

First Negative Integer 2

```

public static void firstNegativeInteger(int[] arr, int n, int k) {
    // que contain index of -ve elements only
    Queue<Integer> que = new LinkedList<>();
    int i = 0;
    while (i < k) { // k times only (for first window)
        if (arr[i] < 0) {
            que.add(i);
        }
        i++;
    }

    while (i < n) {
        // first negative element of current window
        if (que.size() > 0) {
            System.out.print(arr[que.peek()] + " ");
        } else {
            System.out.print(0 + " ");
        }

        // remove all elements which are out of window
        while (que.size() > 0 && que.peek() < (i - k + 1)) {
            que.poll();
        }

        // keep adding -ve elements
        if (arr[i] < 0) {
            que.add(i);
        }
        i++;
    }

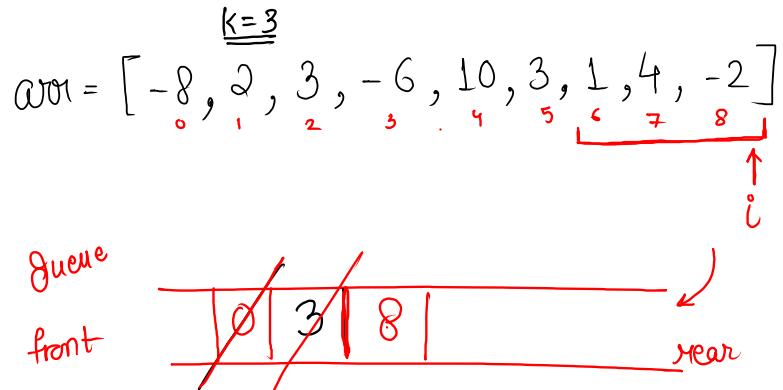
    if (que.size() > 0) {
        System.out.print(arr[que.peek()] + " ");
    } else {
        System.out.print(0 + " ");
    }
}

```

to print first -ve no.

to remove out of window elements

{ to insert -ve elements in queue for first window



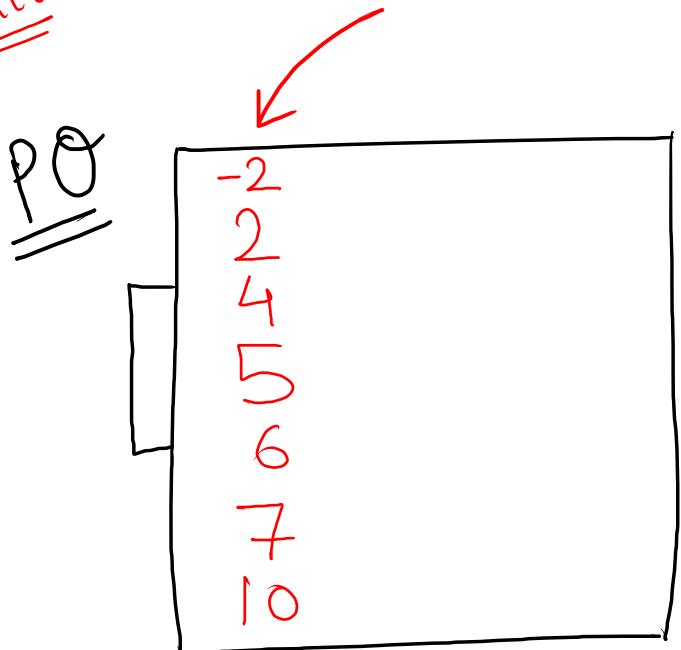
$$ans = \underline{-8} \quad \underline{-6} \quad \underline{-6} \quad \underline{-6} \quad \underline{0} \quad \underline{0} \quad \underline{-2}$$

$$\begin{array}{|c|} \hline 3 < 6 - 3 + 1 \\ \hline \end{array}$$

$$3 < 4$$

→ Priority Queue (Heap)

default



(any element that will be placed in PO will always be in sorted order)

