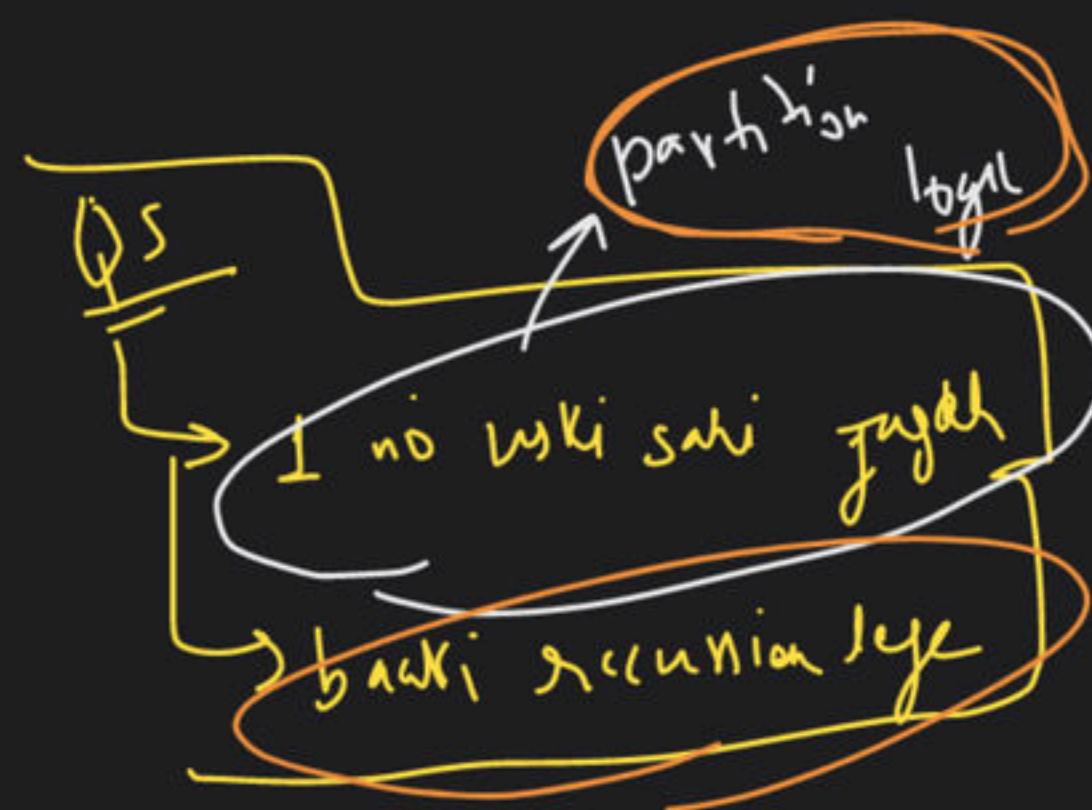


# DnC Level-2 [Join Here]

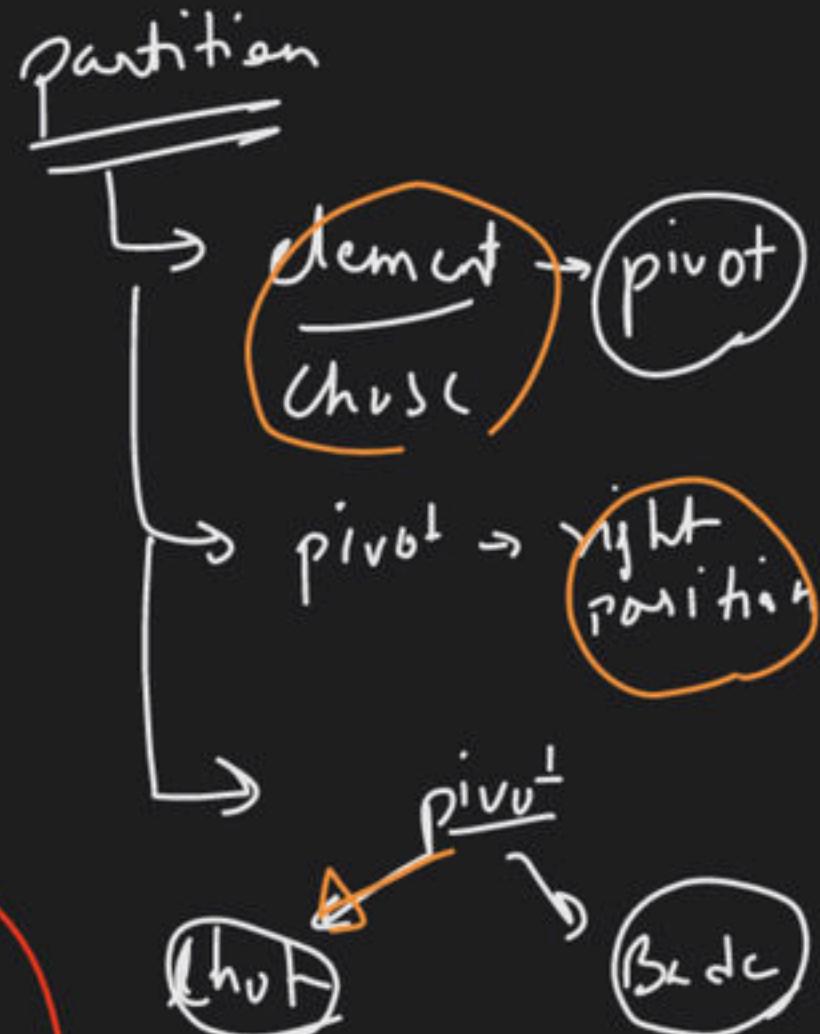
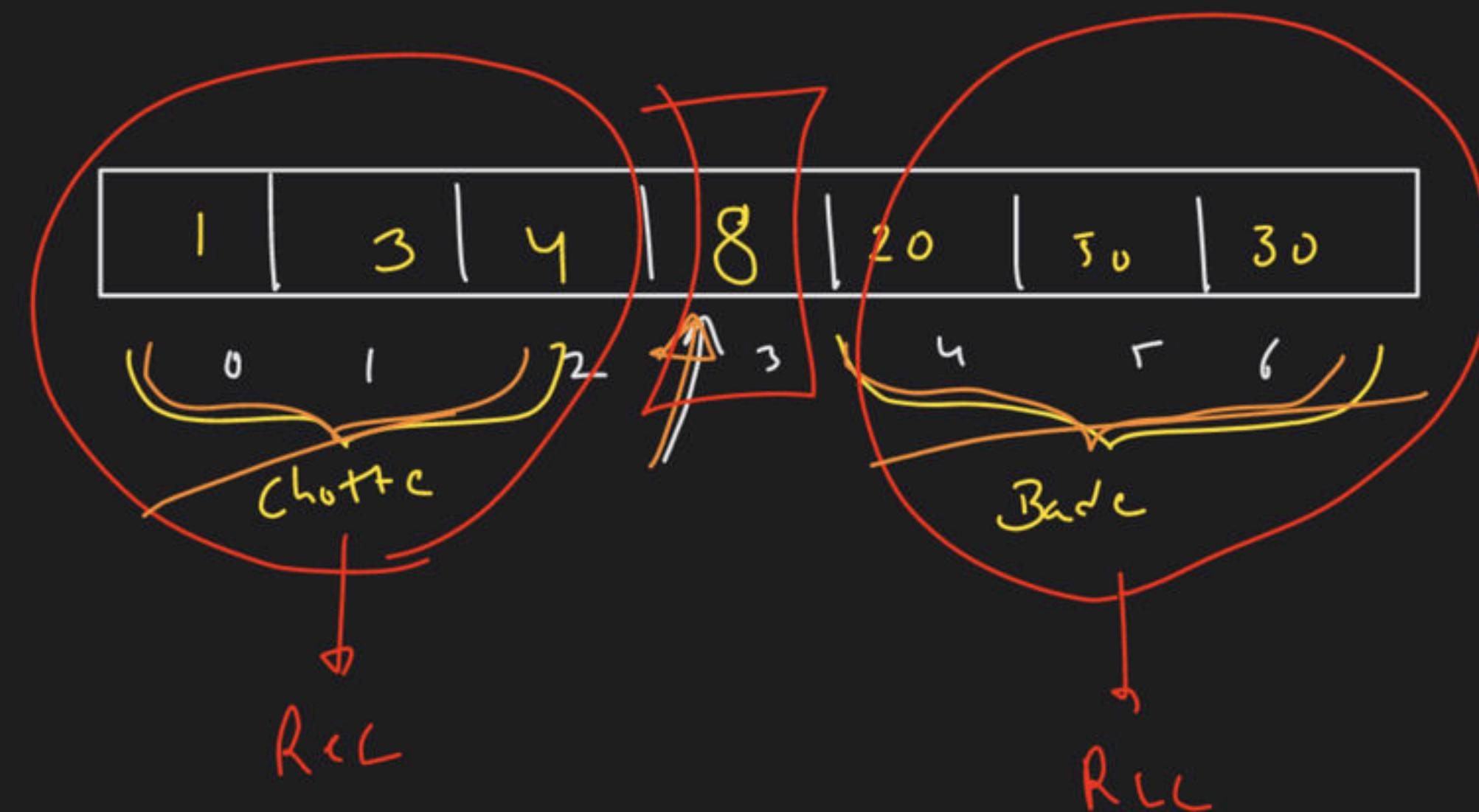
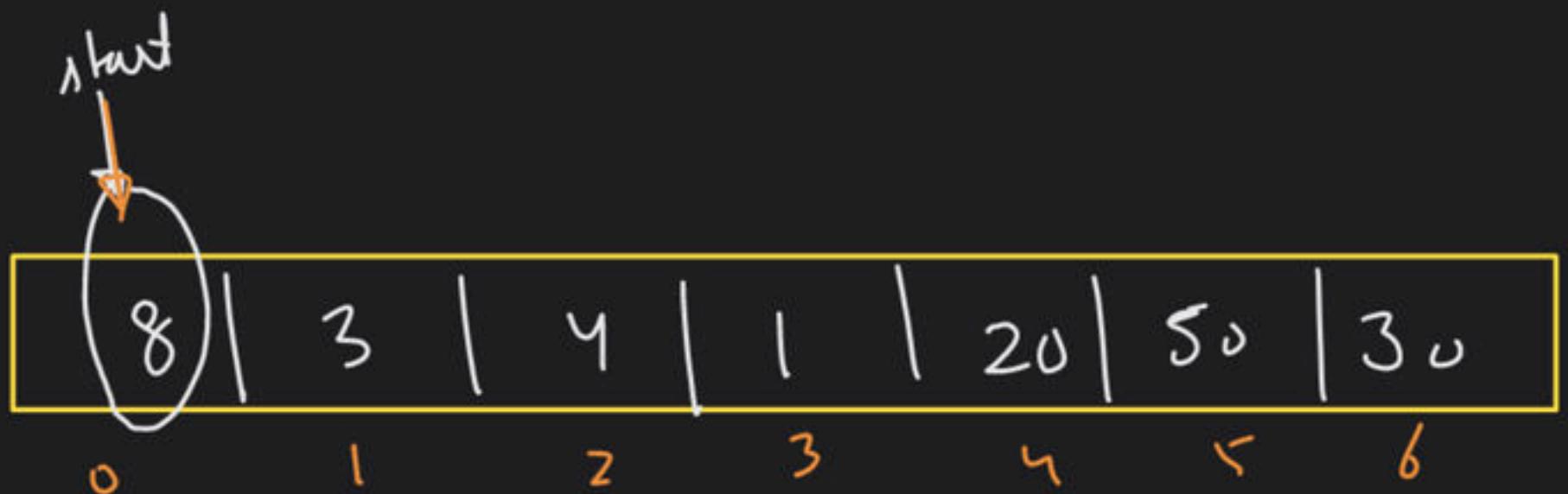
Special class

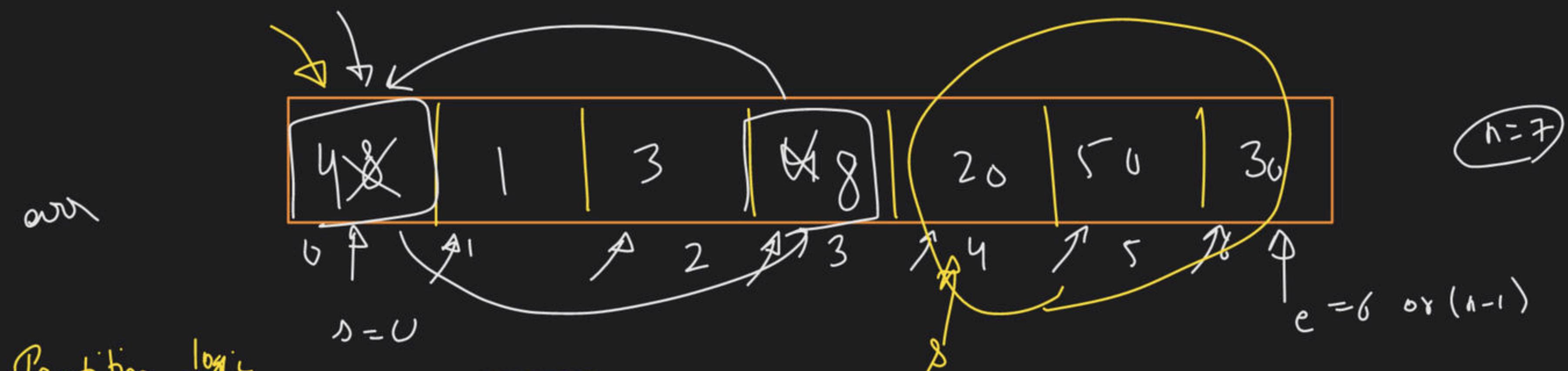
# Quick Sort

if  $i/p \rightarrow \text{array} \rightarrow$



$Q S \rightarrow$  partition logic  
 $\rightarrow$  Recursion logic





Partition logic

(A)

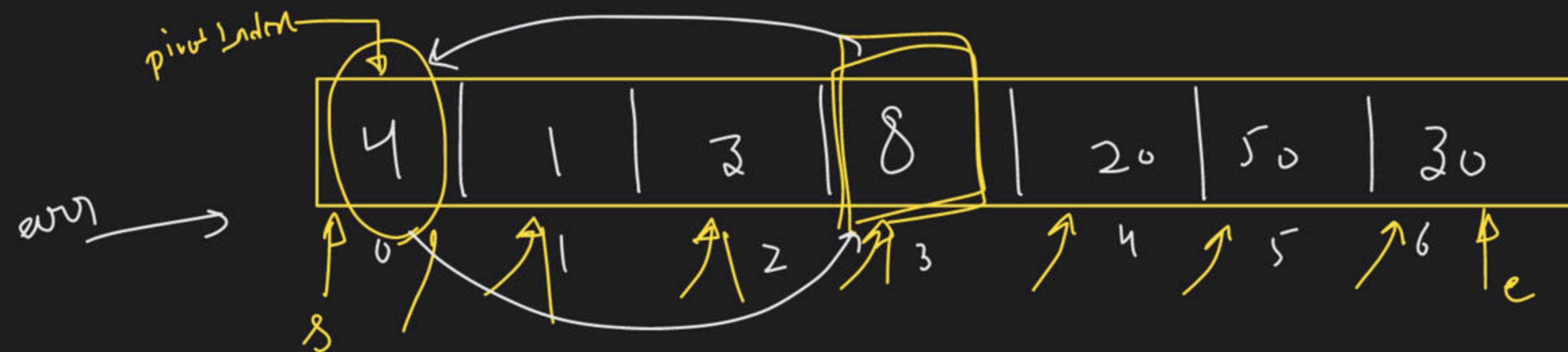
Pivot = 8

(B)

pivot  $\rightarrow$  right place

$\xrightarrow{\text{pivot}} \text{count small} \rightarrow \text{count} = 3$

swap ( $\text{arr}[\text{pivotIndex}], \text{arr}[\text{rightCount}]$ )



