

Instruction Groups

- The 8051 has 255 instructions
 - Every 8-bit opcode from 00 to FF is used except for A5.
- The instructions are grouped into 5 groups
 - Arithmetic
 - Logic
 - Data Transfer
 - Boolean
 - Branching

Arithmetic Instructions

- Add
- Subtract
- Increment
- Decrement
- Multiply
- Divide
- Decimal adjust

Arithmetic Instructions

- ADD
 - 8-bit addition between the accumulator (A) and a second operand.
 - The result is always in the accumulator.
 - The CY flag is set/reset appropriately.
- ADDC
 - 8-bit addition between the accumulator, a second operand and the value of the CY flag.
 - Useful for 16-bit addition in two steps.
 - The CY flag is set/reset appropriately.

ADD Examples

```
mov Acc, #3Fh  
add Acc, #D3h
```

```
0011 1111  
1101 0011  
        
0001 0010
```

- Q1. What is the value of the C, AC, OV flags after the second instruction is executed?

C = 1

AC = 1

OV = 0

ADD Instructions

`add a, byte` ; $a \leftarrow a + \text{byte}$

`addc a, byte` ; $a \leftarrow a + \text{byte} + C$

These instructions affect 3 bits in PSW:

$C = 1$ if result of add is greater than FF

$AC = 1$ if there is a carry out of bit 3

$OV = 1$ if there is a carry out of bit 7, but not from bit 6, or visa versa.

Program Status Word (PSW)

Bit	7	6	5	4	3	2	1	0
Flag	CY	AC	F0	RS1	RS0	OV	F1	P
Name	Carry Flag	Auxiliary Carry Flag	User Flag 0	Register Bank Select 1	Register Bank Select 0	Overflow flag	User Flag 1	Parity Bit

add, addc addressing modes

ADD

**Acc , #
 , D
 , R
 , @R**

Acc ← Acc + Immediate

ADDC

**Acc , #
 , D
 , R
 , @R**

Acc ← Acc + Immediate + Carry

ADD Acc , #ABH

ADD Acc , 2AH

ADD Acc , R3

ADD Acc , @R0

Addition Example

; Computes $Z = X + Y$

; Adds values at locations 78h and 79h and puts them in 7Ah

;-----

X equ 78h

Y equ 79h

Z equ 7Ah

;-----

org 8000h

Main:

mov acc, X

add acc, Y

mov Z, acc

end

mov acc, 78H ; Acc \leftarrow 22H

add acc, 79H ; Acc \leftarrow 22H + 33H

mov 7AH, acc ; [7AH] \leftarrow 55H

Memory picture

Address	contents
77H	11H
78H	22H
79H	33H
7AH	55H
7BH	xxH

Signed and Unsigned Numbers

- unsigned numbers
 - All values are positive
 - Eg. Considering 8 bit numbers
 - 00H to FFH all bit patterns represent positive values
- Signed numbers
 - 2's complement
 - MSB represents the sign
 - If MSB = 0, then it's a positive value
 - Else, it's a negative value
 - Eg. Considering 8 bit numbers
 - 00H to 7FH represents positive values
 - 80H to FFH represents negative values

Signed Addition and Overflow issue

0111 1111 (positive 127)	1000 1111 (negative 113)
<u>0111 0011 (positive 115)</u>	<u>1101 0011 (negative 45)</u>
1111 0010 (overflow	0110 0010 (overflow)

cannot represent 242 in 8 bits 2's complement)

0011 1111 (positive)
<u>1101 0011 (negative)</u>
0001 0010 (never overflows)

Overflow Problem

- Q2: Show how the 8051 would represent -24.
- Overflow occurs if,
 - A carry from D6 to D7, CY=0
 - CY=1, but NO carry from D6 to D7.

