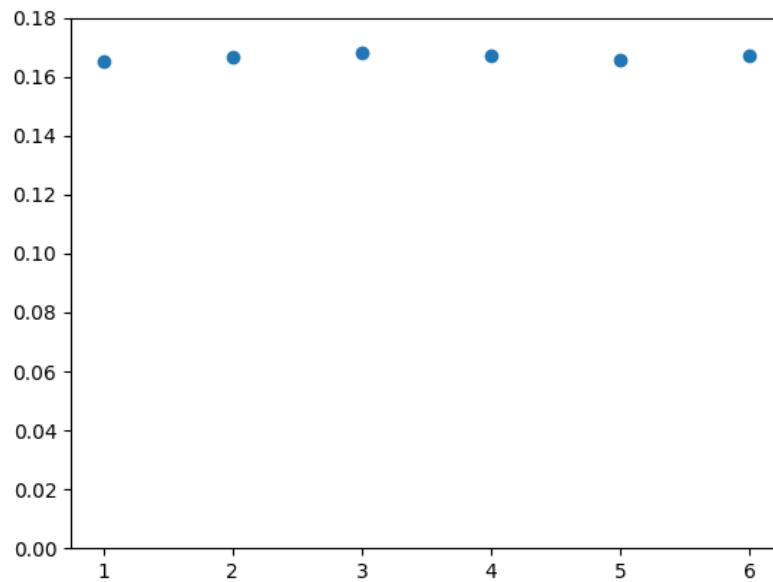


Assignment -2

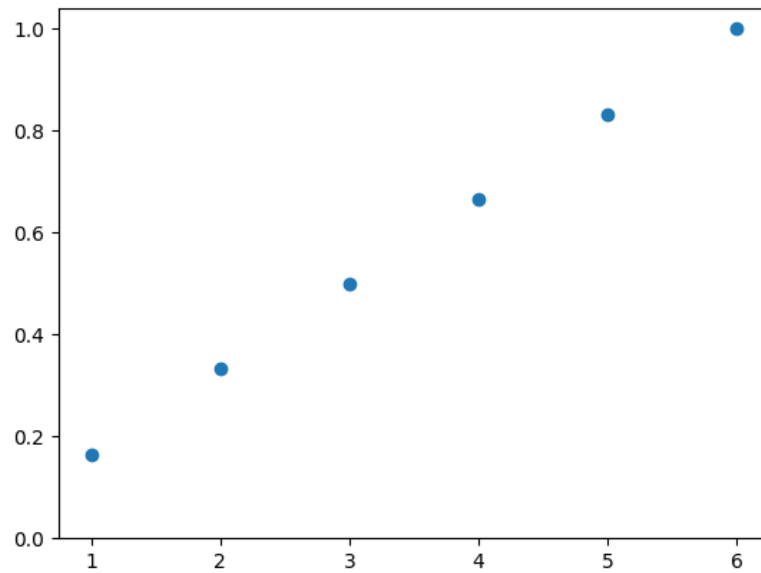
I did the assignment in Mathematica but the ASU Citrix receiver is not responding and as a result I have lost my Mathematica notebook. So in quick response I did the whole assignment in Mathematica. Sorry for the trouble, it was beyond my control.

Q1- Fair dice roll.

Probability of getting any number in a fair dice roll is same which is also reflected in the graph. Also we expect the CDF to be 1 as well and we obtained the same result. Hence our simulation was successful.



