

# **ICE 3015: CONTROL SYSTEM COMPONENTS**

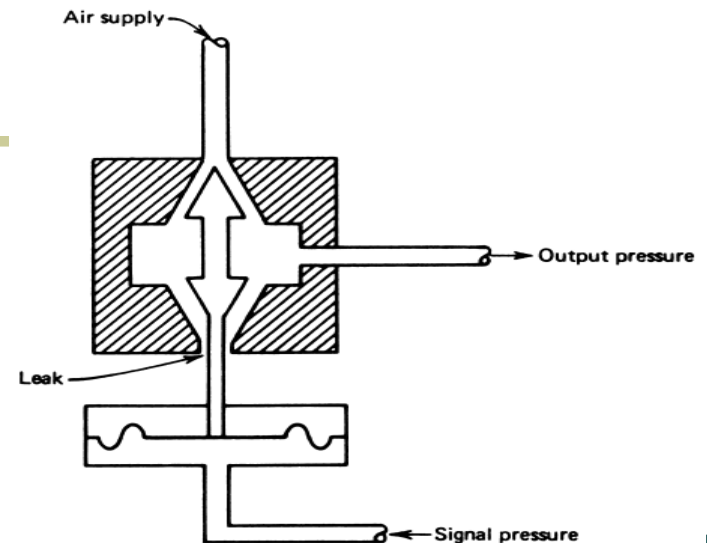
## ***Flapper Nozzle & I/P Converter***

# Amplification By Booster

Raises the pressure and/or air flow volume by some linearly proportional amount from the input signal.

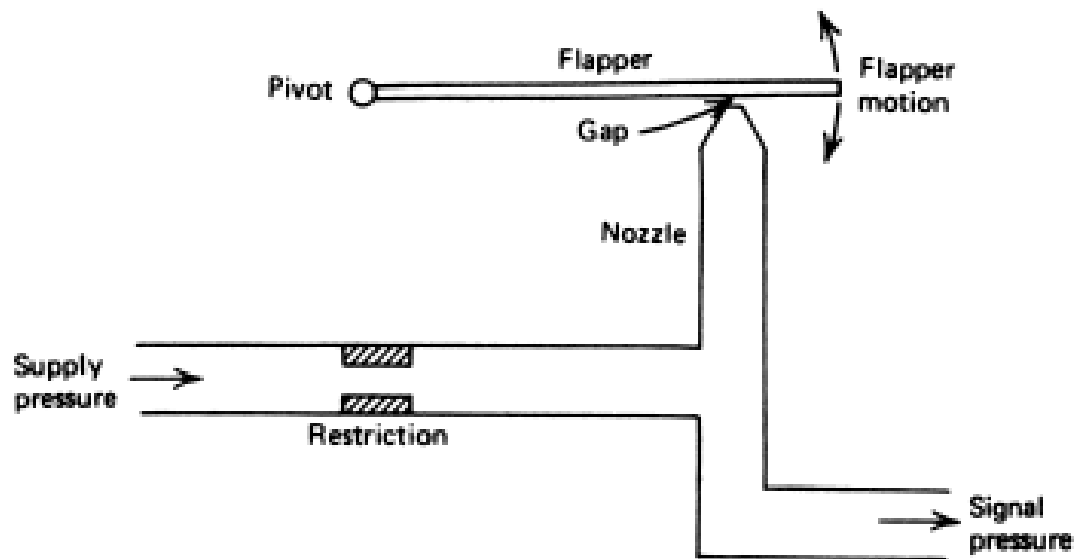
Thus, if the booster has a pressure gain of 10, the output would be 30 to 150 psi for an input of 3 to 15 psi.

.This device shown is reverse acting, because a high-signal pressure will cause output pressure to decrease.



## Nozzle / Flapper System:

- Signal conversion from pressure to mechanical motion and vice versa can be provided by a nozzle/flapper system (sometimes called a nozzle/baffle system).
- A diagram of this device is shown in Figure.



