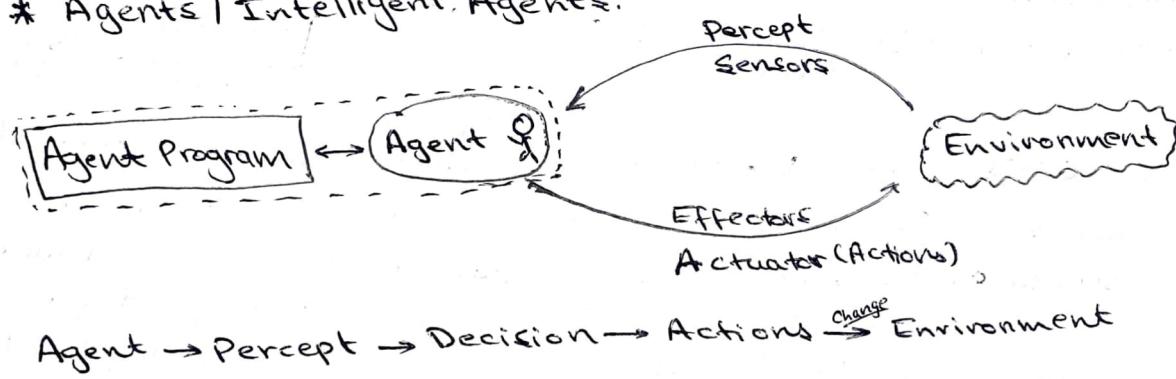


CS401 : Artificial Intelligence:

Syllabus:

- (A*, A⁰, Best First) DFS, BFS, Hill Climbing)
- Approach to AI : Heuristic Search, Game Playing
- Knowledge Representation : Approaches, Predicate Logic, Reasoning
- Planning : Overview, Hierarchical, Goal Stack
- NLP : Syntactic, Semantic
- Multiagent System : Types, Properties
- Fuzzy Sets : Crisp, Fuzzy Set, α -cut, Operations.
- ANN and Genetic Algo : Single, Multilayer, Feed forward, Recurrent, ML

* Agents | Intelligent Agents.



"Goals of Agent" : High Performance
Optimised Result
Rational Action

P → Performance
E → Environment
A → Actions
S → Sensors.

four imp.
factors
to model
an agent

Types of Agents:

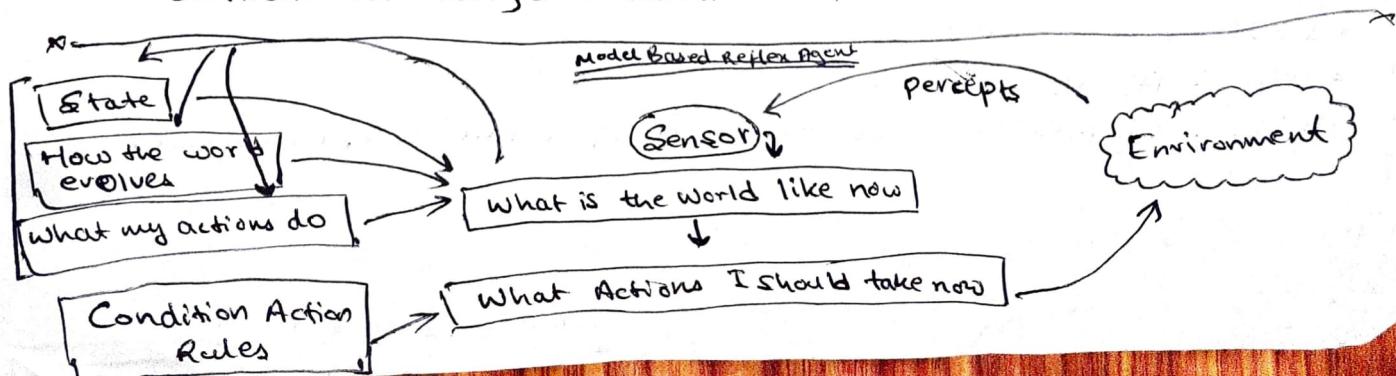
- Simple Reflex
- Model Based
- Goal Based
- Utility Based
- Learning

• Simple Reflex Agents:

- Act only on the basis of current perception
- Ignore the rest of percept history
- Based on if-else Rules.
- Environment : fully observable.

