Descriptive statistics and Decision Tree

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Q.1.a) Summarize the main statistics of all the variables in the data set.

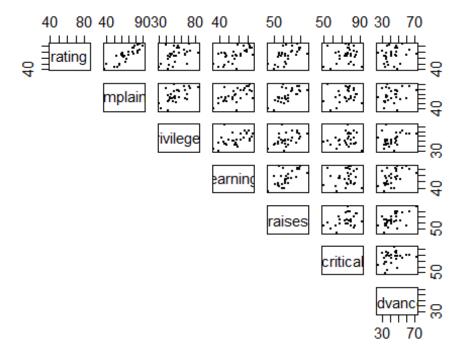
```
summary(attitude)
                      complaints
                                     privileges
##
        rating
                                                      learning
## Min.
           :40.00
                    Min.
                           :37.0
                                   Min.
                                          :30.00
                                                   Min.
                                                          :34.00
   1st Qu.:58.75
                    1st Qu.:58.5
                                   1st Qu.:45.00
                                                   1st Qu.:47.00
## Median :65.50
                    Median :65.0
                                   Median :51.50
                                                   Median :56.50
## Mean
           :64.63
                    Mean
                           :66.6
                                   Mean
                                          :53.13
                                                   Mean
                                                          :56.37
## 3rd Qu.:71.75
                    3rd Qu.:77.0
                                   3rd Qu.:62.50
                                                   3rd Qu.:66.75
## Max.
           :85.00
                    Max.
                           :90.0
                                          :83.00
                                                   Max.
                                                          :75.00
                                   Max.
##
        raises
                       critical
                                       advance
##
   Min.
           :43.00
                                           :25.00
                    Min.
                           :49.00
                                    Min.
  1st Qu.:58.25
##
                    1st Qu.:69.25
                                    1st Qu.:35.00
## Median :63.50
                    Median :77.50
                                    Median :41.00
## Mean
           :64.63
                           :74.77
                                           :42.93
                    Mean
                                    Mean
##
   3rd Qu.:71.00
                    3rd Qu.:80.00
                                    3rd Qu.:47.75
## Max. :88.00
                    Max. :92.00
                                    Max. :72.00
```

1.b) How many observations are in the attitude dataset? What function in R did you use to display this information?

```
nrow(attitude)
## [1] 30
dim(attitude)
## [1] 30 7
```

1. 1.c) Produce a scatterplot matrix of the variables in the attitude dataset. What seems to be most correlated with the overall rating?

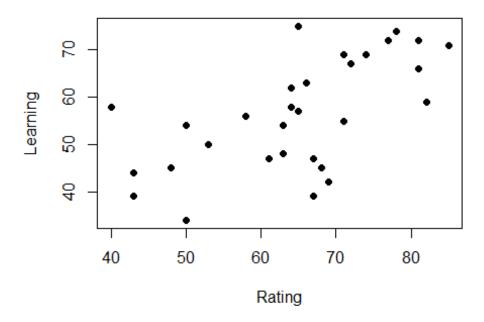
```
pairs(attitude, lower.panel =NULL, pch=19, cex=0.5, cex.labels=1.4, cex.axis=1.4)
```



1.d) Produce a scatterplot of rating (on the y-axis) vs. learning (on the x-axis). Add a title to the plot using the title() function.

plot(attitude\$rating,attitude\$learning,pch=19,xlab="Rating",ylab="Learning")
title(main="Learning vs Rating")

Learning vs Rating



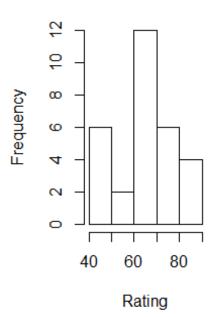
1.e) Produce 2 side-by-side histograms, one for rating and one for learning. You will need to use par(mfrow=...) to get the two plots together.

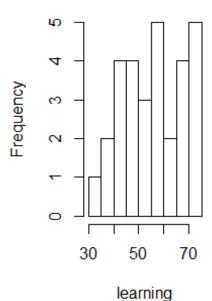
```
par(mfrow=c(1,2))

hist(attitude$rating,pch=19,xlab="Rating",main = "Histogram of Rating")
hist(attitude$learning,pch=19,xlab="learning",main = "Histogram of Learning")
```

Histogram of Rating

Histogram of Learning





2.a) Make a frequency distribution table for the gender variable to see the frequency distribution

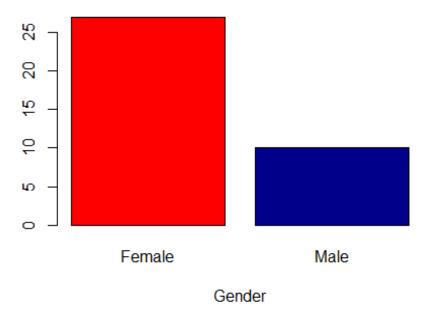
```
library(readx1)
Exercise <-read_excel("exercise.xls")
View(Exercise)

colnames(Exercise) <-
c("weight", "height", "gender", "exerciseperweek", "Isregularexercise", "friedfood perweek")
gendertable <- table(Exercise$gender)</pre>
```

