≤ x < -10
  -10  -10 ≤ x < -9
   -9  -9 ≤ x < -8
   -8  -8 ≤ x < -7
   -7  -7 ≤ x < -6
   -6  -6 ≤ x < -5
   -5  -5 ≤ x < -4
   -4  -4 ≤ x < -3
   -3  -3 ≤ x < -2
   -2  -2 ≤ x < -1
   -1  -1 ≤ x < 0
    0  0 ≤ x < 1
    1  1 ≤ x < 2
    2  2 ≤ x < 3
    3  3 ≤ x < 4
    4  4 ≤ x < 5
    5  5 ≤ x < 6
    6  6 ≤ x < 7
    7  7 ≤ x < 8
    8  8 ≤ x < 9
    9  9 ≤ x < 10
   10  10 ≤ x < 11
   11  11 ≤ x < 12
   12  12 ≤ x < 13
   13  13 ≤ x < 14
   14  14 ≤ x < 15
   15  15 ≤ x < 16
   16  16 ≤ x < 17
   17  17 ≤ x < 18
   18  18 ≤ x < 19
   19  19 ≤ x < 20
   20  20 ≤ x < 21
   21  21 ≤ x < 22
   22  22 ≤ x < 23
   23  23 ≤ x < 24
   24  24 ≤ x < 25
   25  25 ≤ x < 26
   26  26 ≤ x < 27
   27  27 ≤ x < 28
   28  28 ≤ x < 29
   29  29 ≤ x < 30
   30  30 ≤ x < 31

```

$\lfloor 0 \quad \text{True}$

In[27]:= Plot[g, {x, -30, 30}]



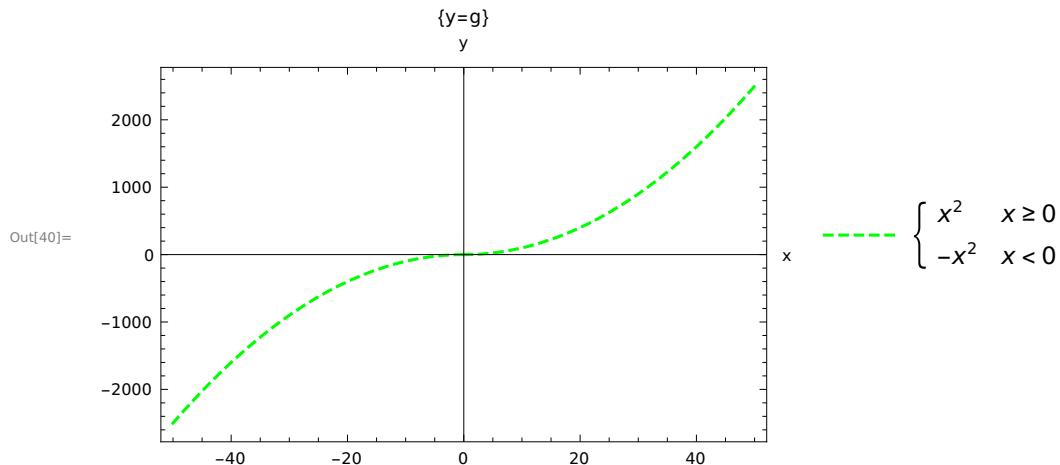
In[28]:= Clear[g]

In[31]:= g = Piecewise[{{x^2, x ≥ 0}, {-x^2, x < 0}}]

Out[31]=

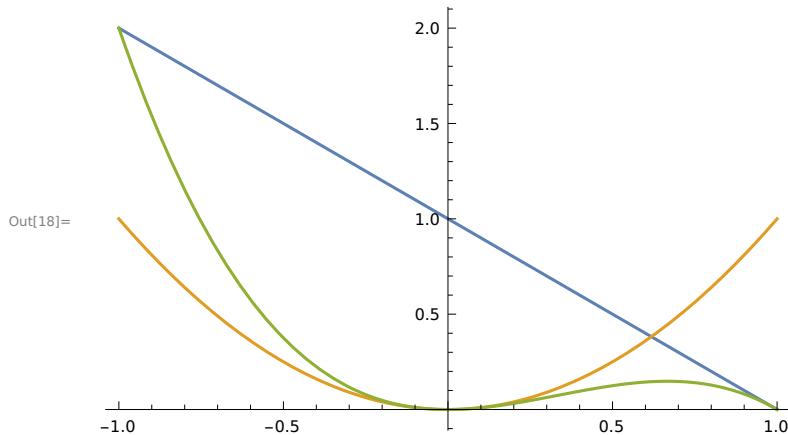
$$\begin{cases} x^2 & x \geq 0 \\ -x^2 & x < 0 \\ 0 & \text{True} \end{cases}$$

In[40]:= Plot[g, {x, -50, 50}, PlotStyle → Directive[Darker, Dashed, Green], AxesLabel → {"x", "y"}, Frame → True, PlotLabel → {"y=g"}, PlotLegends → {g}]

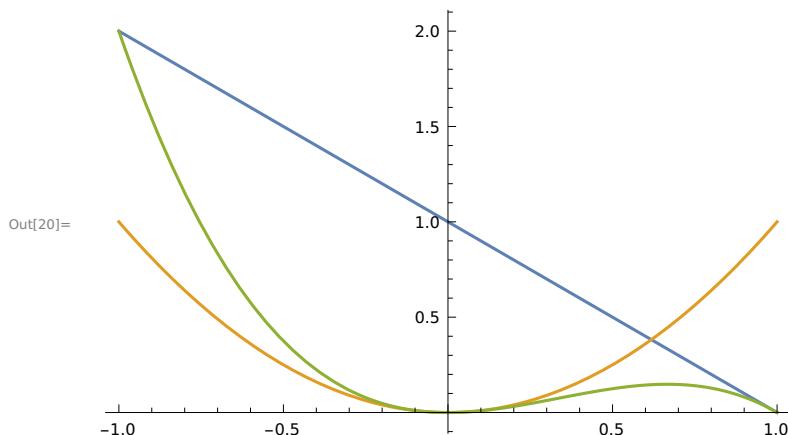


## SECTION 3.8

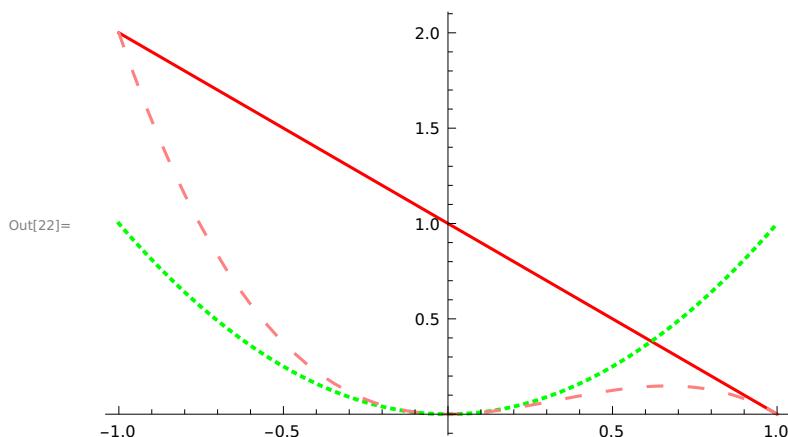
```
In[15]:= Clear[f, g];
f[x_] := 1 - x;
g[x_] := x^2;
Plot[{f[x], g[x], f[x]*g[x]}, {x, -1, 1}]
```



```
In[20]:= Plot[Tooltip[{f[x], g[x], f[x]*g[x]}], {x, -1, 1}]
```



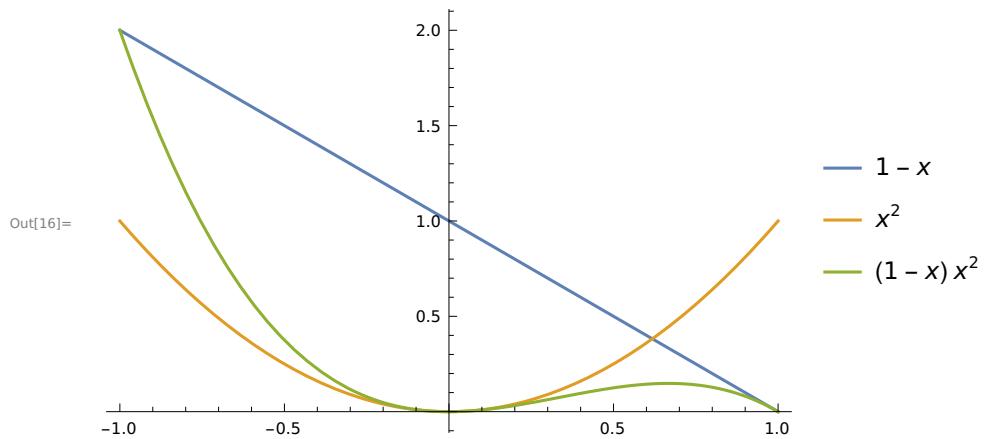
```
In[22]:= Plot[{f[x], g[x], f[x]*g[x]}, {x, -1, 1}, PlotStyle ->
{Red, Directive[Green, Thick, Dotted], Directive[Pink, Darker, Dashing[{0.02, 0.04}]]}]
```



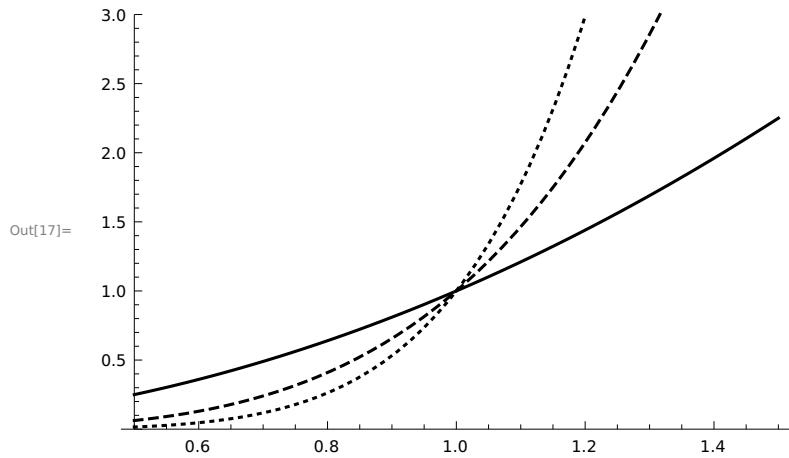
In[4]:= ? f

Symbol
Global`f
Full Name Global`f
^

In[14]:=  $f[x_] := 1 - x;$   
 $g[x_] := x^2;$   
 $\text{Plot}[\{f[x], g[x], f[x]*g[x]\}, \{x, -1, 1\}, \text{PlotLegends} \rightarrow \{f[x], g[x], f[x]*g[x]\}]$

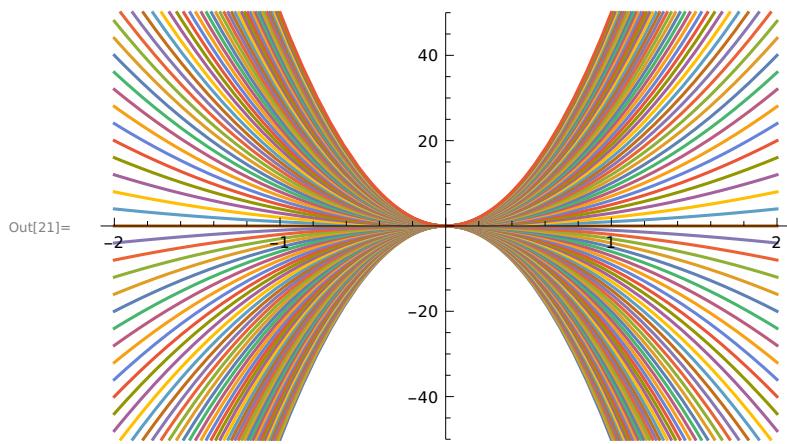


In[17]:=  $\text{Plot}[\{x^2, x^4, x^6\}, \{x, 0.5, 1.5\}, \text{PlotRange} \rightarrow \{0, 3\}, \text{PlotStyle} \rightarrow \{\text{Black}, \text{Directive[Dashed, Black]}, \text{Directive[Dotted, Black]}\}]$