• Model-based Agents:

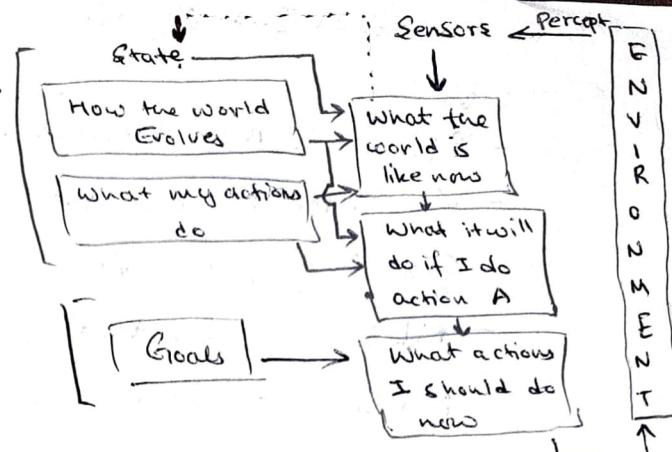
- Environment : Partially Observable
- Store Percept History (Internal Model)



• Goal Based Agents:

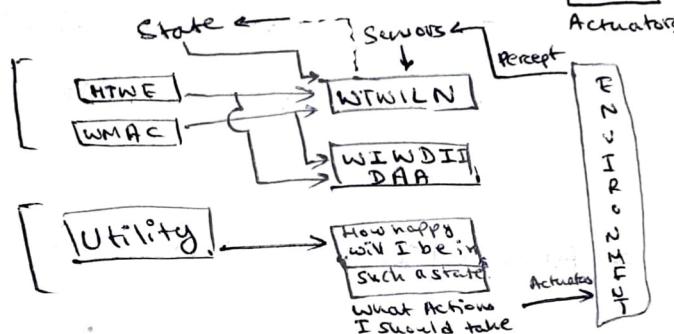
- Expansion of Model Based Reflex Agent.
- Desirable Situation (Goal)
- Searching and Planning.

• Theoretical Model.



• Utility Based Agents:

- focus on utility NOT goal.
- Utility function.
- Deals with Happy and Unhappy State.
- Expansion of Model Based Reflex Agent.



Goal vs Utility: Example: Google Map: final destination is the goal, however,

GPS does not know unexpected accident / traffic scenario. In such cases, new path is determined or should it continue on the same path even if it may delay the travel? Goal based will set new path; but utility based will see if the agent is happy or not; if not happy it will set new path, if happy it will continue on the same set path.

* Artificial Intelligence:

"Can Machines think" :- Alan Turing, 1950

↳ Problem Solving
↳ Reasoning
↳ Learning
↳ Perception.

- 1956: Birth of AI (Dartmouth meeting: 'Artificial Intelligence' name adopted).
- 1950: Turing's 'Computing Machinery and Intelligence'.
- 1964: Computers can understand NLP enough to solve algebra word problems.
- 1986: Rise of ML.
- 1995: AI as Science.
- 1997: Deep Blue chess program beats world chess champion.

* State Space Search : (falls under Problem Solving factors) :

$$S: \{ \$, A, \text{Action}(\$), \text{Result}(\$, a), \text{cost}(\$, a) \}$$

- Precise
- Analyse.

where, $\$$ is start/goal state.

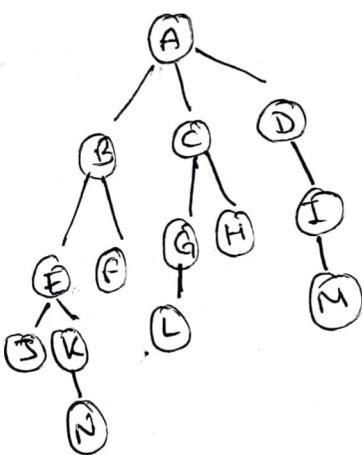
A is set of all possible actions.

→ Uninformed (Blind) Search. (Brute-force) :

→ Informed Search ? Heuristic :

Uninformed Searching	Informed Search
<ul style="list-style-type: none"> → Search without Information → No Knowledge → Time Consuming → More Complexity (Time, Space) → Blind, Brute-force E.g.: DFS, BFS etc. → Guaranteed Optimal Solution 	<ul style="list-style-type: none"> → Search with information → Use knowledge to find steps to solution. → Quick Solution. → Less Complexity (Time, Space). → Heuristic E.g.: A*, Heuristic DFS, Best first search. → May be optimal, may not be optimal.