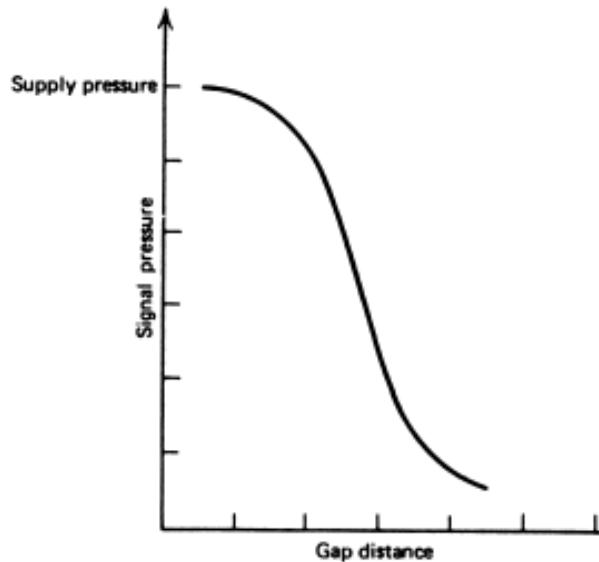
## **Nozzle / Flapper System:**

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- A regulated supply of pressure, usually over 20 psig, provides a source of air through the restriction.
- The nozzle is open at the end where the gap exists between the nozzle and flapper, and air escapes in this region.
- If the flapper moves down and closes off the nozzle opening so that no air leaks, the signal pressure will rise to the supply pressure.
- As the flapper moves away, the signal pressure will drop because of the leaking gas.
- Finally, when the flapper is far away, the pressure will stabilize at some value determined by the maximum leak through the nozzle.
- Figure shows the relationship between signal pressure and gap distance.

## Nozzle / Flapper System:

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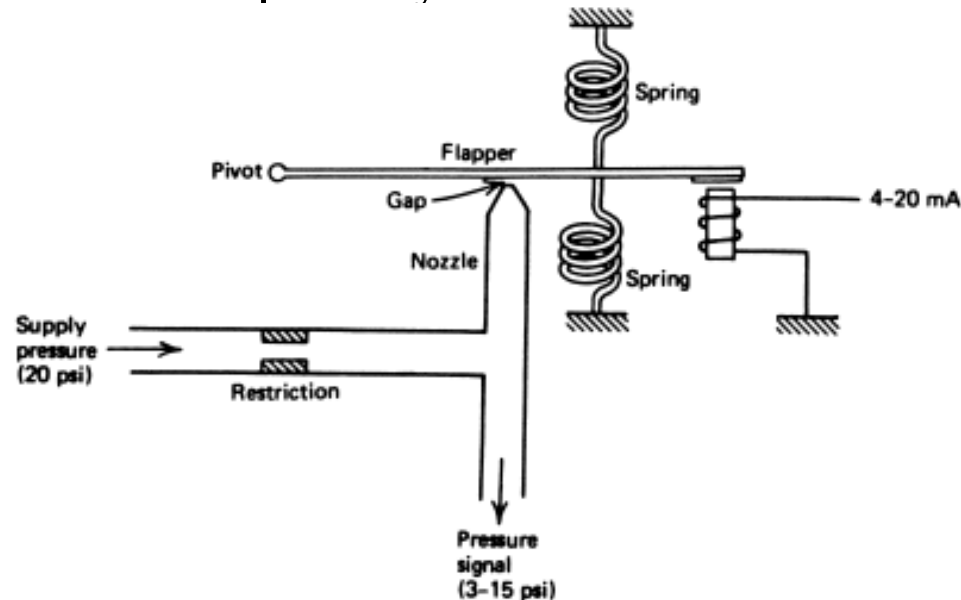


b) Signal pressure versus gap distance

- Note the great sensitivity in the central region.
- A nozzle/flapper is designed to operate in the central region, where the slope of the line is greatest.
- In this region, the response will be such that a very small motion of the flapper can change the pressure by an order of magnitude.
- This system is used in pneumatic controller design.