2.b) Make a bar chart for gender variable

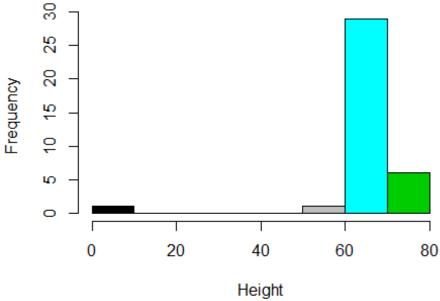
```
barplot(gendertable,main="Gender
Distribution",xlab="Gender",col=c("red","darkblue")) #col is used for
colour
```

Gender Distribution



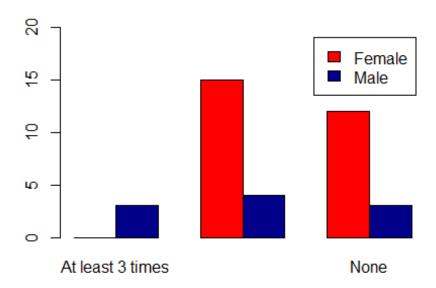
2.c) Make a histogram to display the distribution of the Height variable
hist(Exercise\$height, main="Height distribution", xlab="Height", col =
Exercise\$height)

Height distribution



2.d) Make a cluster bar chart (side-by-side bar chart) to examine the correlation between gender and Ate Fried Food variables.

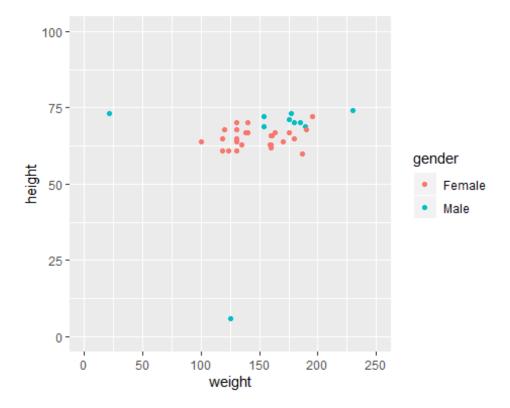
```
t <-table(Exercise$gender,Exercise$friedfoodperweek)
barplot(t,beside = TRUE,legend=TRUE,xlab = "No. of times had fried food per
week",col = c("red","darkblue"),ylim = c(0,20))</pre>
```



No. of times had fried food per week

2.e) Make a scatter plot to examine the correlation between Weight and Height variables, and write a sentence to describe the trend you observed from the scatter plot.

```
library(ggplot2)
s <-ggplot(Exercise,aes(x=weight,y=height))
s+ geom_point(aes(colour=gender)) +ylim(0,100)+xlim(0,250)</pre>
```



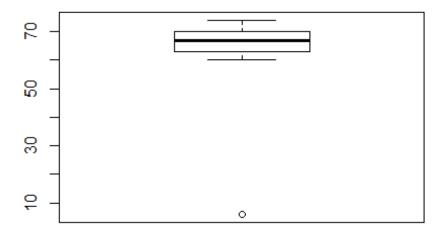
#The graph of height Vs Weight is linear with slope zero.

2.f) Find the 5-number summary for the Height data and make a boxplot for the Height data with mild and extreme outliers identi�ed using inner and outer fences. Draw the boxplot.

```
a <- fivenum(Exercise$height)
#summary(Exercise$height) in summary mean is extra variable which is not
needed

IQR <-a[4]-a[2]
boxplot(Exercise$height,main="Boxplot of Height")</pre>
```

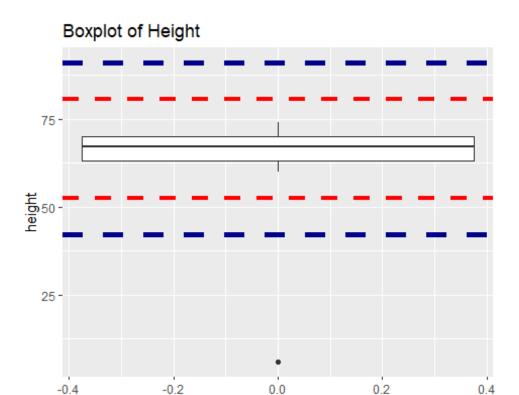
Boxplot of Height



```
IF1 <-a[2]-1.5*IQR
IF2 <- a[4]+1.5*IQR

OF1 <-a[2]-3*IQR
OF2 <-a[4]+3*IQR

f <- ggplot(Exercise, aes(y=height))
f+ geom_boxplot()+ggtitle("Boxplot of Height")+
    geom_hline(yintercept =
    C(IF1,IF2),linetype="dashed",color="red",size=1.5)+
        geom_hline(yintercept =
    c(OF1,OF2),linetype="dashed",color="darkblue",size=2)</pre>
```