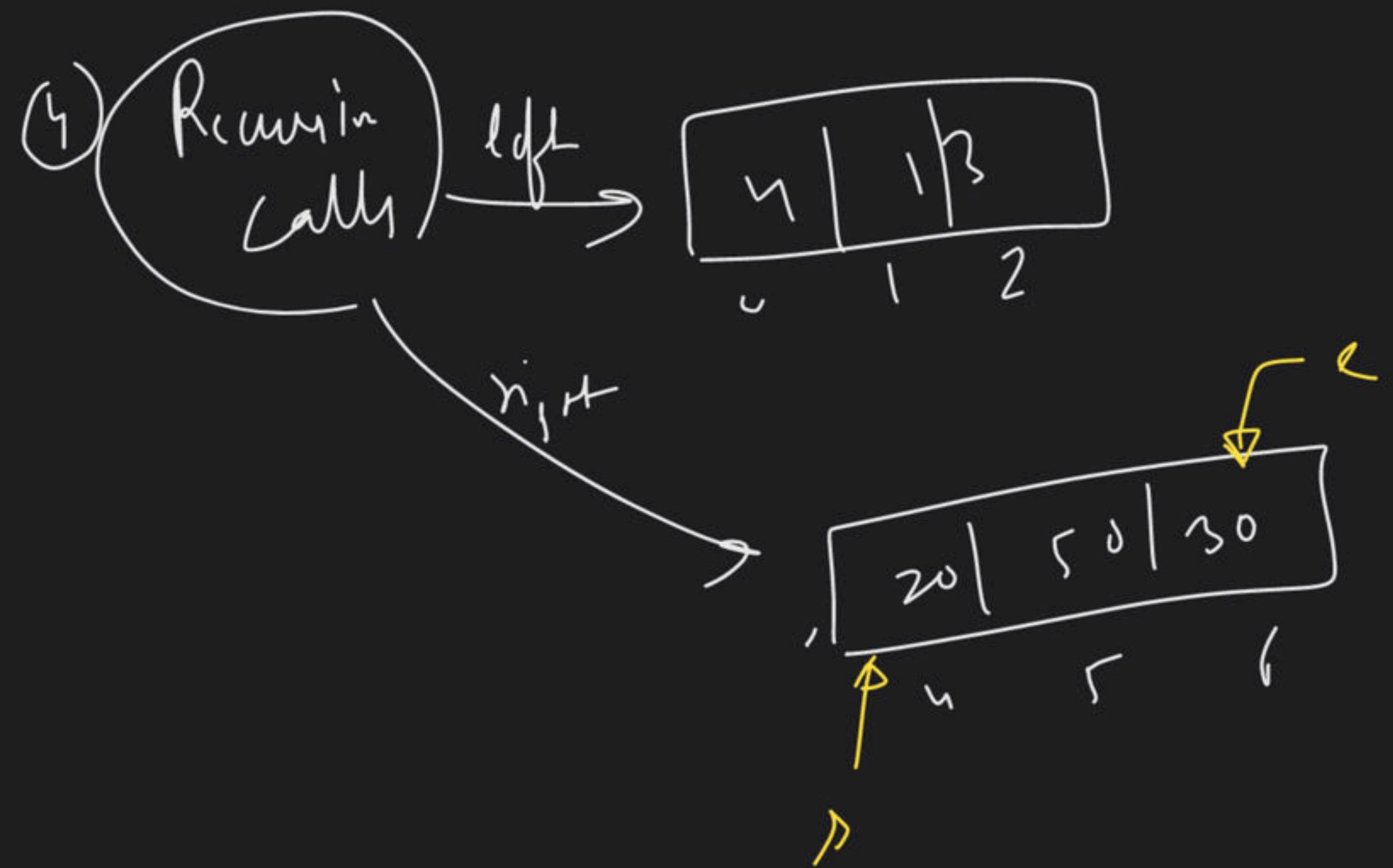
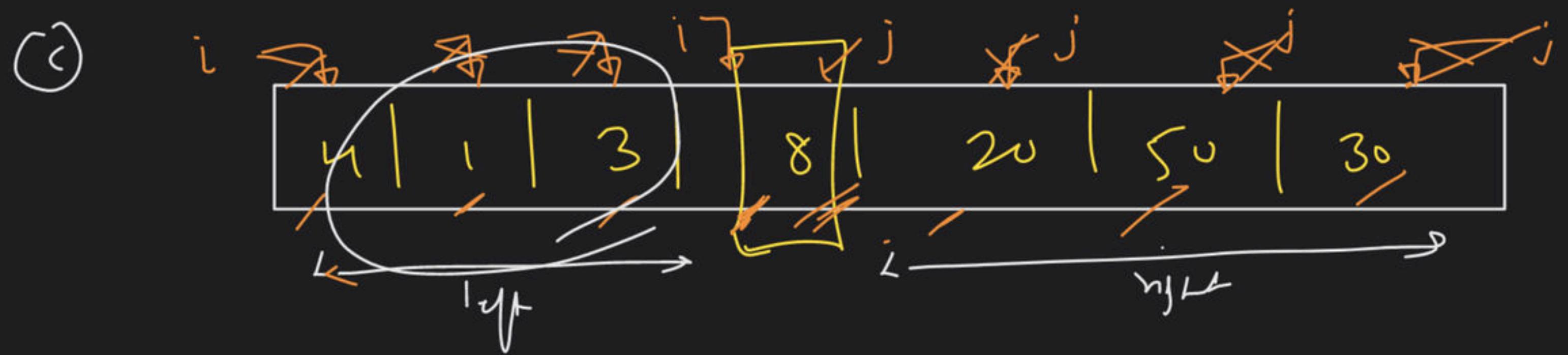
Partition  
Logic

(A) pivot choice  $\Rightarrow$   $\boxed{\text{pivotIndex} = 3}$

(B) pivot  $\rightarrow$   $\leftarrow$  Position  
place Kav

(A) count  $n \leq$  pivot Element  
count =  $p \times \cancel{2} \rightarrow$  8  $\leq$   $n^{\text{th}}$  element  
element here  
(having c)