- Q3:

```
MOV A, #96  
MOV R1, #70  
ADD A, R1
```

- Q4:

```
MOV A, #-128  
MOV R4, #-2  
ADD A, R4
```

Overflow Problem

- Q5:

MOV A, #-2

MOV R1, #-5

ADD A, R1

- Q6:

MOV A, #7

MOV R4, #18

ADD A, R4

Program Status Word (PSW)

Bit	7	6	5	4	3	2	1	0
Flag	CY	AC	F0	RS1	RS0	OV	F1	P
Name	Carry Flag	Auxiliary Carry Flag	User Flag 0	Register Bank Select 1	Register Bank Select 0	Overflow wflag	User Flag 1	Parity Bit

- **Unsigned** Number (0 to 255)
Addition → we must monitor the CY (using JNC and JC)
- **Signed** Number (-128 to +127)
Addition → we must monitor OV (using JB PSW.2 and JNB PSW.2)

ADDC: Addition with a Carry – multi-byte numbers

- Can represent values greater than 255 by using more than 8-bits; they are multi-byte numbers.
- Can add multi-byte numbers in multiple steps of addition.
- When we add multi-byte numbers, we need to take into account, the carry values generated in each addition steps.
- propagation of carry will be from the lower bytes to the higher bytes.
- ADC is used when we add multi-byte numbers.

Example – 16-bit Addition

Add 1E44H to 56CAH

Let's use immediate mode of addressing to refer to the values

MOV	Acc, #44H	; The lower 8-bits of the 1 st number
ADD	Acc, #CAH	; The lower 8-bits of the 2 nd number
MOV	R1, Acc	; The result 0EH will be in R1. CY = 1.
MOV	Acc, #1EH	; The upper 8-bits of the 1 st number
ADDC	Acc, #56H	; The upper 8-bits of the 2 nd number
MOV	R2, Acc	; The result of the addition is 75H

The overall result: 750EH will be in R2:R1. CY = 0.

The 16-bit ADD example

; Computes $Z = X + Y$ (X,Y,Z are 16 bit values)

;-----

X equ 78h

Y equ 7Ah

Z equ 7Ch

;-----

org 9000h

Main: mov acc, X

add acc, Y

mov Z, acc

mov acc, X+1

addc acc, Y+1

mov Z+1, acc

end

**Same program, using Indirect
addressing for X and Y variables
with R0 and R1 registers**

Mov R0, #78H

Mov R1, #7AH

Mov Acc, @R0

Add Acc, @R1

Mov Z , Acc

Inc R0

Inc R1

Mov Acc, @R0

Adc Acc , @R1

Mov Z+1 , Acc

Example: Increment 16-bit Word

- **Assume 16-bit word is in R3:R2**

mov Acc, R2

add Acc, #1 ; use add rather than increment to affect CY

mov R2, Acc

mov Acc, R3

addc Acc, #0 ; add CY to most significant byte

mov R3, Acc

Subtract

SUBB A, byte	subtract with borrow (carry flag value)
---------------------	---

Example:

SUBB A, #0x4F ; $A \leftarrow A - 4F - CY$

Notice that

There is **no** subtraction WITHOUT borrow instruction !!!
Therefore, if a subtraction without borrow is desired,
it is necessary to **clear the CY** flag.

Example:

Clr c

SUBB A, #0x4F ; $A \leftarrow A - 4F$

Addressing modes supported by SUBB

SUBB A , # Acc \leftarrow Acc-Immediate-Carry
 , D
 , R
 , @R

SUBB Acc , #BDH

SUBB Acc , 16H

SUBB Acc , R2

SUBB Acc , @R1

SUBB: Subtract with Borrow

- Q6: Show values of registers after each of the instructions in the following.

CLR C

CY = 0

MOV A, #3FH

Acc = 3FH

MOV R3, #23H

R3 = 23H

SUBB A, R3

Acc = 3FH - 23H = 1CH

SUBB: Subtract with Borrow

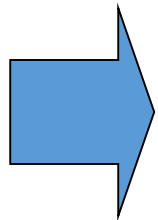
- SUBB with CY=1 for multi-byte numbers.
- Q8: Analyze the following programs.

```
CLR    C  
MOV    A, #62H  
SUBB   A, #96H  
MOV    R6, A  
MOV    A, #27H  
SUBB   A, #12H  
MOV    R7, A
```

```
27 62H  
- 12 96H  
= 14 CCH  
  
in R7 R6
```

Instructions that Affect PSW bits

Instructions that Affect Flag Settings⁽¹⁾



Instruction	Flag		
	C	OV	AC
ADD	X	X	X
ADDC	X	X	X
SUBB	X	X	X
MUL	0	X	
DIV	0	X	
DA	X		
RRC	X		
RLC	X		
SETB C	1		