Q.3.a)All the variables are represented as integer. Write your own function that automatically converts all the integer variables to factors (categorical).

```
library(MASS)
## Warning: package 'MASS' was built under R version 3.6.2
library(plyr)
library(dplyr)
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:plyr':
##
       arrange, count, desc, failwith, id, mutate, rename, summarise,
##
##
       summarize
## The following object is masked from 'package:MASS':
##
##
       select
## The following objects are masked from 'package:stats':
##
##
       filter, lag
```

```
## The following objects are masked from 'package:base':
##
##
      intersect, setdiff, setequal, union
library(tibble)
#?birthwt
#View(birthwt)
str(birthwt)
## 'data.frame':
                 189 obs. of 10 variables:
## $ low : int 00000000000...
## $ age : int 19 33 20 21 18 21 22 17 29 26 ...
## $ lwt : int 182 155 105 108 107 124 118 103 123 113 ...
## $ race : int 2 3 1 1 1 3 1 3 1 1 ...
## $ smoke: int 0011100011...
## $ ptl : int 0000000000...
## $ ht
        : int 0000000000...
         : int 1001100000...
## $ ui
## $ ftv : int 0312001110 ...
## $ bwt : int 2523 2551 2557 2594 2600 2622 2637 2637 2663 2665 ...
converttofactor<-function(x){</pre>
 return(as.factor(x))
}
str(birthwt)
## 'data.frame':
                 189 obs. of 10 variables:
## $ low : int 0000000000...
## $ age : int 19 33 20 21 18 21 22 17 29 26 ...
## $ lwt : int 182 155 105 108 107 124 118 103 123 113 ...
## $ race : int 2 3 1 1 1 3 1 3 1 1 ...
## $ smoke: int 0011100011...
## $ ptl : int 0000000000...
## $ ht
         : int 0000000000...
## $ ui
         : int 1001100000...
## $ ftv : int 0312001110...
## $ bwt : int 2523 2551 2557 2594 2600 2622 2637 2637 2663 2665 ...
\#c(1,4:9)
birthwt[,c(1,4,5,6,7,8,9)] <-
lapply(birthwt[,c(1,4,5,6,7,8,9)],converttofactor)
str(birthwt)
## 'data.frame':
                 189 obs. of 10 variables:
## $ low : Factor w/ 2 levels "0", "1": 1 1 1 1 1 1 1 1 1 1 ...
## $ age : int 19 33 20 21 18 21 22 17 29 26 ...
```

```
## $ lwt : int 182 155 105 108 107 124 118 103 123 113 ...
## $ race : Factor w/ 3 levels "1","2","3": 2 3 1 1 1 3 1 3 1 1 ...
## $ smoke: Factor w/ 2 levels "0","1": 1 1 2 2 2 1 1 1 2 2 ...
## $ ptl : Factor w/ 4 levels "0","1","2","3": 1 1 1 1 1 1 1 1 1 1 1 ...
## $ ht : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 1 ...
## $ ui : Factor w/ 2 levels "0","1": 2 1 1 2 2 1 1 1 1 1 1 ...
## $ ftv : Factor w/ 6 levels "0","1","2","3",..: 1 4 2 3 1 1 2 2 2 1 ...
## $ bwt : int 2523 2551 2557 2594 2600 2622 2637 2637 2663 2665 ...
```

###Q.3.b) Repeat part (a) using mutate() and mapvalues() functions.

3.c) Use the tapply() function to see what the average birthweight looks like when broken down by race and smoking status. Does smoking status appear to have an eï¬@ect on birth weight? Does the eï¬@ect of smoking status appear to be consistent across racial groups? What is the association between race and birth weight?

```
tapply(birthwt$bwt, birthwt$race, mean)
## 1 2 3
## 3102.719 2719.692 2805.284

tapply(birthwt$bwt, birthwt$smoke, mean)
## 0 1
## 3055.696 2771.919
#Theory

#Yes, it Looks Like smoking status does have an effect on birth weight as average birth weight for non - smokers is 3055.6, however, for smokers it is
```

```
2771.92*
# *Yes, the effect of smoking status appears to be consistent across racial
groups as the average birth weight for smokers across all the races is
comparatively lesser to non-smokers across the racial groups*
  #*We see that Race =1 (white) has the highest average birth weight
(3102.72), Race =3 (Other) have a average birth weight of 2805.2 whereas for
Race =2 (Black), the average birth weight is the lowest 2719.70*
3.d) Use kable() function from knitr to dispaly the table you get in part (c)
library(knitr)
#install.packages("kableExtra")
library(kableExtra)
## Attaching package: 'kableExtra'
## The following object is masked from 'package:dplyr':
##
##
       group_rows
kable(birthwt) %>%
kable_styling(bootstrap_options = c("striped", "hover"))
low
age
lwt
race
smoke
ptl
ht
ui
ftv
bwt
0
19
182
2
0
0
0
1
0
2523
0
```

2622

2665

2920

2977

2922

2 3062

3062

3090

22

3203

3274

2 0

2

3374

3572

3572

3614

2

3756

3790

3912

3969

4054

4990

2055

2 0

2084

2240

2296

2353

3.e) Use ddply() function to get the average birthweight by motherâ¹ race and compare it with tapply() function

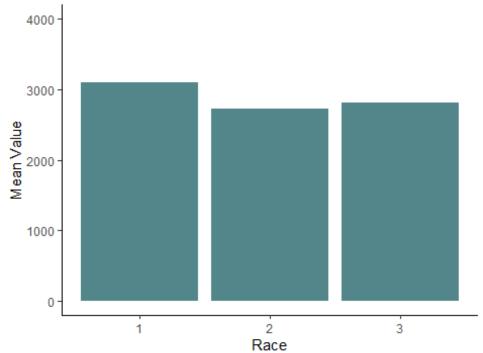
```
library(plyr)

table_d<-ddply(birthwt,.(race),summarize,mean_val=mean(bwt))
table_d

## race mean_val
## 1  1  3102.719
## 2  2  2719.692
## 3  3  2805.284</pre>
```