(B) swap (arr[pivotIndex], arr[i+count])  
 pivot Element



Q.S

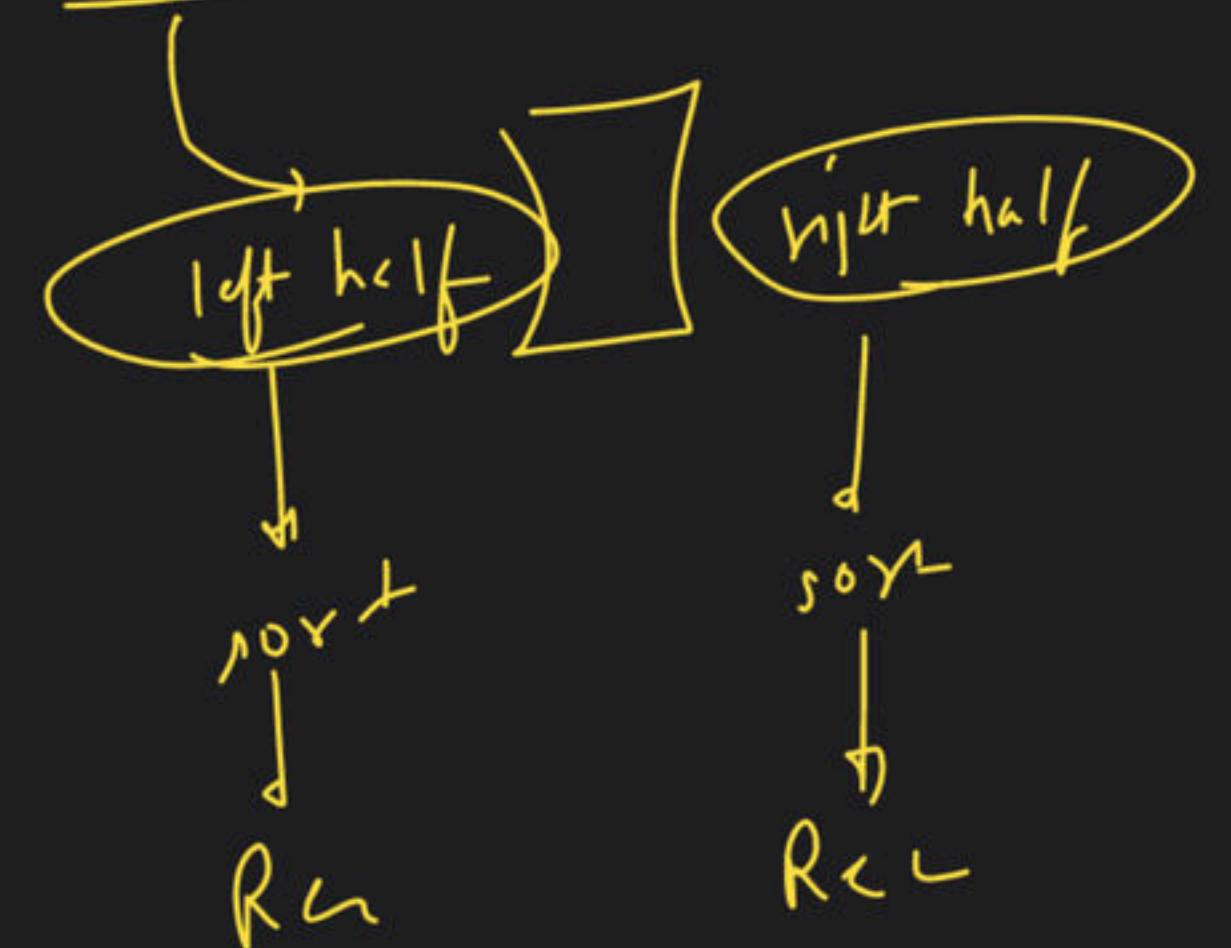
2 min Block

Partitioning Logic

for place pivot element at  $i^{\text{th}}$  right position  $\rightarrow$



Recursive Logic



P.L

(A) Pivot choose

(B) Pivot  $\rightarrow$  right position place

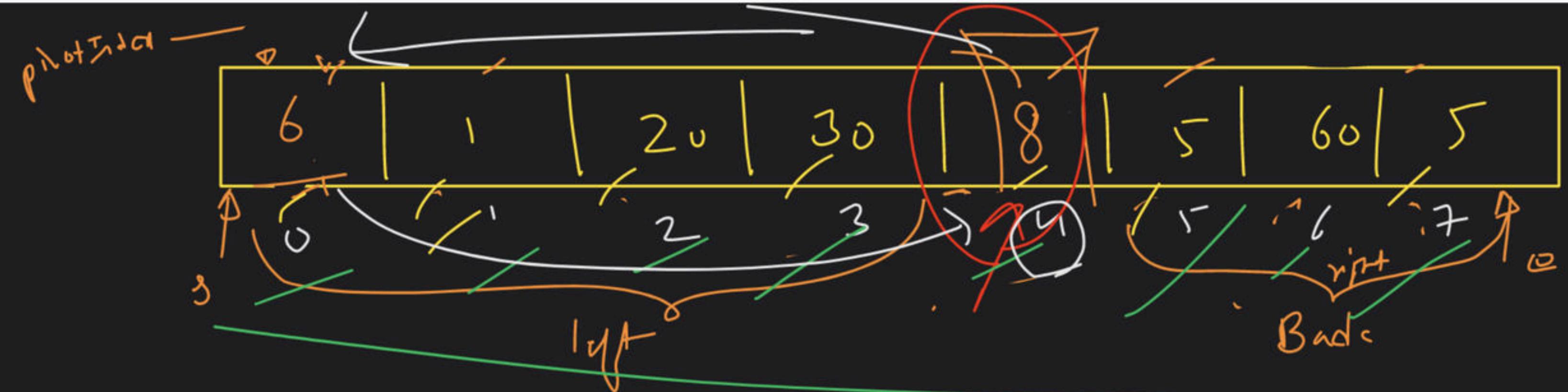


We are making two

left  $\rightarrow$  choose  
 $\leq \text{pivot}$

right  $\rightarrow$  Back  
 $> \text{pivot}$

return PIVOT INDEX



P.L

$$④ \text{pivotIndex} = s = 0$$

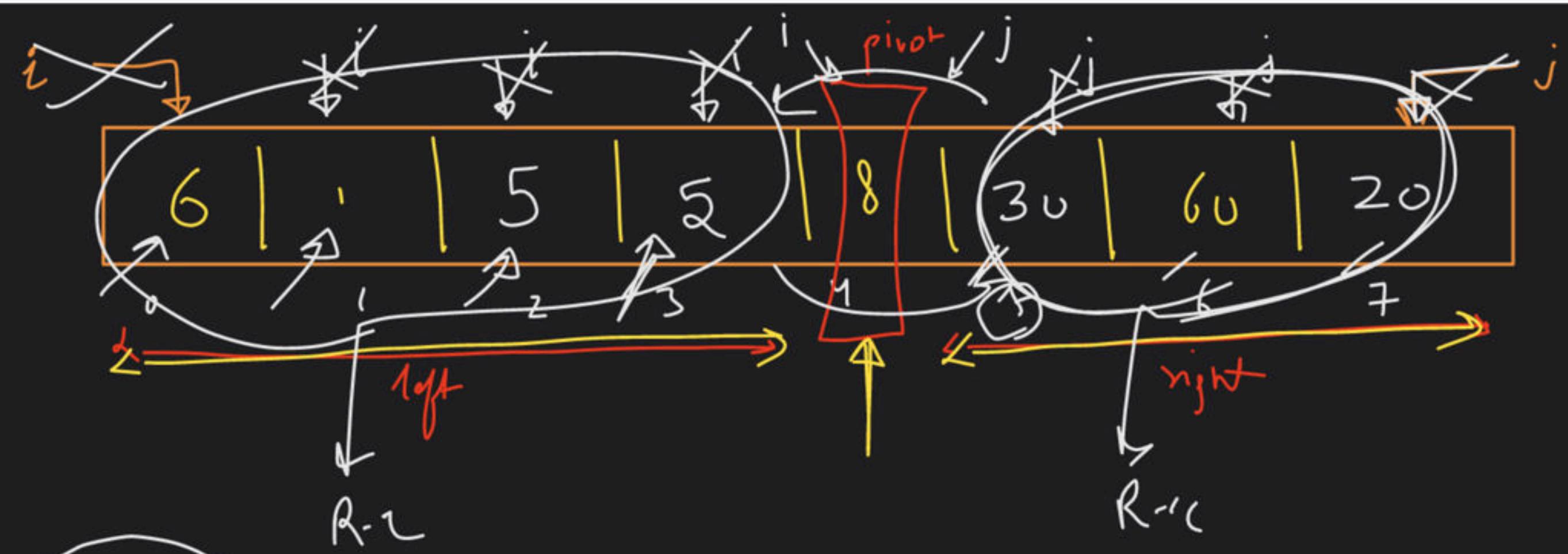
$$⑤ \text{count} <= \text{pivotIndex}$$

$$\text{Count} = 4$$

$$\text{rightIndex} = s + \text{count}$$

$$= 0 + 4 = 4$$

⑥



$i = 2$   
 $j = 7$

$\text{swap}(\text{arr}[i], \text{arr}[j])$

~~$i = 1$~~   
 $i = 3$   
 $j = 5$

$\text{swap}(\text{arr}[3], \text{arr}[5])$

$i = j = \text{pivotIndex} \rightarrow \text{RtK}_{\text{fun}}$

wrong donut

left part

donut > pivot

right part

element < pivot



P.L

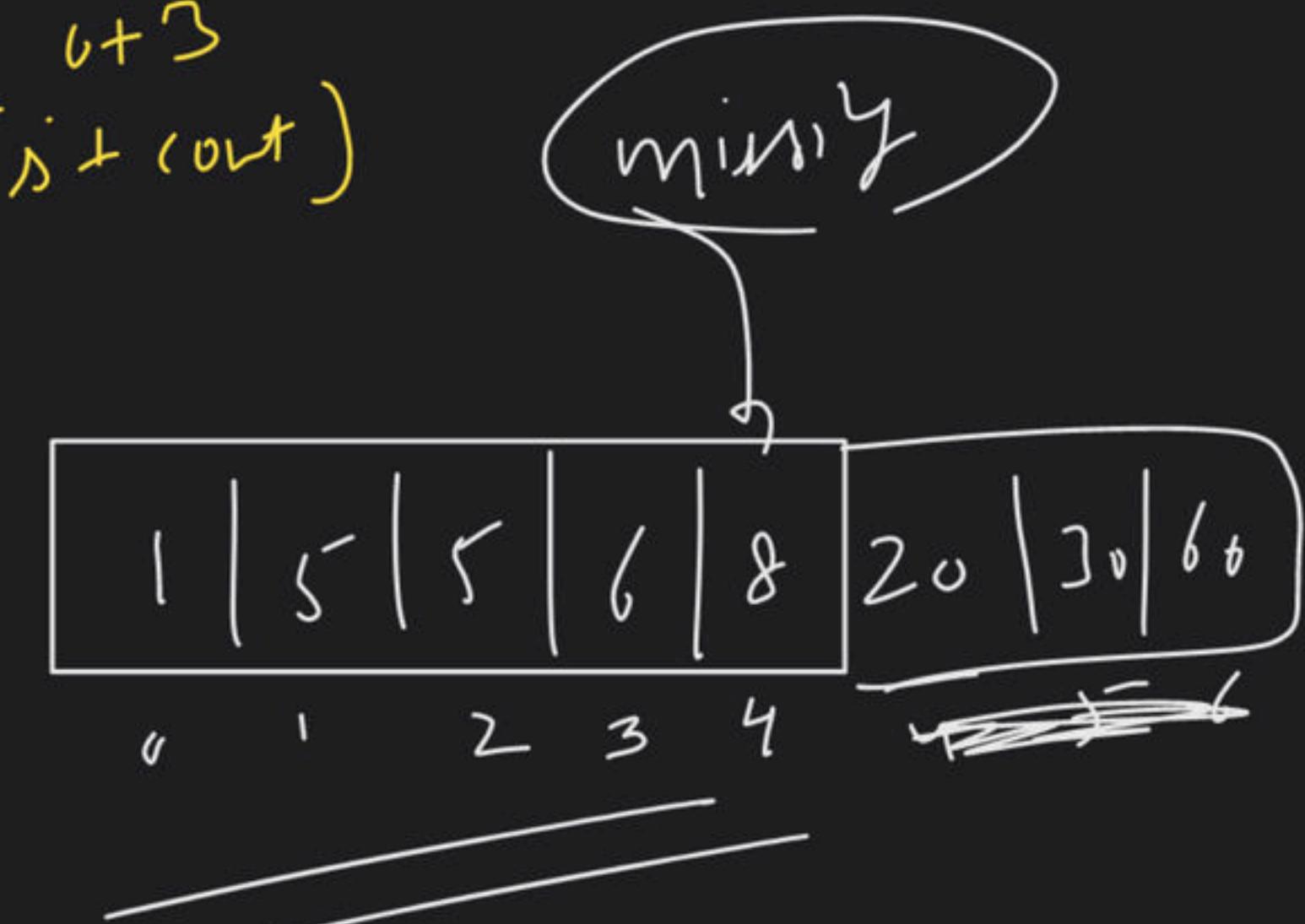
① pivotIndex = 0

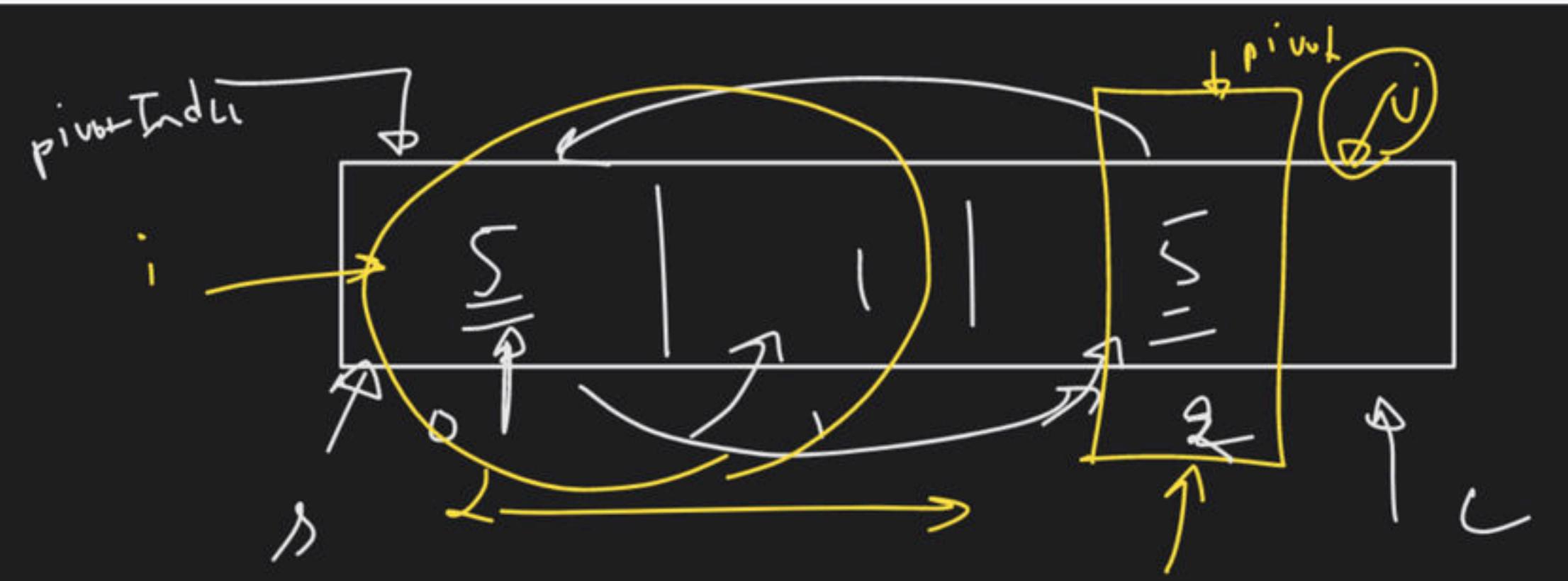
② count = 3

swap (arr[pivotIndex], arr[j + count])

③ ~~X~~

R.C



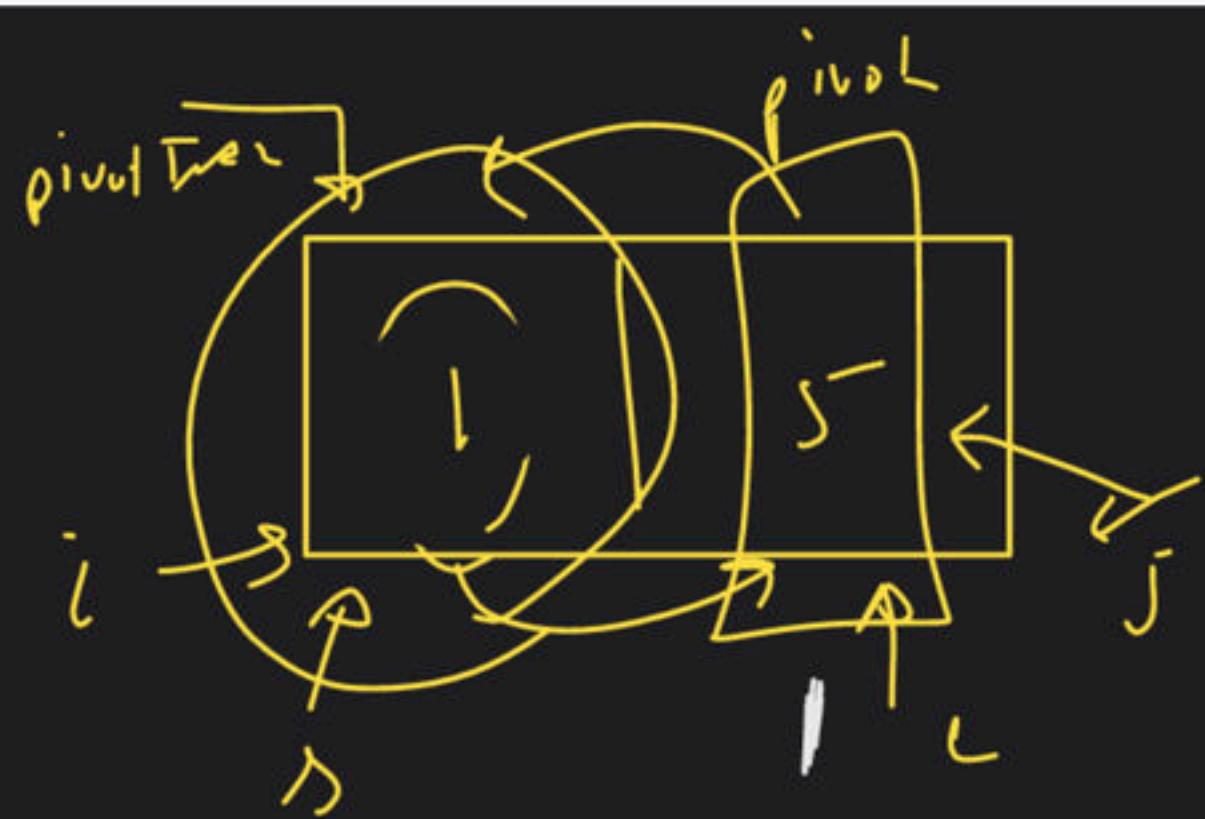


① pivotIndex = 0

② count = 2

③ ~~X~~

④ ~~X~~

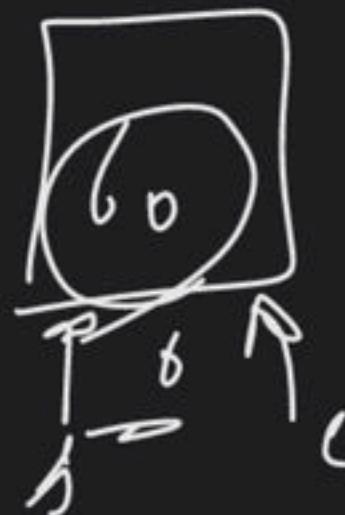
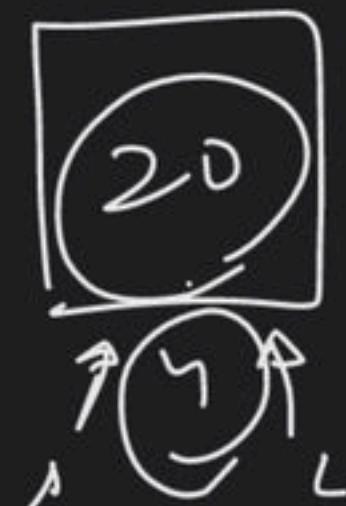
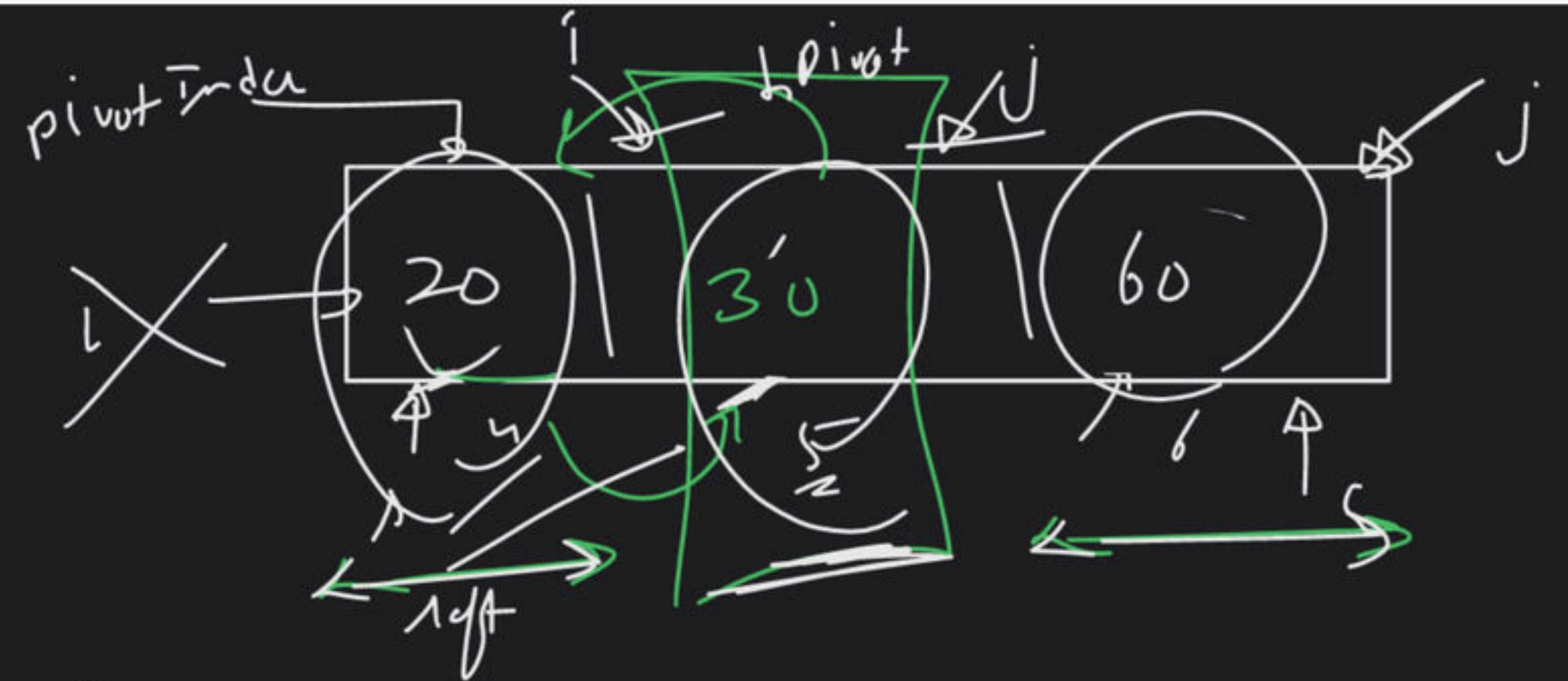


① pivotIndex = ⑤

② count = 1

③ ~~X~~

$\boxed{1} \rightarrow \text{start}$



(1)

$$\text{pivotIndex} = 4$$

(2)

$$\text{count} = 1$$

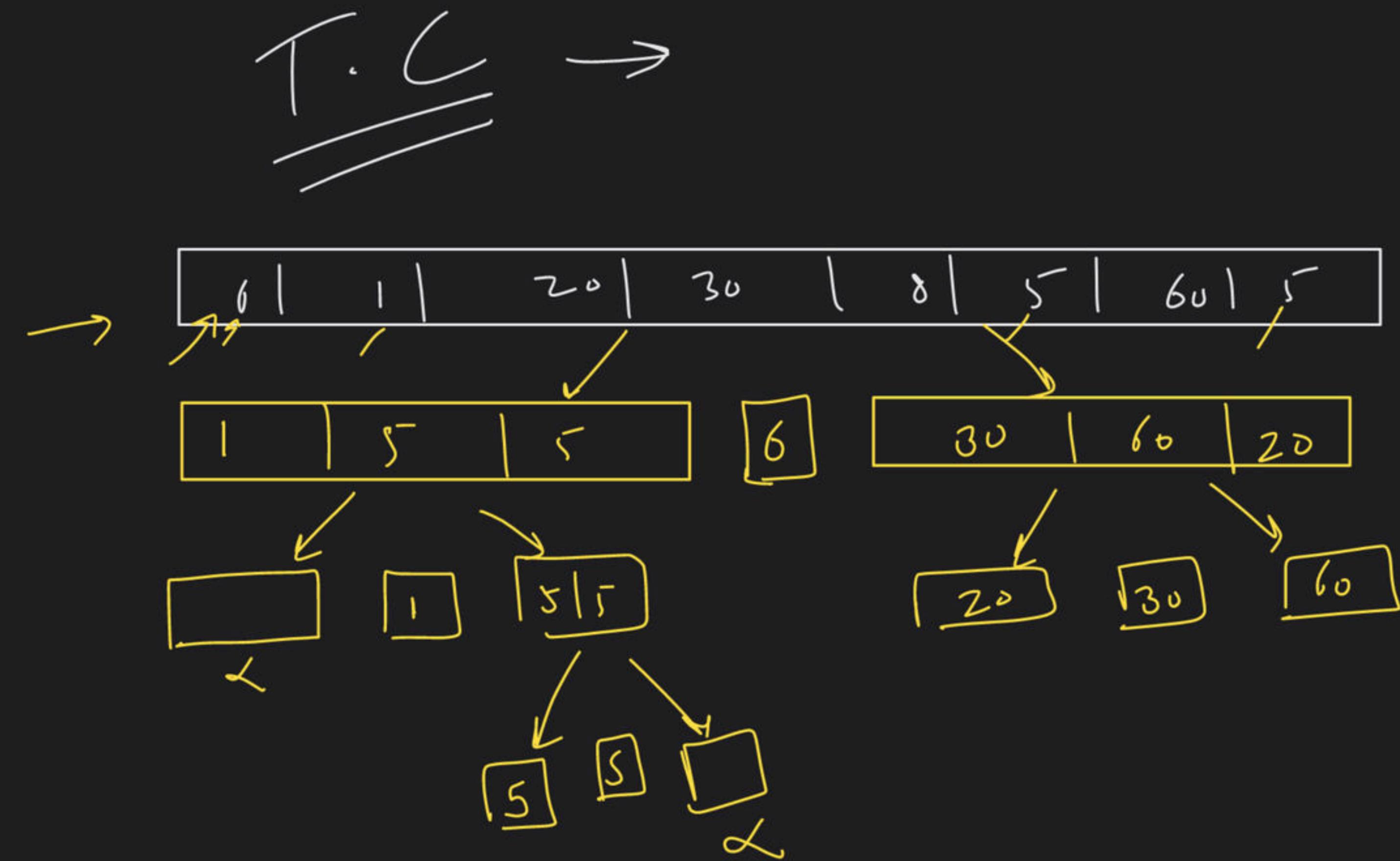
$$\text{rightIndex} = \cancel{n - 1} - \text{count} = 4 + 1 - \cancel{5}$$

→ swap (arr(pivotIndex), arr(rightIndex));

(3)

