

Solution 1

```
In [1]: #importing the libraries
import cv2 as cv
import numpy as np
import matplotlib.pyplot as plt
```

```
In [24]: img = cv.imread('CinqueTerre.jpg')
plt.imshow(cv.cvtColor(img, cv.COLOR_BGR2RGB))
```

Out[24]: <matplotlib.image.AxesImage at 0x266402bd490>



a)

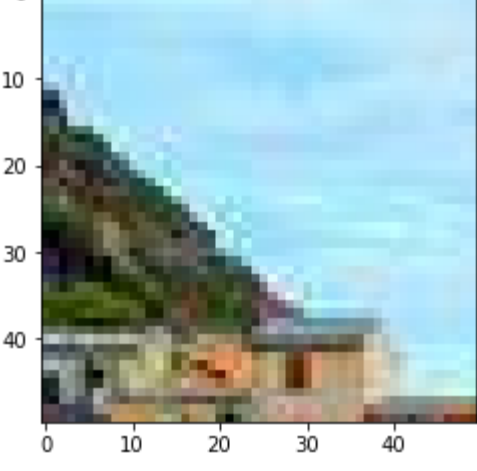
```
In [3]: #Size and Number of channels of the image
print("The size of the image is:", img.shape)
print("Number of channels in the image is: ", img.shape[-1])
```

The size of the image is: (315, 474, 3)
Number of channels in the image is: 3

b)

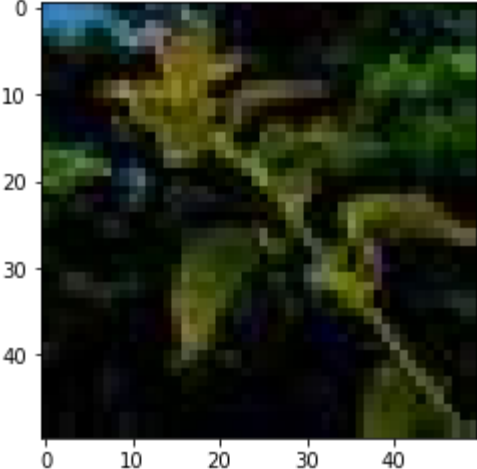
```
In [21]: #getting the top left part of the image
subimg1 = img[:50,:50,:]
print(subimg1.shape)
plt.imshow(cv.cvtColor(subimg1, cv.COLOR_BGR2RGB))
plt.show()
```

(50, 50, 3)



```
In [22]: #getting the bottom right part of the image
subimg2 = img[265:,424:,:]
print(subimg2.shape)
plt.imshow(cv.cvtColor(subimg2, cv.COLOR_BGR2RGB))
plt.show()
```

(50, 50, 3)



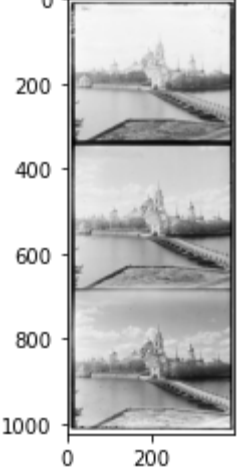
```
In [25]: #Funtion to calculate SSD
def ssd(img1, img2):
    diff = img1 - img2
    ssd = np.sum(diff**2, axis=(0,1)).sum()
    return ssd
```

```
In [27]: #Calculating the ssd of the bottom right and top left part
SSD = ssd(subimg1,subimg2)
print("The SSD of the two images is : ", SSD)
```

