## **DETERMINATION OF SPRING CONSTANT**

<u>**AIM**</u>: To determine spring constant for the material of the given spring and hence to obtain the spring constant in series and parallel combinations by plotting Force – Elongation graph

**APPARATUS:** Given springs, slotted weights, scale

**INTRODUCTION:** Elastic materials are those which retain their original dimensions afer the removal of deforming forces. Application of a force on a spring causes elongation. When subjected to stress, strain is produced. Within the elastic limit, the ratio of stress to strain is a constant known as modulus of elasticity. The restoring force is always directed opposite to displacement. Hence the spring performs Simple Harmonic Motion.

Restoring force  $\alpha$  – displacement

$$F = -k x$$

Here k is the proportionality constant known as spring constant. It is a relative measure of stiffness of the material.

#### **FORMULA**:

1. 
$$k = \frac{F}{\Delta x}$$

2. 
$$k_{parallel} = k_1 + k_2$$

3. 
$$k_{\text{series}} = \frac{k_1 \cdot k_2}{k_1 + k_2}$$

Where

k is the spring constant of the material of the given spring in Nm<sup>-1</sup>

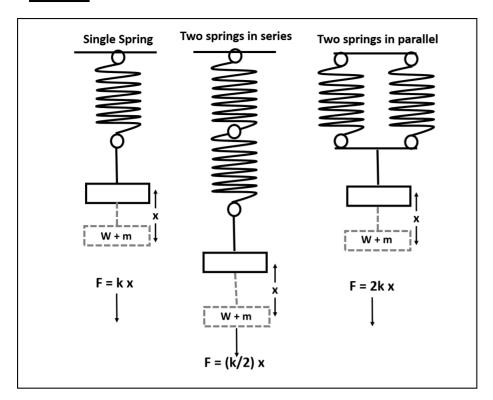
F is the force acting in N

 $\Delta x$  is the elongation produced in the spring in m

 $k_{\text{series}}$  is the spring constant for series combination of  $\ \text{two springs in } \ Nm^{\text{--}1}$ 

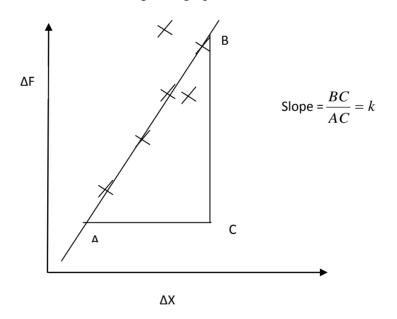
 $k_{parallel}$  is the spring constant for parallel combination of two springs in  $Nm^{-1}$ 

# **FIGURE**:



# **NATURE OF GRAPH:**

Force – Elongation graph



# **TABULAR COLUMN**:

**Table 1: Single Spring** 

Tr.	Weight	F = mg	ΔF(N)	Displacement	Elongation	Spring	Spring
no	m (kg)	(N)		X (cm)	ΔX(cm)	constant $k = \Delta F/\Delta X$ (N/m)	constant from graph k (N/m)
1	0.5						
2	0.6						
3	0.7						
4	0.8						
5	0.9						

Mean k (from calculation) = .....N/m

**Table 2: Series combination of springs** 

Tr.	Weight	F=	$\Delta F(N)$		Elongation	Spring	Spring	K <sub>series</sub>
no	m (kg)	mg (N)		Displacement X (cm)	ΔX(cm)	constant $k$ $=\Delta F/\Delta X$	constant from graph	$= \frac{k_1 \cdot k_2}{k_1 + k_2} = \frac{k}{2}$
						-ΔΓ/ΔΛ (N/m)	(N/m)	
1	0.5							
2	0.6							
3	0.7							
4	0.8							
5	0.9							

Mean k (from calculation) = .....N/m

**Table 3: Parallel combination of springs** 

Tr.	Weight m (kg)	F = mg (N)	ΔF (N)	Displacement X (cm)	Elongation ΔX(cm)	Spring constant $k = \Delta F/\Delta X $ (N/m)	Spring constant from graph (N/m)	$k_{parallel} = k_1 + k_2 = 2k$
1	0.5							
2	0.6							
3	0.7							
4	0.8							
5	0.9							

Mean k (from calculation) = .....N/m

### **PROCEDURE**:

- 1. Connect the given spring to a rigid support.
- 2.Add a slotted load of W=500 gm at the other end. Note down the displacement for W.
- 3. Increase the weight in steps of 100g .Note down the displacement for W+100, W+200 till W+400. Calculate the spring constant using the formula.
- 4. Connect the two springs in series combination and repeat the above activity and calculate knowledge.
- 5. Connect the two springs in parallel combination and repeat the above activity and calculate  $k_{\text{parallel.}}$
- 6. Plot Force versus displacement graph and find slope.

<b>RESULT</b> :	

1. The Spring constant of the given material spring from graph is
theory isN/m
2. The Spring constant of the given material spring from graph for Series combination is
N/m and theory isN/m
3. The Spring constant of the given material spring from graph for Parallel Combination
N/m and theory isN/m