3.f) Use ggplot2() to plot the average birthweight (computed in part (e)) for each race group in a bar plot

Average Birth Weight for Each Race Group

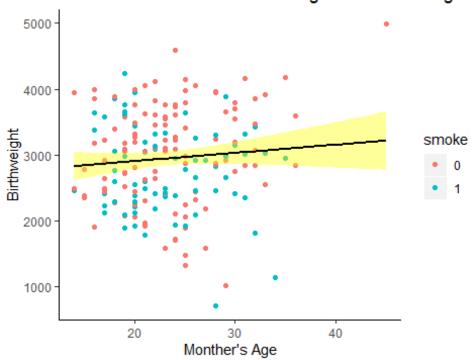


3.g) Use ddply() function to look at the average birthweight and proportion of babies with low birthweight broken down by smoking status

```
str(birthwt)
                     189 obs. of 10 variables:
## 'data.frame':
## $ low : Factor w/ 2 levels "0", "1": 1 1 1 1 1 1 1 1 1 1 ...
## $ age : int 19 33 20 21 18 21 22 17 29 26 ...
## $ lwt : int 182 155 105 108 107 124 118 103 123 113 ...
## $ race : Factor w/ 3 levels "1", "2", "3": 2 3 1 1 1 3 1 3 1 1 ...
## $ smoke: Factor w/ 2 levels "0","1": 1 1 2 2 2 1 1 1 2 2 ...
## $ ptl : Factor w/ 4 levels "0","1","2","3": 1 1 1 1 1 1 1 1 1 1 ...
## $ ht
            : Factor w/ 2 levels "0", "1": 1 1 1 1 1 1 1 1 1 1 ...
            : Factor w/ 2 levels "0", "1": 2 1 1 2 2 1 1 1 1 1 ...
## $ ui
## $ ftv : Factor w/ 6 levels "0","1","2","3",..: 1 4 2 3 1 1 2 2 2 1 ...
## $ bwt : int 2523 2551 2557 2594 2600 2622 2637 2637 2663 2665 ...
table g<-ddply(birthwt, ~ smoke, summarize,
      avg wt = mean(bwt),
      low_birth_prop = mean(low == 1))
table_g
              avg_wt low_birth_prop
##
     smoke
## 1
         0 3055.696
                          0.2521739
## 2
         1 2771.919
                          0.4054054
```

3.i) Is the motherâlls age correlated with birth weight? Does the correlation vary with smoking status?

Correlation between mother's age and Birth Weight

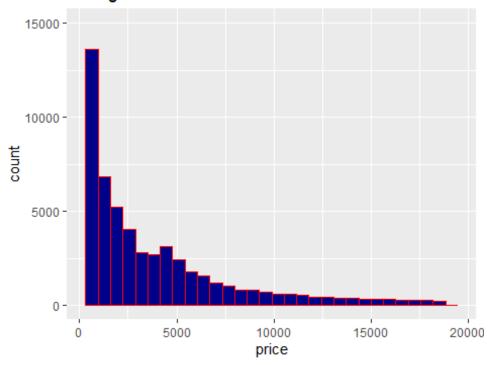


#*Yes, the correlation varies with smoking status. We see that most of the data points above the line of best fit are non-smokers, whereas, the data points below the line are smokers. This further shows that smokers during pregnancy have a lower birth rate as compared to the non-smokers*

Q.4.a) What type of variable is price? Would you expect its distribution to be symmetric, right-skewed, or left-skewed? Why? Make a histogram of the distribution of diamond prices. Does the shape of the distribution match your expectation? (Use geom histogram()).

```
library(ggplot2)
#data(diamonds)
View(diamonds)
str(diamonds)
## Classes 'tbl_df', 'tbl' and 'data.frame':
                                               53940 obs. of 10 variables:
## $ carat : num 0.23 0.21 0.23 0.29 0.31 0.24 0.24 0.26 0.22 0.23 ...
## $ cut
             : Ord.factor w/ 5 levels "Fair"<"Good"<...: 5 4 2 4 2 3 3 3 1 3
## $ color : Ord.factor w/ 7 levels "D"<"E"<"F"<"G"<...: 2 2 2 6 7 7 6 5 2 5
## $ clarity: Ord.factor w/ 8 levels "I1"<"SI2"<"SI1"<..: 2 3 5 4 2 6 7 3 4</pre>
5 ...
## $ depth
                   61.5 59.8 56.9 62.4 63.3 62.8 62.3 61.9 65.1 59.4 ...
           : num
## $ table : num
                   55 61 65 58 58 57 57 55 61 61 ...
           : int 326 326 327 334 335 336 336 337 337 338 ...
## $ price
             : num 3.95 3.89 4.05 4.2 4.34 3.94 3.95 4.07 3.87 4 ...
  $ x
```

Histogram of Price of diamonds



#Price is a dependent variable whose value depend on carat and cut.