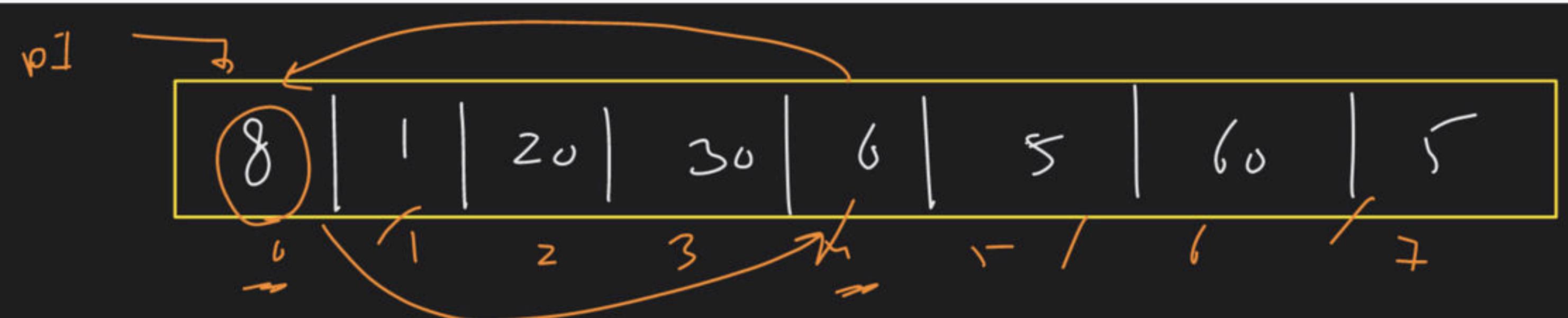
$$\begin{aligned} i &= 4 \\ j &= 6 \end{aligned}$$

swap (arr[4], arr[6])



$$\begin{array}{r} 30 \\ \times 5 \\ \hline 150 \end{array}$$

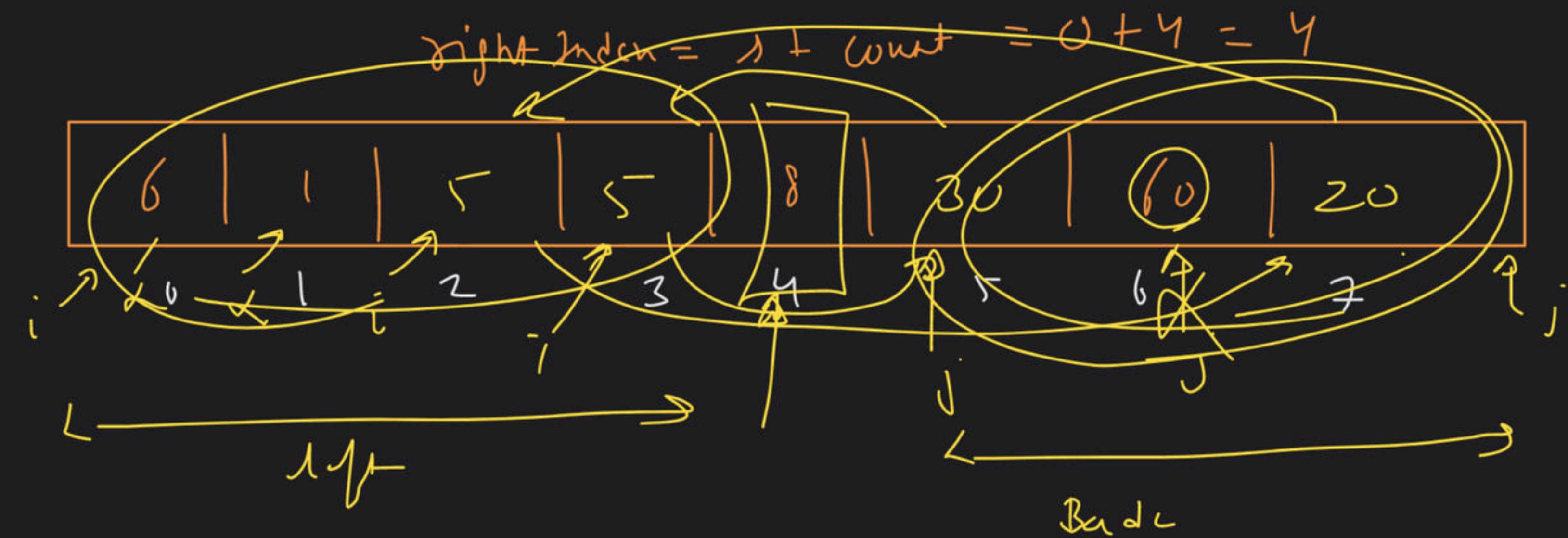
[ ]  
B



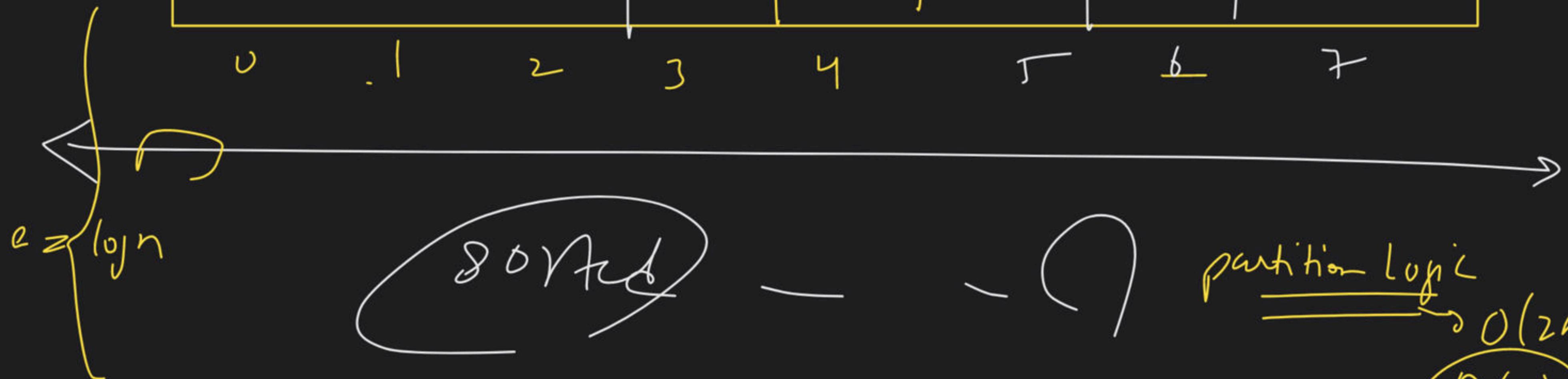
(A)

①  $\rho[1] = 0$

② right pos  $\rightarrow$  count = 4



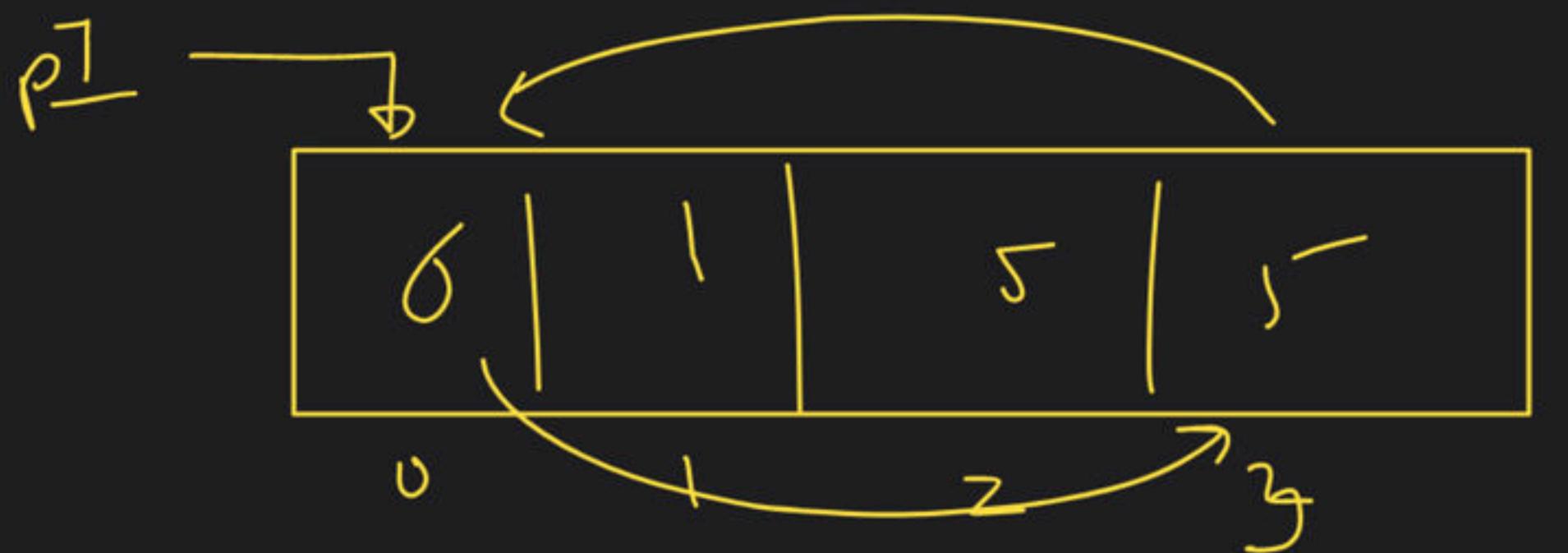
		5	5	6	8	20	30	60
0	1	2	3	4	5	6	7	



$$T(n) \rightarrow 2T(n/2) + O(n)$$

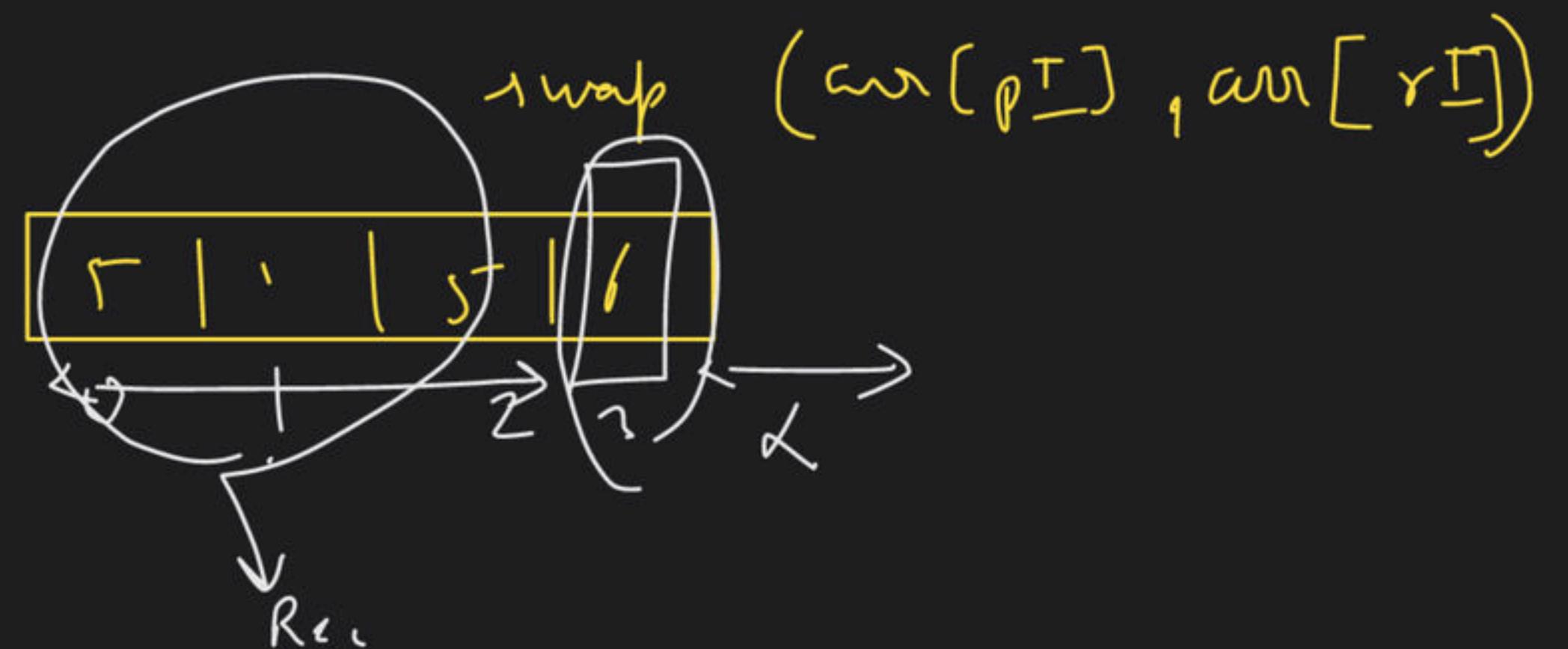
W.L.C  
Recurse sorted

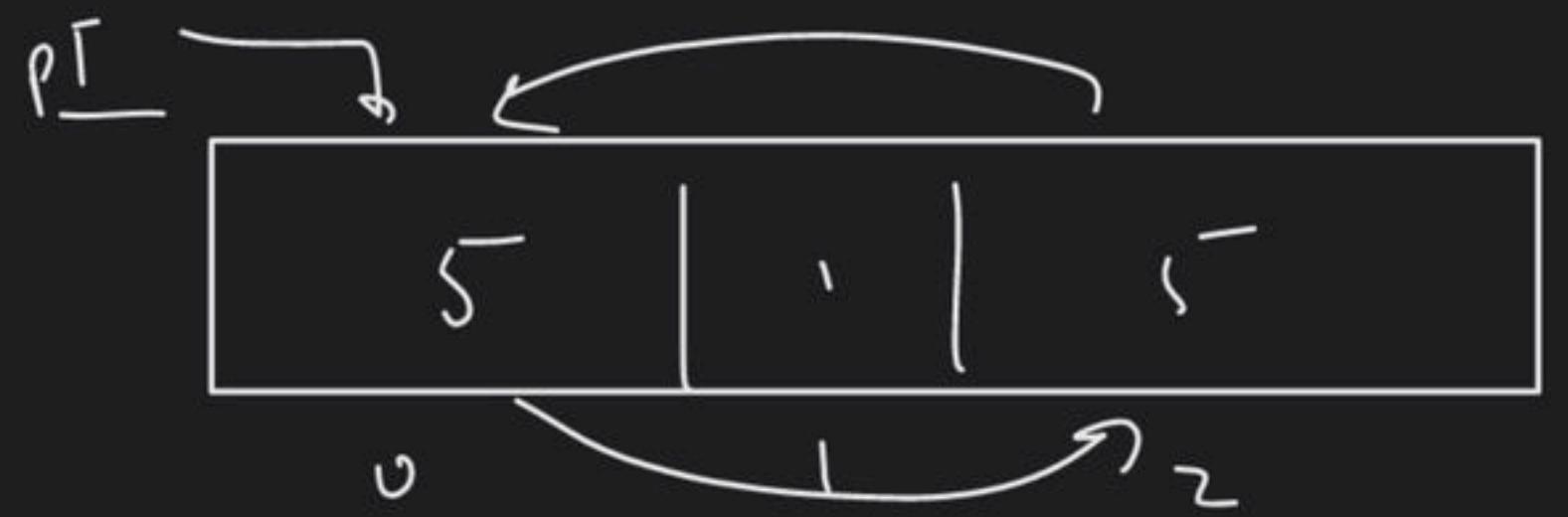
$O(n^2)$



$$\textcircled{1} \quad \rho^1 = 0$$

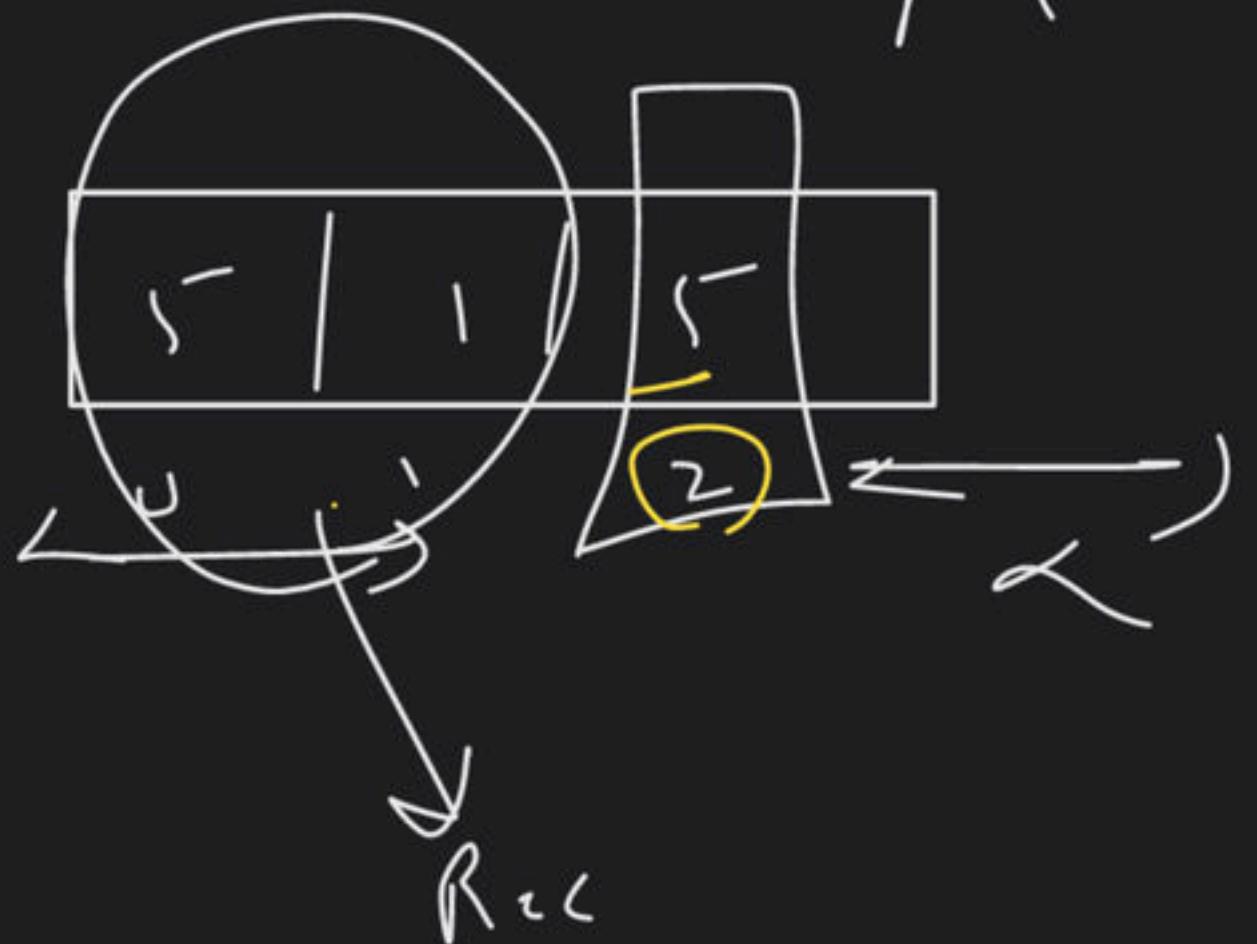
$$\textcircled{2} \quad \text{count} = 2 \rightarrow r^1 = 0 + 3 = 3$$

