

English Word Suggestion Based on Part of Speech Ngram

Hamana Laboratory, Gunma University

Borann Chanrathnak

February 17, 2020

Table of Contents

Motivation

Part Of Speech Ngram (POS-Ngram)

Definitions

N-gram

POS-Ngram

Implementation

Programming Structure

Tools

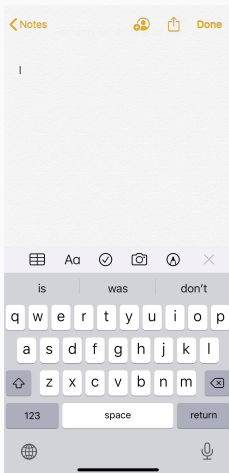
Motivation

Motivation

- Word suggestion on mobile devices

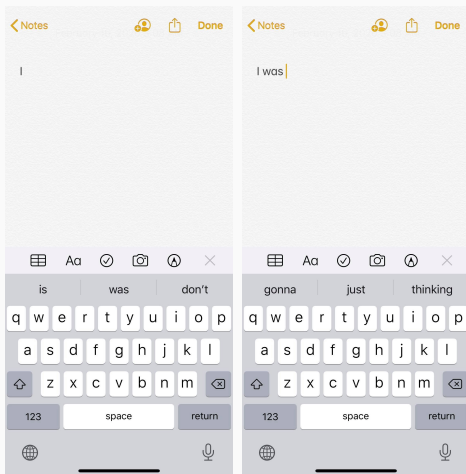
Motivation

- Word suggestion on mobile devices



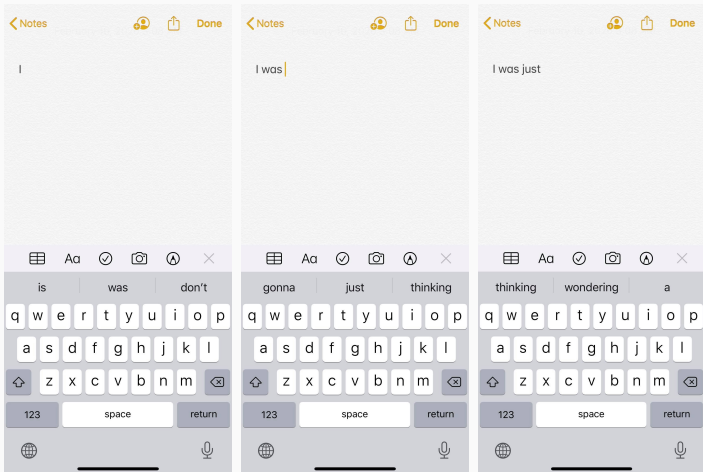
Motivation

- Word suggestion on mobile devices



Motivation

- Word suggestion on mobile devices



Part Of Speech Ngram (POS-Ngram)

What does POS-Ngram mean?

N-gram is a contiguous sequence of n items from a given sample of text or speech

Ex: I study english

- **unigram (1-gram)** : (I,), (study,), (english,)
- **bigram (2-gram)** : (I, study), (study, english)
- **trigram (3-gram)** : (I, study, english)

What does POS-Ngram mean?

N-gram is a contiguous sequence of n items from a given sample of text or speech

Ex: I study english

- **unigram (1-gram)** : (I,), (study,), (english,)
- **bigram (2-gram)** : (I, study), (study, english)
- **trigram (3-gram)** : (I, study, english)

N-gram model is one of statistical language models for predicting the next item (word) based on Markov assumption, and usually abbreviated as N-gram.

What does POS-Ngram mean?

N-gram is a contiguous sequence of n items from a given sample of text or speech

Ex: I study english

- **unigram (1-gram)** : (I,), (study,), (english,)
- **bigram (2-gram)** : (I, study), (study, english)
- **trigram (3-gram)** : (I, study, english)

N-gram model is one of statistical language models for predicting the next item (word) based on Markov assumption, and usually abbreviated as N-gram.

POS-Ngram is an improved model using part of speech as a class indicator.