• BFS (Breadth First Search) : → uninformed, FIFO(queue), Shallowest Node, Complete → Optimal, → Time Complexity $O(V+E)$



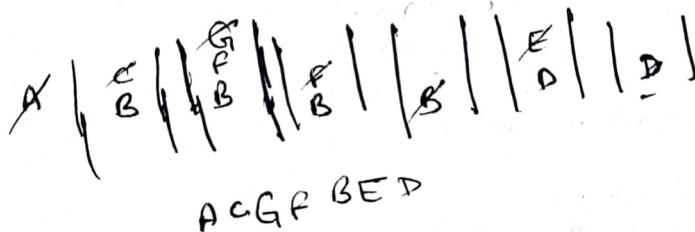
$\rightarrow ABCD$
 $\rightarrow EDEF$
 $\rightarrow DEFGH$
 $\rightarrow EFGHI$
 $\rightarrow FGHIJK$
 $\rightarrow GHHIJK$

$\rightarrow AJSKL$
 $\rightarrow IJKL$
 $\rightarrow JKLM$
 $\rightarrow KLM$
 $\rightarrow KMN$
 $\rightarrow MN$

$\rightarrow \underline{N}$
 $O(b^d)$
 where,
 b is branch factor
 d is depth.

$N \rightarrow$ Nodes No.
 $E \rightarrow$ Edges No.

• DFS (Depth First Search) : → uninformed, stack (LIFO), Deepest Node, Incomplete, → Non-optimal → Time Complexity $O(V+E)$



$O(b^d)$
 $b \rightarrow$ branching factor
 $d \rightarrow$ depth
 $V \rightarrow$ Num. of Nodes
 $E \rightarrow$ Num. of Edges

* Bidirectional Search:

- can be both BFS and DFS; better to use BFS.
- Uniformed - Complete in BFS - Incomplete in DFS.
- Time Complexity $\Omega(b^{d/2})$

* Generate and Test (DFS with backtracking)

- Heuristic Technique - Continuous Process - Complete
- Non Redundant - Informed.

* Best first Search

- Informed - Heuristic
- Greedy Method.
- Good Solution (^{may/may not} optimal)
- Time complexity: $O(b^m)$
 $O_b, O(b^d)$
- Priority queue (sort every time A_{fc})
- Takes only straight line distance
- Does not consider distance between two travelled nodes; i.e., $f(n) = h(n)$
- Complete.

* Beam First Search

- Takes care of space complexity (constant)
- Priority queue (sorts ~~only~~ A_{fc} and stores only ~~all~~ best nodes)
- Like Best first search, takes only straight line distance; $f(n) = h(n)$
- Time complexity: $O(b^d)$
- Incomplete
- Good solution, but may/may not provide optimal soln)
- Greedy.

B is beam width
i.e., B can be 1, 2, 3, ... n.

* Hill Climbing Algorithm:

- It is beam first search but $B=1$.
- Greedy Approach. - No backtrack.
- Local Search Algorithm.

- Problem
- Local Maxima
- Plateau/Flat Maximum
- Ridge.

* A* Algorithm:

- Informed. - Time complexity: $O(b^d)$
- Priority Queue? - Global consideration.
Sort everytime.
- Like Best first search.
- Admissible. (Optimal soln when underestimation)

$$\rightarrow f(n) = g(n) + h(n)$$

$g(n)$: Actual cost from start Node to n

$h(n)$: Estimation cost from n to Goal Node via straight line distance

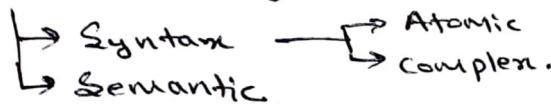
* AO* Algorithm:

- And/or
- Problem decomposition (breakdown into smaller pieces.)
 - Does not explore all the solution paths once it got a soln (incomplete)

* Knowledge Representation and Reasoning

- Logic : Propositional logic and Predicate logic
- Rules : if then
- Semantic Net : Google graph / Meaning graph
- frame : Slots and fillers / Object Attribute.
- Script :

* Propositional logic (Either True or False ; not Both).



- Negation: \neg , \sim , \top
- Disjunction/or : \vee
- Conjunction/And: \wedge
- if then : \rightarrow imply, implications.
- iff : \leftrightarrow
- .

Example: You can access internet from campus only if you are CSE student or you are not freshman.

Let, P: ~~can~~ access internet from campus

Q: ~~are~~ CSE Student

R: freshman.

Then, Answer: $P \rightarrow Q \vee \neg R$

Syntax of First order logic:

Constant: 1, 2, A, Name, Location ...

Variables: x, y, z, a, b ...

Predicates: Brother, father, greater than ...

Functions: sqrt, ...

Connectives: \neg , \Rightarrow , \wedge , \vee , \Leftrightarrow , \rightarrow , \Leftarrow

Equity : \equiv

Quantifiers: \forall , \exists

* Main connective for \forall is ' \rightarrow '

e.g.: $\forall x \text{ human}(x) \rightarrow \text{respect}(x, parent)$

Main connective for \exists is ' \wedge '

e.g.: $\exists x \text{ boy}(x) \wedge \text{intelligent}(x)$

* Resolution in First Order Logic:

- Resolution is a theorem proving technique that proves by contradiction
- "Unification" is key concept in proof by Resolution
- Unification is substitution
- Resolution is single inference rule which can effectively operate on CNF (conjunctive normal form) or Clausal form.
Clause: Disjunction (\vee) of literals
CNF : Sentence represented as a conjunction (\wedge) of clauses

• Steps for Resolution:

1. Conversion of facts into FOL
2. Convert FOL into CNF
3. Negate the statement which needs to be proved.
4. Draw Resolution graph / tree (Unification).