The SSD of the two images is : 781484

Solution 2

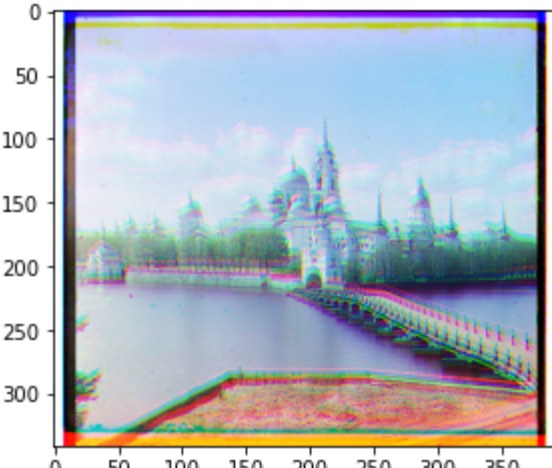
```
In [30]: #reading the image as grayscale
img2 = cv.imread('monastery.jpg', cv.IMREAD_GRAYSCALE)
plt.imshow(cv.cvtColor(img2, cv.COLOR_BGR2RGB))
plt.show()
```



```
In [31]: #splitting the image into blue, green and red channels
w,h=img2.shape
height=int(w/3)
blue=img2[0:height]
green=img2[height:2*height]
red=img2[2*height:3*height]
size = img2.shape
print("The size of the image is :", size)
```

The size of the image is : (1024, 391)

```
In [32]: #image without alignment
merged = cv.merge([blue,green,red])
plt.imshow(cv.cvtColor(merged, cv.COLOR_BGR2RGB))
plt.show()
```



a)

```
In [87]: #function to crop the image
def crop(img):
    height, width = img.shape
    new_height, new_width = int(height/1.11), int(width/1.11)
    return img[:new_height, :new_width]
```

```
In [88]: #function to slide the window over the base image
def slidel(img1,img2):
    img1_sub = crop(img1)
    h,w = img1_sub.shape
    min_ssd = ssd(img1_sub,img2)
    for i in range(10):
        for j in range(10):
            img2_sub = img2[i:i+h,j:j+w]
            ssd1 = ssd(img1_sub,img2_sub)
            if ssd1<min_ssd:
                min_ssd = ssd1
                best_img = [i,j]
    return (min_ssd,best_img)
```

b)

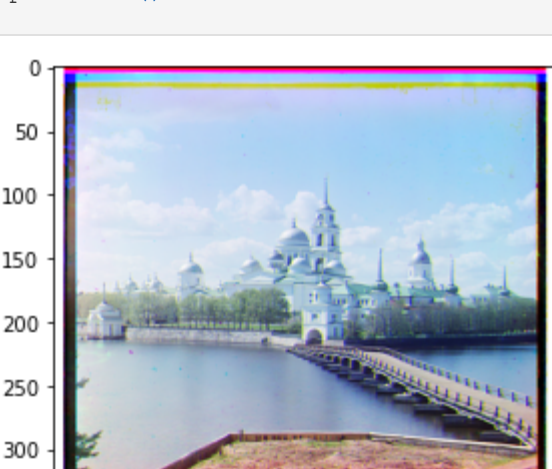
```
In [89]: #we shall fix the base image as green and slide red and blue over it
b_on_g = slidel(blue,green)
r_on_g = slidel(red,green)
g_fin = green
b_fin = np.roll(blue, (b_on_g[1][0],b_on_g[1][1]), axis =(0,1))
r_fin = np.roll(red, (r_on_g[1][0],r_on_g[1][1]), axis =(0,1))
```

c)

```
In [84]: #merging the best aligned channels
merged = cv.merge([b_fin,g_fin,r_fin])
```

d)

```
In [85]: #displaying the merged image
plt.imshow(cv.cvtColor(merged, cv.COLOR_BGR2RGB))
plt.show()
```



In []:

3)

Given a pair of parallel lines if we join them to the pinhole
we get the dashed straight lines