Instruction	Flag		
	C	OV	AC
CLR C	0		
CPL C	X		
ANL C,bit	X		
ANL C,/bit	X		
ORL C,bit	X		
ORL C,/bit	X		
MOV C,bit	X		
CJNE	X		

Arithmetic instructions

- Increment and decrement operations

INC A	increment A
INC byte	increment byte in memory
INC DPTR	increment data pointer
INC @REG	increment byte pointed by REG
DEC A	decrement accumulator
DEC byte	decrement byte in memory
DEC @REG	decrement byte pointed by REG

- The increment and decrement instructions do **NOT** affect the C flag.
- Notice we can **only** INCREMENT the data pointer, not decrement.

Arithmetic Instructions

- INC
 - Increment the operand by one.
 - The operand can be a register, a direct address, an indirect address, the data pointer.
- DEC
 - Decrement the operand by one.
 - The operand can be a register, a direct address, an indirect address.
- Examples:
 - INC R3
 - INC 55H
 - DEC @R0
 - DEC R0

Arithmetic Instructions

- DA
 - Decimal adjust the accumulator.
 - Format the accumulator into a proper 2 digit packed BCD number.
 - Operates only on the accumulator.
 - Works only after the ADD instruction.

BCD: Binary Coded Decimal

- Unpacked BCD (one digit in 1 byte data)

9 → 0000 1001B (1 byte)

5 → 0000 0101B (1 byte)

- Packed BCD (two digits 1 byte data): it is twice as efficient in storing data compared to unpacked BCD.

59H → 0101 1001B (1 byte)

- Problem with adding BCD numbers

MOV A, #17H 0001 0111

ADD A, #28H 0010 1000

The sum is 0011 1111 = 3FH

→ This is NOT BCD number!!

- A BCD number only have digits from 0000 to 1001 (0 to 9).

Decimal Adjust

DA a ; decimal adjust a

Used to facilitate BCD addition.

Adds “6” to either high or low nibble after an addition to create a valid BCD number.

Example:

```
mov a, #23h
```

```
mov b, #29h
```

```
add a, b ; a ← 23h + 29h = 4Ch (wanted 52)
```

```
DA a ; a ← a + 6 = 52
```

Examples – BCD addition

Add 51 to 46 BCD

MOV	A, #51H	; Place 1st number in A
ADD	A, #46H	; Add the 2nd number.
		; A = 97H
DA	A	; A = 97H

Add 85 to 67 BCD

MOV	A, #85H	; Place 1st number in A
ADD	A, #67H	; Add the 2nd number.
		; A = ECH, answer as per BCD is 152
DA	A	; A = 52H and CY = 1

Multiply

- 8051 can multiply two 8 bit unsigned numbers
- When multiplying two 8-bit numbers, the size of the maximum product is 16-bits

$$FF \times FF = FE01$$

$$(255 \times 255 = 65025)$$

MUL AB ; BA ← A * B

Note : **B** gets the **High** byte

A gets the **Low** byte

Division

- 8051 can divide 8-bit unsigned number by 8-bit unsigned number

DIV AB ; divide A by B

A ← Quotient (A/B)

B ← Remainder (A/B)

OV - used to indicate a divide by zero condition.

C – set to zero

Examples of mul and div

- If A = 78H and B = 2H
 - MUL AB ; BA = 00F0H
 - DIV AB ; quotient, A = 3CH and remainder, B = 0H
- If A = 22H and B = 5H
 - MUL AB ; BA = 00AAH
 - DIV AB ; quotient, A = 6H and remainder, B = 4H
- If A = CDH and B = 34H
 - MUL AB ; BA = 29A4H
 - DIV AB ; quotient, A = 3H and remainder, B = 31H
- If A = 45H and B = ABH
 - MUL AB ; BA = 2E17H
 - DIV AB ; quotient, A = 0 and remainder, B = 45H

Arithmetic Instructions- summary (not complete listing)

Instuction	Description
ADD A, byte	add A to byte, put result in A
ADDC A, byte	add with carry
SUBB A, byte	subtract with borrow
INC A	increment A
INC byte	increment byte in memory
INC DPTR	increment data pointer
DEC A	decrement accumulator
DEC byte	decrement byte
MUL AB	multiply accumulator by b register
DIV AB	divide accumulator by b register
DA A	decimal adjust the accumulator