

## WEEK7

```
import re
```

```
def negate(term):
```

```
    return f'~{term}' if term[0] != '~' else term[1]
```

```
def reverse(clause):
```

```
    if len(clause) > 2:
```

```
        t = split_terms(clause)
```

```
        return f'{t[1]}v{t[0]}'
```

```
    return ""
```

```
def split_terms(rule):
```

```
    exp = '(~*[PQRS])'
```

```
    terms = re.findall(exp, rule)
```

```
    return terms
```

```
def contradiction(query, clause):
```

```
    contradictions = [ f'{query}v{negate(query)}', f'{negate(query)}v{query}']
```

```
    return clause in contradictions or reverse(clause) in contradictions
```

```
def resolve(kb, query):
```

```
    temp = kb.copy()
```

```
    temp += [negate(query)]
```

```
    steps = dict()
```

```
    for rule in temp:
```

```
        steps[rule] = 'Given.'
```

```
    steps[negate(query)] = 'Negated conclusion.'
```

```
    i = 0
```

```
    while i < len(temp):
```

```
        n = len(temp)
```

```
        j = (i + 1) % n
```

```
        clauses = []
```

```

while j != i:
    terms1 = split_terms(temp[i])
    terms2 = split_terms(temp[j])
    for c in terms1:
        if negate(c) in terms2:
            t1 = [t for t in terms1 if t != c]
            t2 = [t for t in terms2 if t != negate(c)]
            gen = t1 + t2
            if len(gen) == 2:
                if gen[0] != negate(gen[1]):
                    clauses += [f'{gen[0]}v{gen[1]}']
                else:
                    if contradiction(query, f'{gen[0]}v{gen[1]}'):
                        temp.append(f'{gen[0]}v{gen[1]}')
                        steps[""] = f"Resolved {temp[i]} and {temp[j]} to {temp[-1]}, which is in turn
null. \
\nA contradiction is found when {negate(query)} is assumed as true.
Hence, {query} is true."
                    return steps
            elif len(gen) == 1:
                clauses += [f'{gen[0]}']
            else:
                if contradiction(query, f'{terms1[0]}v{terms2[0]}'):
                    temp.append(f'{terms1[0]}v{terms2[0]}')
                    steps[""] = f"Resolved {temp[i]} and {temp[j]} to {temp[-1]}, which is in turn
null. \
\nA contradiction is found when {negate(query)} is assumed as true. Hence,
{query} is true."
                return steps
    for clause in clauses:
        if clause not in temp and clause != reverse(clause) and reverse(clause) not in temp:

```

```

        temp.append(clause)

        steps[clause] = f'Resolved from {temp[i]} and {temp[j]}.'

        j = (j + 1) % n

        i += 1

    return steps

def resolution(kb, query):

    kb = kb.split(' ')

    steps = resolve(kb, query)

    print('\nStep\t| Clause\t| Derivation\t')

    print('-' * 30)

    i = 1

    for step in steps:

        print(f'{i}.\t| {step}\t| {steps[step]}\t')

        i += 1

def main():

    print("Enter the kb:")

    kb = input()

    print("Enter the query:")

    query = input()

    resolution(kb, query)

#test 1

#(P^Q)<=>R : (Rv~P)v(Rv~Q)^(~RvP)^(~RvQ)

main()

#test 2

#(P=>Q)=>Q, (P=>P)=>R, (R=>S)=>~(S=>Q)

main()

```

-- RESOLVER: C:/Users/np/AppData/Local/Programs/Python/Python310/Python.exe

Enter the kb:

$\sim PVQ$   $PVR$   $\sim RVS$   $RV\sim Q$   $SV\sim Q$

Enter the query:

$R$

Step	Clause	Derivation
1.	$\sim PVQ$	Given.
2.	$PVR$	Given.
3.	$\sim RVS$	Given.
4.	$RV\sim Q$	Given.
5.	$SV\sim Q$	Given.
6.	$\sim R$	Negated conclusion.
7.	$QvR$	Resolved from $\sim PVQ$ and $PVR$ .
8.	$\sim PvR$	Resolved from $\sim PVQ$ and $RV\sim Q$ .
9.	$\sim PvS$	Resolved from $\sim PVQ$ and $SV\sim Q$ .
10.	$PvS$	Resolved from $PVR$ and $\sim RVS$ .
11.	$P$	Resolved from $PVR$ and $\sim R$ .
12.	$RvS$	Resolved from $PVR$ and $\sim PvS$ .
13.	$SV\sim Q$	Resolved from $\sim RVS$ and $RV\sim Q$ .
14.	$SvQ$	Resolved from $\sim RVS$ and $QvR$ .
15.	$\sim Q$	Resolved from $RV\sim Q$ and $\sim R$ .
16.	$Q$	Resolved from $\sim R$ and $QvR$ .
17.	$\sim P$	Resolved from $\sim R$ and $\sim PvR$ .
18.	$S$	Resolved from $\sim R$ and $RvS$ .
19.	$R$	Resolved from $QvR$ and $\sim Q$ .
20.		Resolved $R$ and $\sim R$ to $Rv\sim R$ , which is in turn null.

A contradiction is found when  $\sim R$  is assumed as true. Hence,  $R$  is true.