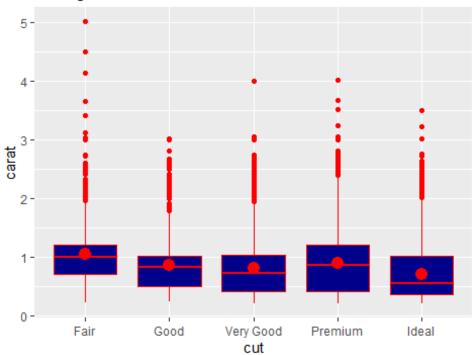
#The distribution of variable y is right skew as frequency of price is goes
on decreasing as price increases.

Q.4.b) Visualize a few other numerical variables in the dataset and discuss any interesting features. When describing distributions of numerical variables we might also want to view statistics like mean, median, etc.

```
summary(diamonds)
##
        carat
                             cut
                                         color
                                                       clarity
## Min.
           :0.2000
                                : 1610
                                         D: 6775
                                                    SI1
                      Fair
                                                           :13065
##
    1st Qu.:0.4000
                      Good
                                : 4906
                                         E: 9797
                                                    VS2
                                                            :12258
                      Very Good:12082
##
   Median :0.7000
                                         F: 9542
                                                    SI2
                                                            : 9194
##
    Mean
           :0.7979
                      Premium
                               :13791
                                         G:11292
                                                    VS1
                                                            : 8171
    3rd Qu.:1.0400
                                                    VVS2
                      Ideal
                                :21551
                                         H: 8304
                                                           : 5066
##
    Max.
           :5.0100
                                         I: 5422
                                                    VVS1
                                                            : 3655
##
                                         J: 2808
                                                    (Other): 2531
##
        depth
                         table
                                          price
```

```
##
   Min. :43.00
                    Min.
                           :43.00
                                    Min. :
                                              326
                                                    Min. : 0.000
##
   1st Qu.:61.00
                    1st Qu.:56.00
                                    1st Qu.:
                                              950
                                                    1st Qu.: 4.710
## Median :61.80
                    Median :57.00
                                                    Median : 5.700
                                    Median : 2401
##
   Mean
           :61.75
                    Mean
                           :57.46
                                    Mean
                                           : 3933
                                                    Mean
                                                            : 5.731
    3rd Qu.:62.50
                    3rd Qu.:59.00
                                    3rd Qu.: 5324
                                                    3rd Qu.: 6.540
##
##
   Max.
           :79.00
                           :95.00
                                           :18823
                                                            :10.740
                    Max.
                                    Max.
                                                    Max.
##
##
          У
                           Z
##
           : 0.000
                     Min.
                            : 0.000
   Min.
    1st Qu.: 4.720
                     1st Qu.: 2.910
##
   Median : 5.710
                     Median : 3.530
##
## Mean
         : 5.735
                     Mean
                            : 3.539
    3rd Qu.: 6.540
                     3rd Qu.: 4.040
##
##
   Max.
           :58.900
                     Max.
                            :31.800
##
p<- ggplot(diamonds,aes(x=cut,y=carat))</pre>
p+ geom_boxplot(fill="darkblue",colour="red")+ggtitle("Histogram of Price of
diamonds")+#points(diamonds$cut, means$carat, col = "red")+
  stat_summary(fun.y=mean, geom="point",colour="red",shape=19,size=4)
```

Histogram of Price of diamonds



Q.4.c) What type of variable is color? Which color is most prominently represented in the dataset?

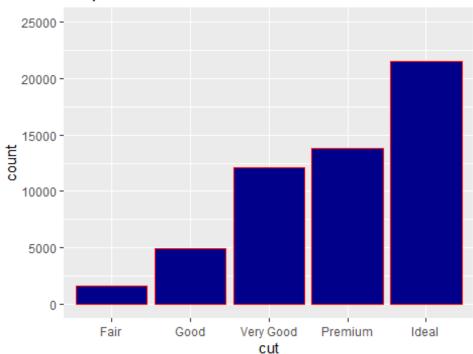
```
str(diamonds$color)
## Ord.factor w/ 7 levels "D"<"E"<"F"<"G"<...: 2 2 2 6 7 7 6 5 2 5 ...</pre>
```

#colour is a variable of type factor with 7 levels. COlor G is most prominantly represented in dataset.

Q.4.d) Make a bar plot of the distribution of cut, and describe its distribution (Use georm bar())

```
b<- ggplot(diamonds,aes(x=cut))
b+ geom_bar(fill="darkblue",colour="red")+ggtitle("Barplot of cut of
diamonds")+ylim(0,25000)</pre>
```

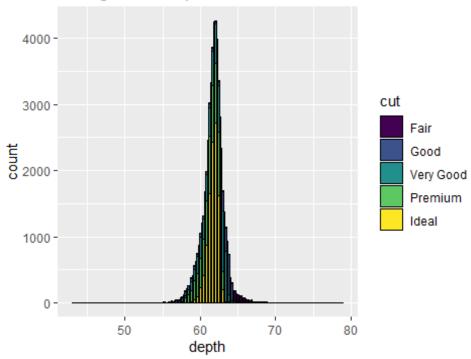
Barplot of cut of diamonds



#The graph tells that the frequency of diamonds is increasing as the cut is getting ideal.