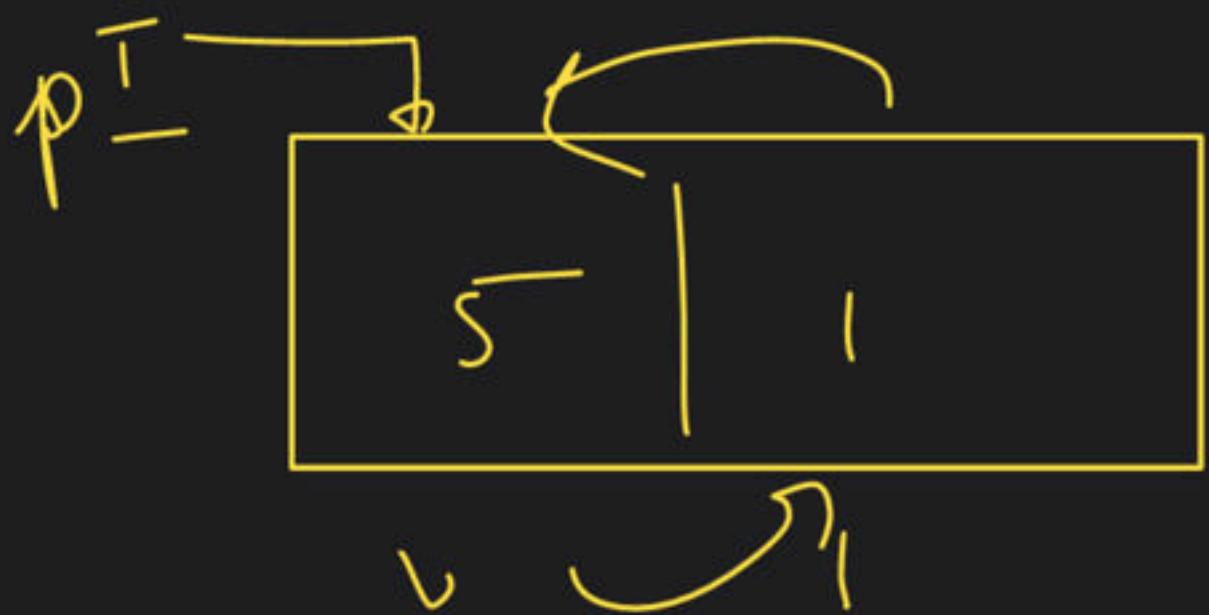




①  $p[1] = 0$

②  $\text{count} = 2 \rightarrow n[1] = 1 + \text{count} = 0 + 2 = 2$   
 $\text{swap}(arr[0], arr[2])$

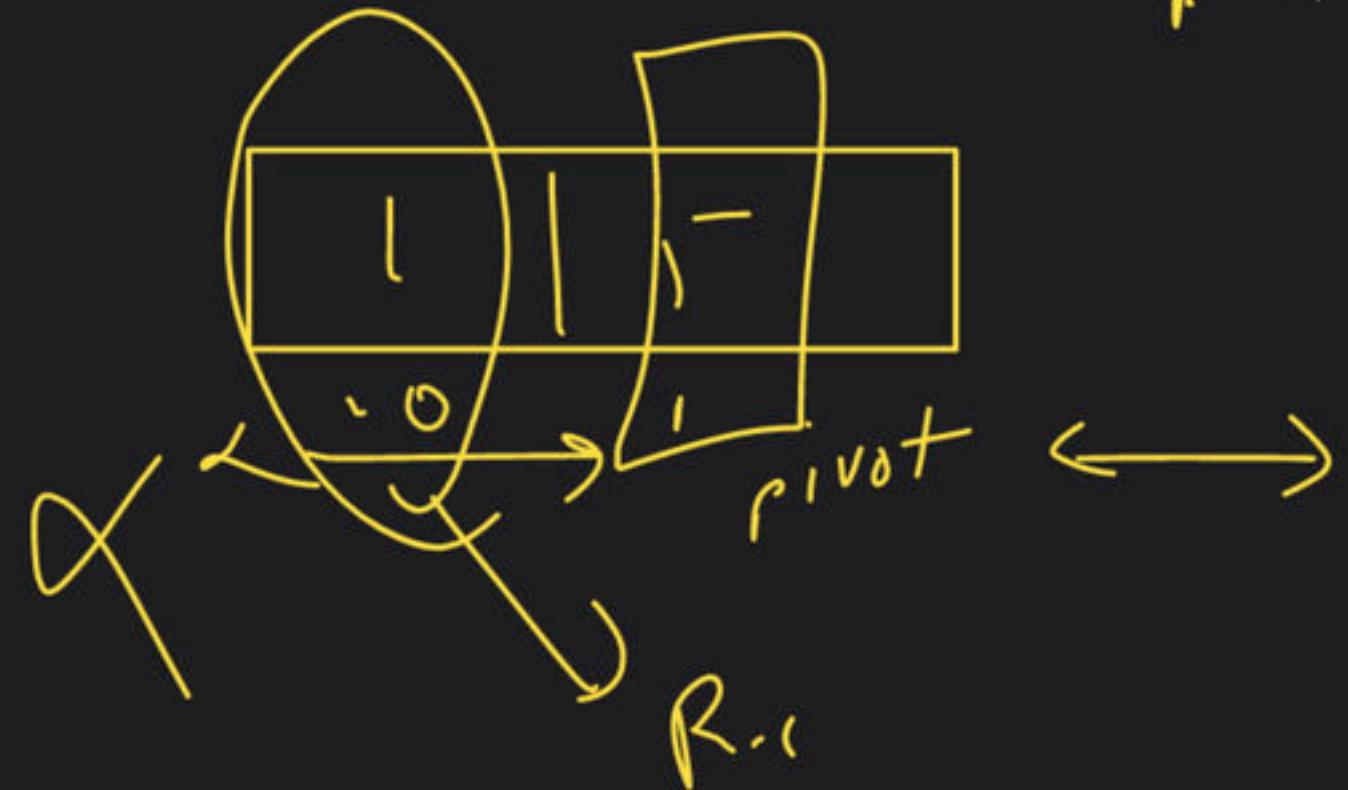


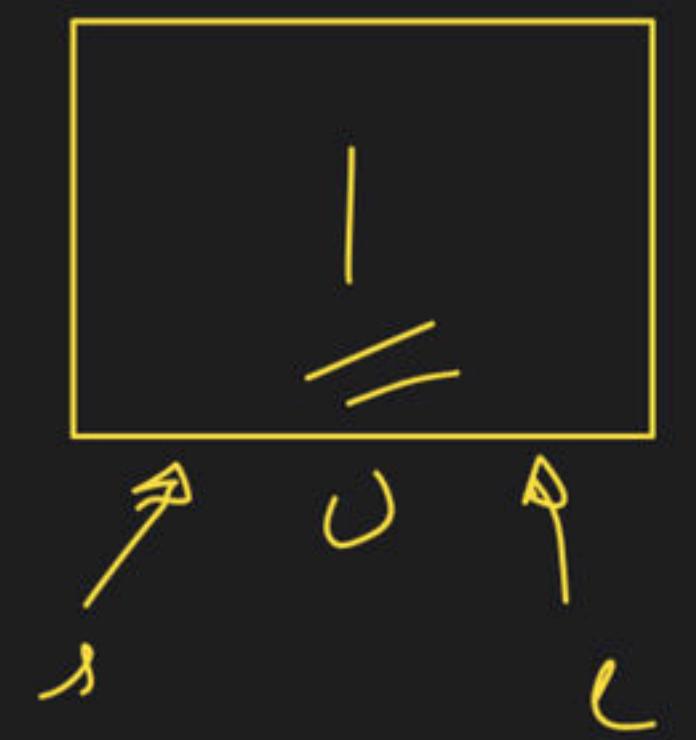


①  $p^T = 0$

②  $\text{count} = 1 \rightarrow r^T \rightarrow s + \text{count} = 0 + 1$

$\text{swap}(\text{arr}[p^T], \text{arr}[r^T])$

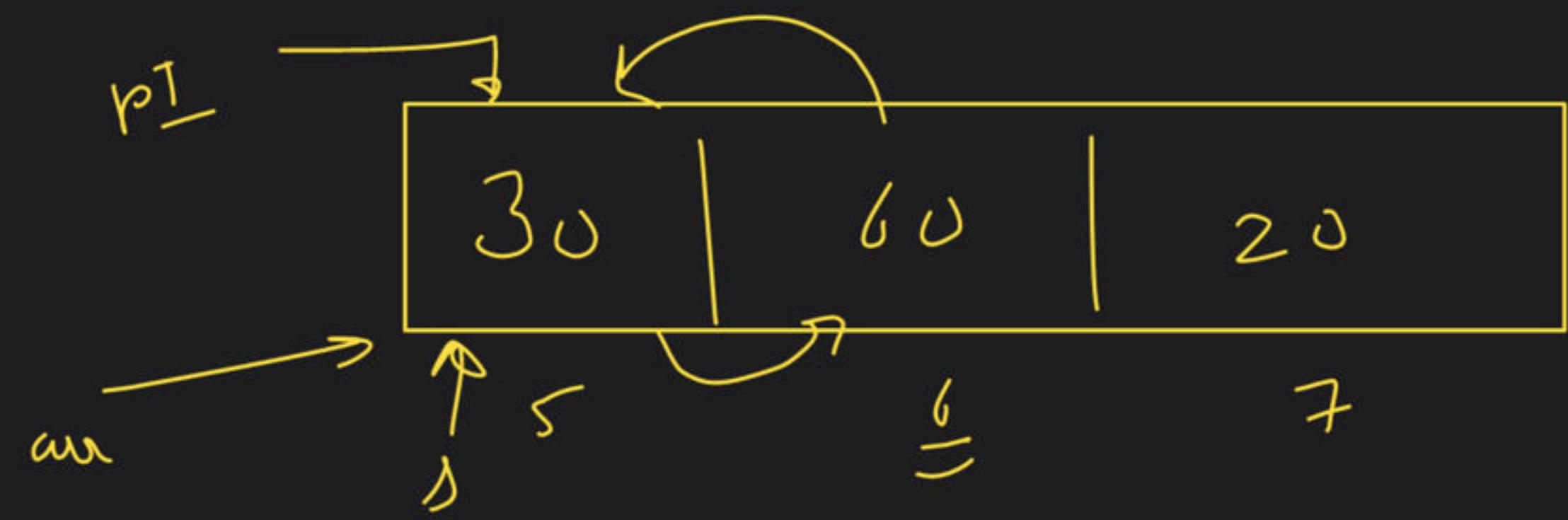




→ single Element

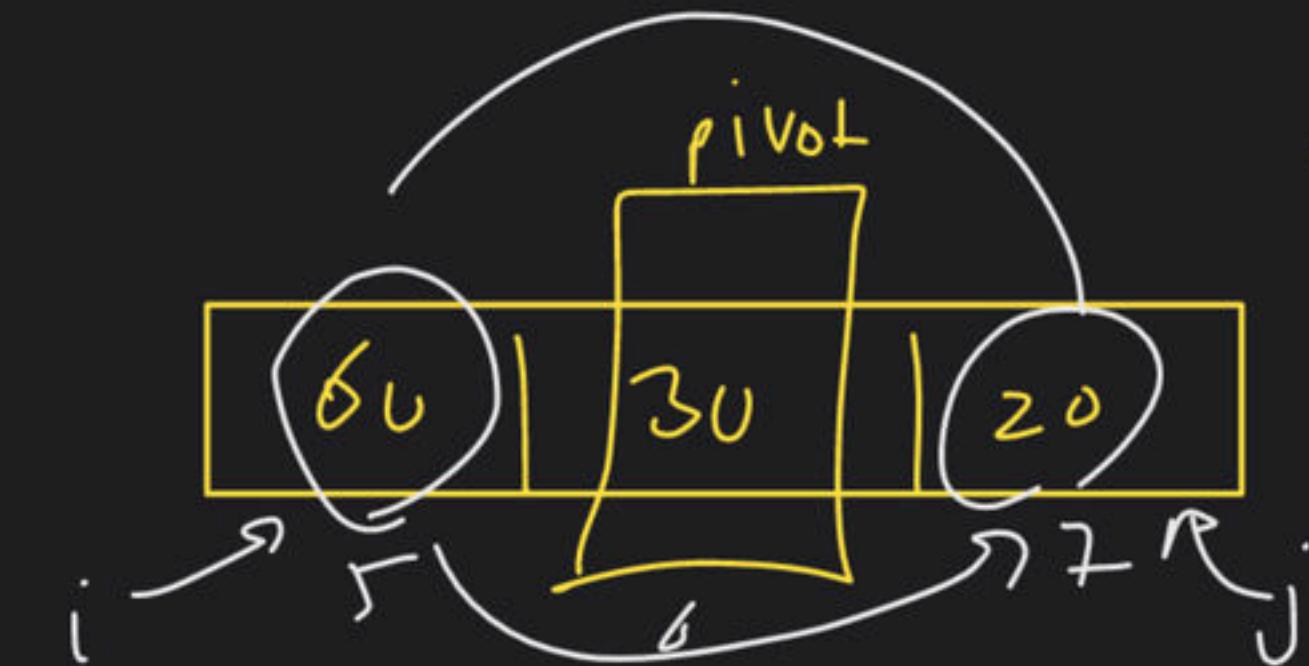
already sorted

↳ system



$$\textcircled{1} \quad p1 = 5$$

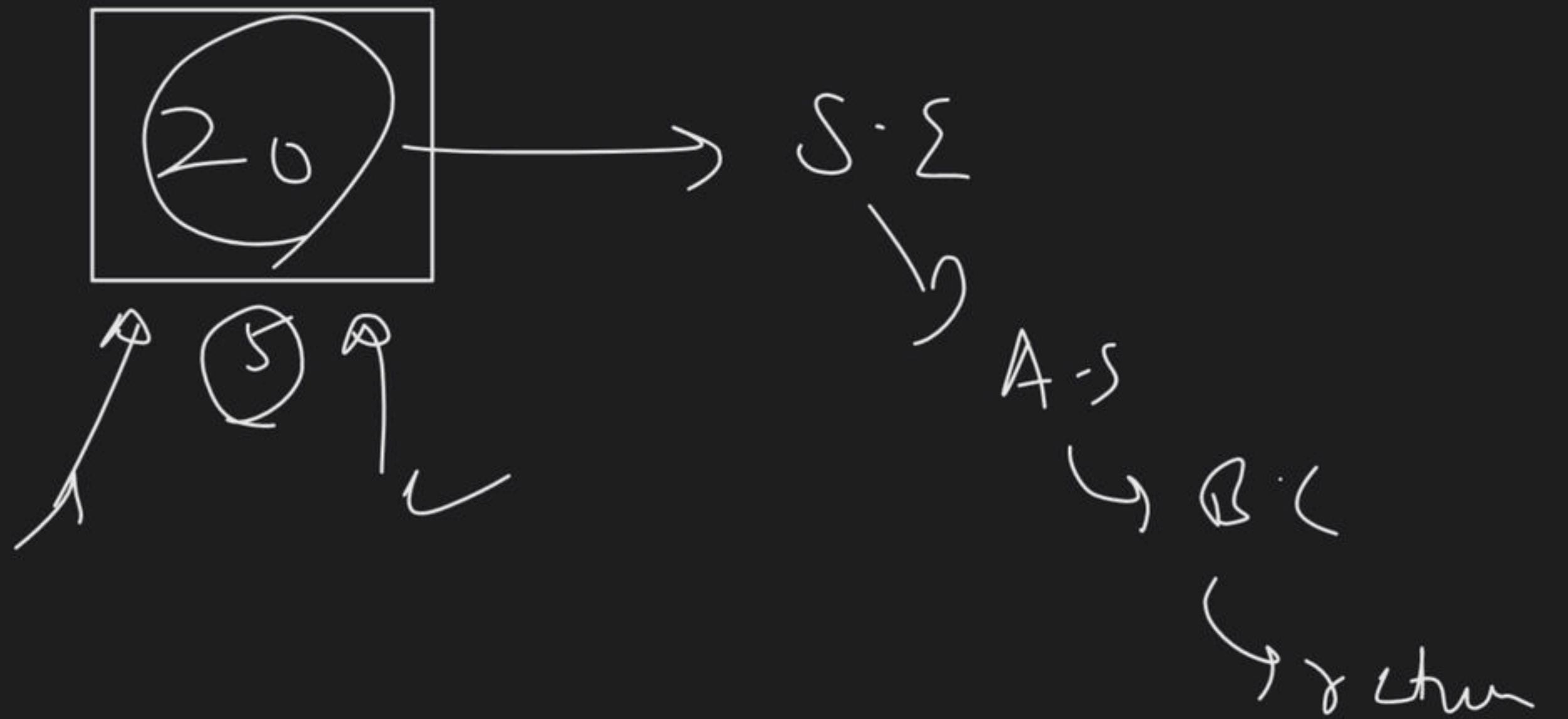
$$\textcircled{2} \quad \text{count} = 1 \rightarrow r1 = i + \text{count} = 5 + 1 \\ = 6$$