```
In[20]:= t = Table[n*x^2, {n, -50, 50}]
Out[20]= {-50 x2, -49 x2, -48 x2, -47 x2, -46 x2, -45 x2, -44 x2, -43 x2, -42 x2, -41 x2, -40 x2, -39 x2,
-38 x2, -37 x2, -36 x2, -35 x2, -34 x2, -33 x2, -32 x2, -31 x2, -30 x2, -29 x2, -28 x2,
-27 x2, -26 x2, -25 x2, -24 x2, -23 x2, -22 x2, -21 x2, -20 x2, -19 x2, -18 x2, -17 x2,
-16 x2, -15 x2, -14 x2, -13 x2, -12 x2, -11 x2, -10 x2, -9 x2, -8 x2, -7 x2, -6 x2, -5 x2,
-4 x2, -3 x2, -2 x2, -x2, 0, x2, 2 x2, 3 x2, 4 x2, 5 x2, 6 x2, 7 x2, 8 x2, 9 x2, 10 x2, 11 x2,
12 x2, 13 x2, 14 x2, 15 x2, 16 x2, 17 x2, 18 x2, 19 x2, 20 x2, 21 x2, 22 x2, 23 x2, 24 x2,
25 x2, 26 x2, 27 x2, 28 x2, 29 x2, 30 x2, 31 x2, 32 x2, 33 x2, 34 x2, 35 x2, 36 x2, 37 x2,
38 x2, 39 x2, 40 x2, 41 x2, 42 x2, 43 x2, 44 x2, 45 x2, 46 x2, 47 x2, 48 x2, 49 x2, 50 x2}
```

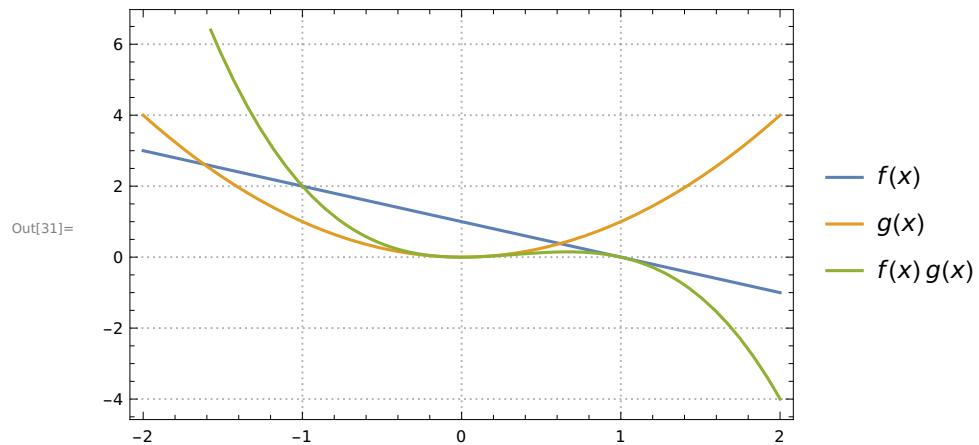
```
In[21]:= Plot[t, {x, -2, 2}, PlotRange → 50]
```



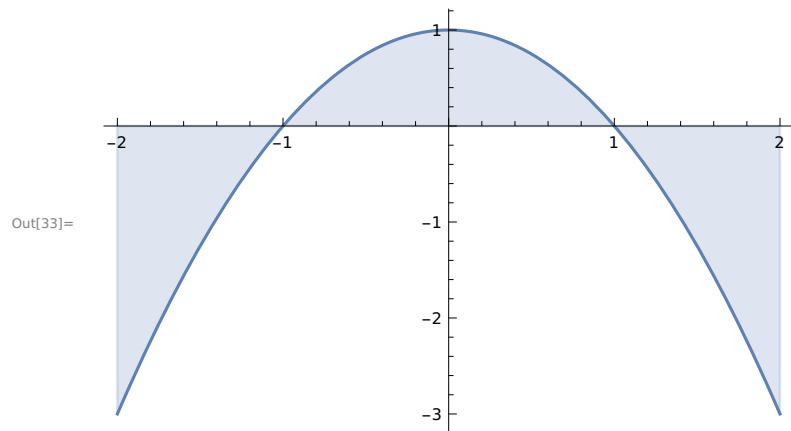
```
In[30]:= ? f
```

Symbol
Global`f
Definitions
f[x_] := 1 - x
Full Name Global`f
▲

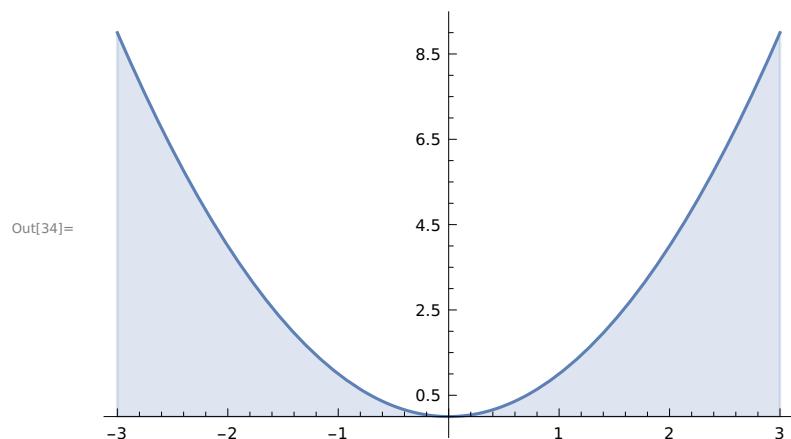
In[31]:= Plot[{f[x], g[x], f[x]\*g[x]}, {x, -2, 2}, PlotTheme -> "Detailed"]



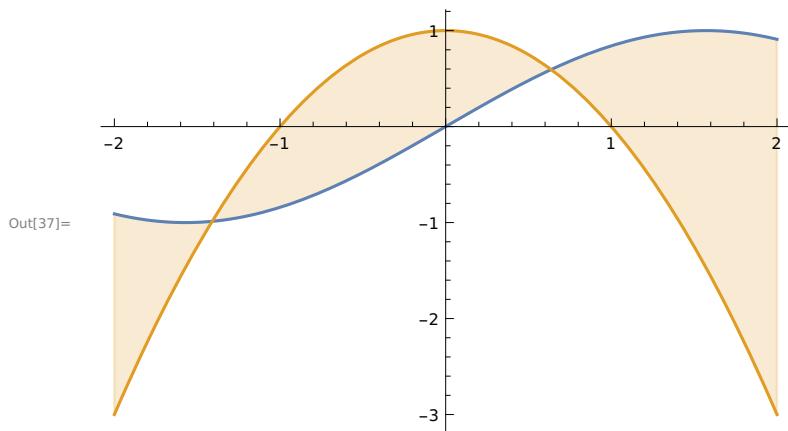
In[33]:= Plot[1 - x^2, {x, -2, 2}, Filling -> Axis]



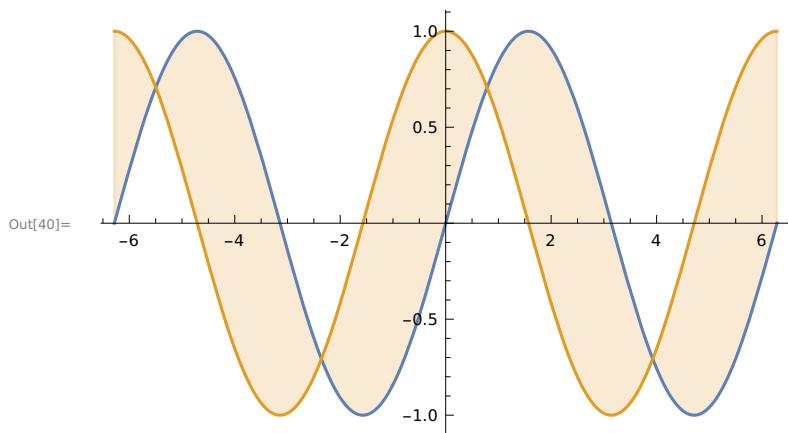
In[34]:= Plot[x^2, {x, -3, 3}, Filling -> Axis]



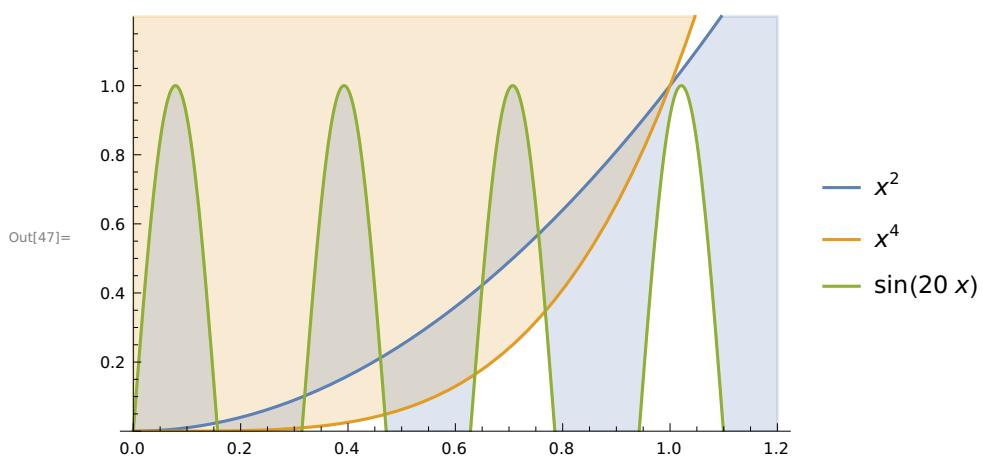
In[37]:= Plot[{Sin[x], 1 - x^2}, {x, -2, 2}, Filling → {1}]



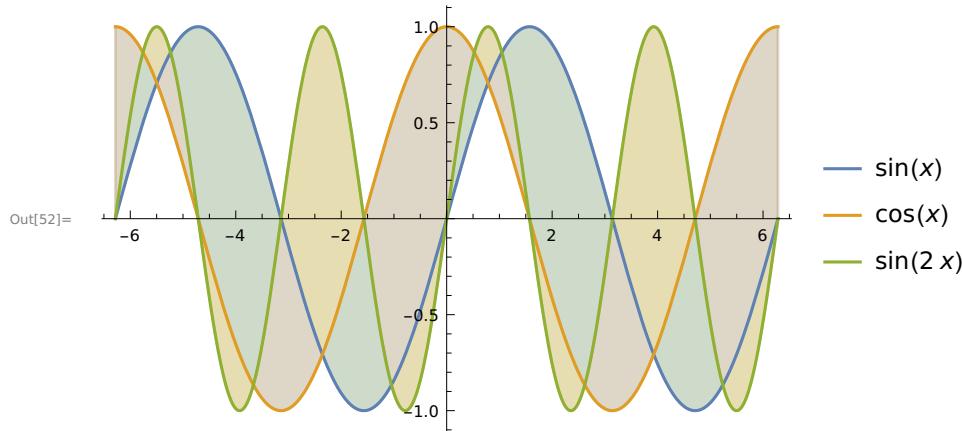
In[40]:= Plot[{Sin[x], Cos[x]}, {x, -2 π, 2 π}, Filling → {1}]



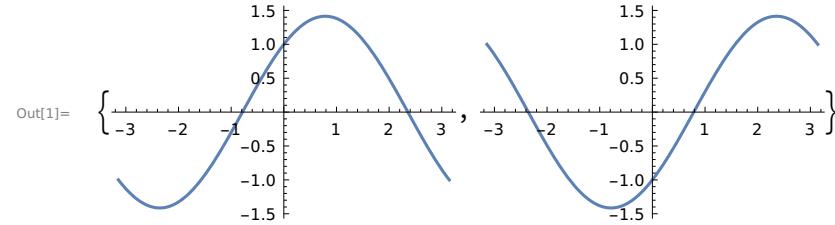
In[47]:= Plot[{x^2, x^4, Sin[20 x]}, {x, 0, 1.2}, PlotRange → {0, 1.2}, Filling → {1 → {3}, 2 → Top}, PlotLegends → {x^2, x^4, Sin[20 x]}]



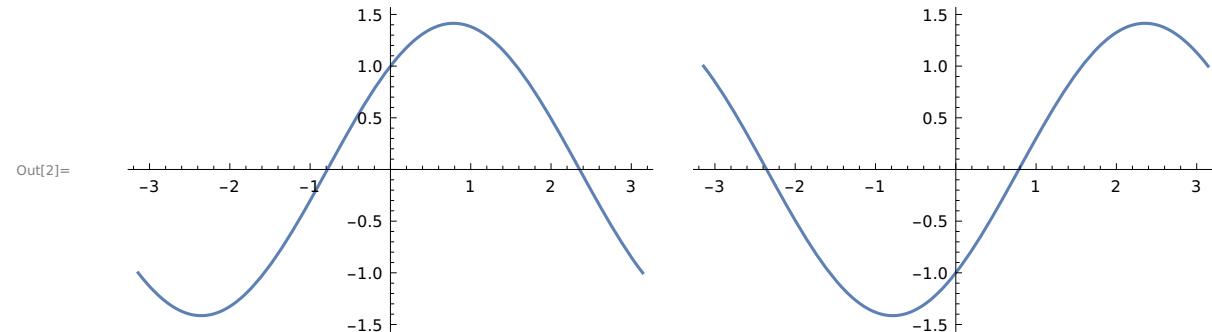
```
In[52]:= Plot[{Sin[x], Cos[x], Sin[2 x]}, {x, -2 π, 2 π},
PlotLegends → {Sin[x], Cos[x], Sin[2 x]}, Filling → {1 → {2}, 3 → {1}, 2 → {3}}]
```



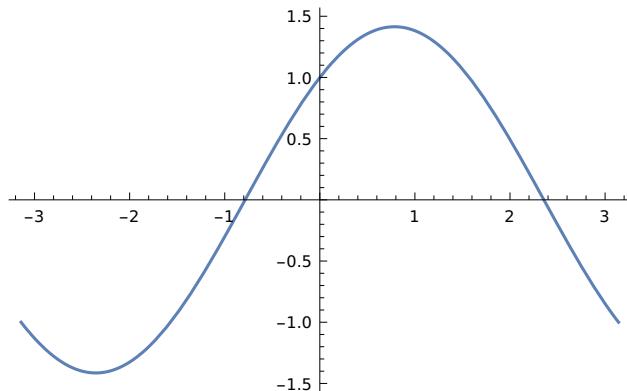
```
In[1]:= {Plot[Sin[x] + Cos[x], {x, -π, π}], Plot[Sin[x] - Cos[x], {x, -π, π}]}
```



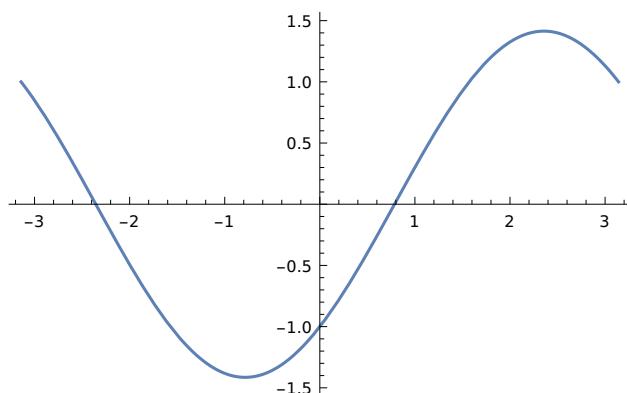
```
In[2]:= GraphicsRow [{Plot[Sin[x] + Cos[x], {x, -π, π}], Plot[Sin[x] - Cos[x], {x, -π, π}]}]
```



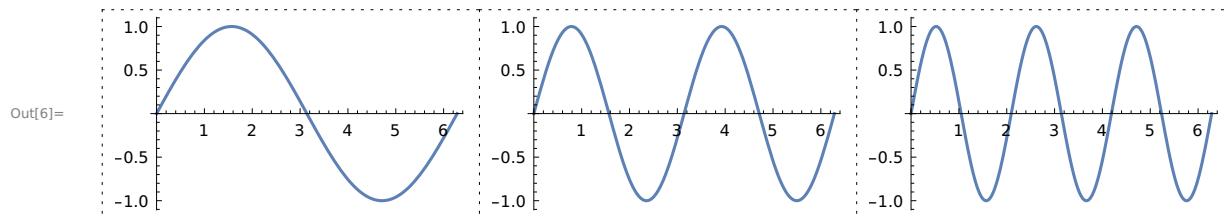
In[3]:= **GraphicsColumn** [{**Plot**[ $\sin[x] + \cos[x]$ , { $x$ ,  $-\pi$ ,  $\pi$ }], **Plot**[ $\sin[x] - \cos[x]$ , { $x$ ,  $-\pi$ ,  $\pi$ }]}]



Out[3]=



In[6]:= **GraphicsRow** [Table[**Plot**[ $\sin[m \cdot x]$ , { $x$ , 0,  $2\pi$ }], { $m$ , 3}], **Frame** → All, **FrameStyle** → Dotted]



In[7]:= **GraphicsRow** [**Plot**[Table[ $4x^n$ , { $n$ , 4}], { $x$ , 1, 5}], **Frame** → All]

**GraphicsGrid** :

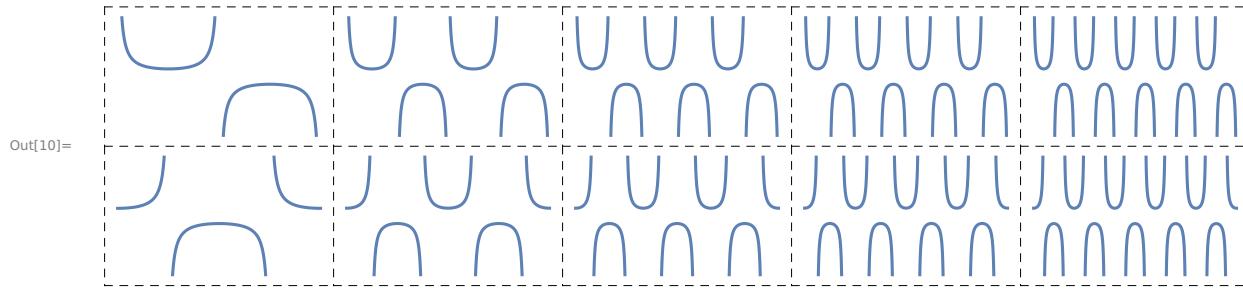
```
TagBox [RowBox [{ {}, GraphicsBox [{{{}}, {}}, TagBox [{Directive ["><< 3 >>], LineBox ["><< 1 >>], LineBox ["><< 1 >>],
LineBox ["><< 1 >>], LineBox ["><< 1 >>]}, Annotation [#1,
Charting`Private`Tag$639636 #1 &]], {}, {DisplayFunction → Identity , Ticks → {
Automatic , Automatic }, AxesOrigin → {1., 0}, FrameTicks → {{Automatic , Automatic }, {
Automatic , Automatic }}, GridLines → {None , None }, DisplayFunction → Identity ,
PlotRangePadding → {{Scaled [0.02 ], Scaled [0.02 ]}, {Scaled [0.05 ], Scaled [0.05 ]}}},
PlotRangeClipping → True , ImagePadding → All, DisplayFunction → Identity , << 15 >>}],
}], Short [#1, 5] &] is not a list of lists .
```

Out[7]= **GraphicsGrid** [{{200, 400, 600}}, **Frame** → All, **MessagesHead** → **GraphicsRow**]