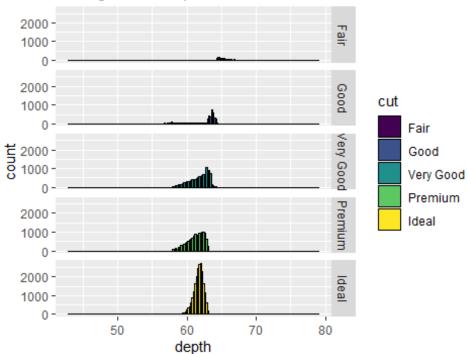
Q.4.e) Make a histogram of the depths of diamonds, with binwidth of 0.2%, and add another variable (say, cut) to the visualization. You can do this either using an aesthetic or a facet. Typical diamonds of which cut have the highest depth? On average, does depth increase or decrease as cut grade increase or decrease? b<- ggplot(diamonds,aes(x=depth)) b+ geom_histogram(binwidth=0.2,aes(fill=cut),colour="black")+ggtitle("Histogram of depth of diamonds")#+yLim(0,15000)

Histogram of depth of diamonds



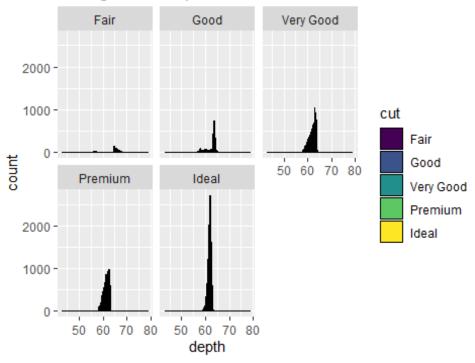
```
#By facet_grid
b+
geom_histogram(binwidth=0.2,aes(fill=cut),colour="black")+ggtitle("Histogram
of depth of diamonds")+
  facet_grid(cut~.)
```

Histogram of depth of diamonds



```
#By facet_wrap
b+
geom_histogram(binwidth=0.2,aes(fill=cut),colour="black")+ggtitle("Histogram
of depth of diamonds")+
  facet_wrap(cut~.)
```

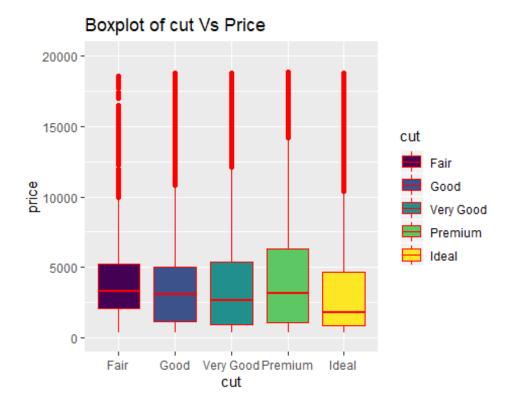
Histogram of depth of diamonds



#As the cut ibecomes better the depth reduces

Q.4.f) Compare the distribution of price for the diï¬rent cuts. Does anything seem unusual? Describe.

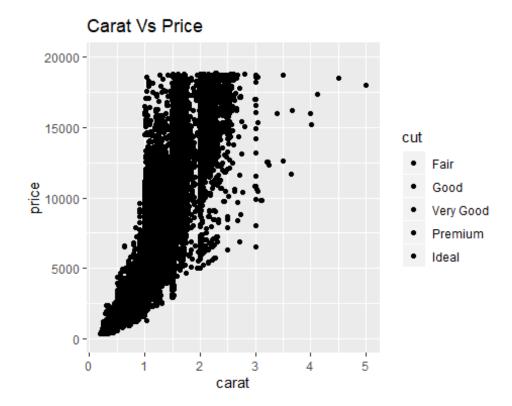
```
f<- ggplot(diamonds,aes(x=cut,y=price))
f+ geom_boxplot(aes(fill=cut),colour="red")+ggtitle("Boxplot of cut Vs
Price")+ylim(0,20000)</pre>
```



#There are many outliers in this boxplot of Price vs Cut. Range for ideal diamond cuts is lesser than other diamond cuts.

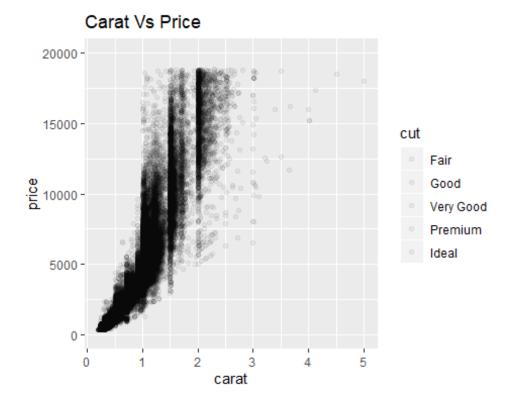
Q.4.g) Draw a scatterplot showing the price (y-axis) as a function of the carat (size).

```
g<- ggplot(diamonds,aes(x=carat,y=price))
g+ geom_point(aes(fill=cut))+geom_jitter()+ggtitle("Carat Vs
Price")+ylim(0,20000)</pre>
```



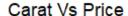
Q.4.h) Shrink the points in your scatter plot in part (g) using the alpha argument in geom point.