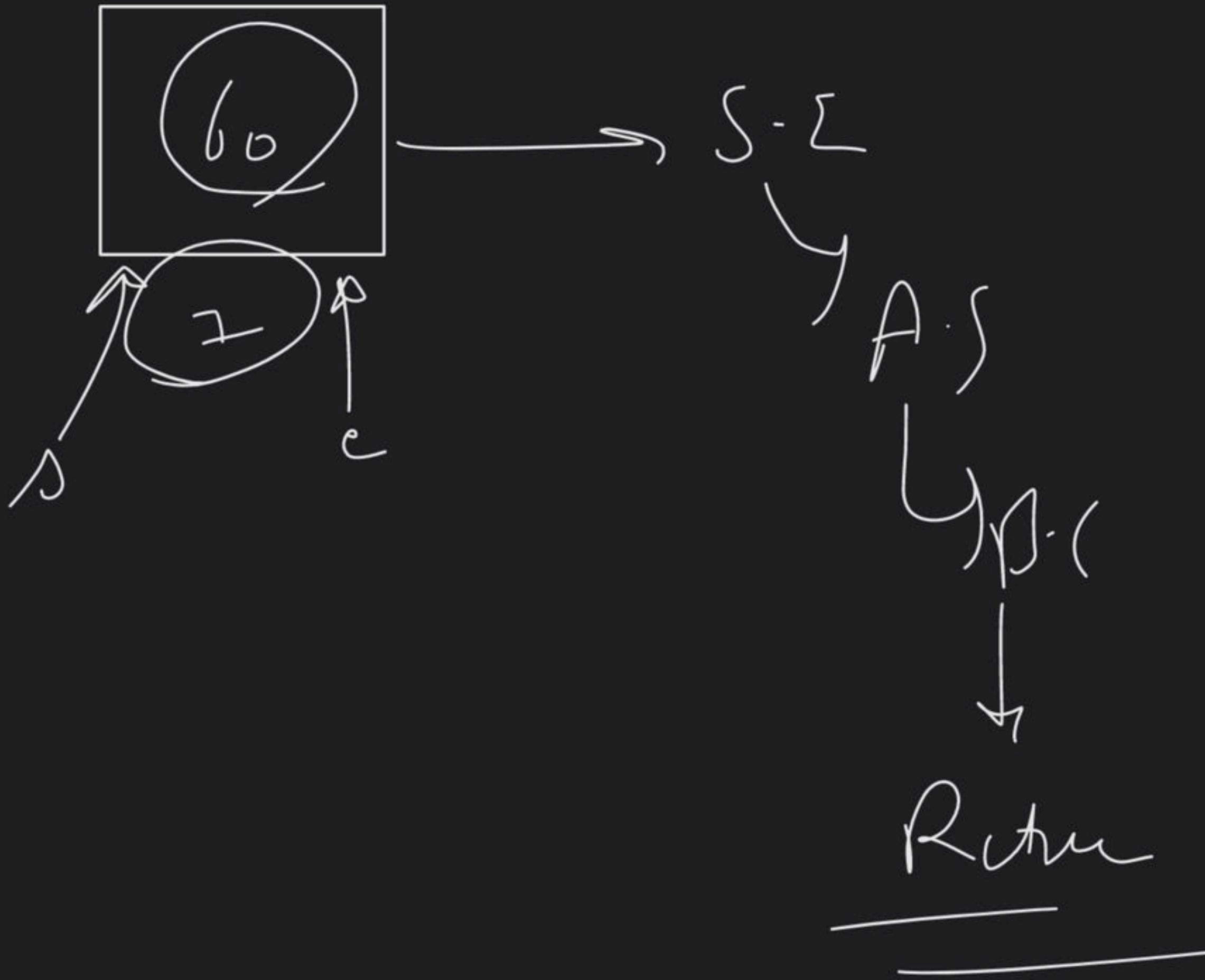


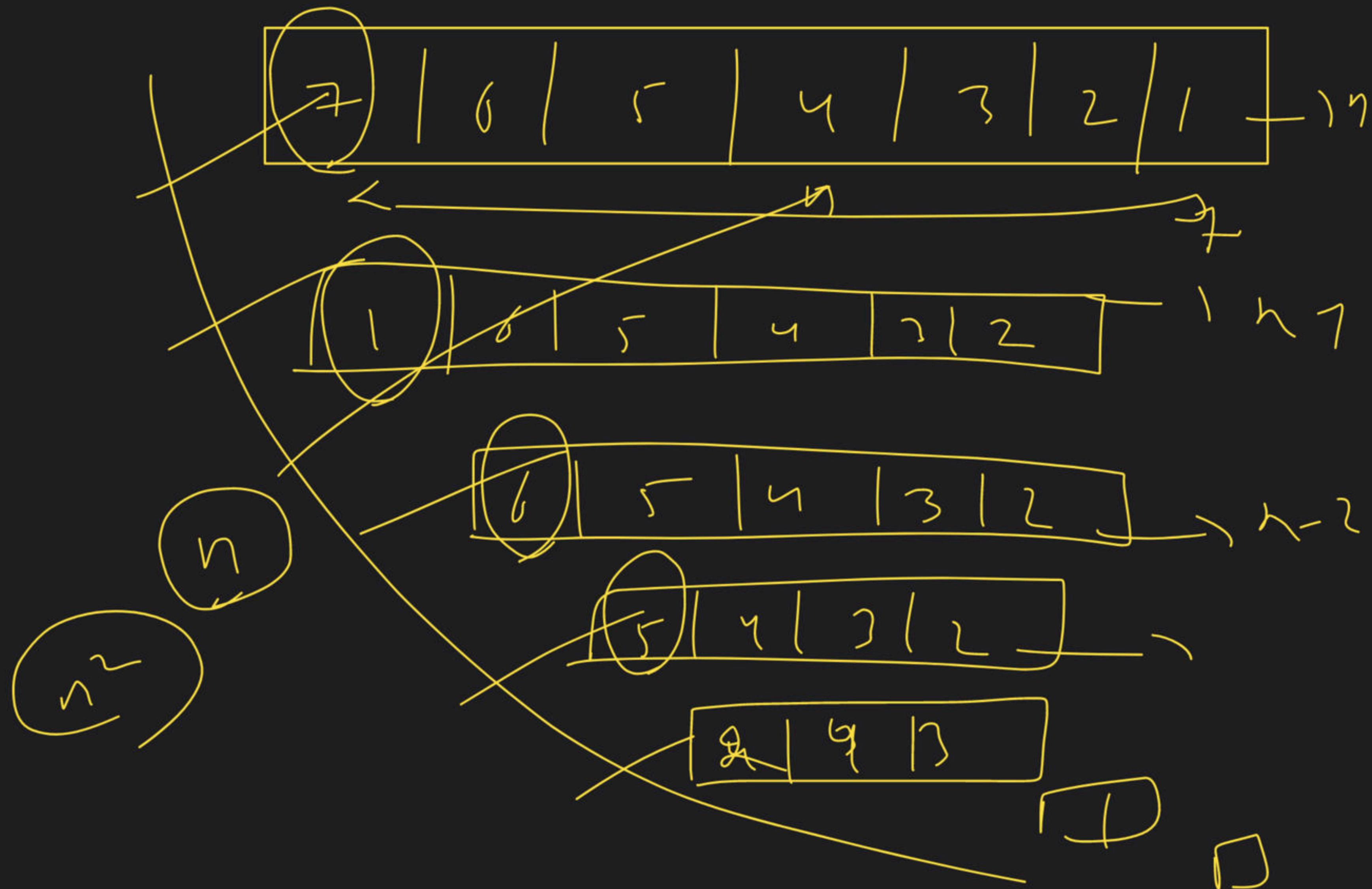
$\text{swap}(arr[5], arr[6])$

$$i = 5 \quad \rightarrow \text{swap}(arr[i], arr[j]) \\ j = 7$$







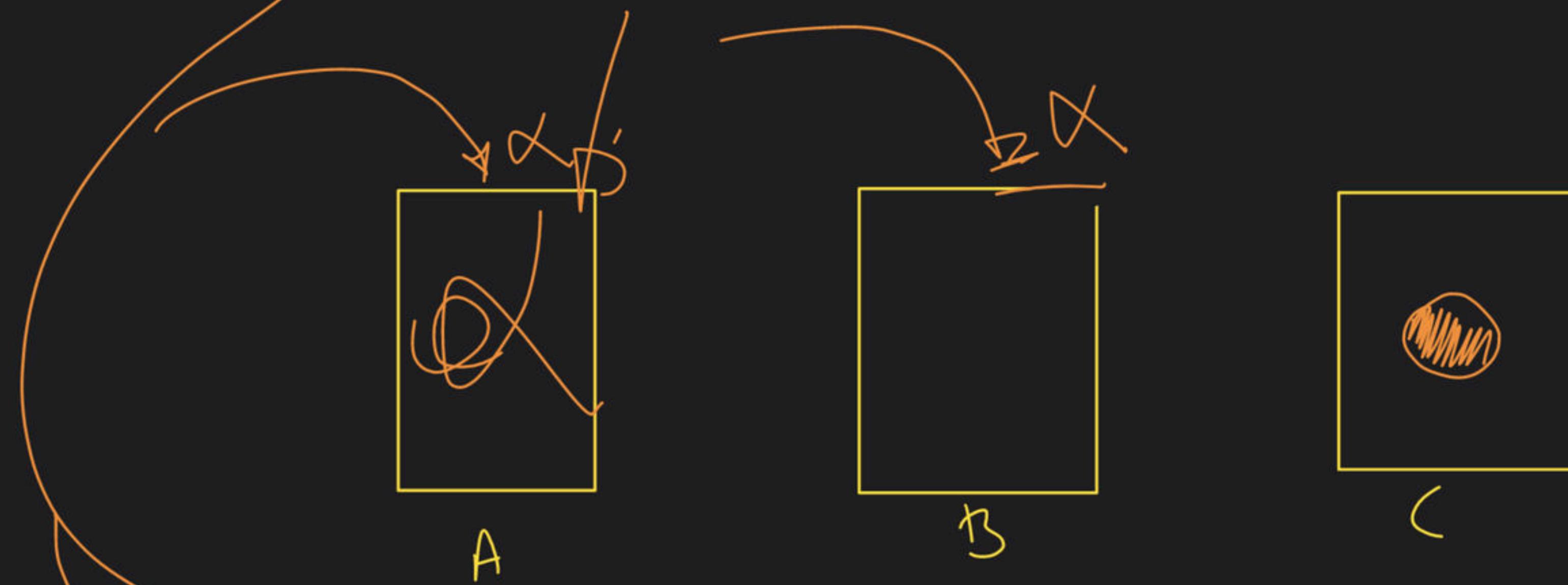




tiny

Braids

Back tracking  $\rightarrow$  (specific form  
of Recursion)

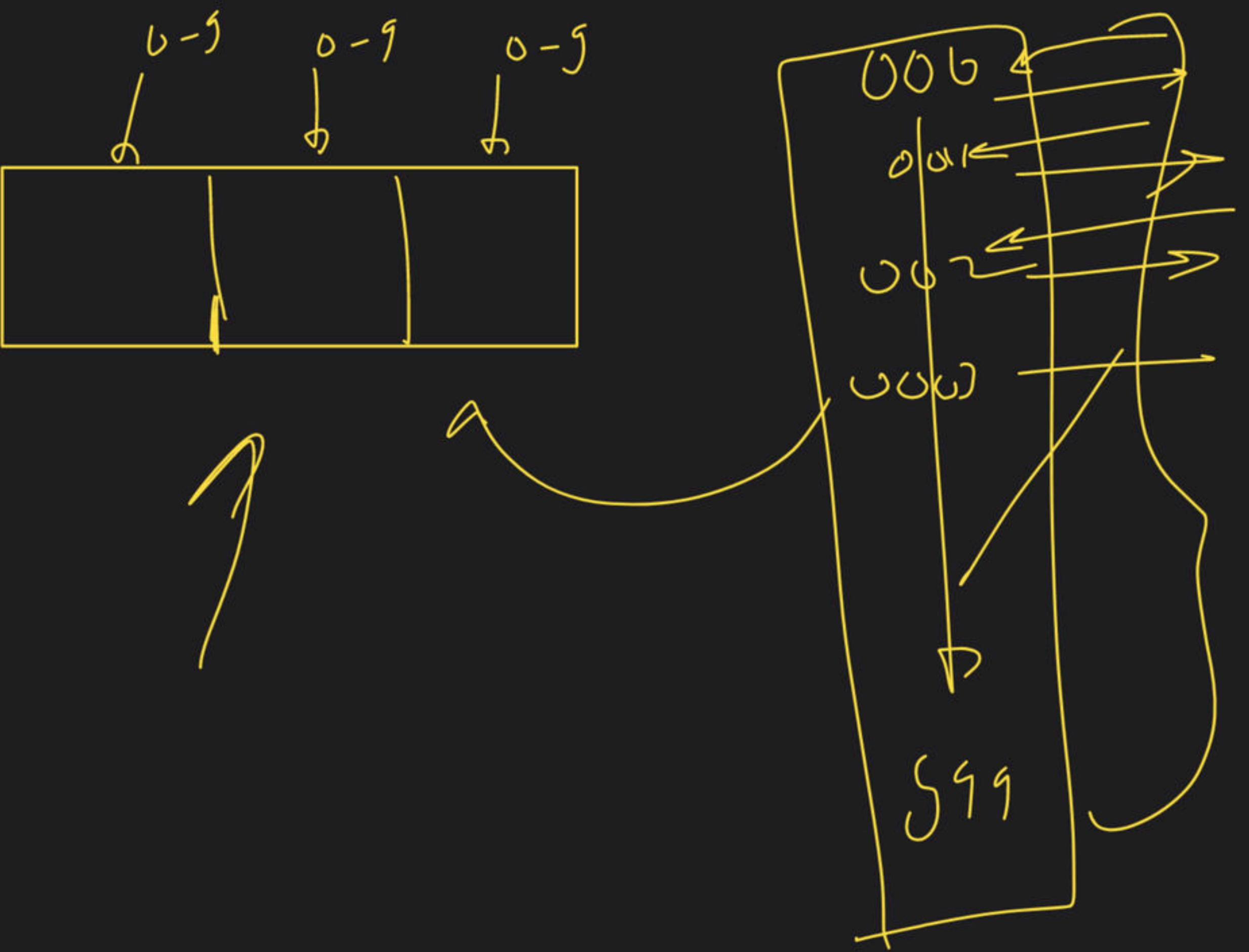


explore all possibl. solution

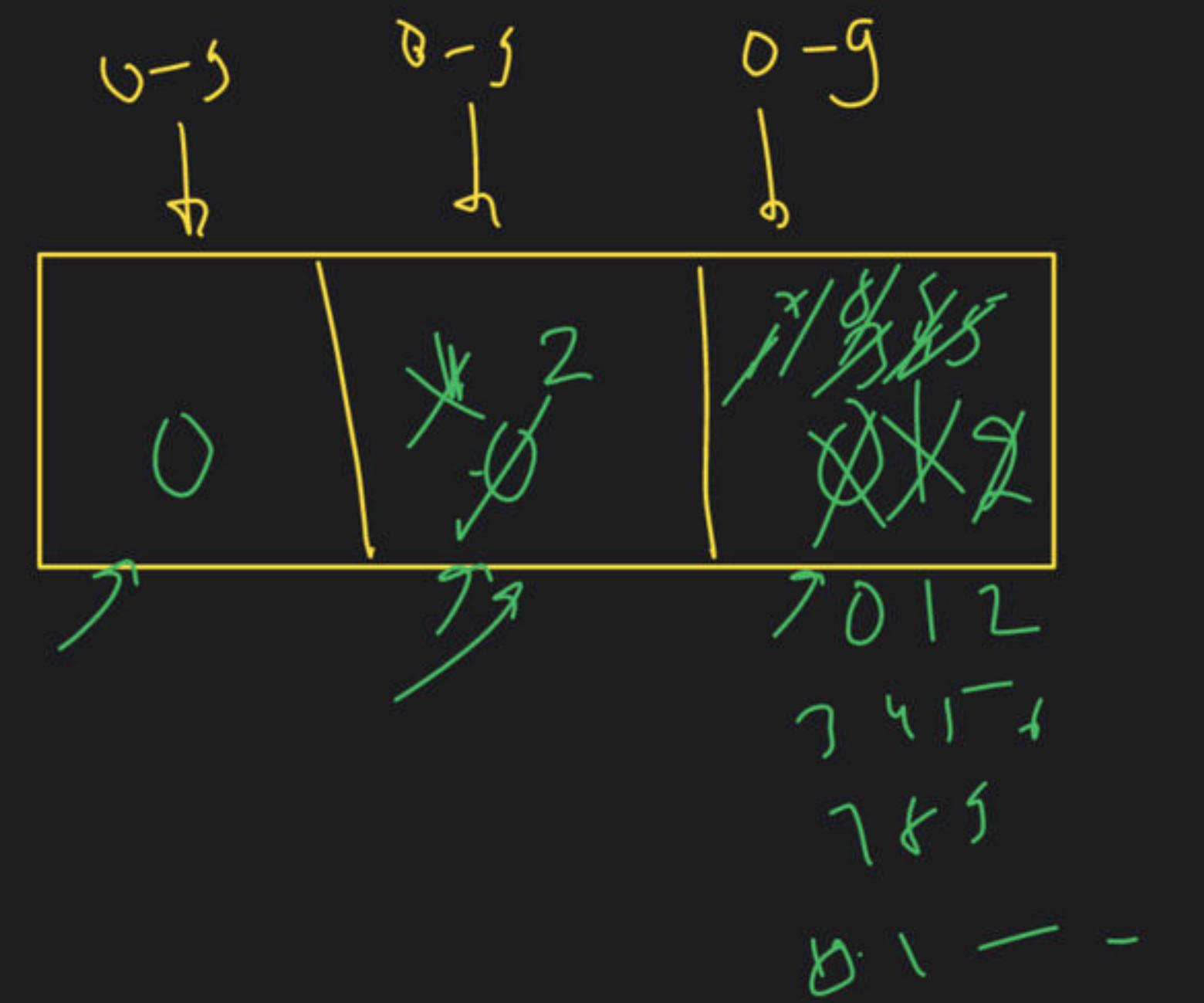
solution  $\rightarrow$  direct  $\rightarrow$  ways check  
nati - knowledge