In Java

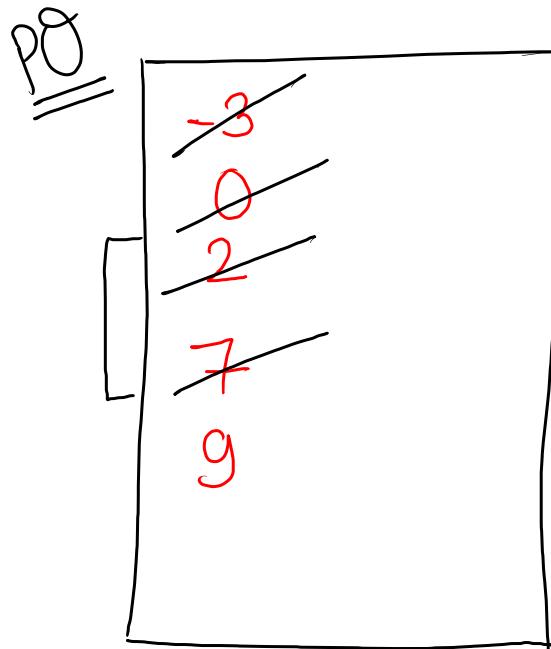
default PO is ascending order

In C++

default PO is descending order

Note:- we can only access the top element

CX:-



$$arr = [2, -3, 0, 9, 7]$$

$\uparrow \quad \uparrow \quad \uparrow \quad \uparrow \quad \uparrow$

Note:-

In PO, duplicacy is allowed

Syntax

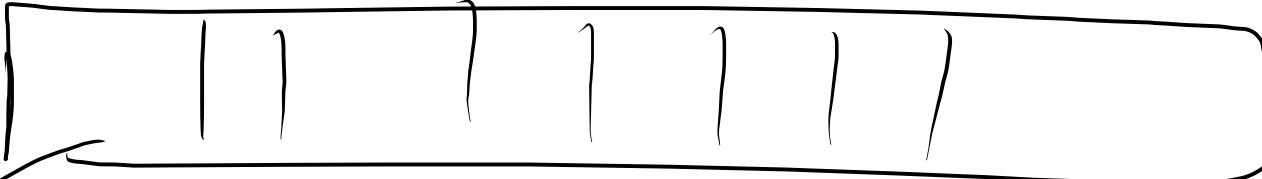
PriorityQueue<Integer> pq = new PriorityQueue<>();

Inbuilt
functions)

[Note:- all functions in PQ takes O(log(n))]

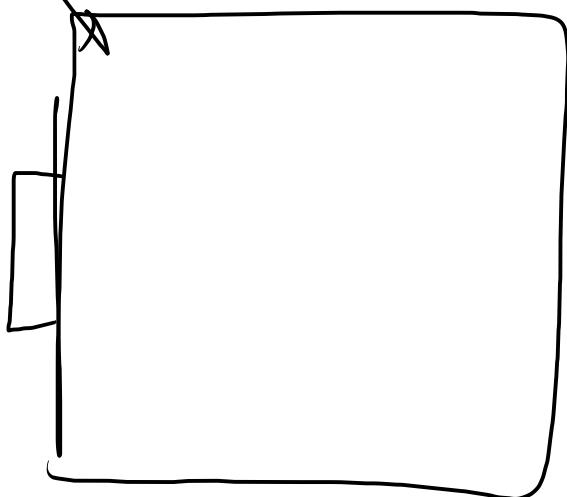
{ pq.add(x); // add element in PQ
pq.remove(); } //remove & return
pq.poll();
pq.peek(); // access top element

pq.size() / pq.isEmpty();



Arrays.sort(arr); // $O(n \log(n))$

$O(\underline{n} * \underline{\log(n)})$



Note:- both take $O(n \log(n))$ to sort elements

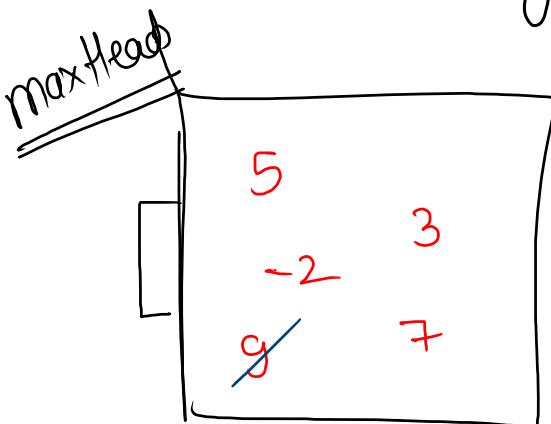
Note:-

Priority Queue is always called



minHeap is when PQ sorts in
ascending order

maxHeap is when PQ sorts in
descending order.



