Japanese tourists number

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Import data

Time-series variables and then run a linear regression model

```
tour=ts(jp$Amounts.of.tourists,frequency=12,start=c(2010,1),end=c(2018,12))
ex.rate=ts(jp$CNY.JPY,frequency=12,start=c(2010,1),end=c(2018,12))
temp=ts(jp$Average.temperature,frequency=12,start=c(2010,1),end=c(2018,12))
shopmon=ts(jp$Shopping.month,frequency=12,start=c(2010,1),end=c(2018,12))
con.rate=ts(jp$Consumption.rate,frequency=12,start=c(2010,1),end=c(2018,12))
lm.mod=lm(tour~ex.rate+temp+as.factor(shopmon)+con.rate,data=jp)
summary(lm.mod)
##
## Call:
## lm(formula = tour ~ ex.rate + temp + as.factor(shopmon) + con.rate,
      data = jp)
##
## Residuals:
      Min
               1Q Median
                               3Q
                                      Max
## -47.171 -20.756 -5.683 20.761 73.642
## Coefficients:
                       Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                      56.8649 24.8116 2.292 0.023948 *
## ex.rate
                        -3.6781
                                   1.9726 -1.865 0.065087 .
                        -0.2287
                                   0.2170 -1.054 0.294325
## temp
                                 6.6953 0.043 0.965497
## as.factor(shopmon)1
                         0.2903
## con.rate
                      1047.4255 308.9525 3.390 0.000991 ***
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 30.05 on 103 degrees of freedom
## Multiple R-squared: 0.114, Adjusted R-squared: 0.07957
## F-statistic: 3.313 on 4 and 103 DF, p-value: 0.0135
dwtest(lm.mod)
```

##

```
## Durbin-Watson test
##
## data: lm.mod
## DW = 1.4229, p-value = 0.0005287
## alternative hypothesis: true autocorrelation is greater than 0
```

The dwtest p-value is very small which indicates autocorrelation problem

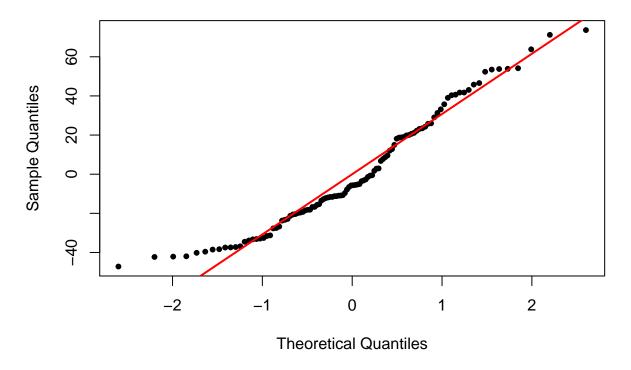
Residuals analysis

```
reslm=lm.mod$residuals
studlm=studres(lm.mod)
fit=lm.mod$fitted.values
```

QQ plot

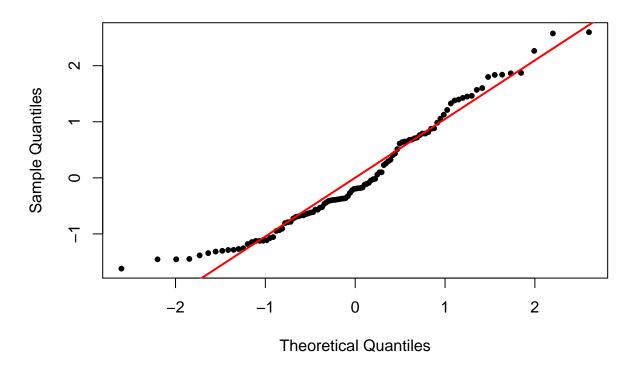
```
qqnorm(reslm,pch=20)
qqline(reslm,col='red',lwd=2)
```

Normal Q-Q Plot



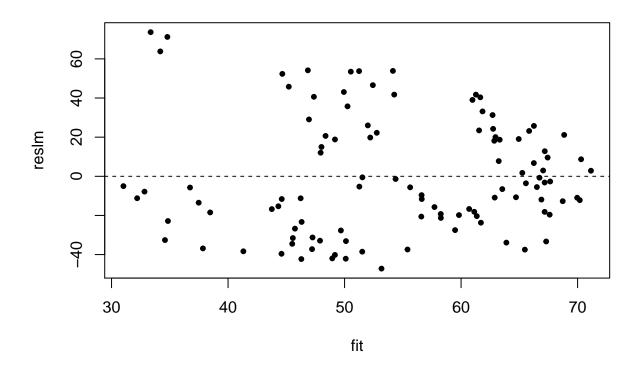
```
qqnorm(studlm,pch=20)
qqline(studlm,col='red',lwd=2)
```