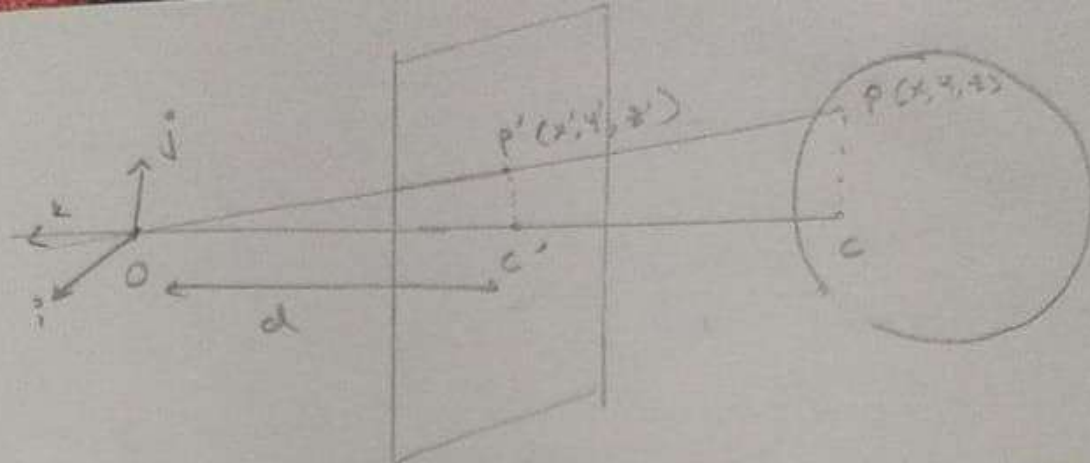
Now, if we place a virtual screen between the ~~two~~ lines and the pinhole we can get the corresponding image of the parallel lines.

So A will go to a & c will go to c, we get a corresponding virtual image of AC. Similarly for BC we get BC.

On extending these lines on the screen, they intersect at P, the vanishing point.

If we take any other pair the corresponding pair intersects at say P' on the virtual screen. Then we can see, P, P' & O lie on a straight line. This line is horizon line h and it is the intersection of a plane Π to ϕ and Π & passes through the pinhole.

4)



Let OC be the optical axis & P be the object. When we look at the virtual image of P we have P' .

$$OC' = d$$

$$\text{R.T.P: } \triangle OP'C' \sim \triangle OPC$$

$$\angle P'OC' = \angle POC \quad (\text{common})$$

$$\angle P'C'O = \angle PCO \quad (\text{the virtual image screen and the object screen are perpendicular to the optical axis})$$

$$= 90^\circ$$

$$\therefore \triangle OP'C' \sim \triangle OPC \quad (\text{AA axiom})$$

$$\Rightarrow \frac{OP'}{OP} = \frac{OC'}{OC} = \frac{P'C'}{PC} = \lambda \quad (\text{say})$$

$$\therefore OP' = \lambda OP \Rightarrow (x', y', z') = \lambda(x, y, z)$$

$$\Rightarrow x' = \lambda x, y' = \lambda y, z' = \lambda z$$

Note that, \hat{k} points towards the left, hence the right side has negative values. $\Rightarrow z' = -d$.

$$\therefore \frac{x'}{x} = \frac{y'}{y} = \frac{-d}{z} \Rightarrow x' = -\frac{d}{z}x, y' = -\frac{d}{z}y, z' = -d$$

The perspective equation projection for a virtual image is,

$$x' = -\frac{d}{z}x, y' = -\frac{d}{z}y, z' = -d$$

5) Two of the illusions are :

(a) Ghostly Gaze

This image has no photograph of two twin sisters when seen initially it looks like they are looking at each other but when carefully observed, they actually look straightwards. This difference in look because of two reasons, the spatial detail of the image and their gaze.

The image was created by combining two pictures of the same woman, one which was aware had the woman looking towards each other. The other one which was fine had them looking straight. So when we see the image from a distance we can only see the rough i.e. coarse details hence sideways. Whereas, if we go close to the image we can see the fine details that is the women looking straightwards.

(b) The Rotating Snakes Illusion

As we move our eyes over the image, it appears as if the spirals are moving. But when we fix our gaze, this movement slows down or even stops. This happens because of our jerky eye motions - such as rapid eye movements like microsaccades, large saccades and blinks. This image accelerates the motion-sensitive neurons in the visual cortex due to which our visual neurons make us perceive that the snakes are rotating.