```
In[8]:= GraphicsGrid[Plot[Table[4 x^n, {n, 4}], {x, 1, 5}], Frame → All]
GraphicsGrid :
TagBox [GraphicsBox [{{{{}, {}}, TagBox [{Directive [Opacity [⟨⟨ 1 ⟩⟩], RGBColor [⟨⟨ 3 ⟩⟩], AbsoluteThickness [⟨⟨ 1
>>]], LineBox [⟨⟨ 77 ⟩⟩], LineBox [⟨⟨ 77 ⟩⟩], LineBox [⟨⟨ 77 ⟩⟩], LineBox [⟨⟨ 77 ⟩⟩]}, Annotation [##1,
Charting`Private`Tag$639849 ##1 &]], {}, {DisplayFunction → Identity , Ticks → {
Automatic , Automatic }, AxesOrigin → {1., 0}, FrameTicks → {{Automatic , Automatic }, {Automatic ,
Automatic }}, GridLines → {None , None }, DisplayFunction → Identity , PlotRangePadding → {{{
Scaled [0.02 ], Scaled [0.02 ]}, {Scaled [0.05 ], Scaled [0.05 ]}}}, PlotRangeClipping → True ,
ImagePadding → All , DisplayFunction → Identity , << 15 >>}}, Short [##1, 5] &] is not
a list of lists .
```