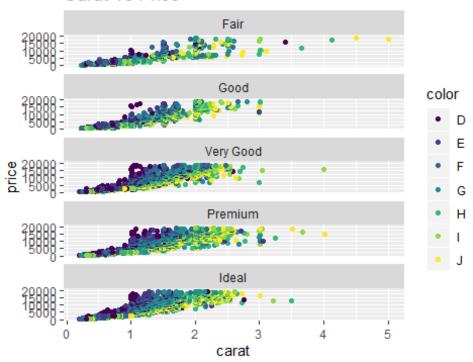
```
h<- ggplot(diamonds,aes(x=carat,y=price))
h+ geom_point(alpha=0.05,aes(fill=cut))+ggtitle("Carat Vs
Price")+ylim(0,20000)</pre>
```



Q.4.i) Use facet wrap(â½¼ factor1 + factor2 + ... + factorn) command to create scatter plots showing how diamond price varies with carat size for diï¬②erent values of â②②cutâ③② (use colour = color in aes()).

```
i <-ggplot(diamonds,aes(x=carat,y=price))
i+ geom_point(aes(colour=color))+ggtitle("Carat Vs Price")+
facet_wrap(cut~.,ncol=1)+ylim(0,20000)</pre>
```





Q.5.a) Load the data and check the attributes of the data. How many variables are in this data set?

```
setwd("E:\\Fall 2019\\IDS 572\\Assg1")
library(readx1)
Diabetes <- read_xlsx("Pima Indian Diabetes.xlsx")
#There are 8 independent variable and one dependent variable `Class variable`</pre>
```

Q.5.b) Choose the ï¬@rst 80% of the data for training and the remaining 20% data for testing.

```
library(e1071)
library(caret)

## Loading required package: lattice

library(rpart)
library(rpart.plot)

outlier <- function(val){
   iqr <- IQR(val)
   q1 <- as.numeric(quantile(val,.25))
   q3 <- as.numeric(quantile(val,.75))
   upper <- q3+(1.5*iqr)

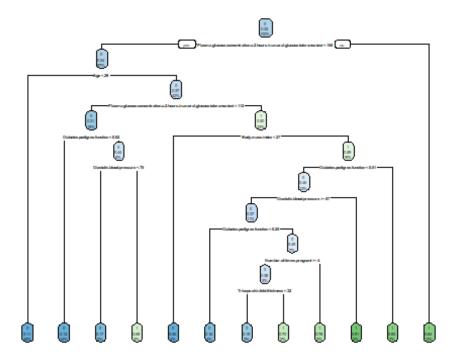
lower <- q1-(1.5*iqr)
   ifelse ( val < upper & val > lower, val, NA)
```

```
}
#View(val)
# calling function
diabetes op<-sapply(Diabetes[,1:8], outlier)
diabetes cleaned<-data.frame(diabetes op, Diabetes[,9])</pre>
diabetes F<-na.omit(diabetes cleaned)</pre>
diabetes_F$Class.variable <- as.factor(diabetes_F$Class.variable)</pre>
str(diabetes_F)
## 'data.frame':
                    639 obs. of 9 variables:
## $ Number.of.times.pregnant
: num 6 1 8 1 5 3 4 10 5 0 ...
## $
Plasma.glucose.concentration.a.2.hours.in.an.oral.glucose.tolerance.test: num
148 85 183 89 116 78 110 168 166 118 ...
## $ Diastolic.blood.pressure
: num 72 66 64 66 74 50 92 74 72 84 ...
## $ Triceps.skin.fold.thickness
: num 35 29 0 23 0 32 0 0 19 47 ...
## $ X2.Hour.serum.insulin
: num 0 0 0 94 0 88 0 0 175 230 ...
## $ Body.mass.index
: num 33.6 26.6 23.3 28.1 25.6 31 37.6 38 25.8 45.8 ...
## $ Diabetes.pedigree.function
: num 0.627 0.351 0.672 0.167 0.201 0.248 0.191 0.537 0.587 0.551 ...
## $ Age
: num 50 31 32 21 30 26 30 34 51 31 ...
## $ Class.variable
: Factor w/ 2 levels "0", "1": 2 1 2 1 1 2 1 2 2 2 ...
## - attr(*, "na.action")= 'omit' Named int 5 8 9 10 13 14 16 19 40 44 ...
     ... attr(*, "names")= chr "5" "8" "9" "10" ...
set.seed(2)
sample=sample(1:nrow(diabetes F),floor(nrow(diabetes F)*0.8))
train <-diabetes F[sample, ]
test <-diabetes F[-sample,]</pre>
Q.5.c) Use âllrpartâll function to create a tree using the training data. What is
the accuracy of your model based on training data?
#Training the decision tree classifier
tree_model <-rpart(Class.variable~.,data=train,method="class")</pre>
#Predictions on training dataset
diabetes.predicted_train<- predict(tree_model,train,type = "class")</pre>
```

```
#Confusion matrix for evaluating the model on training dataset
confusionMatrix(diabetes.predicted_train,train$Class.variable)
## Confusion Matrix and Statistics
##
             Reference
##
## Prediction 0
##
            0 323 44
            1 27 117
##
##
##
                  Accuracy : 0.8611
                    95% CI: (0.828, 0.8899)
##
##
       No Information Rate: 0.6849
##
       P-Value [Acc > NIR] : < 2e-16
##
##
                     Kappa : 0.6686
##
    Mcnemar's Test P-Value: 0.05758
##
##
##
               Sensitivity: 0.9229
##
               Specificity: 0.7267
##
            Pos Pred Value : 0.8801
##
            Neg Pred Value: 0.8125
##
                Prevalence: 0.6849
##
            Detection Rate: 0.6321
##
      Detection Prevalence: 0.7182
##
         Balanced Accuracy: 0.8248
##
##
          'Positive' Class : 0
##
```

Q.5.d) Plot your decision tree. How many leaves are in your tree? Are these leaves pure?

rpart.plot(tree_model)



#There are 15 variables in the tree. All of these leaves are pure.