Example:

- (a) John likes all kind of food.
- (b) Apple and vegetable are food.
- (c) Anything anyone eats and not killed is food.
- (d) Anil eats peanuts and still alive.
- (e) Harry eats everything Anil eats.

PROVE by Resolution that:

- (f) John likes peanuts.

Step I:

- (a) $\forall x : \text{food}(x) \rightarrow \text{likes}(\text{John}, x)$
- (b) $\text{food}(\text{Apple}) \wedge \text{food}(\text{Vegetable})$
- (c) $\forall x y : \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y)$
- (d) $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil})$
- (e) $\forall x : \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x)$

Added Predicates:

- (f) $\forall x : \neg \text{killed}(x) \rightarrow \text{alive}(x)$
- (g) $\forall x : \text{alive}(x) \rightarrow \neg \text{killed}(x)$

To prove by resolution.

- (h) $\text{likes}(\text{John}, \text{Peanuts})$

Step II: Conversion of FOL into CNF:

- Eliminate all implications and Rewrite
- (a) $\forall x \neg \text{food}(x) \vee \text{likes}(\text{John}, x)$
 - (b) $\text{food}(\text{Apple}) \wedge \text{food}(\text{Vegetable})$
 - (c) $\forall x y \neg [\text{eats}(x, y) \wedge \neg \text{killed}(x)] \vee \text{food}(y)$
 - (d) $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil})$
 - (e) $\forall x \neg \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Harry}, x)$
 - (f) $\forall x \neg [\neg \text{killed}(x)] \vee \text{alive}(x)$

(g) $\forall x \rightarrow \text{alive}(x) \vee \neg \text{killed}(x)$

(h) likes(John, peanuts).

- ⇒ {
- (a) $\forall x \rightarrow \text{food}(x) \vee \text{likes}(\text{John}, x)$
 - (b) food(Apples) \wedge food(vegetables)
 - (c) $\forall y \forall z \rightarrow \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$
 - (d) eats(Anil, peanuts) \wedge alive(Anil)
 - (e) $\forall w \rightarrow \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$
 - (f) $\forall g \rightarrow \text{killed}(g) \vee \text{alive}(g)$
 - (g) $\forall k \rightarrow \text{alive}(k) \vee \neg \text{killed}(k)$
 - (h) likes(John, peanuts).

Move
negation
inwards
and
Rename
variables
or
Standardise
variables

⇒ Eliminate existential instantiation quantifier (skolemisation, \exists).
(but in the above examples we don't have any \exists), so skip this step

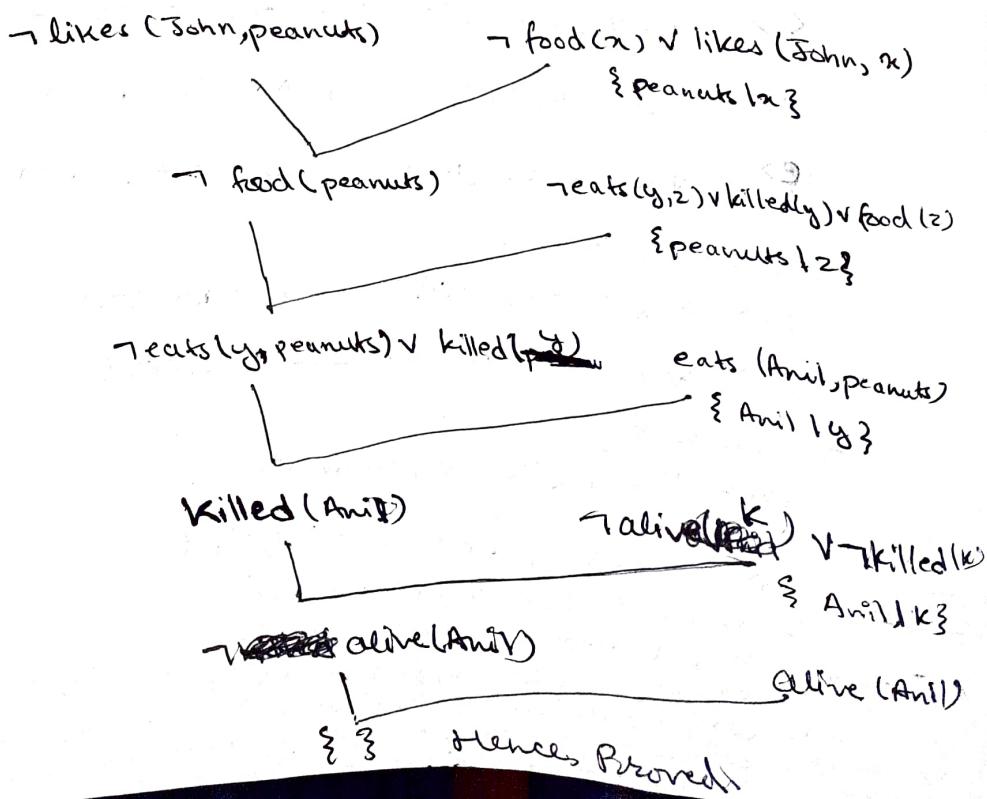
Drop
universal
quantifier
 (\forall)
and
write
disjunction
 (\vee) in
different
points.

