

## 1. Graph Creation Time Complexity

Graph Creation Time complexity depends on two terminologies:

$E \rightarrow$  Number of edges

$V \rightarrow$  Number of nodes/vertices

$\rightarrow T.C. = O(V+E)$  why this time complexity?

Step1: initialize the nodes list of size is available of nodes

$V$	List	List	List	List
	0	1	2	3

Note: Nodes are store uniquely in the map Always  
So  $T.C. \Rightarrow O(V)$

MAP

KEY	List
0	{ 1, 2 }
1	{ 0, 3 }
2	{ 1, 0 }
3	{ 2, 1 }

Nodes  $\rightarrow$  (points to key 0)  
AdjList  $\rightarrow$  (points to list {1, 2})

Total Node (V) = 4  
Total Edges = 8

Step2: store edges corresponding to each unique key(node) in the list

V

$\{1, 2\}$	$\{0, 1\}$	$\{1, 0\}$	$\{2, 7\}$
0	1	2	3

$$E = 8$$

IS/4 M+16: we have to call the **addEdges** function  
total number of edges time.

$$\text{So T.C.} = O(E)$$

$$\text{OVERALL T.C.} \Rightarrow O(V+E)$$

## 2. Graph Creation Space Complexity

MAP

KEY	List
0	{1, 2}
1	{0, 3}
2	{1, 0}
3	{2, 1}

Nodes → AdjList

Total Node (V) = 4  
Total Edges = 8

$$\text{space complexity} = O(V + E)$$

Why?

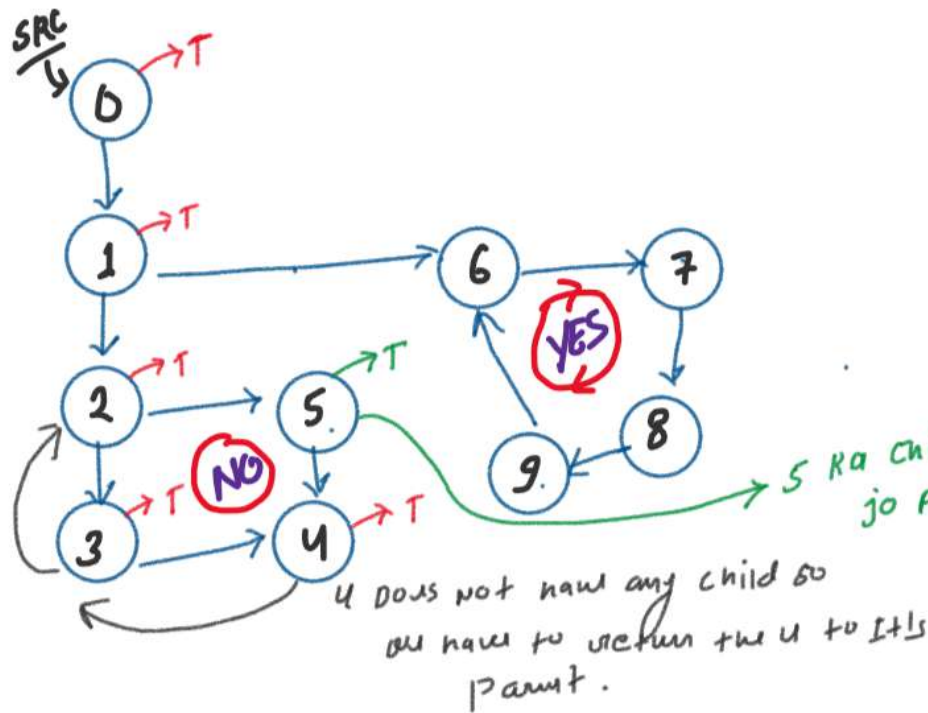
total boxes in map which are used to store the each node (V) and edges (E)

so  $\text{space compo} = O(V + E)$

### 3. Detect Cycle by DFS in Directed Graph

Question: why use of DFS Track map?