```
Out[8]= GraphicsGrid[Plot[Table[4 x^n, {n, 4}], {x, 1, 5}], Frame → All]
```

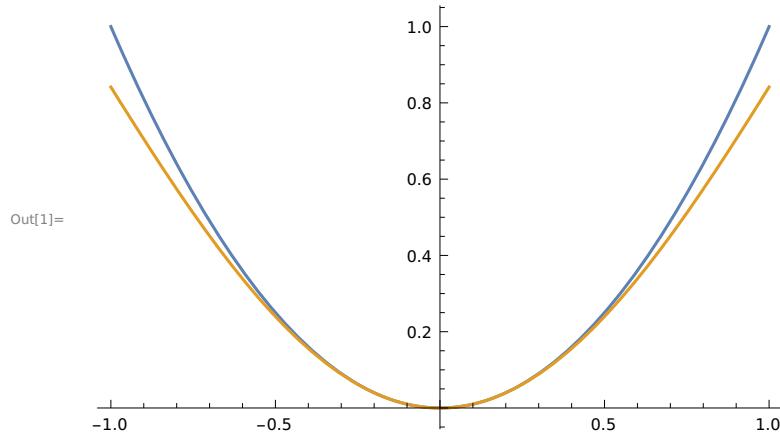
```
In[10]:= GraphicsGrid [{Table[Plot[Csc[m*x], {x, 0, 2 π}, Axes → False], {m, 5}],
Table[Plot[Sec[m*x], {x, 0, 2 π}, Axes → False], {m, 5}]],
Frame → All, FrameStyle → Dashed]
```



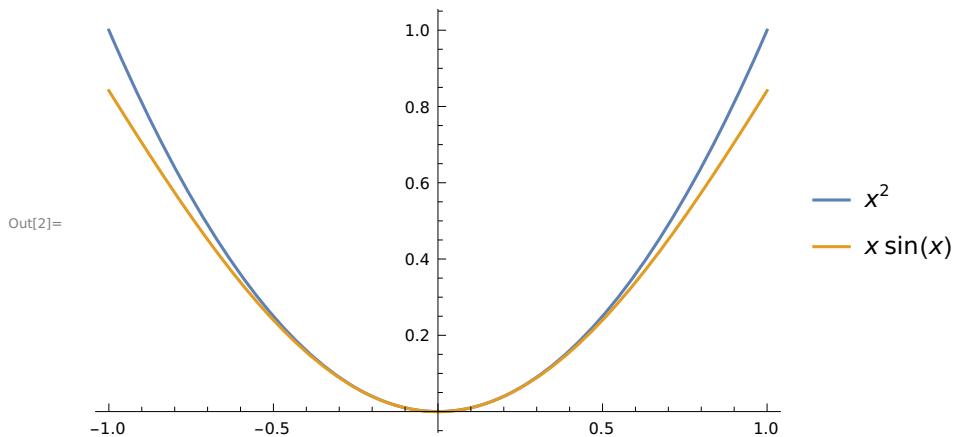
## EXERCISE 3.8

(1)

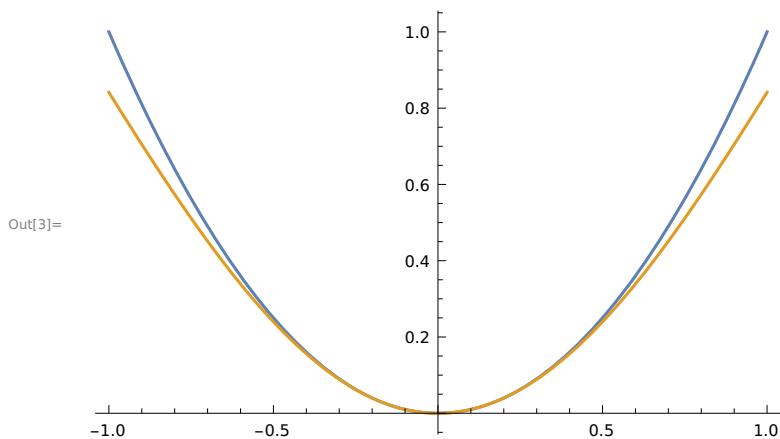
```
In[1]:= Plot[{x^2, x * Sin[x]}, {x, -1, 1}]
```



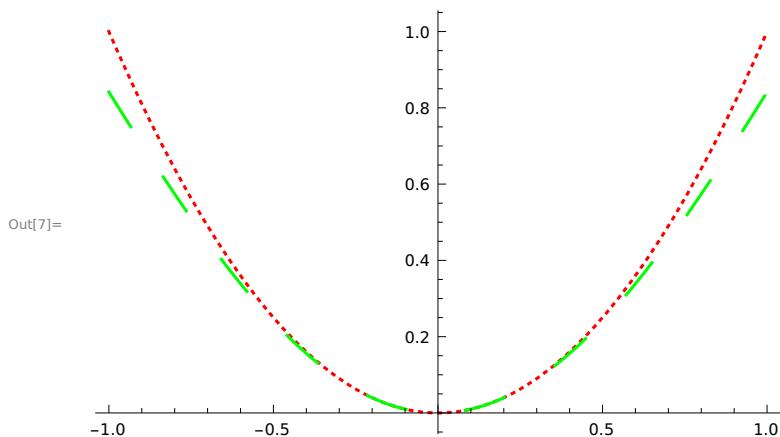
```
In[2]:= Plot[{x^2, x * Sin[x]}, {x, -1, 1}, PlotLegends -> {x^2, x * Sin[x]}]
```



```
In[3]:= Plot[Tooltip[{x^2, x * Sin[x]}], {x, -1, 1}]
```



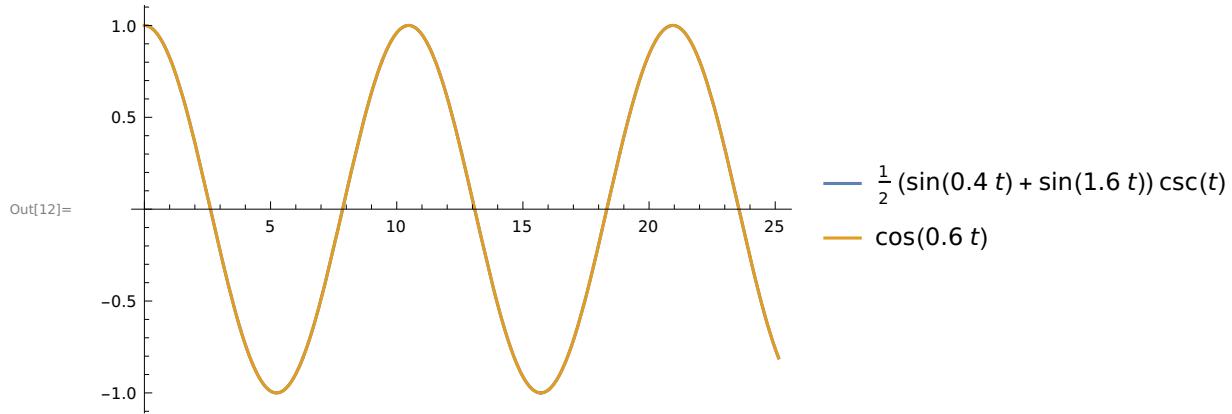
```
In[7]:= Plot[{x^2, x * Sin[x]}, {x, -1, 1},
PlotStyle -> {Directive[Red, Dotted], Directive[Green, Dashing[{0.06, 0.087}]]}]
```



(2)

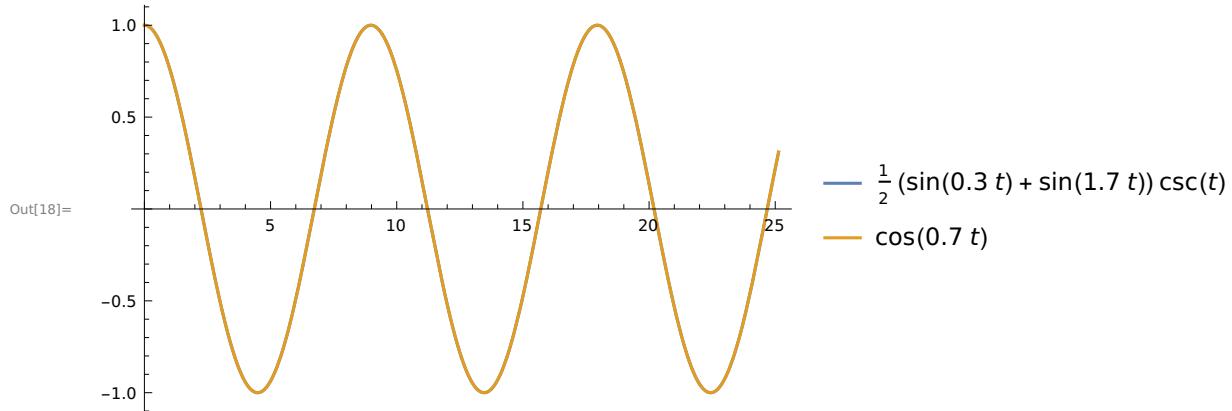
(a)

```
In[12]:= Plot[{(Sin[0.4 t] + Sin[1.6 t])/(2 Sin[t]), Cos[0.6 t]}, {t, 0, 8 \pi},
PlotLegends \rightarrow {(Sin[0.4 t] + Sin[1.6 t])/(2 Sin[t]), Cos[0.6 t]}]
```



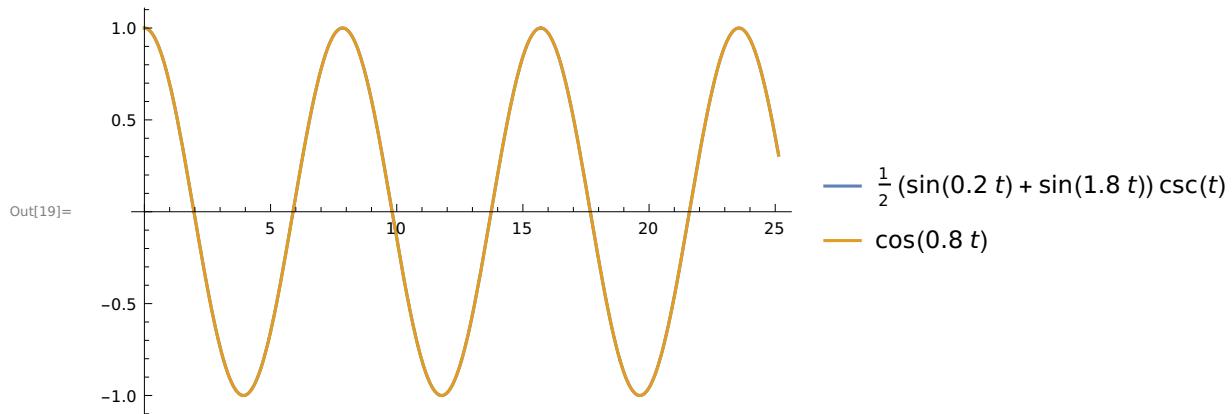
(b)