How To Compute Probability of a Sentence?

How can we compute the joint probability of a sentence?

Ex: "an apple is on the table"

$$P(\text{an apple is on the table}) = ?$$

Notation

Notation

- To represent the probability of a particular random variable X_i taking on the value "the", or $P(X_i = \text{"the"})$ we will use simplification $P(\text{the})$.

Notation

- To represent the probability of a particular random variable X_i taking on the value "the", or $P(X_i = \text{"the"})$ we will use simplification $P(\text{the})$.
- We represent a sequence of N words either as $w_1 \cdots w_n$ or w_1^n

Notation

- To represent the probability of a particular random variable X_i taking on the value "the", or $P(X_i = \text{"the"})$ we will use simplification $P(\text{the})$.
- We represent a sequence of N words either as $w_1 \cdots w_n$ or w_1^n
- **Ex:** "an apple is on the table"
 $\rightarrow w_1 = \text{"an"}, w_2 = \text{"apple"}, w_3 = \text{"is"}, \dots$

Notation

- To represent the probability of a particular random variable X_i taking on the value "the", or $P(X_i = \text{"the"})$ we will use simplification $P(\text{the})$.
- We represent a sequence of N words either as $w_1 \cdots w_n$ or w_1^n
- **Ex:** "an apple is on the table"
→ $w_1 = \text{"an"} , w_2 = \text{"apple"} , w_3 = \text{"is"} , \dots$
→ $w_1^4 = \text{"an apple is on"}$

Chain Rule Of Probability

In General

$$P(X_1 \cdots X_n) = P(X_1)P(X_2 \mid X_1)P(X_3 \mid X_1^2) \cdots P(X_n \mid X_1^{n-1})$$

Chain Rule Of Probability

In General

$$P(X_1 \cdots X_n) = P(X_1)P(X_2 \mid X_1)P(X_3 \mid X_1^2) \cdots P(X_n \mid X_1^{n-1})$$

By applying chain rule to a sequence of words

$$P(w_1 \cdots w_n) = P(w_1)P(w_2 \mid w_1)P(w_3 \mid w_1^2) \cdots P(w_n \mid w_1^{n-1})$$

Chain Rule Of Probability

In General

$$P(X_1 \cdots X_n) = P(X_1)P(X_2 | X_1)P(X_3 | X_1^2) \cdots P(X_n | X_1^{n-1})$$

By applying chain rule to a sequence of words

$$P(w_1 \cdots w_n) = P(w_1)P(w_2 | w_1)P(w_3 | w_1^2) \cdots P(w_n | w_1^{n-1})$$

Examples

- $P(\text{an apple}) = P(\text{an}) \times P(\text{apple} | \text{an})$
- $P(\text{an apple is}) = P(\text{an}) \times P(\text{apple} | \text{an}) \times P(\text{is} | \text{an apple})$

Let's Apply Chain Rule

By applying chain rule to the phrase "*an apple is on the*":

$$\begin{aligned} P(\text{"an apple is on the"}) &= P(an) \times P(apple \mid an) \times P(is \mid an \ apple) \\ &\quad \times P(on \mid an \ apple \ is) \times P(the \mid an \ apple \ is \ on) \end{aligned}$$

In practice chain rule does not help

- We don't know the way to compute the exact probability of a word given a long sequence of preceding words, $P(w_n \mid w_1^{n-1})$

In practice chain rule does not help

- We don't know the way to compute the exact probability of a word given a long sequence of preceding words, $P(w_n \mid w_1^{n-1})$
- Language is creative, and any particular context might have never occurred before

The Presence of N-gram

The general equation for this n-gram approximation to the conditional probability of the next word in a sequence is

$$P(w_n \mid w_1^{n-1}) \approx P(w_n \mid w_{n-N+1}^{n-1})$$

The Presence of N-gram

The general equation for this n-gram approximation to the conditional probability of the next word in a sequence is

$$P(w_n \mid w_1^{n-1}) \approx P(w_n \mid w_{n-N+1}^{n-1})$$

In case of Bigram (2-gram)