Q.5.e) Provide two strongest If-Then rules from this decision tree. Please explain why these rules are chosen.

```
#*Two strongest decision rules are ->*
#*1. If Plasma Glucose conc < 144 and Age < 29 Then 0*
#*2. If Plasma Glucose conc >= 144 and Glucose conc >= 155 Then 1*
```

Q.5.f) What are the most important variables based on your decision tree models?

Most important variables are at the top nodes of the tree. Here the most important nodes are ghluccose concentration, age and body mass index.

Q.5.g) Apply the decision tree on test data and report your prediction (just the code is su﬩cient for this part). What is the accuracy of your model on the test data?

```
#Predictions on training dataset
diabetes.predicted_test<- predict(tree_model,test,type = "class")
#Confusion matrix for evaluating the model on testing dataset
confusionMatrix(diabetes.predicted_test,test$Class.variable)</pre>
```

```
## Confusion Matrix and Statistics
##
             Reference
##
## Prediction 0 1
            0 77 21
##
            1 12 18
##
##
##
                  Accuracy : 0.7422
##
                    95% CI: (0.6574, 0.8154)
       No Information Rate : 0.6953
##
       P-Value [Acc > NIR] : 0.1450
##
##
##
                     Kappa: 0.3494
##
##
   Mcnemar's Test P-Value: 0.1637
##
##
               Sensitivity: 0.8652
##
               Specificity: 0.4615
            Pos Pred Value : 0.7857
##
##
            Neg Pred Value: 0.6000
##
                Prevalence: 0.6953
##
            Detection Rate: 0.6016
##
      Detection Prevalence: 0.7656
##
         Balanced Accuracy: 0.6634
##
##
          'Positive' Class : 0
##
```

Q.5.h) Use a couple of diï¬@erent training samples and check how your decision tree models change. Is your decision tree robust?

#Using couple of training datasets we saw the accuracy is similar to the initial accuracy which is 86%. Hence, the decision tree is robust

Q.5.i) Do parts (c), (e), and (f) for a âllectreeâlle function as well. Are there any signiï¬lecant diï¬lerences between these decision trees constructed by ctree and rpart?

```
library(party)

## Loading required package: grid

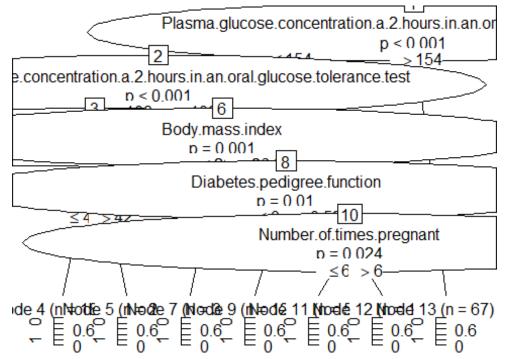
## Loading required package: mvtnorm

## Loading required package: modeltools

## Loading required package: stats4

## ## Attaching package: 'modeltools'
```

```
## The following object is masked from 'package:plyr':
##
##
       empty
## Loading required package: strucchange
## Loading required package: zoo
##
## Attaching package: 'zoo'
## The following objects are masked from 'package:base':
##
       as.Date, as.Date.numeric
##
## Loading required package: sandwich
diabetes_ctree<-ctree(Class.variable~.,data = train)</pre>
#diabetes ctree
plot(diabetes ctree)
```



```
#Predictions on training dataset
diabetes.predicted_train_ctree<- predict(diabetes_ctree,train)

#Confusion matrix for evaluating the model on training dataset
confusionMatrix(diabetes.predicted_train_ctree,train$Class.variable)</pre>
```

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction 0
                    1
##
           0 339 91
##
           1 11 70
##
##
                  Accuracy : 0.8004
##
                    95% CI: (0.7631, 0.8342)
##
       No Information Rate: 0.6849
##
       P-Value [Acc > NIR] : 3.340e-09
##
##
                     Kappa: 0.4659
##
##
   Mcnemar's Test P-Value : 5.192e-15
##
##
               Sensitivity: 0.9686
##
               Specificity: 0.4348
            Pos Pred Value: 0.7884
##
           Neg Pred Value : 0.8642
##
##
                Prevalence: 0.6849
##
           Detection Rate: 0.6634
##
      Detection Prevalence: 0.8415
##
         Balanced Accuracy : 0.7017
##
##
          'Positive' Class: 0
##
# Most important variables are at the top nodes of the tree. Here the most
important nodes are ghluccose concentration, age and body mass index.
```