

| Question Number | Answer | Mark |
|----------------------|--|------|
| 2(a)(i) | <p>Substitution using $T = \frac{2\pi}{\omega}$ (1)</p> <p>Clear algebra leading to relationship (1)</p> <p>Example of derivation</p> $T = \frac{2\pi}{\omega} \Rightarrow \omega = \frac{2\pi}{T} \Rightarrow \omega^2 = \frac{4\pi^2}{T^2}$ $Mg = m\omega^2 = m\frac{4\pi^2}{T^2}$ $\therefore T^2 = \frac{4\pi^2 m}{Mg}$ | 2 |
| 2(a)(ii) | <p>1 Use a timing marker (to mark the start and end of a rotation) (1)</p> <p>2 Start timing after a few rotations (1)</p> <p>3 Time a number of rotations and divide by the number of rotations Or Repeat the measurement of T and calculate a mean (1)</p> <p>4 (Vary M to) obtain at least 5 sets of measurements (1)</p> <p>5 Keep x constant (for each value of M) (1)</p> <p>6 Plot a graph of T^2 against $\frac{1}{M}$ to check it is a straight line Or Plot a graph of T^2 against $\frac{1}{M}$ to check the gradient is constant (1)</p> <p>Accept alternative graphs: T against $\sqrt{\frac{1}{M}}$ or $\log T$ against $\log M$ or variations with correct use of constants</p> | 6 |
| 2(b) | <p>Any TWO from</p> <p>The video recording will help to judge when a rotation is complete (1)</p> <p>The video recording can be used to view the motion more slowly (1)</p> <p>The time for a rotation will be long so any improvement will be small (1)</p> | 2 |
| Total for question 2 | | 10 |