- ##### Probability of getting 1,2 ... 6 in a dice roll can be found in di-

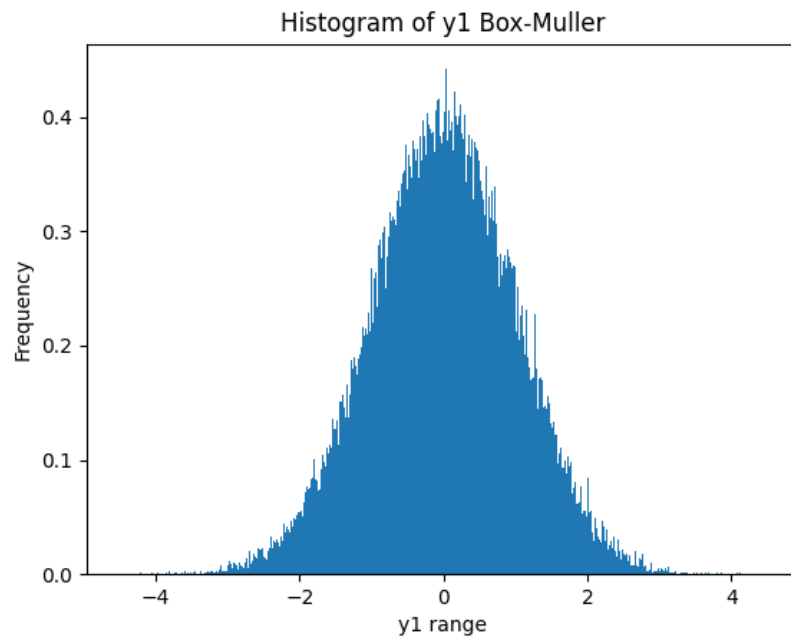


ceProb.png

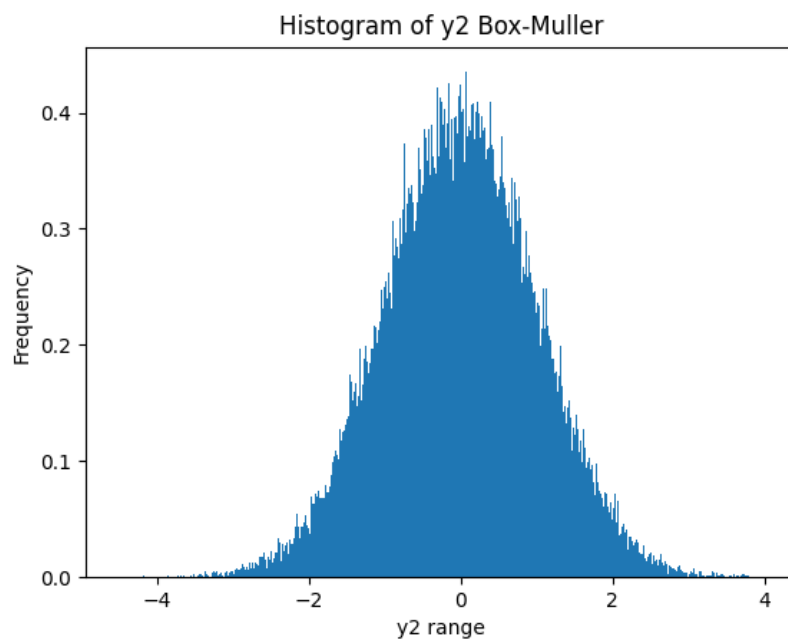
- ##### CDF of the dice roll can be found in diceCDF.png

Q2 - Box-Muller Algorithm:

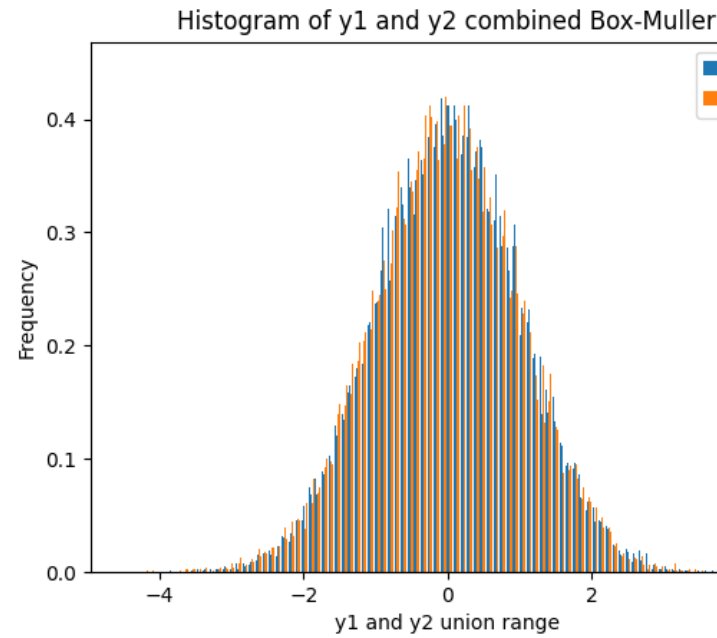
As can be seen from the histogram plot the mean is around 0 and almost 95.5% of the area is within 2 to -2 representing 2 sigma width. Within 3 to -3 equivalent to 3 sigma the whole graph is present. Hence our code is giving correct results.



- ##### The plot of the 1st sequence generated using Box-Muller is in y1.png



file.



- ##### 2nd sequence plot is in y2.png file.
- ##### Both plotted together in y-combined.png file.

Q3 - Mass Action formula:

Solving the ODE in mathematica obtained the result

$$y(t) = b/a + c1*\exp(-dt)$$

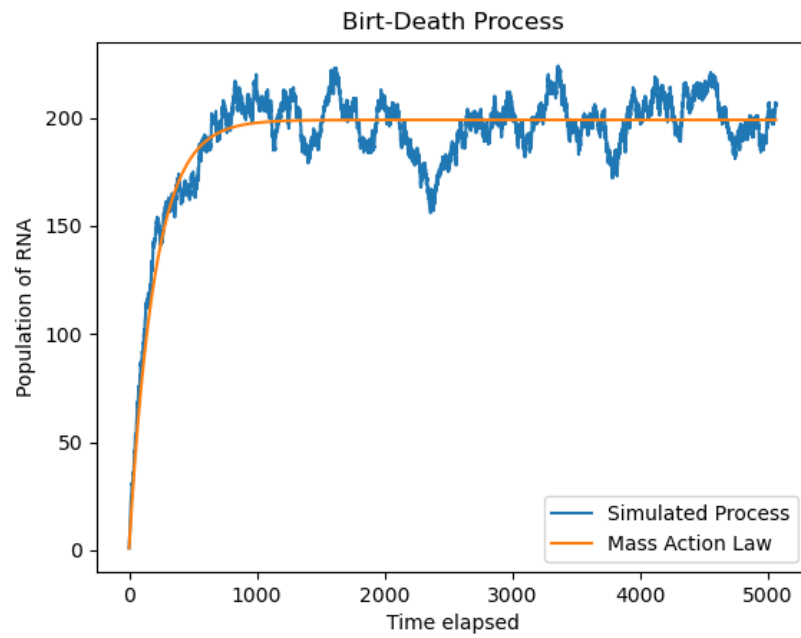
Using the initial condition $y(0)=1$, obtained

$$c1 = 1-b/a$$

Therefore the final equation is

$$y(t) = b/a + (1-b/a)*\exp(-dt)$$

Here in the above equations b = birth rate and d = death rate.



- ##### The plot is in plot.png