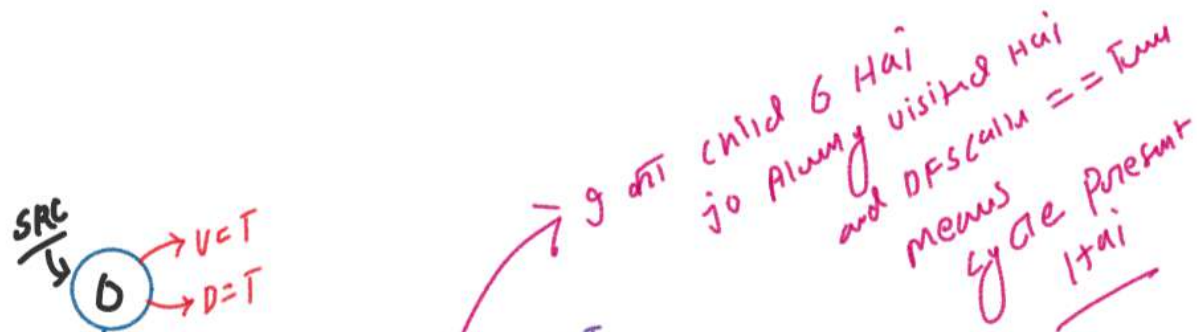
DRY RUN with visited map only



visited

key	value
0	<del>F</del> T
1	<del>F</del> T
2	<del>F</del> T
3	<del>F</del> T
4	<del>F</del> T
5	<del>F</del> T
6	F
7	F

Ho jo ki actual me yaha par cycle present hai nahi



DRY RUN with visited map & DFS Tracker

visited	
key	value
0	F T
1	F T
2	F T
3	F T
4	F T
5	F T
6	F T
7	F T
8	F T
9	F T

DFS TRACK	
key	value
0	F T
1	F T
2	F T F
3	F T F
4	F T F
5	F T F
6	F T
7	F T
8	F T
9	F T