```
In[18]:= Plot[{(Sin[0.3 t] + Sin[1.7 t])/(2 Sin[t]), Cos[0.7 t]}, {t, 0, 8 \pi},
PlotLegends \rightarrow {(Sin[0.3 t] + Sin[1.7 t])/(2 Sin[t]), Cos[0.7 t]}]
```



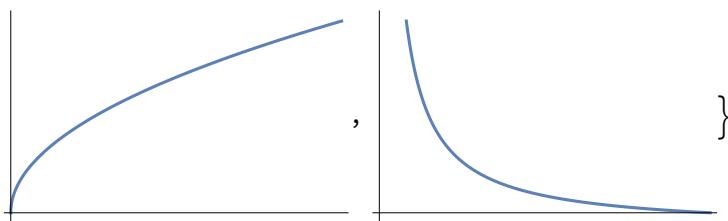
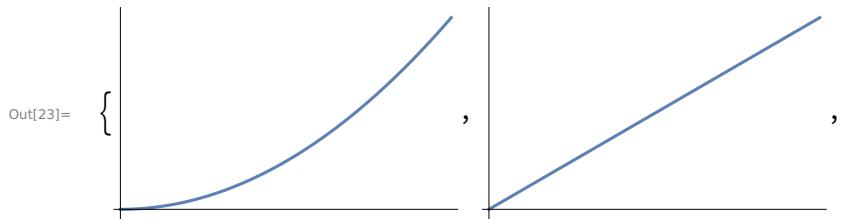
(c)

```
In[19]:= Plot[{(Sin[0.2 t] + Sin[1.8 t])/(2 Sin[t]), Cos[0.8 t]}, {t, 0, 8 \pi},
PlotLegends \rightarrow {(Sin[0.2 t] + Sin[1.8 t])/(2 Sin[t]), Cos[0.8 t]}]
```

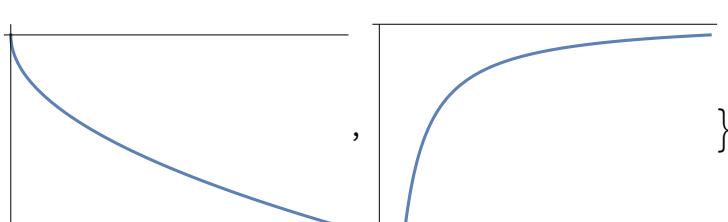
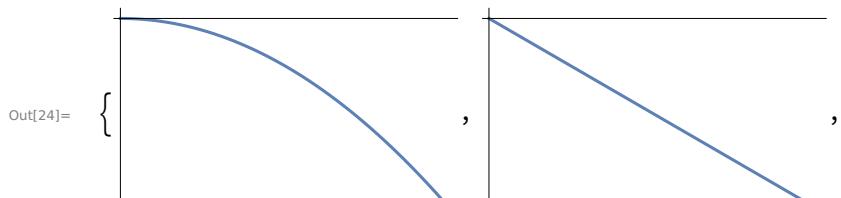


(3)

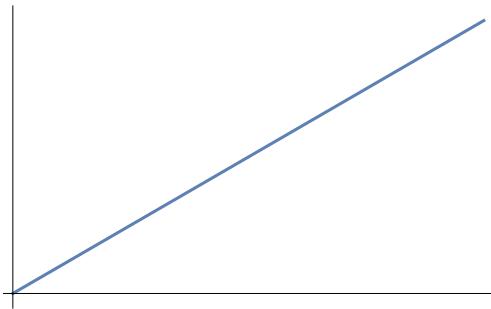
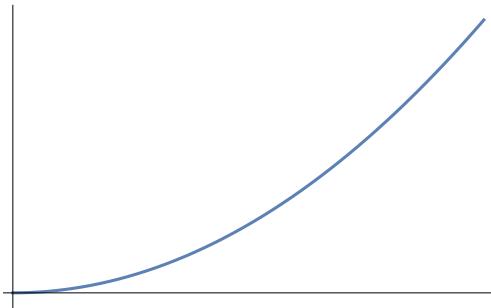
```
In[23]:= x = Table[Plot[x^n, {x, 0, 4}, Ticks → None], {n, {2, 1, 1/2, -1}}]
```



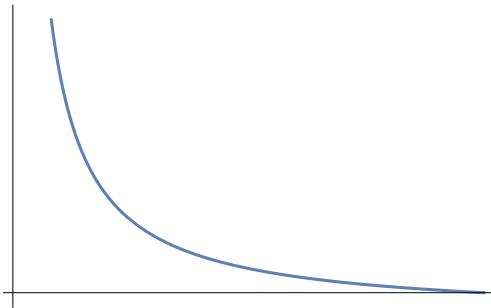
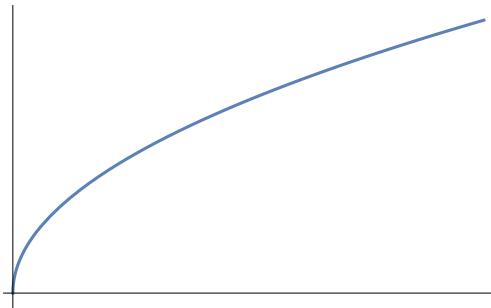
```
In[24]:= y = Table[Plot[-x^n, {x, 0, 4}, Ticks → None], {n, {2, 1, 1/2, -1}}]
```



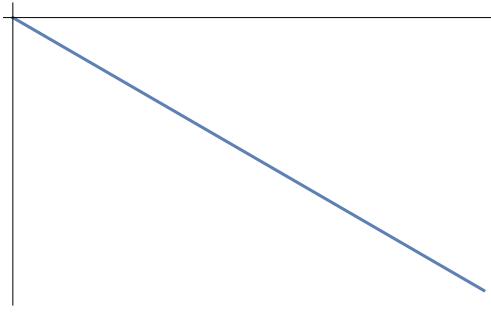
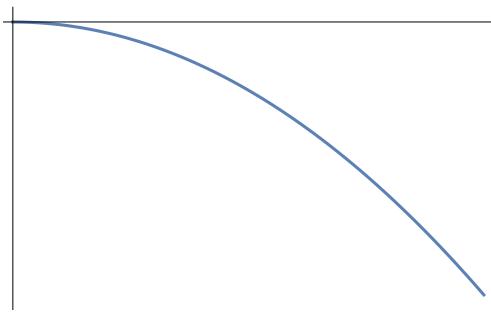
```
In[25]:= l = GraphicsColumn[x, Frame -> None]
```



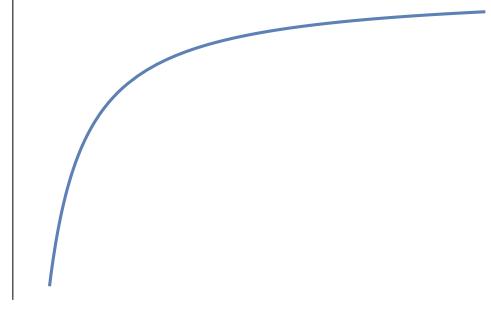
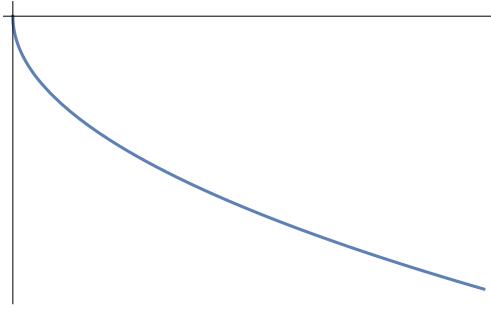
```
Out[25]=
```



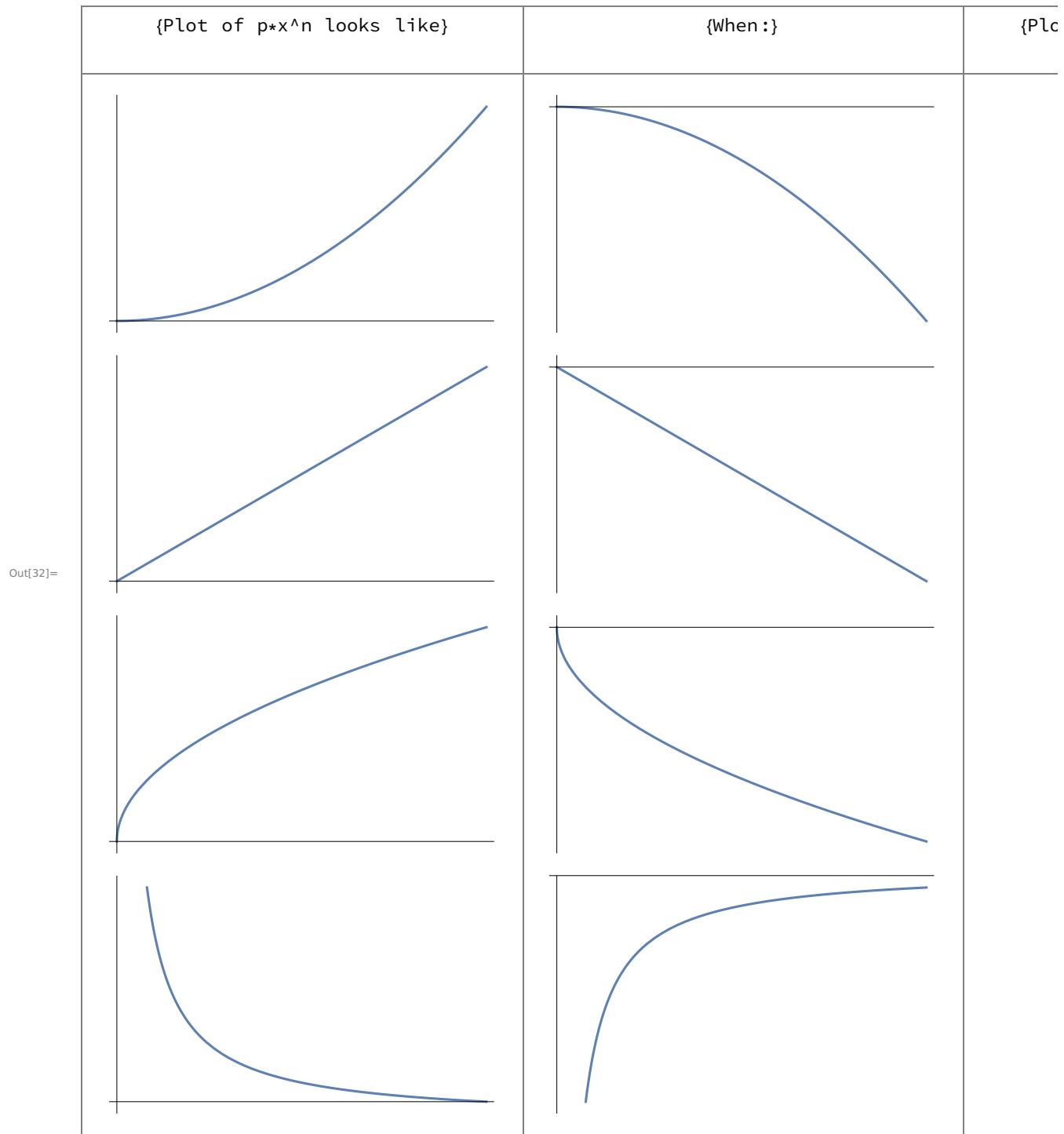
In[26]:= **m = GraphicsColumn [y, Frame → None]**



Out[26]=



```
In[32]:= Grid[Prepend[{{l, m}},  
 {"Plot of p*x^n looks like", {"When:"}, {"Plot of -p*x^n looks like"}, {"When:"}},  
 Dividers -> {{Gray, Gray, Gray}, {Gray, Gray, Gray}}]
```





