--- Cheybesev Method ---

1.quadratic.c

$$f(x) = x^2 + 5x + 2$$

Input: guess = 4

Ouput: root = -0.438447

Input: quess = -197

Ouput: root = -4.561553

2.cos.c

$$f(x) = 3x - \cos x - 1$$

Input: guess = 5

Output: root = 0.607102

3.log.c

$$f(x) = x \log x - 1.2$$

Input: guess = 152
Output: root = 2.740569

--- Newton Method ---

1.quadratic.c

$$f(x) = x^2 + 5x + 2$$

Input: guess = 165

Ouput: root = -0.438447

Input: guess = -198

Ouput: root = -4.561553

2.cos.c

$$f(x) = 3x - \cos x - 1$$

Input: guess = 765

Output: root = 0.607102

3.log.c

$$f(x) = x \log x - 1.2$$

Input: guess = 236

Output: root = 2.740649

--- Regula Falsi Method ---

1.quadratic.c

$$f(x) = x^2 + 5x + 2$$

Input: a = -10, b = 10

Ouput: root = -0.438447

Input: a = -7, b = -4

Ouput: root = -4.561553

2.cos.c

 $f(x) = 3x - \cos x - 1$ 

```
Input: a = -10, b = 10
Output: root = 0.607102
3.log.c
f(x) = x \log x - 1.2
Input: a = 998837, b = 13
Output: root = 2.740649
--- Muller Method ---
Input in Muller method is the set of approximates to the root.
1.quadratic.c
f(x) = x^2 + 5x + 2
Input: -1, -3, -4
Ouput: root = -0.438447
Input: 1, 2, 3
Ouput: root = -4.561553
2.cos.c
f(x) = 3x - \cos x - 1
Input: 1, -1, 2
Output: root = 0.607111
3.log.c
f(x) = x \log x - 1.2
```

Input: 2.1, 2.7, 2 Output: root = 2.740649

1.quadratic.c

2.cos.c

3.log.c

--- Secant Method ---

 $f(x) = x^2 + 5x + 2$ 

Input: a = -10, b = 10Ouput: root = -0.438447

Input: a = -7, b = -4Ouput: root = -4.561553

 $f(x) = 3x - \cos x - 1$ 

 $f(x) = x \log x - 1.2$ 

Input: a = -10, b = 10Output: root = 0.607102

Input: a = 98127, b = 1836Output: root = 2.740646