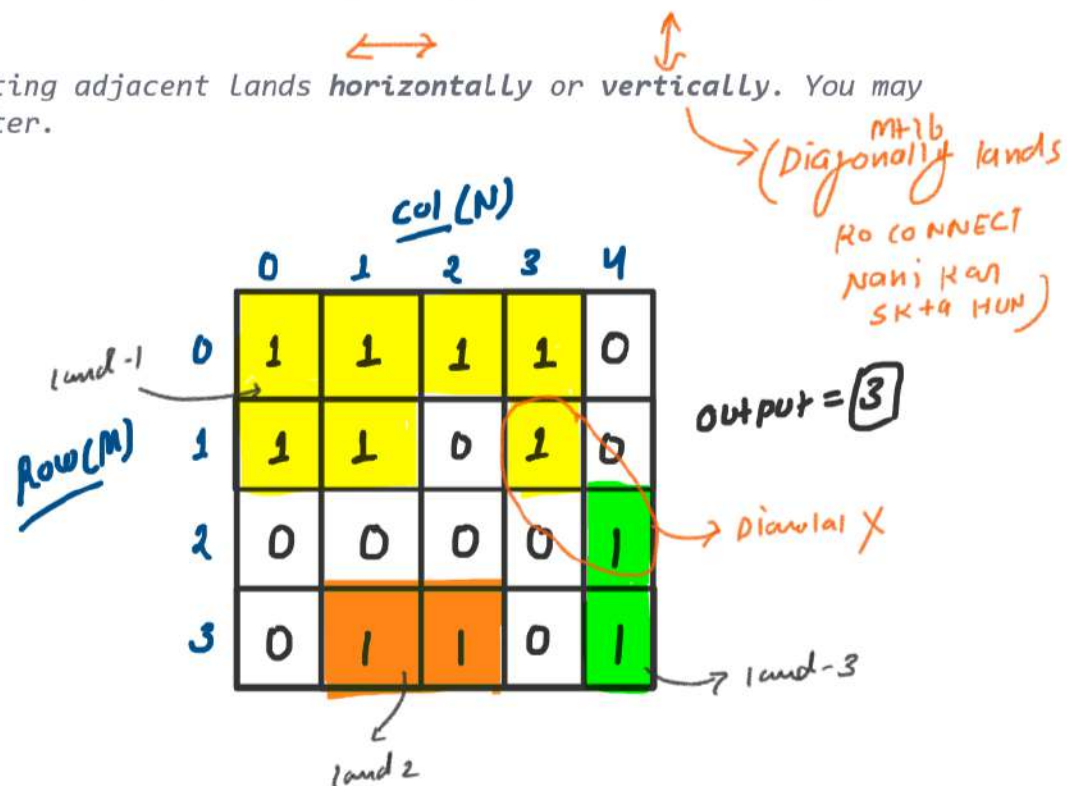
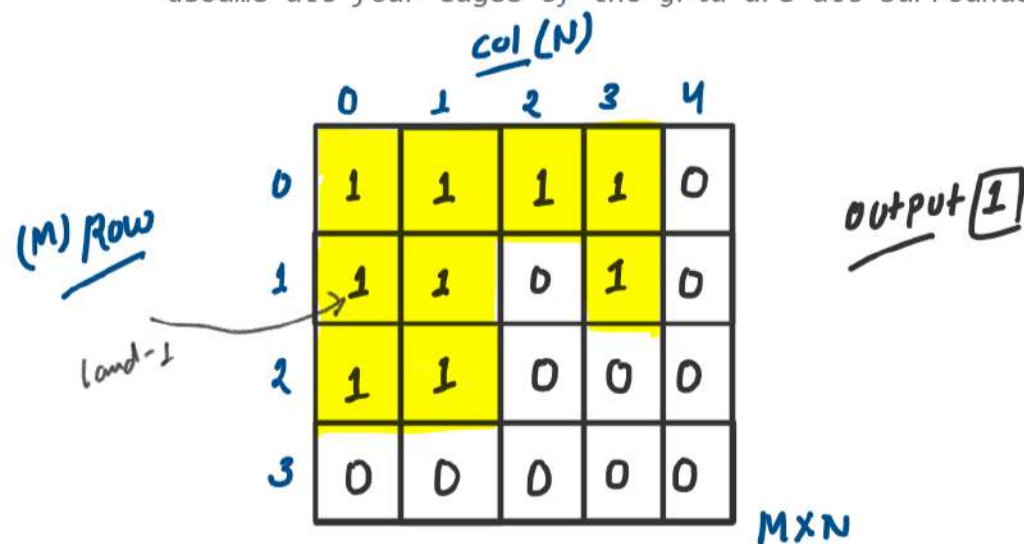
## 1. Number of Islands (Leetcode-200)

### Problem Statement:

Given an  $m \times n$  2D binary grid which represents a map of '1's (land) and '0's (water), return the number of islands.

### Important Line:

An 'island' is surrounded by water and is formed by connecting adjacent lands **horizontally** or **vertically**. You may assume all four edges of the grid are all surrounded by water.



## Observation

0 → water

1 → land

[GRID] ROW x COL

$\boxed{1} \leftrightarrow \boxed{1}$  Horizontal  
and

$\boxed{1} \leftrightarrow \boxed{1}$  Vertical

## Hints



- Disconnected Graph  
main jitne no. of  
Components Hote Hai  
Uthe hi number of  
lands mane jayegi

→ MENS DFS Algorithm  
ka use kar sakte hai  
to explore All possible  
ways

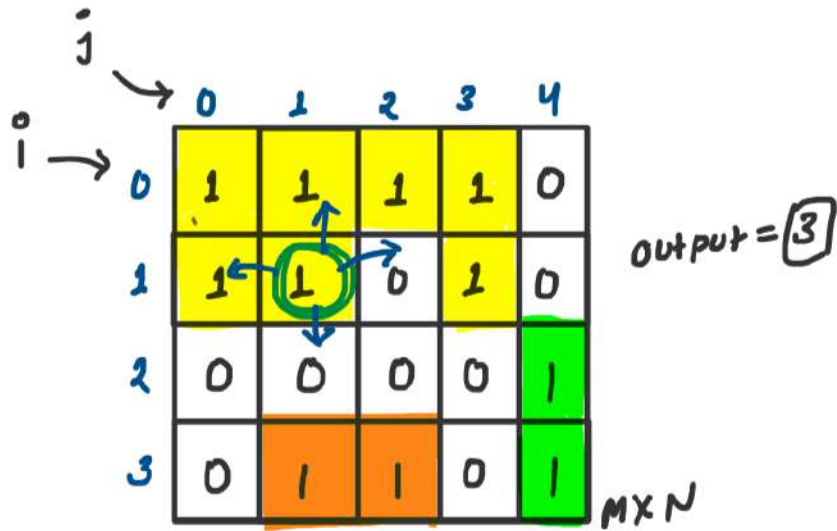
	0	1	2	3	4
0	1	1	1	1	0
1	1	1	0	1	0
2	0	0	0	0	1
3	0	1	1	0	1