```
In[3]:= Grid[Prepend[{GraphicsColumn [Plot[3 x^2, 1, 1/2, -2][[i]], {x, 0, 4},
  PlotStyle → {Directive[Green, Dashed], Directive[Blue, Dotted],
  Directive[Red, Thick, Dashing[{0.002, 0.01}]], Directive[Pink, Thick]}[[i]],
  {i, 1, 4}], Frame → All], GraphicsColumn [Plot[-3 x^2, 1, 1/2, -2][[i]],
  {x, 0, 4}, PlotStyle → {Directive[Green, Dashed], Directive[Blue, Dotted],
  Directive[Red, Thick, Dashing[{0.002, 0.01}]], Directive[Pink, Thick]}[[i]],
  {i, 1, 4}], Frame → All]}, {"Plot for:3x^n", "Plot for -3x^n"}],
Dividers → {{False, Thick, False}, {Thick, Thick}}]
```

**Plot** : Options expected (instead of {i, 1, 4}) beyond position 2 in

$\text{Plot}\left[3 x^{\left\{2, \frac{1}{2}, -2\right\}[[i]}], \{x, 0, 4\}, \text{PlotStyle} \rightarrow \{\text{Directive}[\text{Green}, \text{Dashed}], \text{Directive}[\text{Blue}, \text{Dotted}], \text{Directive}[\text{Red}, \text{Thick}, \text{Dashing}[\{0.002, 0.01}\}], \text{Directive}[\text{Pink}, \text{Thick}]\}[[i]], \{i, 1, 4\}\right]$ . An option

must be a rule or a list of rules.

**Plot** : Options expected (instead of {{i, 1, 4}}) beyond position 2 in

$\text{Plot}\left[\left\{3 x^{\left\{2, 1, 1 \text{Power}[\ll 2\gg], -2\right\}[[i]}}, \{\{x, 0, 4\}, \{\text{PlotStyle} \rightarrow \{\text{Directive}[\text{Green}, \text{Dashed}], \text{Directive}[\text{Blue}, \text{Dotted}],
\text{Directive}[\text{Red}, \text{Thick}, \text{Dashing}[\{\ll 2\gg}\]], \text{Directive}[\text{Pink}, \text{Thick}]\}[[i]], \{i, 1, 4\}\}\right]$ .

An option must be a rule or a list of rules.

**GraphicsGrid** :

$\text{Plot}\left[\left\{3 x^{\left\{2, 1, 1 \text{Power}[\ll 2\gg], -2\right\}[[i]}}, \{\{x, 0, 4\}, \{\text{PlotStyle} \rightarrow \{\text{Directive}[\text{Green}, \text{Dashed}], \text{Directive}[\text{Blue}, \text{Dotted}], \text{Directive}[\text{Red}, \text{Thick}, \text{Dashing}[\{\ll 2\gg}\]], \text{Directive}[\text{Pink}, \text{Thick}]\}[[i]], \{i, 1, 4\}\}\right]$  is not a list of lists.

**Plot** : Options expected (instead of {i, 1, 4}) beyond position 2 in

$\text{Plot}\left[-3 x^{\left\{2, \frac{1}{2}, -2\right\}[[i]}], \{x, 0, 4\}, \text{PlotStyle} \rightarrow \{\text{Directive}[\text{Green}, \text{Dashed}], \text{Directive}[\text{Blue}, \text{Dotted}], \text{Directive}[\text{Red}, \text{Thick}, \text{Dashing}[\{0.002, 0.01}\]], \text{Directive}[\text{Pink}, \text{Thick}]\}[[i]], \{i, 1, 4\}\right]$ . An option

must be a rule or a list of rules.

**General** : Further output of Plot::nonopt will be suppressed during this calculation.

**GraphicsGrid** :

$\text{Plot}\left[\left\{-3 x^{\left\{2, 1, 1 \text{Power}[\ll 2\gg], -2\right\}[[i]}}, \{\{x, 0, 4\}, \{\text{PlotStyle} \rightarrow \{\text{Directive}[\text{Green}, \text{Dashed}], \text{Directive}[\text{Blue}, \text{Dotted}], \text{Directive}[\text{Red}, \text{Thick}, \text{Dashing}[\{\ll 2\gg}\]], \text{Directive}[\text{Pink}, \text{Thick}]\}[[i]], \{i, 1, 4\}\}\right]$  is not a list of lists.

```
Out[3]= Grid[{{"Plot for:3x^n", "Plot for -3x^n"}, GraphicsGrid[Plot[3 x^2, 1, 1/2, -2][[i]], {x, 0, 4}, {PlotStyle → {Directive[Green, Dashed], Directive[Blue, Dotted], Directive[Red, Thick, Dashing[{0.002, 0.01}]], Directive[Pink, Thick]}[[i]], {i, 1, 4}}], Frame → All, MessagesHead → GraphicsColumn], GraphicsGrid[Plot[-3 x^2, 1, 1/2, -2][[i]], {x, 0, 4}, {PlotStyle → {Directive[Green, Dashed], Directive[Blue, Dotted], Directive[Red, Thick, Dashing[{0.002, 0.01}]], Directive[Pink, Thick]}[[i]], {i, 1, 4}}], Frame → All, MessagesHead → GraphicsColumn]}], Dividers → {{False, Thickness[Large], False}, {Thickness[Large], Thickness[Large]}}]
```

```
In[4]:= GraphicsColumn[Plot[3 x^{\{-2, 1, 1/2, 2\}}[[i]], {x, 0, 4},
  PlotStyle -> {Directive[Green, Dashed], Directive[Blue, Dotted],
    Directive[Red, Thick, Dashing[\{0.002, 0.01\}]], Directive[Pink, Thick]}[[i]], {i, 1, 4}]]

Plot : Options expected (instead of {i, 1, 4}) beyond position 2 in
Plot[3 x^{\{-2, 1, \frac{1}{2}, 2\}}[[i]], {x, 0, 4}, PlotStyle -> {Directive[Green, Dashed], Directive[Blue, Dotted], Directive[Red,
  Thick, Dashing[\{0.002, 0.01\}]], Directive[Pink, Thick]}[[i]], {i, 1, 4}]. An option
must be a rule or a list of rules.

Plot : Options expected (instead of {{i, 1, 4}}) beyond position 2 in
Plot[{{3 x^{\{-2, 1, 1 Power[\[LeftDoubleBracket]2\[RightDoubleBracket], 2]\}}[[i]]}, {{x, 0, 4}}, {PlotStyle -> {Directive[Green, Dashed], Directive[Blue, Dotted],
  Directive[Red, Thick, Dashing[\{\[LeftDoubleBracket]2\[RightDoubleBracket]\}]], Directive[Pink, Thick]}[[i]]}, {{i, 1, 4}}}]. An option
must be a rule or a list of rules.

GraphicsGrid :
Plot[{{3 x^{\{-2, 1, 1 Power[\[LeftDoubleBracket]2\[RightDoubleBracket], 2]\}}[[i]]}, {{x, 0, 4}}, {PlotStyle -> {Directive[Green, Dashed], Directive[Blue, Dotted], Directive[Red, Thick, Dashing[\{\[LeftDoubleBracket]2\[RightDoubleBracket]\}]], Directive[Pink, Thick]}[[i]]}, {{i, 1, 4}}}] is not
a list of lists.

Out[4]= GraphicsGrid[Plot[{{3 x^{\{-2, 1, \frac{1}{2}, 2\}}[[i]]}, {{x, 0, 4}}, {PlotStyle -> {Directive[Green, Dashed], Directive[Blue, Dotted],
  Directive[Red, Thick, Dashing[\{0.002, 0.01\}]], Directive[Pink, Thick]}[[i]]}, {{i, 1, 4}}}], MessagesHead -> GraphicsColumn]

In[2]:= x = GraphicsGrid[Plot[3 x^{\{2, 1, 1/2, -2\}}[[i]], {x, 0, 4},
  PlotStyle -> {Blue, Red, Green, Pink}[[i]], {i, 1, 4}], Frame -> All]

Plot : Options expected (instead of {i, 1, 4}) beyond position 2 in
Plot[3 x^{\{2, 1, \frac{1}{2}, -2\}}[[i]], {x, 0, 4}, PlotStyle -> {Blue, Red, Green, Pink}[[i]], {i, 1, 4}]. An option must be a rule or a list
of rules.

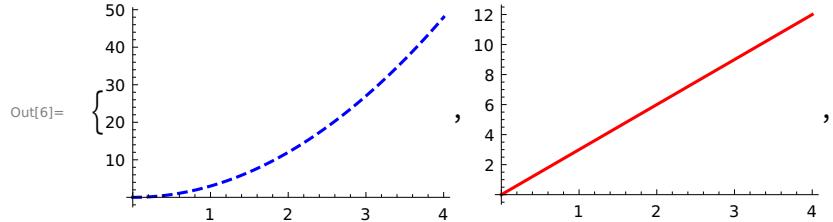
GraphicsGrid : Plot[3 x^{\{2, 1, \frac{1}{2}, -2\}}[[i]], {x, 0, 4}, PlotStyle -> {Blue, Red, Green, Pink}[[i]], {i, 1, 4}] is not a list of lists.

Plot : Options expected (instead of {i, 1, 4}) beyond position 2 in
Plot[3 x^{\{2, 1, \frac{1}{2}, -2\}}[[i]], {x, 0, 4}, PlotStyle -> {Blue, Red, Green, Pink}[[i]], {i, 1, 4}]. An option must be a rule or a list
of rules.

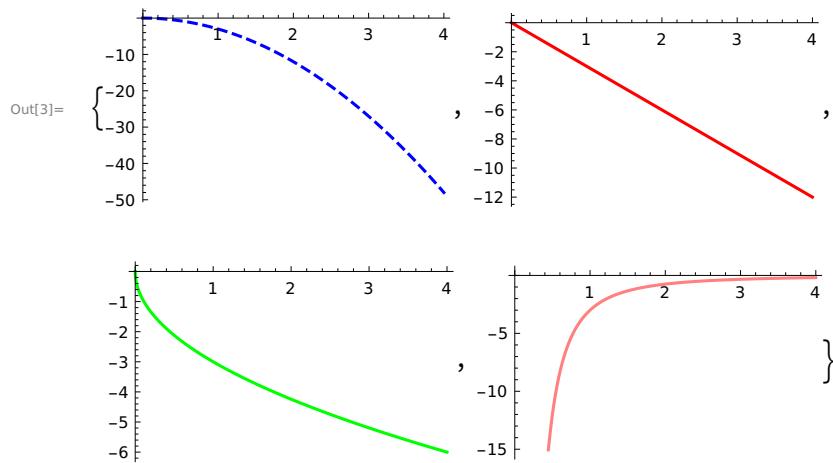
GraphicsGrid : Plot[3 x^{\{2, 1, \frac{1}{2}, -2\}}[[i]], {x, 0, 4}, PlotStyle -> {Blue, Red, Green, Pink}[[i]], {i, 1, 4}] is not a list of lists.