Rat in a maze

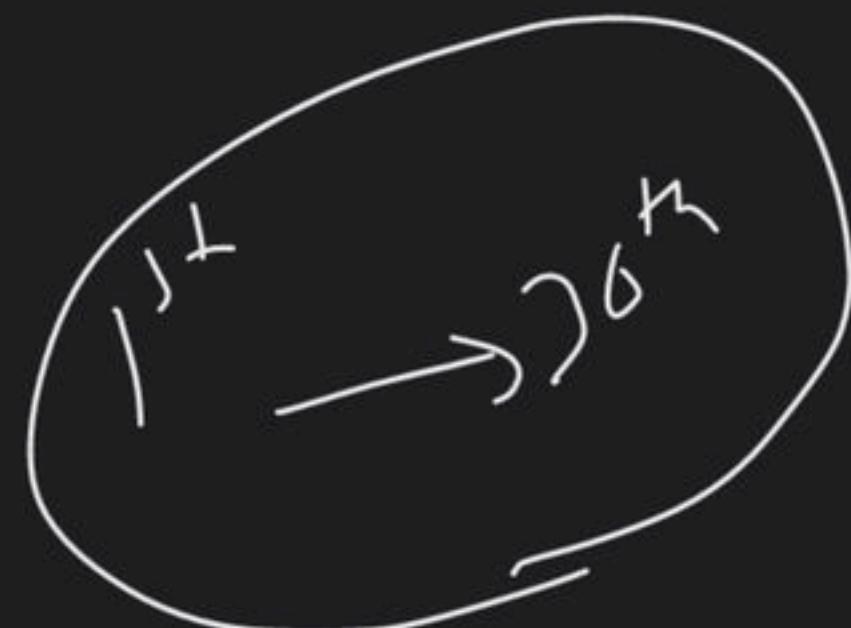
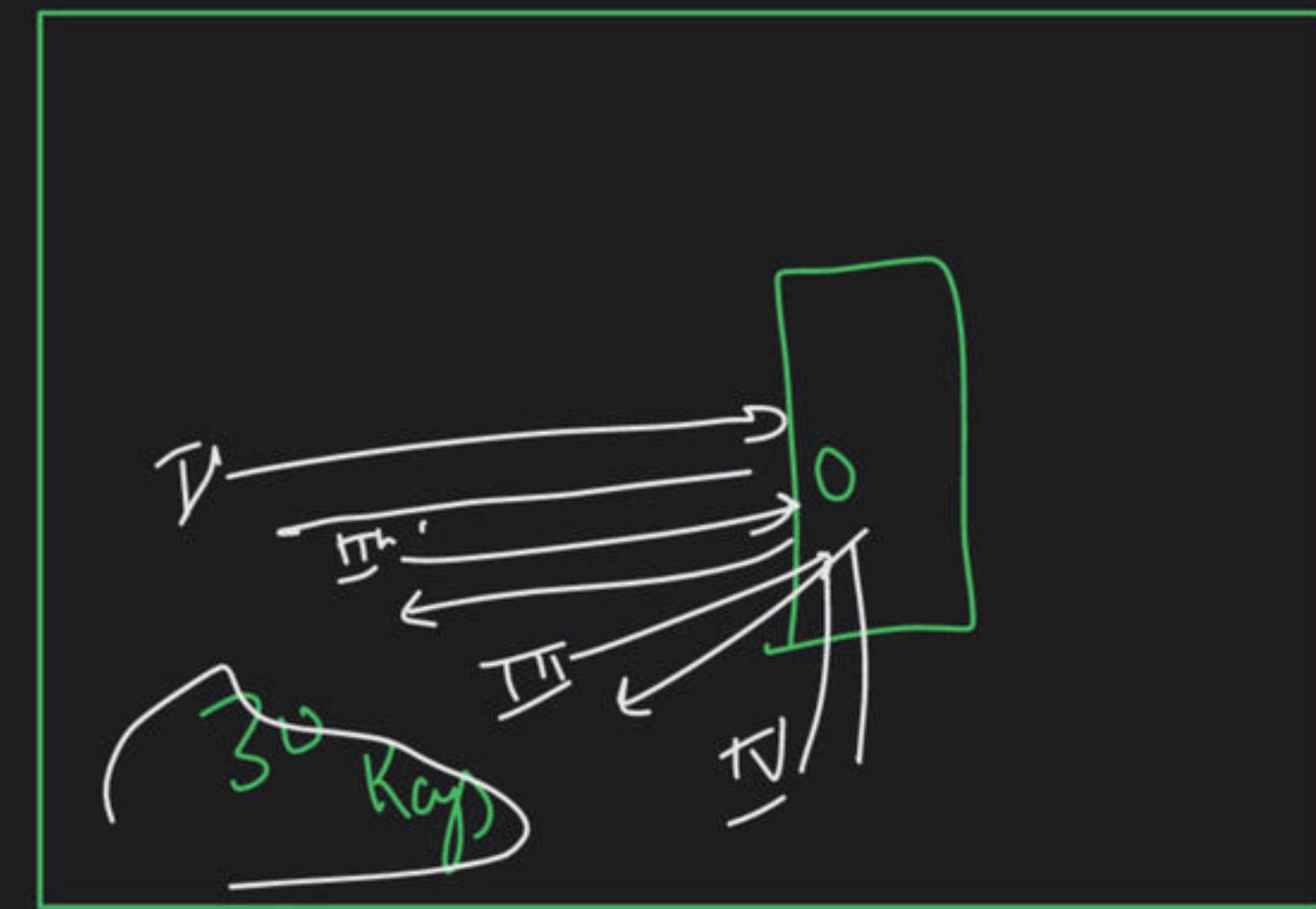




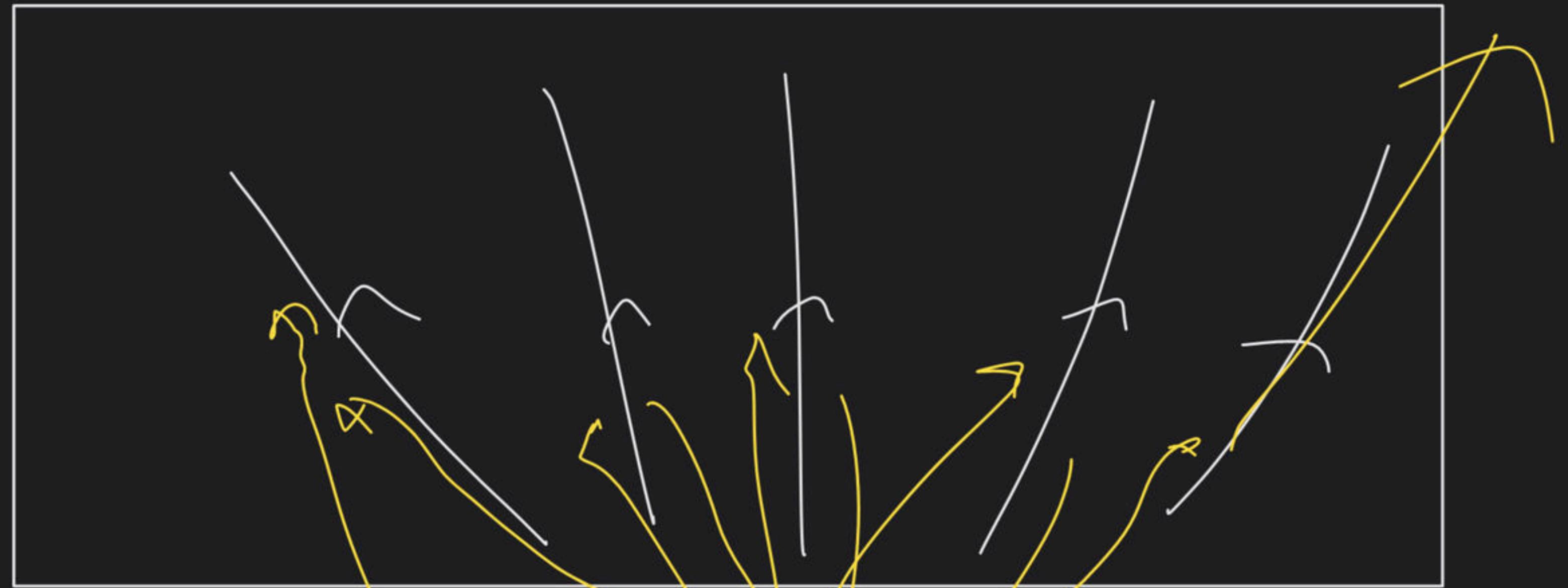
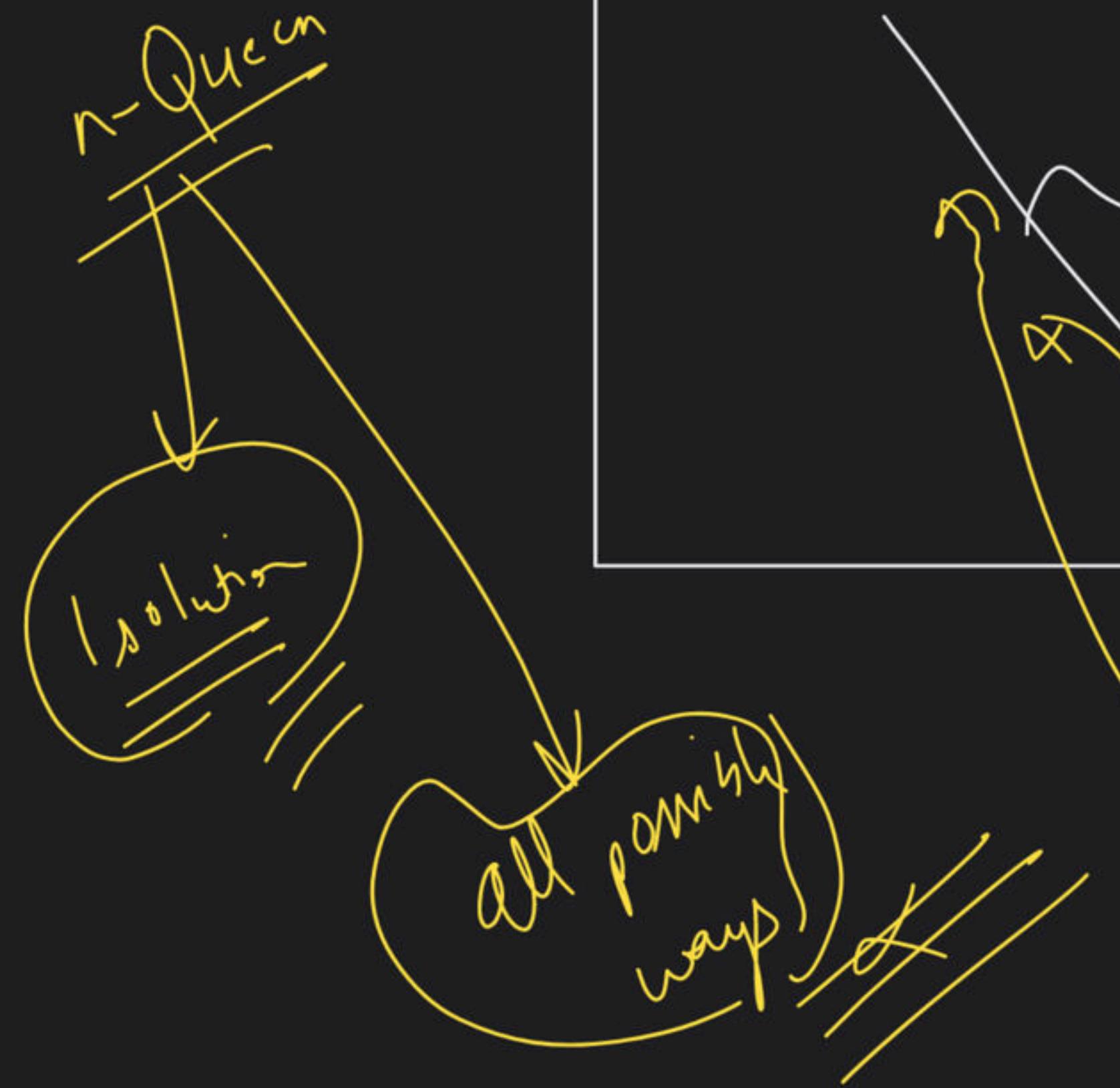