MXN

Output =  $\boxed{3}$

Let I am here grid[1][1]

→ I have four side to move  
but kab move kar  
SKTA HUN YEH ME  
BAS CASES SE MAALOM KAR  
LUNGA -



Base case (1) visited cell ke neighbor me 'x' fill  
 karun loonga jisse me wahan  
 Dobara move Na kar paun  
 $grid[i][j] == 'x'$   
 $\rightarrow return 0$

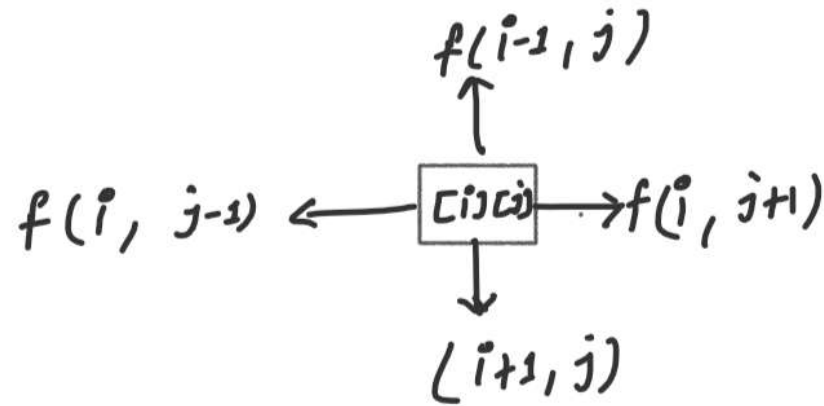
Base case (2)  
 $grid[i][j] == '0'$   
 $\rightarrow return 0$

Base case (3) (4) (5) (6)  
 $i < 0 \parallel j < 0 \parallel i > = M \parallel j > = N$   
 $\rightarrow return 0$



We have 4 move from each cell of grid jahan par hum stand kar rhe hai

- 1 Top Move
- 2 Bottom Move
- 3 Right Move
- 4 Left Move



```
// 1. Number of Islands (Leetcode-200)
```

```
class Solution {
```

```
public:
```

```
void dfs(vector<vector<char>>& grid, int i, int j){
```

```
int m = grid.size();
```

```
int n = grid[0].size();
```

```
// Base case
```

```
if(i < 0 || j < 0 || i >= m || j >= n || grid[i][j] == '0' || grid[i][j] == 'x'){  
    return;  
}
```

```
// 1 case hum solve kar leger
```

```
// x represents the current cell of grid is visited now
```

```
grid[i][j] = 'x';
```

```
// We have four move from each cell janaha par hum khade hue hai
```

```
// TopMove
```

```
dfs(grid, i-1, j);
```

```
// BottomMove
```

```
dfs(grid, i+1, j);
```

```
// RightMove
```

```
dfs(grid, i, j+1);
```

```
// LeftMove
```

```
dfs(grid, i, j-1);
```

```
}
```

```
int numIslands(vector<vector<char>>& grid) {
```

```
int m = grid.size();
```

```
int n = grid[0].size();
```

```
int ans = 0;
```

```
for(int i=0; i<m; i++){
```

```
for(int j=0; j<n; j++){
```

```
if(grid[i][j] != '0' && grid[i][j] != 'x'){
```

```
dfs(grid, i, j);
```

```
ans++;
```

```
}
```

```
}
```

```
}  
return ans;
```

```
}
```

```
};
```

RECURSIVE  
TREE