## Current-to-Pressure Converters:

- The I/P converter gives us a linear way of translating the 4- to 20-mA current into a 3- to 15-psig signal.
- There are many designs for these converters, but the basic principle almost always involves the use of a nozzle/flapper system.
- Figure illustrates a simple way to construct such a converter.



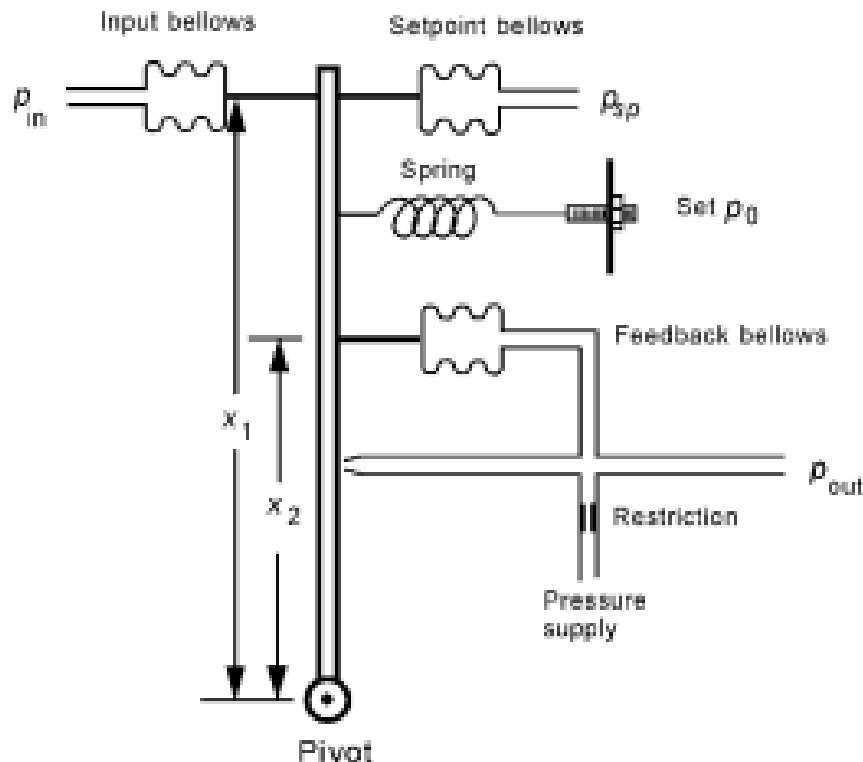
## **Pneumatic Controllers:**

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- The outward appearance of a pneumatic controller is typically the same as that for the electronic controller.
- The same readout of setpoint, error, and controller output appears, and adjustments of gain, rate, and reset are available.
- The working signal is most typically the 3- to 15-psi standard pneumatic process-control signal, usually derived from a regulated air supply of 20 to 30 psi.
- As usual, we use the English system unit of pressure because its use is so widespread in the process-control industry.
- Eventual conversion to the SI unit of  $\text{N/m}^2$  or Pa will require some alteration in scale (of measurement) to a range of 20 to 100 kPa.

## Pneumatic Proportional Controllers:

- A proportional mode of operation can be achieved with the system shown in Figure.



$p_{sp}$  = setpoint pressure

$x_2$  = feedback lever arm (m)

$A_2$  = feedback bellows effective area ( $m^2$ )

$p_{out}$  = output pressure (Pa)

$x_1$  = level arm of input (m)

$A_1$  = input and setpoint bellows effective area ( $m^2$ )

$p_{in}$  = input pressure (Pa)