peek element is 9

Lambda function in PO

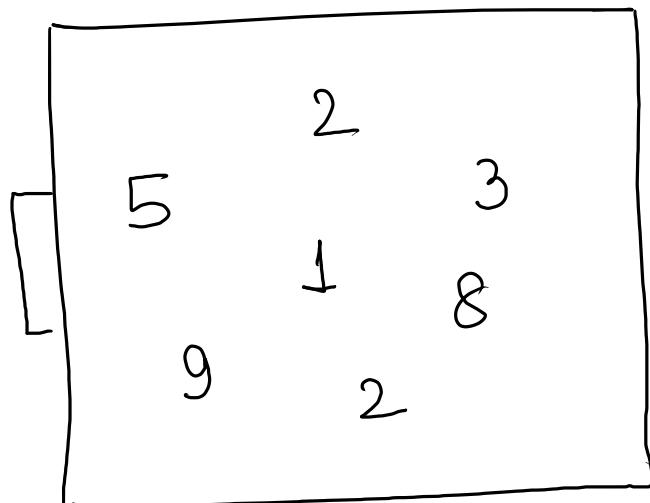
```
Arrays.sort(ar, (a, b)→{  
    return b-a;  
});
```

```
PriorityQueue<Integer> pq = new PriorityQueue<>((a, b)→{  
    return b-a;  
});
```

priority queue basics

$\text{arr} = [5, 2, 1, 3, 8, 9, 2]$

minHeap
PQ



ans :- 5
2
1
1
1
1
1

code

```
public static void main(String[] args) {
    Scanner scn = new Scanner(System.in);
    int t = scn.nextInt();
    int[] arr = new int[t];
    for (int i = 0; i < t; i++) {
        arr[i] = scn.nextInt();
    }
    PQbasic(arr, t);
}

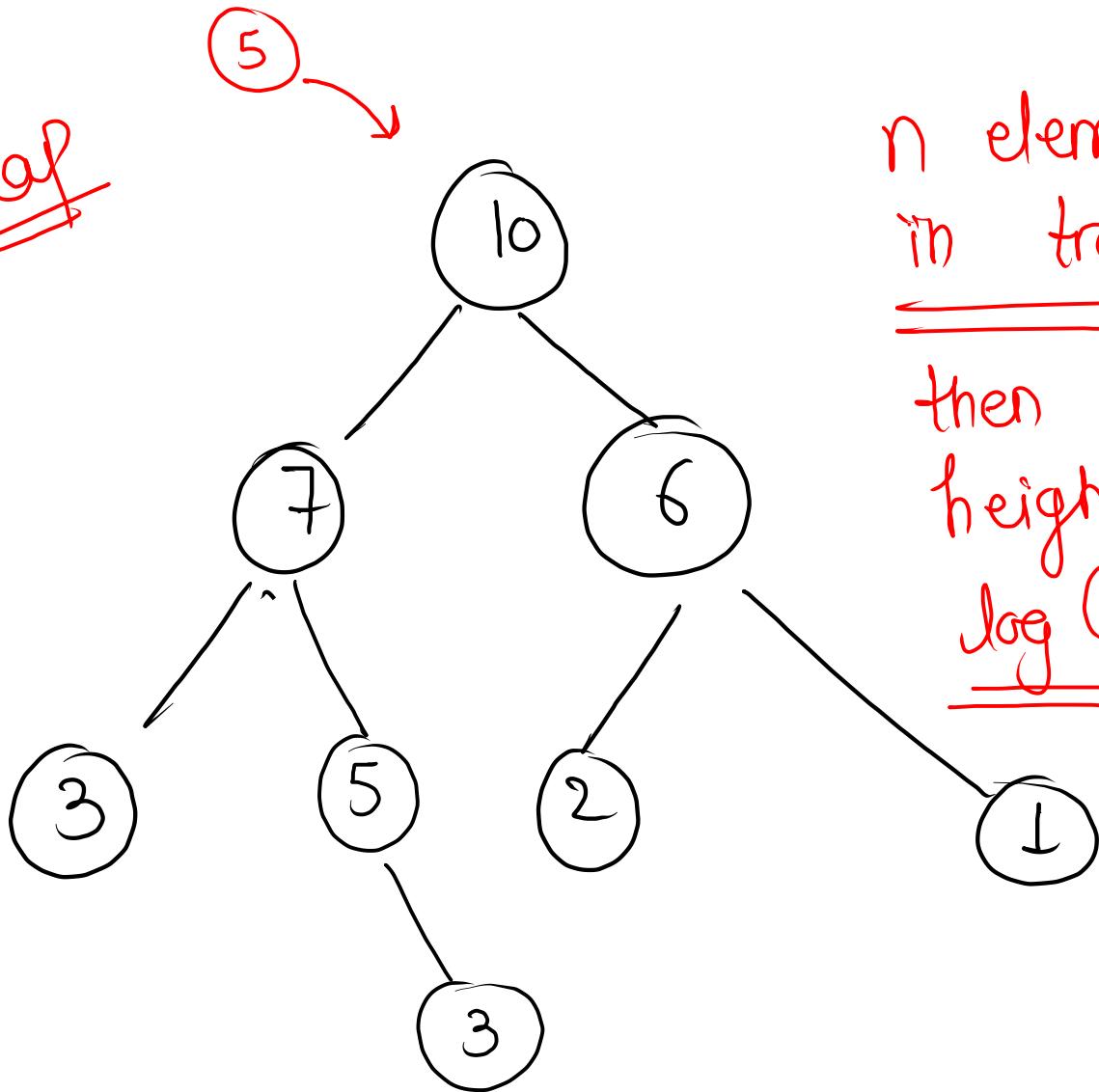
public static void PQbasic(int[] arr, int n) {
    PriorityQueue<Integer> pq = new PriorityQueue<>();
    for (int i = 0; i < n; i++) {
        pq.add( arr[i] );
        System.out.println( pq.peek() );
    }
}
```