Breakdancing



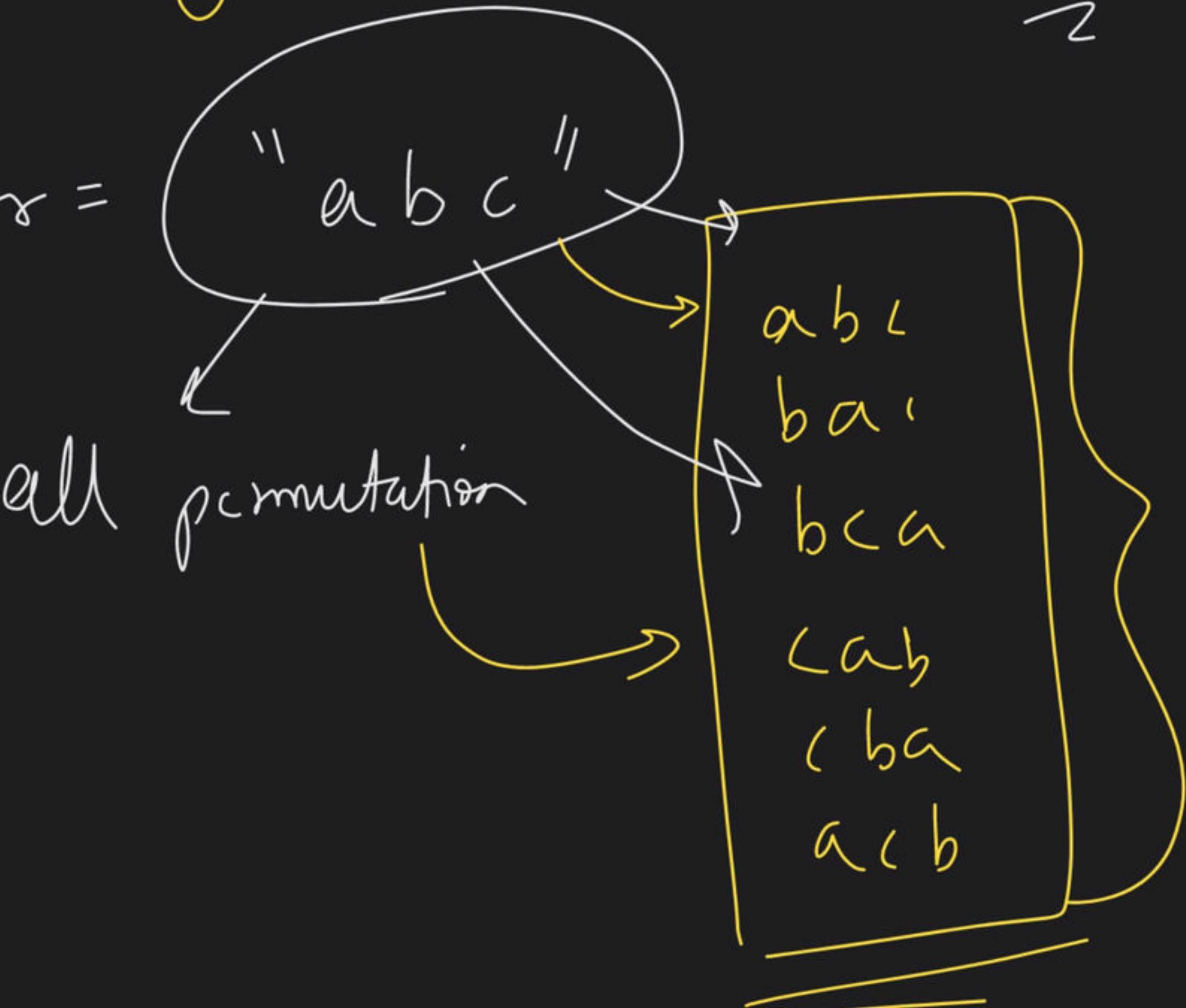
Escape Room

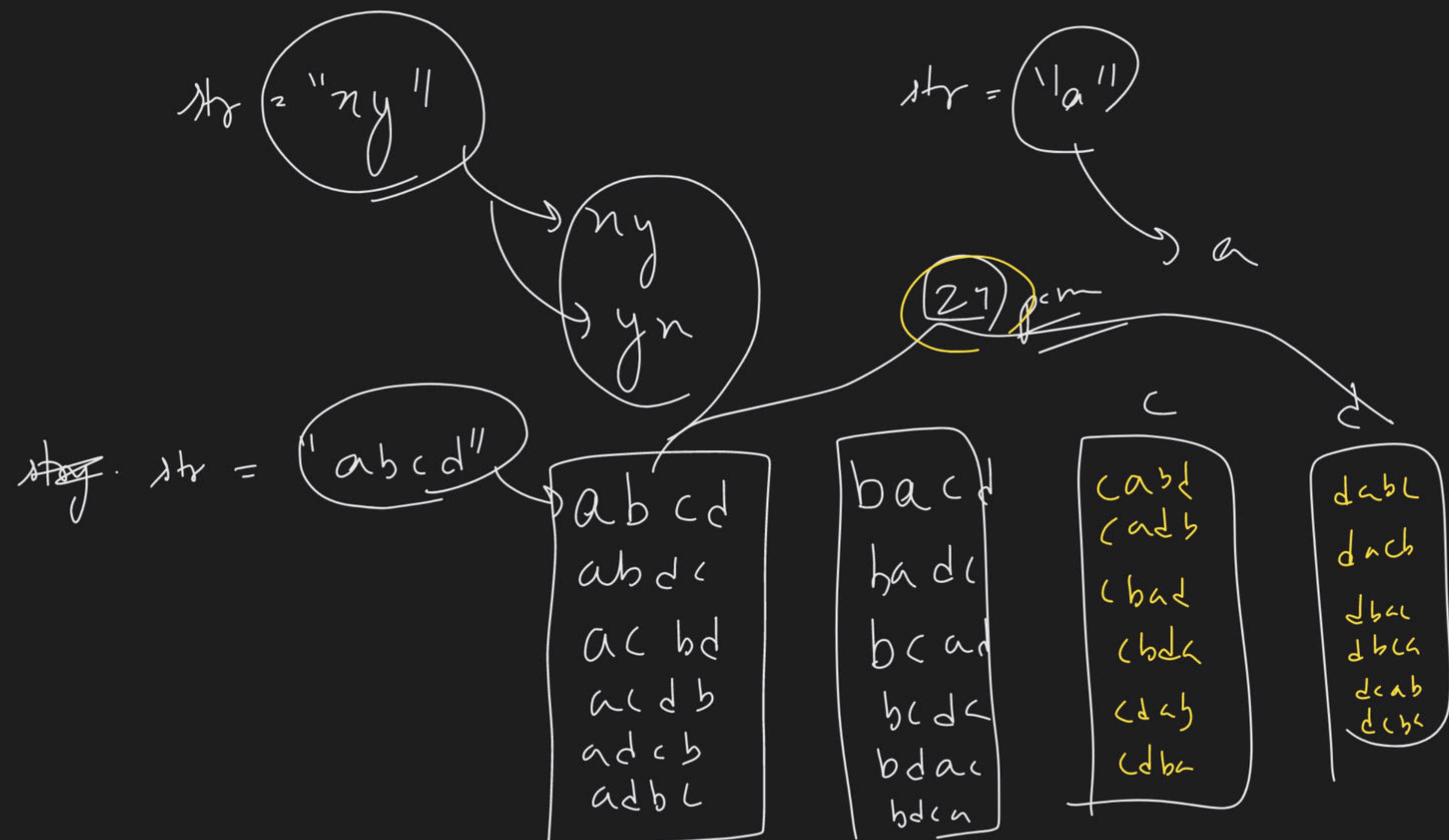


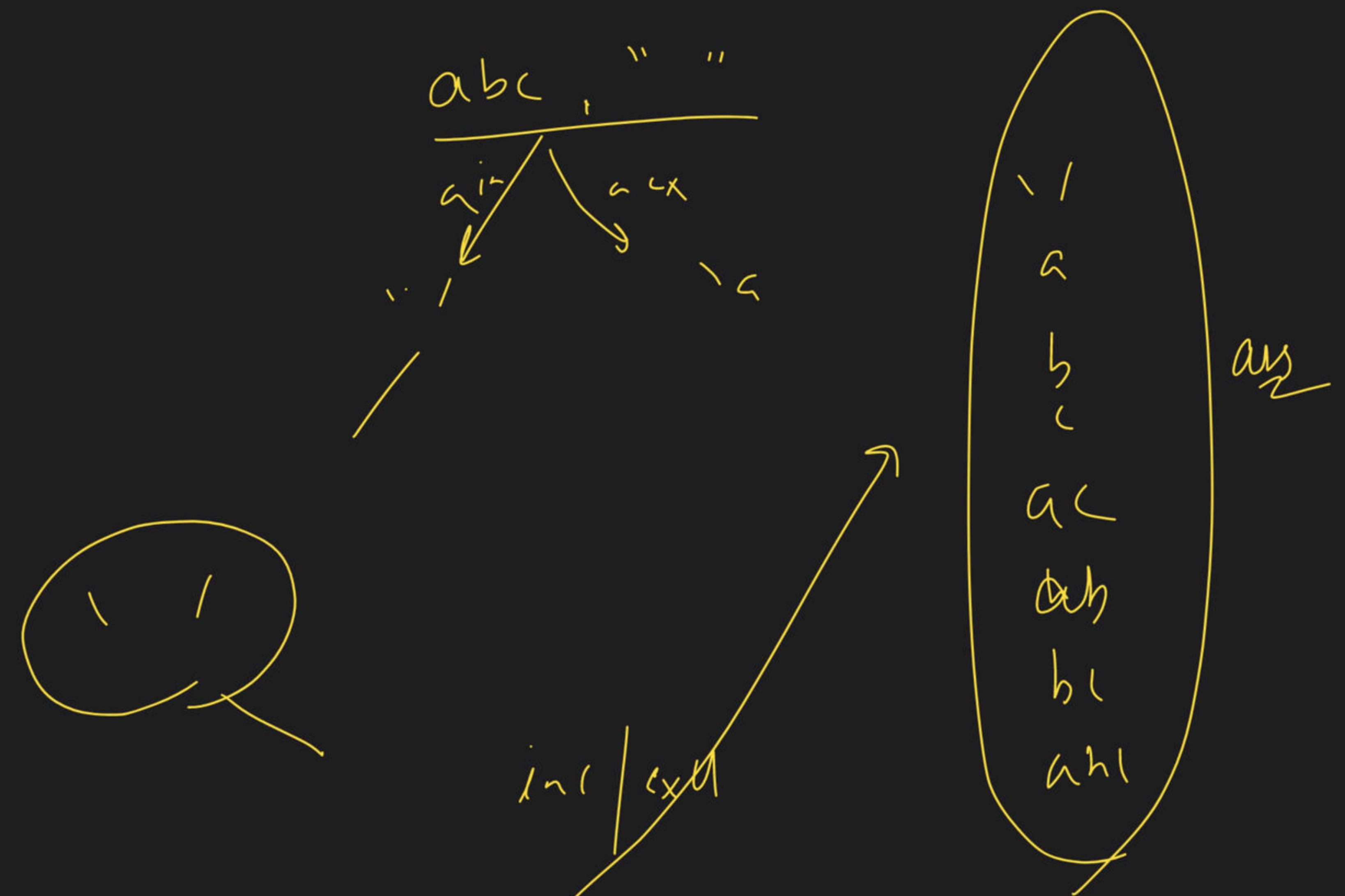
→ Permutations of String :-

1 min  
Break  
2

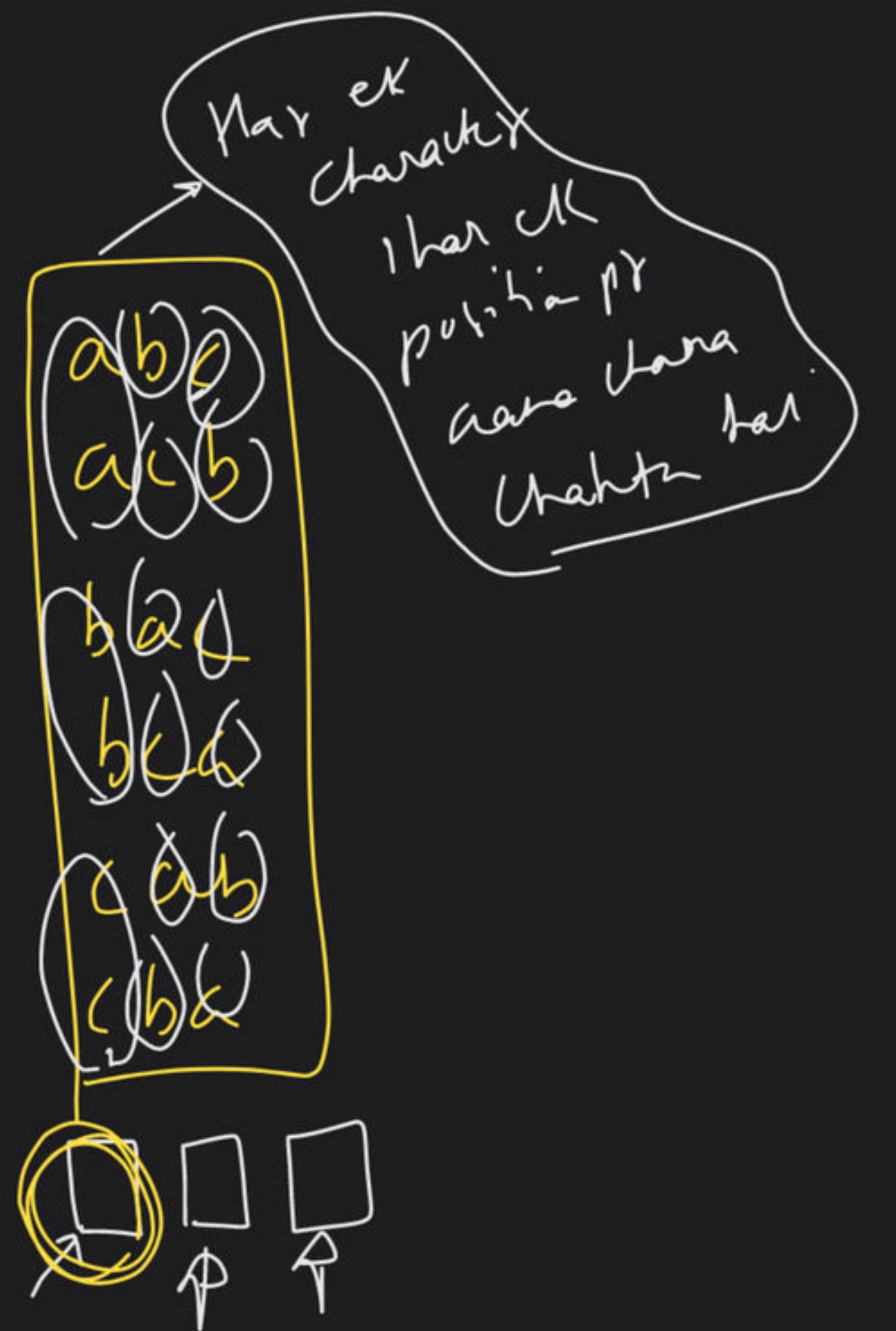
i/p → string str =

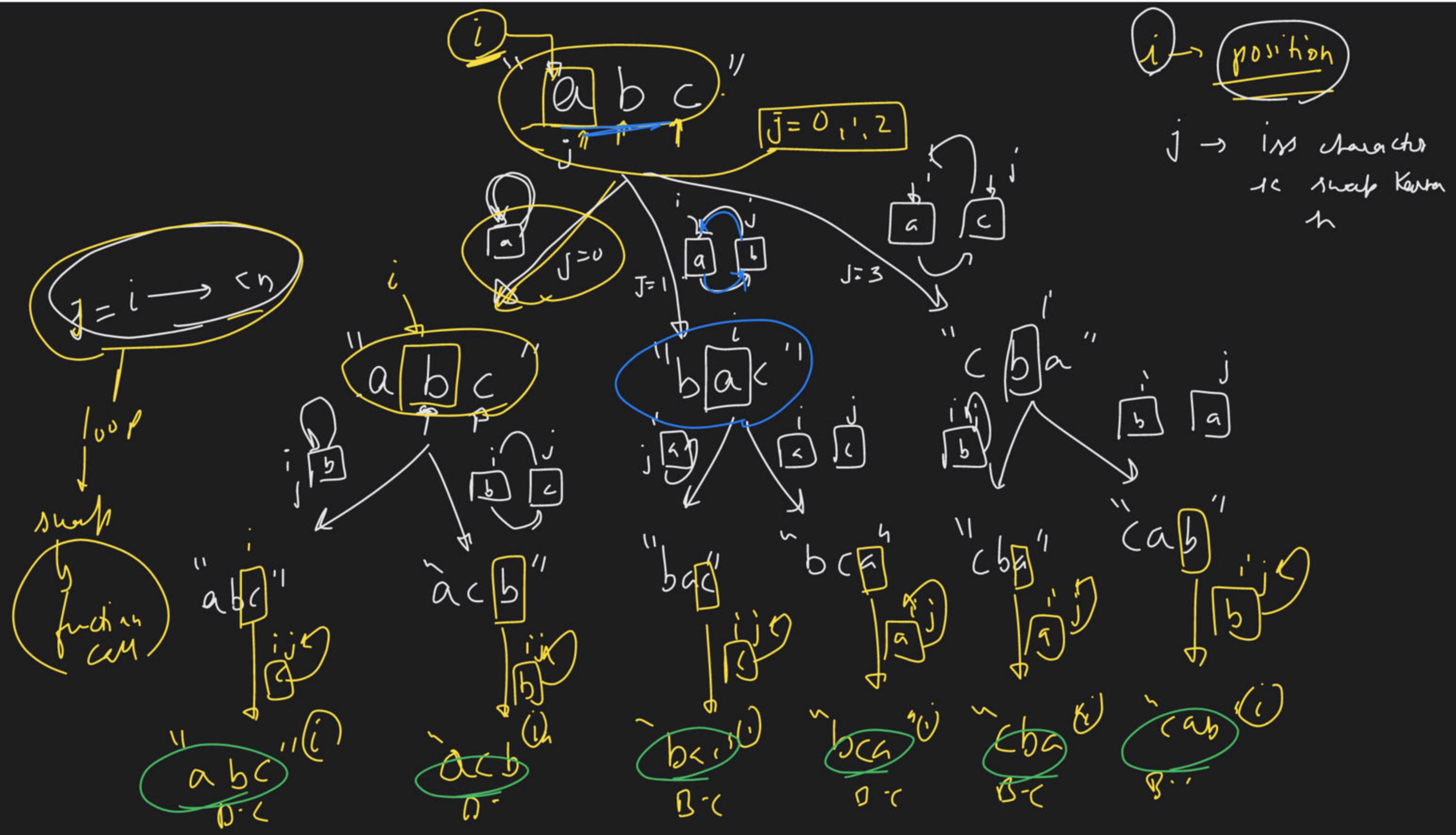






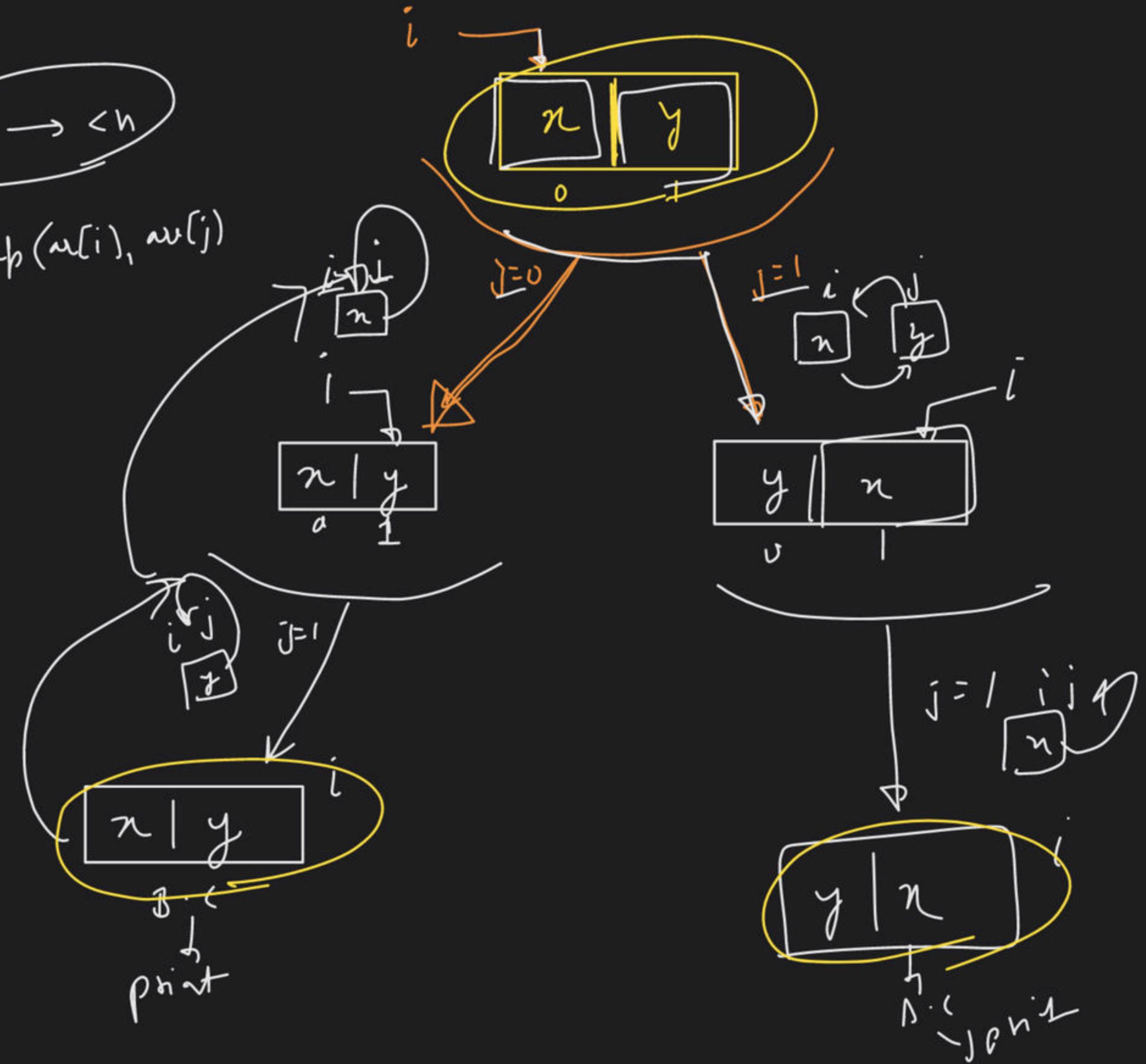
a b c





$j = i \rightarrow < n$

$\text{swap}(w[i], w[j])$



$n | y$   
 $y | n$