Out[2]= GraphicsGrid[Plot[3 x^{\{2, 1, \frac{1}{2}, -2\}}[[i]], {x, 0, 4},
  PlotStyle -> {Blue, Red, Green, Pink}[[i]], {i, 1, 4}], Frame -> All]
```

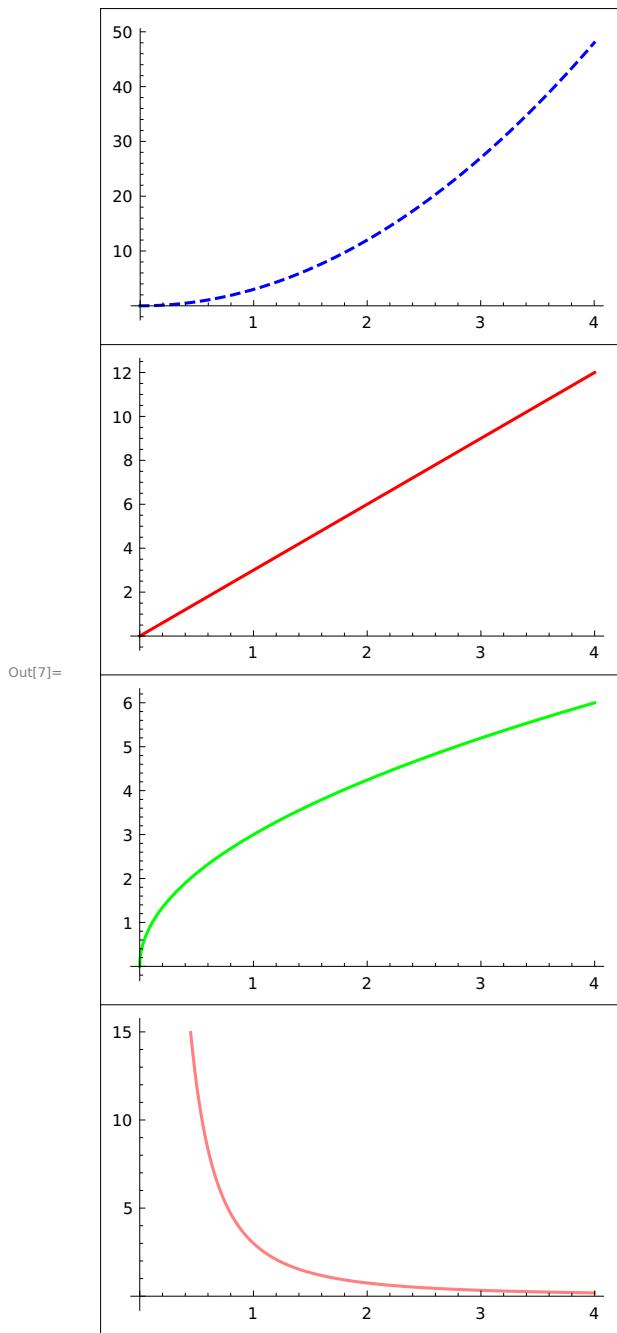
```
In[6]:= x = Table[Plot[3 x^2, 1, 1/2, -2][[i]], {x, 0, 4},
  PlotStyle -> {Directive[Blue, Dashed], Red, Green, Pink}[[i]]], {i, 1, 4}]
```



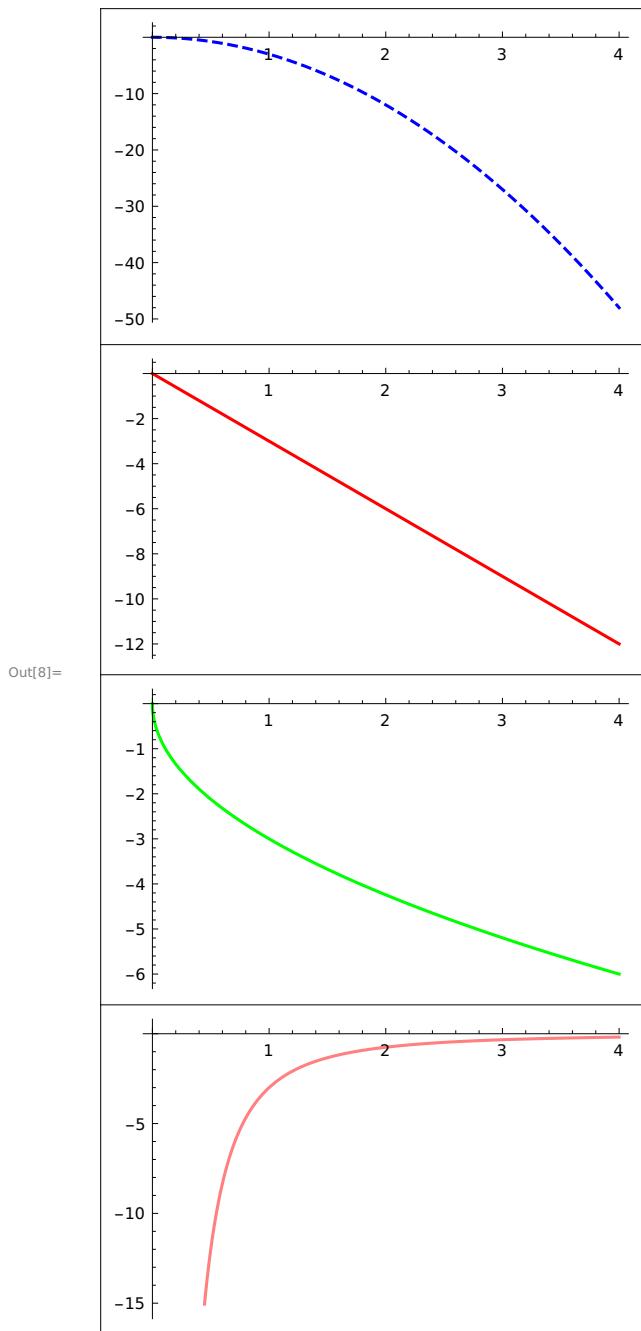
```
In[3]:= y = Table[Plot[-3 x^2, 1, 1/2, -2][[i]], {x, 0, 4},
  PlotStyle -> {Directive[Blue, Dashed], Red, Green, Pink}[[i]]], {i, 1, 4}]
```



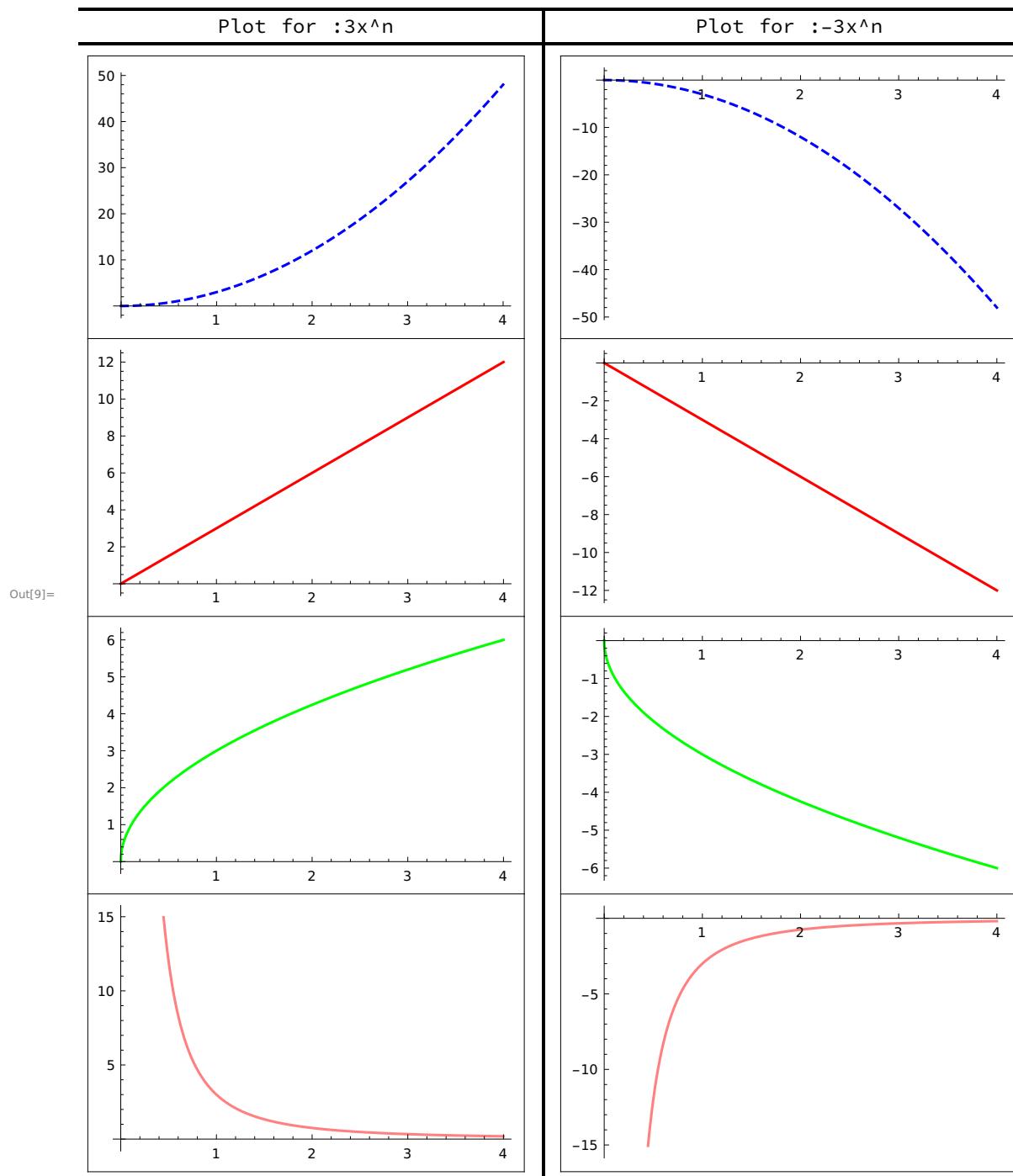
In[7]:= **m = GraphicsColumn [x, Frame → All]**



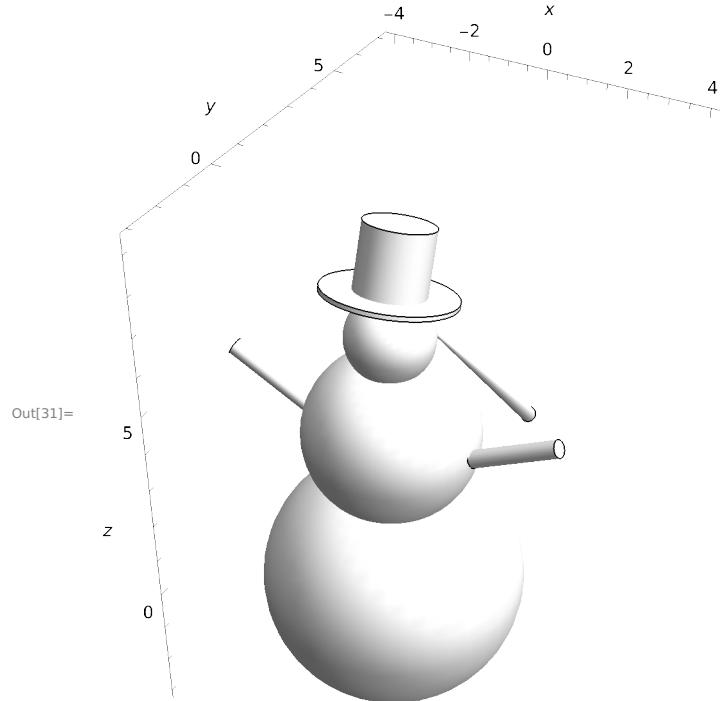
```
In[8]:= n = GraphicsColumn[y, Frame -> All]
```