When we use bigram model to predict the conditional probability of the next word, we can approximate by

$$P(w_n \mid w_1^{n-1}) \approx P(w_n \mid w_{n-1})$$

The Presence of N-gram

The general equation for this n-gram approximation to the conditional probability of the next word in a sequence is

$$P(w_n \mid w_1^{n-1}) \approx P(w_n \mid w_{n-N+1}^{n-1})$$

In case of Bigram (2-gram)

When we use bigram model to predict the conditional probability of the next word, we can approximate by

$$P(w_n \mid w_1^{n-1}) \approx P(w_n \mid w_{n-1})$$

Example

$$P(\text{the} \mid \text{an apple is on}) \approx P(\text{the} \mid \text{on})$$

By supposing that C is the counts of word from a corpus.

$$P(w_n \mid w_{n-1}) = \frac{C(w_{n-1}w_n)}{\sum_{w \in \text{dict}} C(w_{n-1}w)}$$

Bigram in Practice

By supposing that C is the counts of word from a corpus.

$$P(w_n \mid w_{n-1}) = \frac{C(w_{n-1}w_n)}{\sum_{w \in \text{dict}} C(w_{n-1}w)}$$

Example

$$P(\text{the} \mid \text{on}) = \frac{C(\text{on the})}{\sum_x C(\text{on } x)}$$

The probability of a complete word sequence

Given the **Bigram** assumption for the probability of an individual word, we can compute the probability of complete word sequence by:

$$P(w_1^n) \approx \prod_{k=1}^n P(w_k \mid w_{k-1})$$

Chain Rule

$$\begin{aligned} P(\text{"an apple is on the"}) &= P(\text{an}) \times P(\text{apple} \mid \text{an}) \times P(\text{is} \mid \text{an apple}) \\ &\quad \times P(\text{on} \mid \text{an apple is}) \times P(\text{the} \mid \text{an apple is on}) \end{aligned}$$

The probability of a complete word sequence

Given the **Bigram** assumption for the probability of an individual word, we can compute the probability of complete word sequence by:

$$P(w_1^n) \approx \prod_{k=1}^n P(w_k \mid w_{k-1})$$

Bigram Assumption

$$\begin{aligned} P(\text{"an apple is on the"}) &= P(\text{apple} \mid \text{an}) \times P(\text{is} \mid \text{apple}) \\ &\quad \times P(\text{on} \mid \text{is}) \times P(\text{the} \mid \text{on}) \end{aligned}$$

OOV stands for **Out Of Vocabulary**

- Words appear only in a *test set* but not in the *training set*.
- OOV problem occurs even when we work on big data.

Types of smoothing

- Laplace smoothing (Add-one smoothing)
- Add-k smoothing
- Interpolation
- ...

Interpolation

We mix the probability estimates from all the n-gram estimators, weighing and combining the trigram, bigram, and unigram counts.

In case of Bigram

$$\hat{P}(table \mid the) = \lambda_1 P(table \mid the) + \lambda_2 P(table)$$

In case of Bigram

$$\hat{P}(table \mid the) = \lambda_1 P(table \mid the) + \lambda_2 P(table)$$

In case of Trigram

$$\begin{aligned}\hat{P}(table \mid on the) &= \lambda_1 P(table \mid on the) \\ &+ \lambda_2 P(table \mid the) \\ &+ \lambda_3 P(table)\end{aligned}$$

In case of Bigram

$$\hat{P}(\text{table} \mid \text{the}) = \lambda_1 P(\text{table} \mid \text{the}) + \lambda_2 P(\text{table})$$

In case of Trigram

$$\begin{aligned}\hat{P}(\text{table} \mid \text{on the}) &= \lambda_1 P(\text{table} \mid \text{on the}) \\ &\quad + \lambda_2 P(\text{table} \mid \text{the}) \\ &\quad + \lambda_3 P(\text{table})\end{aligned}$$

where we choose λ_i such that $\sum_i \lambda_i = 1$

How are the λ values set?