$p_0$  = pressure with no error



## Pneumatic Proportional Controllers:

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- Operation is understood by noting that if the input pressure increases, then the input bellows forces the flapper to rotate to close off the nozzle.
- When this happens, the output pressure increases so that the feedback bellows exerts a force to balance that of the input bellows.
- A balance condition then occurs when torques exerted by each about the pivot are equal, or

$$(P_{out} - P_0) A_2 x_2 = (P_{in} - P_{sp}) A_1 x_1$$

- This equation is solved to find the output pressure

$$P_{out} = \frac{x_1}{x_2} \frac{A_1}{A_2} (P_{in} - P_{sp}) A_1 x_1 + P_0$$

## Pneumatic Proportional Controllers:

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Where,

$$K_p = \left( \frac{x_1}{x_2} \right) \left( \frac{A_1}{A_2} \right)$$

- Because the bellows are usually of fixed geometry, the gain is varied by changing the lever arm length.
- In this simple representation, the gain is established by the distance between the bellows.
- If this separation is changed, the forces are no longer balanced, and for the same pressure a new controller output will be formed, corresponding to the new gain.

## Pneumatic Proportional Controllers:

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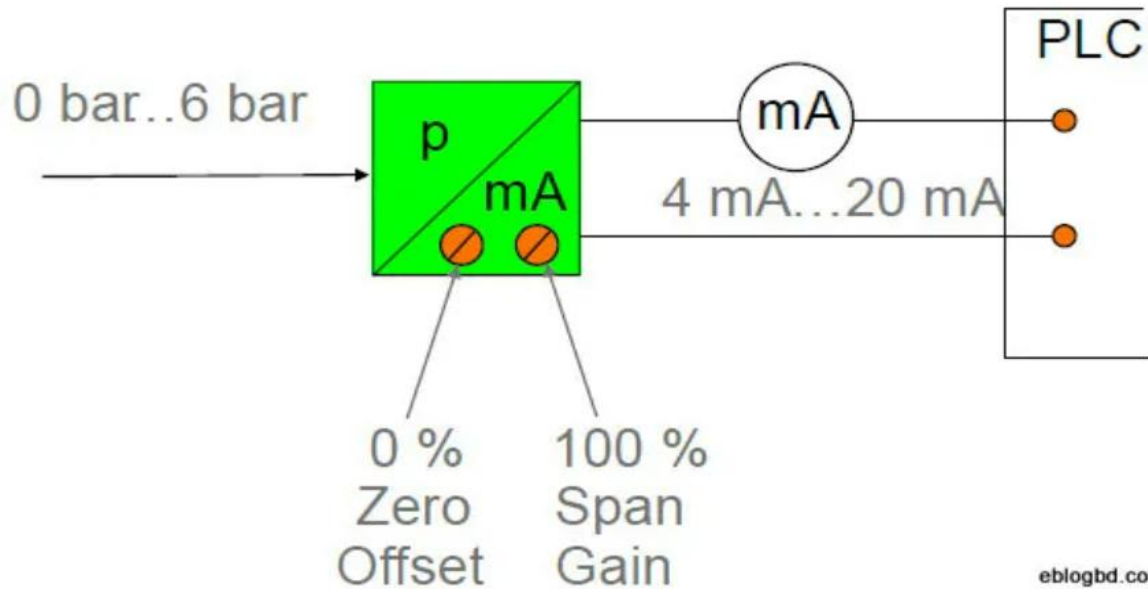
### Try:

- Suppose a proportional pneumatic controller has  $A_1 = A_2 = 5 \text{ cm}^2$ ,  $x_1 = 8 \text{ cm}$  and  $x_2 = 5 \text{ cm}$ . The input and output pressure ranges are 3 to 15 psi. Find the input pressures that will drive the output from 3 to 15 psi. The setpoint pressure is 8 psi, and  $P_0 = 10 \text{ psi}$ . Find the proportional band.