```
In[9]:= Grid[Prepend[{{m, n}}, {"Plot for :3x^n", "Plot for :-3x^n"}],  
Dividers -> {{False, Thick, False}, {Thick, Thick}}]
```

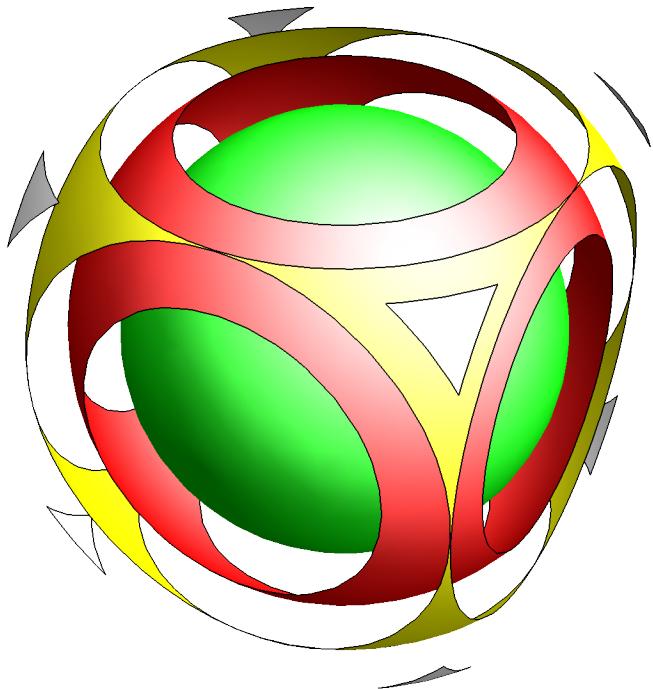


```
In[31]:= Graphics3D[{Sphere[{0, 0, 0}, 3], Sphere[{0, 0, 4}, 2], Sphere[{0, 0, 6.5}, 1],  
Cone[{{0, 7, 0}, {0, 1, 6.5}}, 0.2], Cylinder[{{0, 0, 7.5}, {0, 0.5, 9}}, 0.8],  
Cylinder[{{0, 0, 7.5}, {0, 0.03, 7.6}}, 1.5], Cylinder[{{2, 0, 4}, {4, 0, 5}}, 0.2],  
Cylinder[{{-2, 0, 4}, {-4, 0, 5}}, 0.2]}, Boxed → False,  
Lighting → "Neutral", Axes → True, AxesLabel → {x, y, z}, Ticks → All]
```



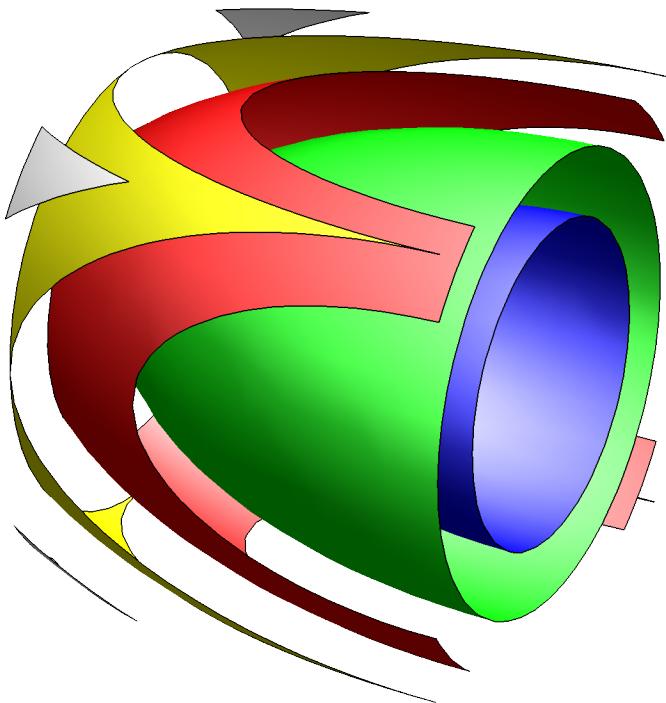
```
In[5]:= x = ContourPlot3D[x^2 + y^2 + z^2, {x, -2, 2}, {y, -2, 2},  
{z, -2, 2}, Mesh → None, Boxed → False, Axes → False, Contours → 5,  
ContourStyle → {Blue, Green, Red, Yellow, White}, Lighting → "Neutral"]
```

Out[5]=



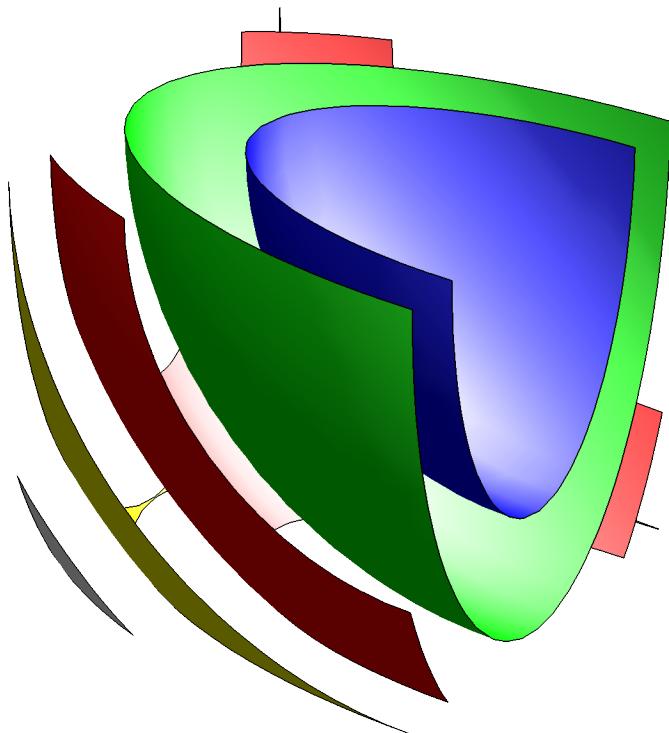
```
In[30]:= y = ContourPlot3D [x^2 + y^2 + z^2, {x, -2, 2},  
{y, -2, 0}, {z, -2, 2}, Mesh → None, Boxed → False, Axes → False,  
Contours → 5, ContourStyle → {Blue, Green, Red, Yellow, White},  
Lighting → "Neutral", ViewPoint → {9, 5, 5}]
```

Out[30]=



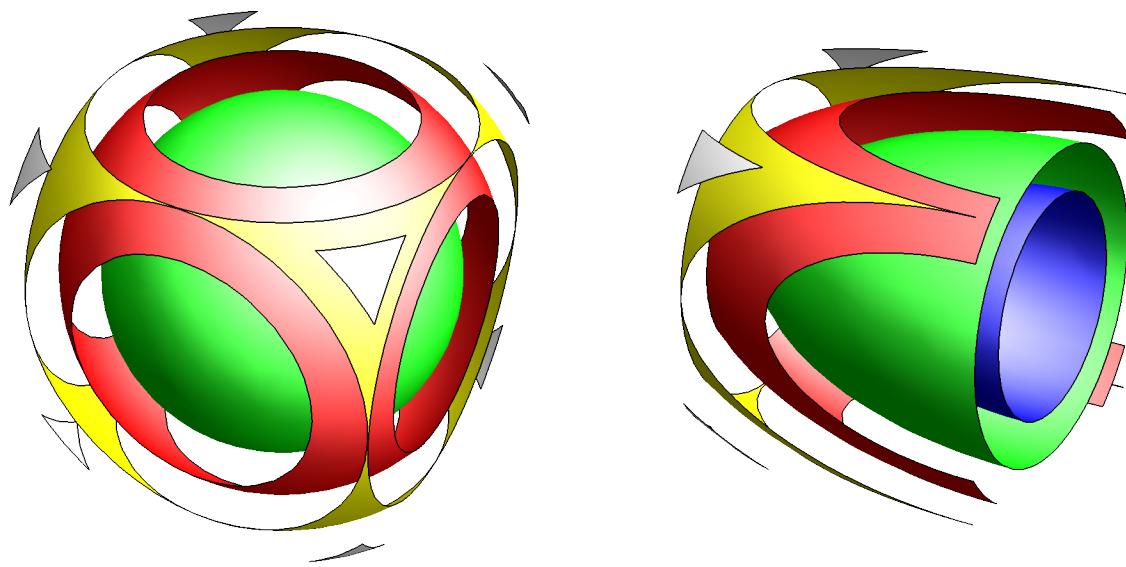
```
In[25]:= z = ContourPlot3D [x^2 + y^2 + z^2, {x, -2, 2},  
{y, -2, 0}, {z, -2, 0}, Mesh → None, Boxed → False, Axes → False,  
Contours → 5, ContourStyle → {Blue, Green, Red, Yellow, White},  
Lighting → "Neutral", ViewPoint → {9, 6, 6}]
```

Out[25]=



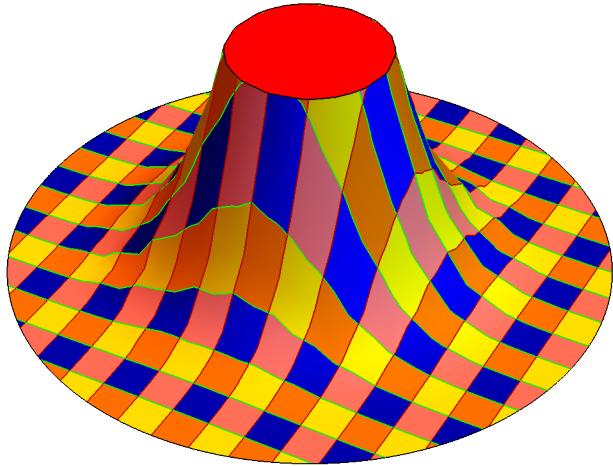
```
In[31]:= GraphicsRow [{x, y, z}, Dividers → None]
```

Out[31]=



```
In[3]:= Plot3D[e^-(x^2 + y^2), {x, -3, 3}, {y, -3, 3}, ClippingStyle -> {Red},
  Boxed -> False, Axes -> False, MeshStyle -> {Darker[Red], Green},
  MeshShading -> {{Orange, Yellow}, {Blue, Pink}},
  RegionFunction -> Function[{x, y, z}, x^2 + y^2 <= 9], MaxRecursion -> 9]
```

Out[3]=



```
Plot3D[{x^2 + y^2, -x^2 - y^2}, {x, -2, 2}, {y, -2, 2},
RegionFunction -> Function[{x, y, z}, x^2 + y^2 <= 4],
BoxRatios -> Automatic]

Plot3D[e^-(x^2 + y^2), {x, -3, 3}, {y, -3, 3}, ClippingStyle -> {Red},
  Boxed -> False, Axes -> False, MeshStyle -> {Darker[Red], Green},
  MeshShading -> {{Orange, Yellow}, {Blue, Pink}},
  RegionFunction -> Function[{x, y, z}, x^2 + y^2 <= 4], MaxRecursion -> 9]
```