



①

## Linear Search in Array

Let's say we have an array

{1, 3, 5, 7, 8, 9, 0} (not sorted)

and we have target = 7

So we have to findout the number 7 in the array  
if it exist then return the index of that target

if not exist then just return that value not  
exist in the array.

```
int index = -1  
for (int i=0; i < nums.Length; i++) {  
    if (nums[i] == target) {  
        index = i;  
        return i;  
    }  
}  
return index;
```

②

## Largest in Array

To findout the largest element in array, we  
have to initialize a max named variable  
with the value of Integer.MIN\_VALUE;

So After every iteration. we have to Compare number with the max Variable if max is less than the Array Value, then assign the Value to it.

Code

```
int max = Integer.MIN_VALUE;  
for (int i=0 ; i< nums.length ; i++) {  
    if (max < nums[i]) {  
        max = nums[i];  
    }  
}  
return max;
```

### ③ Binary Search (Divide and Conquer)

Here instead of Searching a target number from start to end, we have to divide the array into 2 parts and search for the element, so that the time Complexity should be less as Compared to the linear Search.

→ For that we have to initialize a Variable called MID that always check the mid value of an Array.

So,

```
code // Function definition {
    int Beg = 0;
    int end = numbers.length - 1;
    mid = (Beg + end) / 2;
    while (Beg <= end) {
        if (numbers[mid] == target) {
            return mid;
        }
        mid = (Beg + end) / 2;
        if (numbers[mid] > target) {
            end = mid - 1;
        } else if (numbers[mid] < target) {
            Beg = mid + 1;
        }
    }
}
```

}      return mid;

### (9) reverse an Array

→ to reverse an array, we have to perform the Kaden's Algorithm which is traverse the array from begining and from end at a time.

let's say the array = { 1, 7, 5, 3, 9 }

Code :

```
// function definition
int start = 0, end = nums.length - 1;
while (start < end) {
    nums[start] = nums[start]^nums[end];
    nums[end] = nums[start]^nums[end];
    nums[start] = nums[start]^nums[end];
    start++;
    end--;
}
```

## (5) Pairs in Array

for example : array = { 1, 7, 5, 3 }

pairs are : (1, 7), (1, 5), (1, 3),  
(7, 5), (7, 3),  
(5, 3)

Simple right, we need two for loop Outer one

starts from 0 to end, and inner loop starts  
from  $i+1$  to end.

Code :

```
for (int i=0 ; i < nums.length ; i++) {  
    for (int j=i+1 ; nums.length ; i++) {  
        System.out.print("(" + i + "," + j + ");")  
    }  
    System.out.println();  
}
```

## (6) Print Subarrays.

Here given parameters are the Array itself,  
beginning index of subarray and  
ending index of subarray



for example = array = { 1, 5, 3, 5, 9, 1, 4 }  
beginning index = 3  
ending index = 6

So we have to return a Subarray that  
Contain { 5, 9, 1, 4 }

Simple right, we have to initialize an Array of  
Size of the Subarray i.e = (ending - beginning) + 1  
So iterate over the Array from beginning index  
to ending index and assign the value to the  
Subarray (with the corresponding) index number.

### Code

```
int index = 0  
  
int () Subarray = new int [(beg + end) + 1];  
for (int i = beg; i <= end; i++) {  
    Subarray [index] = nums [i];  
    index++;  
}
```

~~#~~ Point each Sub Arrays.

```
int totalSubarray = 0;  
for (int i=0; i < nums.length; i++) {  
    for (int j=i; j < nums.length; j++) {  
        for (int k=i; k <= j; k++) {  
            System.out.print(k + " ");  
        }  
        totalSubarray++;  
        System.out.println();  
    }  
    System.out.println();  
}
```

```
System.out.println(" total no of Subarrays  
: " + totalSubarray);
```