### Solution:

$$K_p = \left( \frac{x_1}{x_2} \right) \left( \frac{A_1}{A_2} \right) = \frac{8}{5} \times \frac{5}{5} = 1.6$$

# Calibration of P/I converter transmitter



## I to P Converters

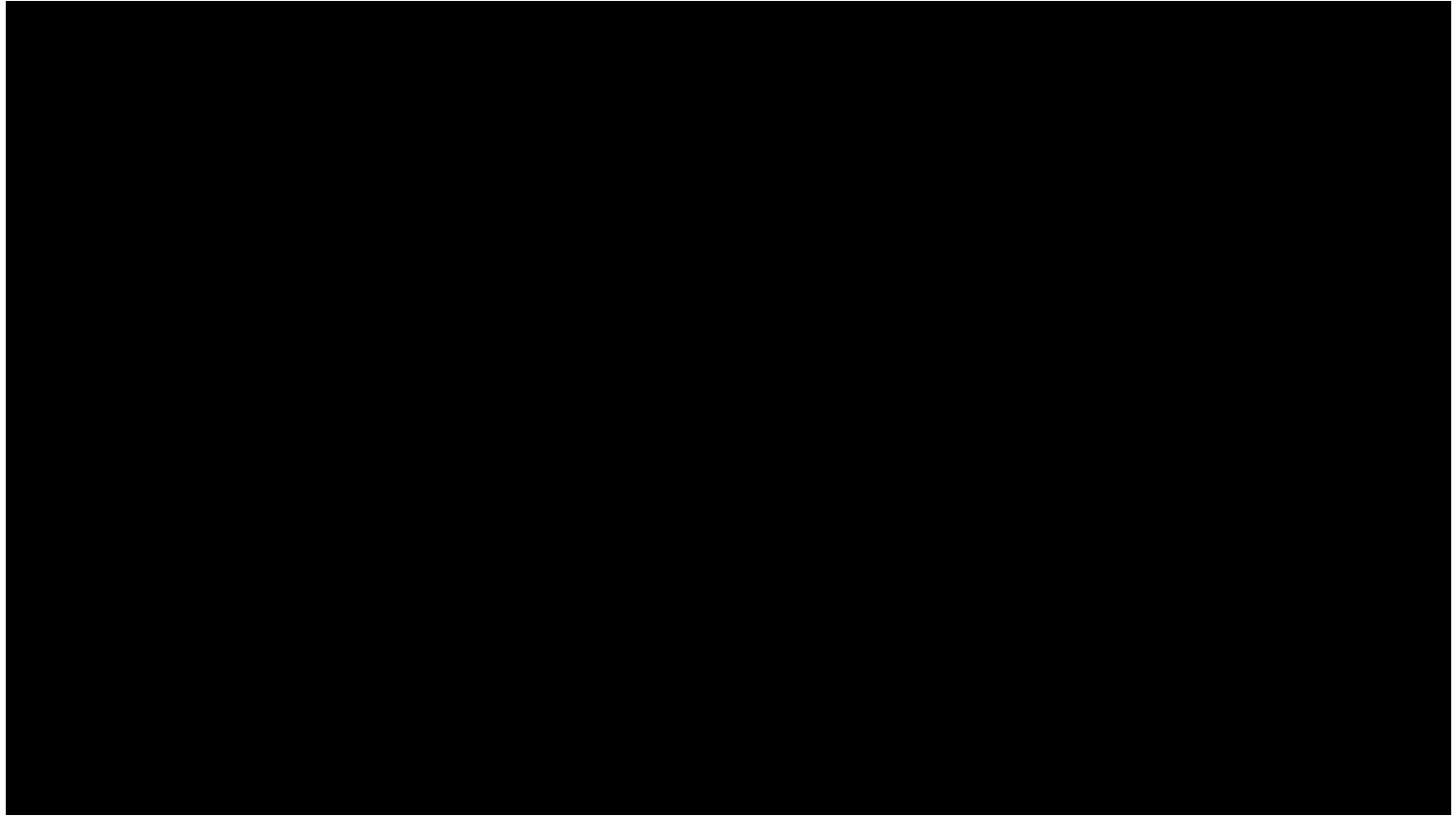
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# I to P Converters



Control System Components (ICE 3015) MIT, Manipal.



## References:

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- Process Control Instrumentation Technology, by Curtis D. Johnson, Eighth Edition, Pearson Education Limited.
- <https://control.com/textbook/control-valves/control-valve-problems/>