- They can be learned from a **held-out** corpus
- Can be found by **EM** algorithm
- For the purpose of this project, we assume without loss of generality that $\lambda_i > \lambda_j (\forall i < j)$

Formula

$$P(w_n \mid w_1^{n-1}) = \sum_{c_n} P(w_n \mid c_n) \times P(c_n \mid c_{n-N+1}^{n-1})$$

where c_n is a class of w_n

(In this context, c_n is considered a part of speech of the word w_n)

Formula

$$P(w_n \mid w_1^{n-1}) = \sum_{c_n} P(w_n \mid c_n) \times P(c_n \mid c_{n-N+1}^{n-1})$$

where c_n is a class of w_n

(In this context, c_n is considered a part of speech of the word w_n)

Example

| | |
|--------------------------|------------------------|
| c_1 :Noun | cat, dog, thought, ... |
| c_2 :Verb | go, speak, ... |
| c_1 :Noun, c_2 :Verb | play, ... |

Formula

$$P(w_n \mid w_1^{n-1}) = \sum_{c_n} P(w_n \mid c_n) \times P(c_n \mid c_{n-N+1}^{n-1})$$

where c_n is a class of w_n

(In this context, c_n is considered a part of speech of the word w_n)

Example

| | |
|--------------------------|------------------------|
| c_1 :Noun | cat, dog, thought, ... |
| c_2 :Verb | go, speak, ... |
| c_1 :Noun, c_2 :Verb | play, ... |

It means that to predict the next word w_n

1. Compute $P(c_n \mid c_{n-N+1}^{n-1})$
2. $P(w_n \mid c_n) = \frac{C(w_n, c_n)}{C(c_n)}$
3. w_n^* is defined by $\arg \max_{w_n} P(w_n \mid w_1^{n-1})$

Formula

$$P(w_n \mid w_1^{n-1}) = \sum_{c_n} P(w_n \mid c_n) \times P(c_n \mid c_{n-N+1}^{n-1})$$

where c_n is a class of w_n

(In this context, c_n is considered a part of speech of the word w_n)

Example

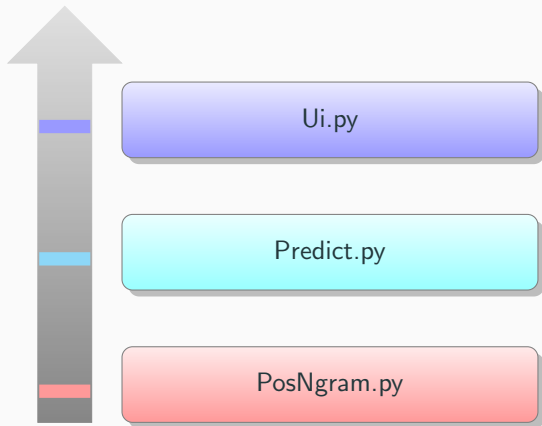
| | |
|--------------------------|------------------------|
| c_1 :Noun | cat, dog, thought, ... |
| c_2 :Verb | go, speak, ... |
| c_1 :Noun, c_2 :Verb | play, ... |

It means that to predict the next word w_n

1. Compute $P(c_n \mid c_{n-N+1}^{n-1}) \sim P(w_n \mid w_{n-N+1}^{n-1})$
2. $P(w_n \mid c_n) = \frac{C(w_n, c_n)}{C(c_n)}$
3. w_n^* is defined by $\arg \max_{w_n} P(w_n \mid w_1^{n-1})$

Implementation

Programming Structure



Implementation

- Programming Language : Python
- Ui : Tkinter
- NLTK (Natural Language ToolKit)

1. Speech and Language Processing (Chapter 4) (Daniel Jurafsky - Stanford University, 1999)
2. N-gram Language Modeling Tutorial (Lecture notes courtesy of Prof. Mari Ostendorf, 2007-06-21)
3. Probabilistic Language Model (Chapter 3) (Kenji KITA, University of Tokyo Press, 1999)

DEMO

Thank You.