- ⇒ {
- (a) $\neg \text{food}(x) \vee \text{likes}(\text{John}, x)$
 - (b) food(Apple) ~~food(vegetables)~~ (c) food(vegetables)
 - (d) $\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$
 - (e) eats(Anil, peanuts) ~~eats(Harry, w)~~ (f) alive(Anil)
 - (g) $\neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$
 - (h) $\neg \text{killed}(g) \vee \text{alive}(g)$.
 - (i) $\neg \text{alive}(k) \vee \neg \text{killed}(k)$
 - (j) likes(John, peanuts)

⇒ Negate statement to be proved:

(n) $\neg \text{likes}(\text{John}, \text{peanuts})$

⇒ Draw Resolution Graph



Hence Proved!

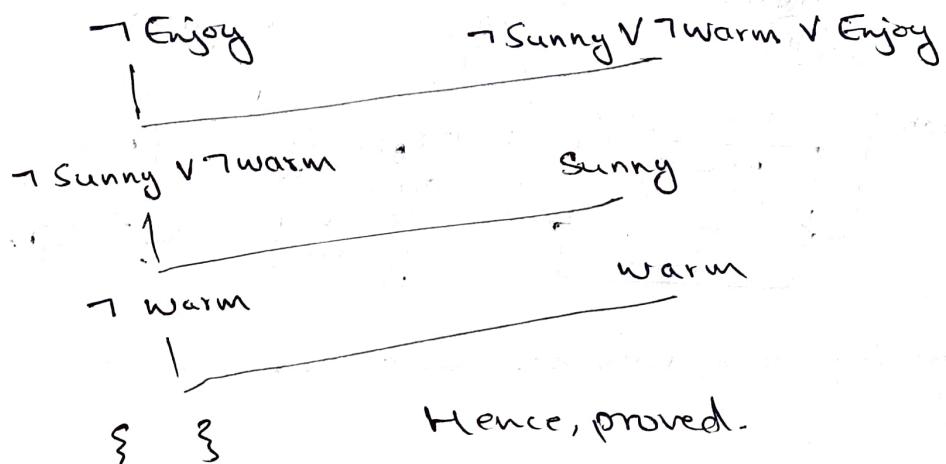
- Example:
- If it is sunny and warm day you will enjoy.
 - If it is raining, you will get wet.
 - It is a warm day.
 - It is raining.
 - It is sunny.

Goal: You will enjoy.

- $\Rightarrow \neg a \wedge b \rightarrow \text{Enjoy}$.
- Raining → wet
 - warm.
 - Raining
 - Sunny.
 - Enjoy.
- $\Rightarrow (a) \neg (\text{Sunny} \wedge \text{Warm}) \vee \text{Enjoy}$
- $\neg a \rightarrow \neg (\text{Sunny} \wedge \text{Warm}) \vee \text{Enjoy}$
- $\neg a \rightarrow \neg \text{Sunny} \vee \neg \text{Warm} \vee \text{Enjoy}$
- $\neg b \rightarrow \neg \text{Raining} \vee \neg \text{wet}$
- $\neg c \rightarrow \neg \text{Raining}$
- $\neg d \rightarrow \neg \text{Sunny}$
- $\neg e \rightarrow \neg \text{Enjoy}$

\Rightarrow Assume: $\neg \text{Enjoy}$

→ Resolution Graph:



So You will enjoy.

* Forward and Backward Chaining:

• Forward Chaining:

- form of reasoning which starts with atomic sentences in the knowledge base and applies inference rules in the forward direction to extract more data until a ~~goal~~ goal is reached.
- moves from bottom to up (top)
- process of making conclusion based on known facts or data, by starting from initial state to reach goal state.
- AKA data-driven.
- commonly used in Expert System.