$$\begin{aligned} T_0 C &= n \log(n) + n \log(n) \\ &= 2n \log(n) \end{aligned}$$

Extra:-

minleaf

$\log(n)$

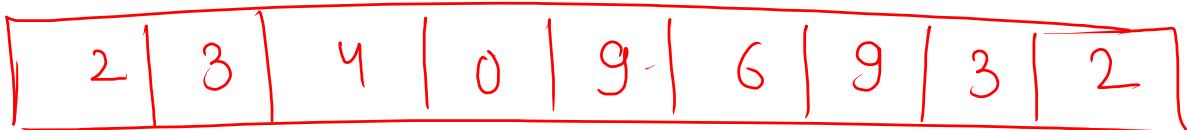


n elements
in tree

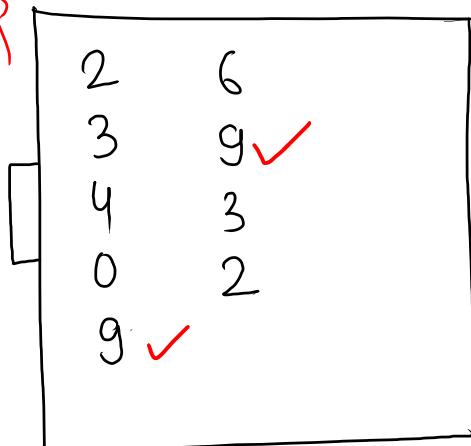
then its
height is
 $\log(n)$

Maximum Product of Two Elements in an Array

exp :- $(arr[i] - 1) * (arr[j] - 1)$;

arr =  [2 | 3 | 4 | 0 | 9 | 6 | 9 | 3 | 2]

maxHeap



int a = pq.poll() // 9
int b = pq.poll() // 9

Code

$$T.C = \underline{\underline{O(n \log(n))}}$$

```
public static void main(String[] args) {
    Scanner scn = new Scanner(System.in);
    int n = scn.nextInt();
    int[] arr = new int[n];
    for (int i = 0; i < n; i++) {
        arr[i] = scn.nextInt();
    }
    maxProd(arr, n);
}

public static void maxProd(int[] arr, int n) {
    PriorityQueue<Integer> pq = new PriorityQueue<>((a, b) -> {
        return b - a;
});
    for (int i = 0; i < n; i++) {
        pq.add(arr[i]);
    }
    int a = pq.poll();
    int b = pq.poll();
    System.out.println( (a - 1) * (b - 1) );
}
```