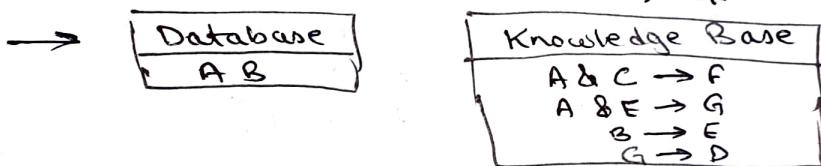
Example: Rule 1: If A and C, then F

R 2: If A and E then G

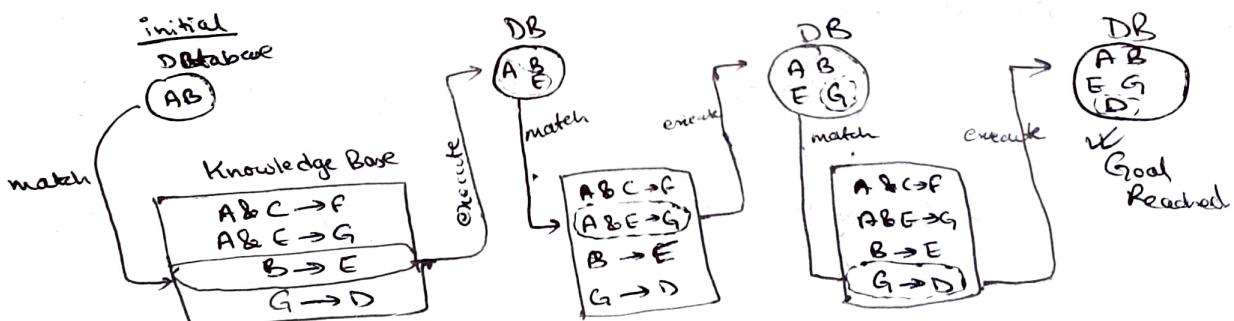
R 3: If B then E

R 4: If G then D.

To prove: if A and B true, then D is true.



To prove: $A \& B \rightarrow D$.

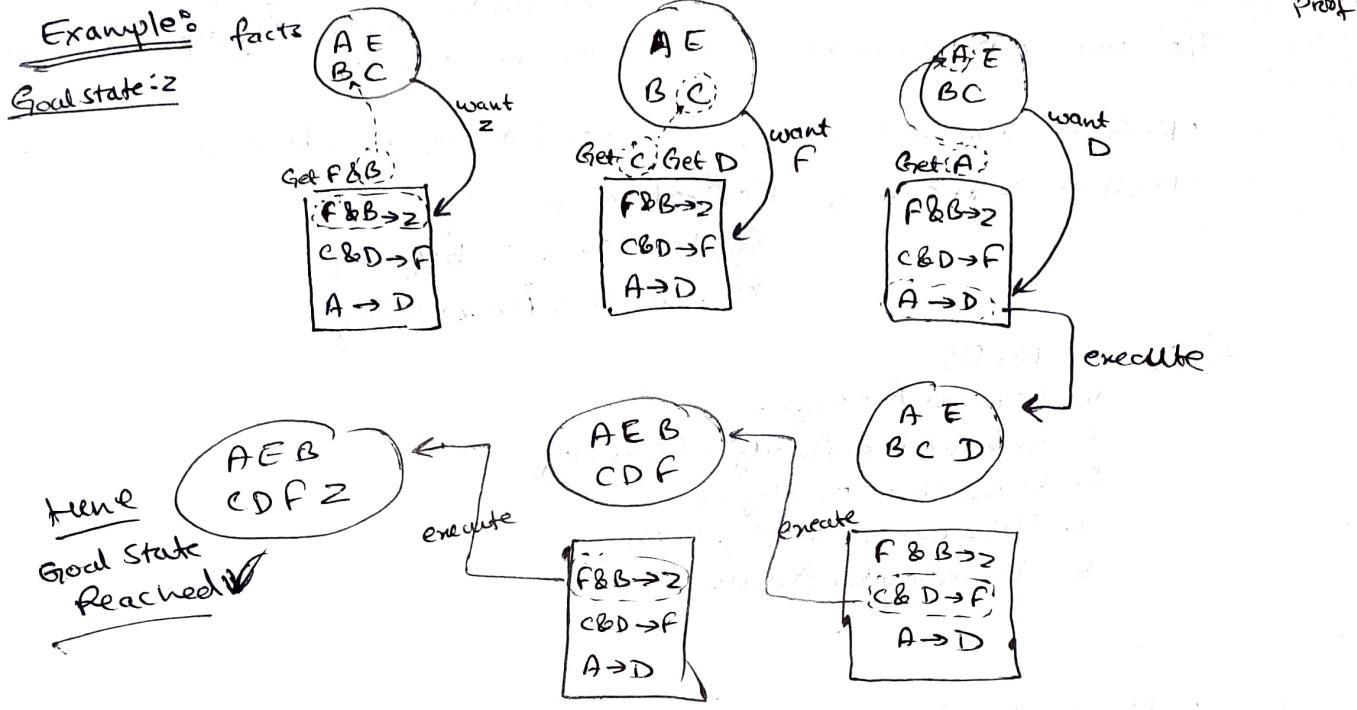


meaning, using initial A B, we reached or executed D, hence goal reached

• Backward Chaining:

- form of reasoning, which starts with goal state and works backward, chaining through rules to find known facts to support the goal.
- AKA top-down approach/Moves from top to bottom.
- Based on Modus Ponens inference rule.
- Goal is broken into sub-goal(s) to prove the facts true.
- AKA goal-driven approach.

- Used in game theory, automated theorem proving tools, inference engines, proof assistants etc.
- Backward-chaining method uses depth-first search strategy for proof.



Forward Chaining

1. Starts from known facts and applies inference rule to extract more data until it reaches to the goal.
2. Bottom-up approach.
3. AKA data-driven technique.
4. Applies breadth-first search.
5. Tests for all available rules.
6. Suitable for monitoring, planning, control and interpretation.
7. Can generate infinite number of possible conclusions.
8. Operates in forward direction.
9. Aimed for 'any' conclusion.

Backward Chaining

1. Starts from goal and works backward through inference rules to find required facts that support goal.
2. Top-down approach.
3. AKA goal-driven technique.
4. Applies depth-first search strategy.
5. Tests for few required rules.
6. Suitable for diagnostic, prescription and debugging.
7. Generates finite numbers of possible conclusions.
8. Operates in backward direction.
9. Aimed only for the required conclusion.

* NLP (Natural Language Processing)

- Components:
 - NLU (NL Understanding) : Mapping i/p
 - NLG (NL Generation) : Generating o/pi/p and o/p can be speech or written text.

- NLG → Text planning, Sentence Planning, Text Realisation
- NLU → Difficulties:
 - Lexical ambiguity
 - Syntax level ambiguity
 - Referential Ambiguity

Steps in NLP:

1. Lexical Analysis
2. Syntactic Analysis (Parsing)
3. Semantic Analysis
4. Discourse Integration
5. Pragmatic Analysis

* Applications of AI:

finance, music, transportation, Hospitals, toys and games

- Expert Systems : Computer based AI which replicates human's problem solving capabilities
 - cyberbullying, codemixin data, fake news detection, deepfakes, identification of hate content, fake dubbing, Chatbot
- Codemixin data : example, using hinglish to bypass hate speech detection/filtering as a form of hate speech transmission, cyber bullying etc.

Monotonic Reasoning

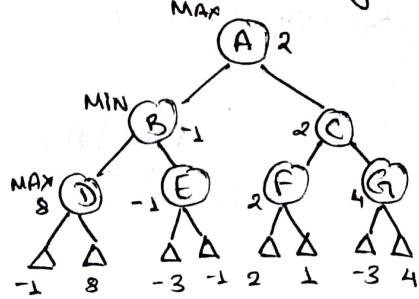
- Once the conclusion is made (or goal state is achieved), it will remain unchanged even if some other information is added to the existing info of our knowledge base.
- Decisions are not affected by new facts. (e.g.: Universal truths)
- Advantage: All old proofs are valid
- Disadvantage:
 - (i) Can't read world scenarios
 - (ii) New knowledge from real world can't be added.

Non-monotonic Reasoning

- Varying conclusions, some conclusion may be invalidated if some other/more info(s) is/are added to our knowledge base.
- Decisions can be changed by new facts.
- Advantage: Helpful in real-world scenarios.
- Disadvantage:
 - (i) Can't be used for theorem proving

* MINIMAX Algorithm :

- Minimax Algo in game playing ... Backtracking Algo
 - Space Complexity: $O(b^d)$
 - Time Complexity: $O(b^d)$
 - Specialised search Algo that returns optimal sequence of moves for a player in zero sum game.
 - Recursive Backtracking Algo: uses recursion to search through Game Tree.
 - Depth-First Search Algo is used for exploration.
- (Not min-max
Minimax ✓)



PROPERTIES:

1. Complete: Definitely finds soln (if exists)
2. Optimal

LIMITATIONS:

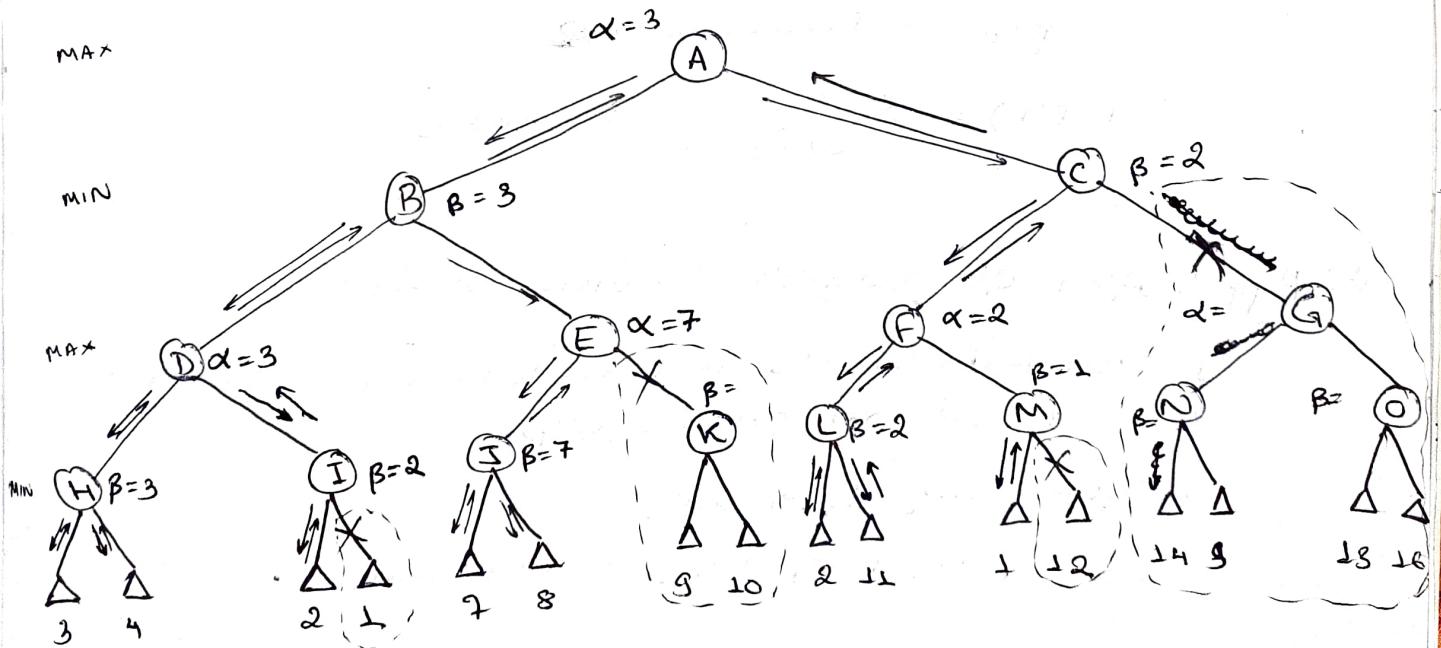
1. Slow for complex games such as chess ($O(35^{100})$)
- Initial Values (worst values selected) i.e., MAX = -∞ ; MIN = ∞

* Alpha-Beta Pruning (α - β pruning).

→ Advance version of Minimax algo.

- Cut off Search by exploring less no. of nodes.

$$\alpha = \text{MAX} ; \beta = \text{MIN}.$$



* Bayes' Theorem:

- Describes the probability of an event, based on prior knowledge of conditions that might be related to the event.

$$P(H|E) = \frac{\text{No. of times (H and E)}}{\text{No. of times (E)}} = \frac{P(H \cap E)}{P(E)}$$

Probability of H when E is true No. of times (E)

$$P(B|A) = \frac{P(A|B) \cdot P(B)}{P(A)}$$

Posterior
(Prob. of A when B is true) Marginal Prob. (Prob. of evidence)

Likelihood,
Prob. of evidence. Prior Prob. (Prob. of hypothesis). } Bayes theorem.

Example: What is probability that person has dengue with neck pain?

Given, neck pain is caused ~~in~~ 80% of dengue patient

$$P(\text{dengue}) = 1/30,000$$

$$P(\text{neck pain}) = 0.02$$

Let, $A \rightarrow$ Proposition that person has neck pain.

$B \rightarrow$ Proposition that person has dengue.

$$P(B|A) = \frac{P(A|B) \cdot P(B)}{P(A)}$$

$$\text{Here, } P(A|B) = 80\% = 0.8$$

$$P(B) = P(\text{dengue}) = 1/30000$$

$$P(A) = P(\text{neck pain}) = 0.02$$

$$\therefore P(B|A) = \frac{0.8 \times 1}{0.02 \times 30000} = 0.00133$$

* Application of Bayes's Theorem in AI:

1. Robot / Automatic machine: Next step is calculated based on previous step
2. Weather forecasting
3. Monty Hall Problem can be solved.