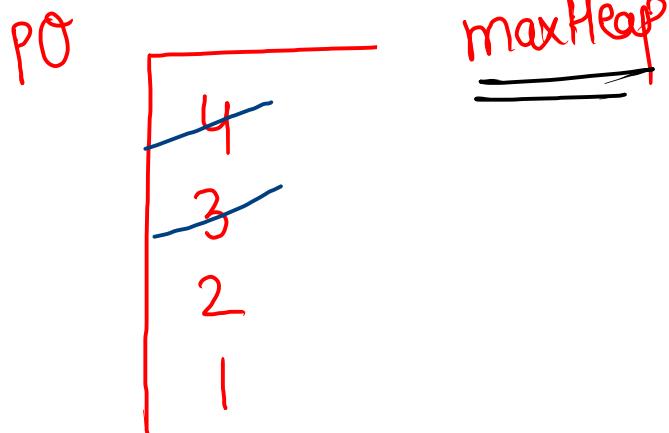
Reduce Array Size to the half 1

arr = [3, 3, 3, 3, 5, 5, 5, 2, 2, 7]

Note:- remove element only until its size is half or less than half
return, mini no. of operations required

map

arr ele → freq
3 → 4
5 → 3
2 → 2
7 → 1



Code

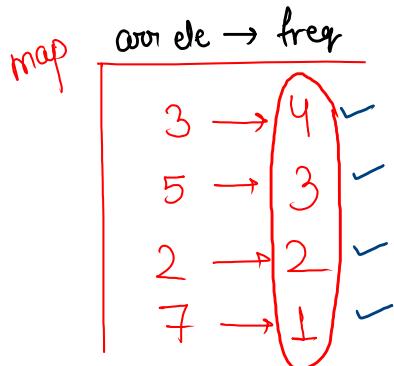
```

public static int reduceArraySizeToHalf(int[] arr, int n) {
    HashMap<Integer, Integer> map = new HashMap<>();
    for (int i = 0; i < n; i++) {
        if (map.containsKey(arr[i]) == false) {
            map.put(arr[i], 1);
        } else {
            int freq = map.get(arr[i]);
            map.put(arr[i], freq + 1);
        }
    }

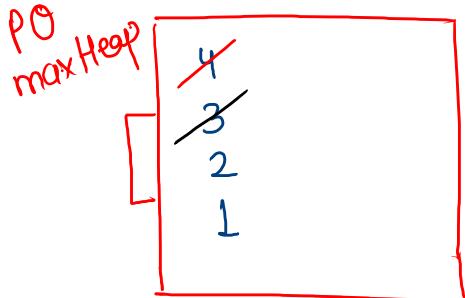
    PriorityQueue<Integer> pq = new PriorityQueue<>((a, b) -> {
        return b - a;
    });
    for (int i : map.values()) {
        pq.add(i);
    }
    int size = n;
    int count = 0;
    while (size > n / 2) {
        count++;
        int rem = pq.peek();
        size = size - rem;
        pq.poll();
    }
    return count;
}

```

$$\begin{aligned}
 T.C &= n + n\log(n) + n\log(n) \\
 &= \underline{\underline{O(n\log(n))}}
 \end{aligned}$$



size = 10 ✗ 3



Count = 0 ✗ 2

rem = 4 ✗ 3

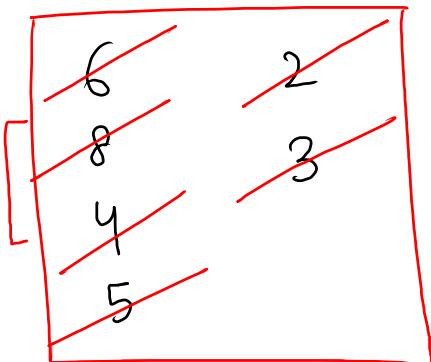
minimum digits

$\text{arr} = [6, 8, 4, 5, 2, 3]$

$\text{num1} = 2 \ 4 \ 6$

$\text{num2} = 3 \ 5 \ 8$

$$\begin{aligned}\text{num1} &= \text{num1} * 10 + \text{rem} \\ &= (2 * 10) + 4\end{aligned}$$



$\text{num1} = 2 \ 4 \ 6$

$\text{num2} = 3 \ 5 \ 8$