Normal Q-Q Plot

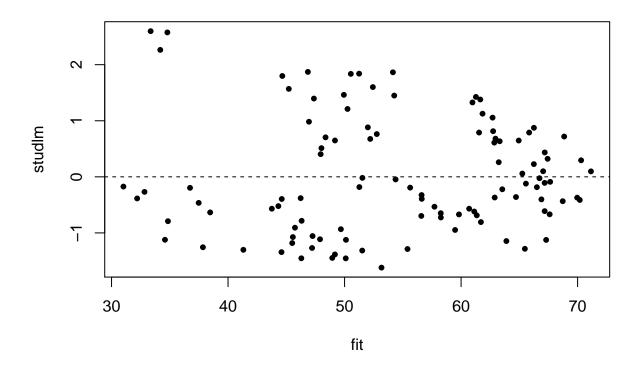


Fitted vs. residuals

plot(reslm~fit,pch=20)
abline(h=0,lty=2)

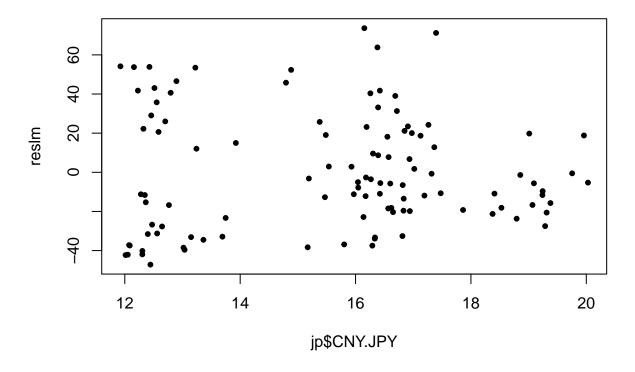


plot(studlm~fit,pch=20)
abline(h=0,lty=2)

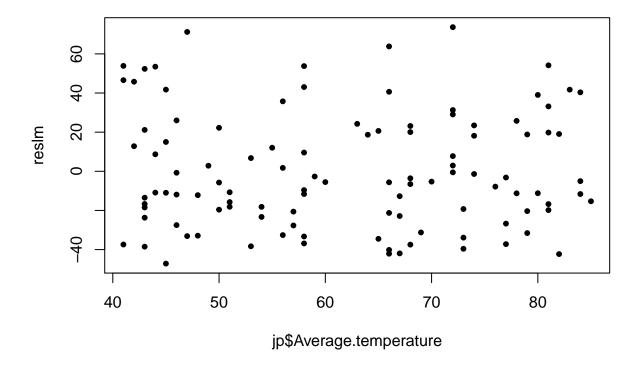


Non-constant variance check

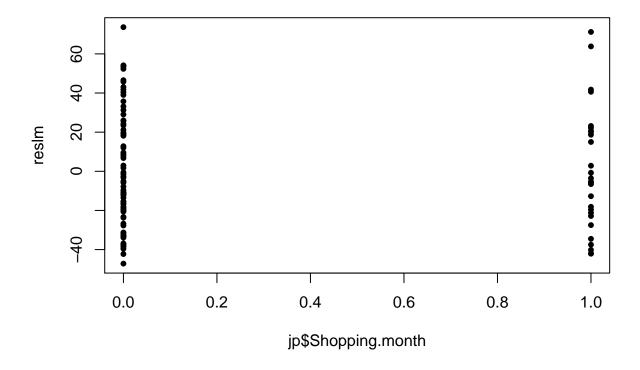
plot(reslm~jp\$CNY.JPY,pch=20)



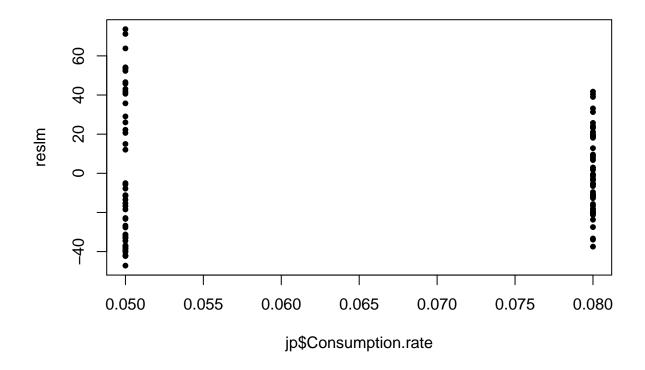
plot(reslm~jp\$Average.temperature,pch=20)



plot(reslm~jp\$Shopping.month,pch=20)

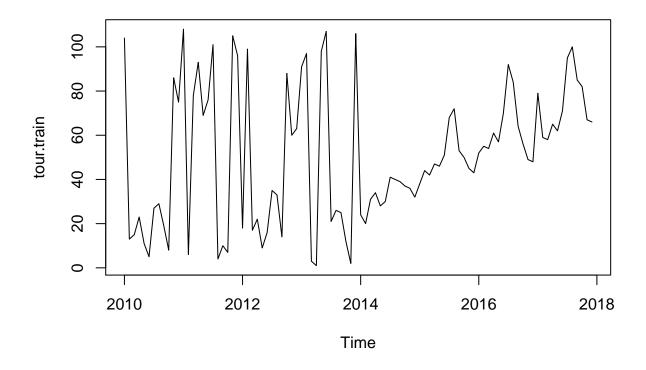


plot(reslm~jp\$Consumption.rate,pch=20)



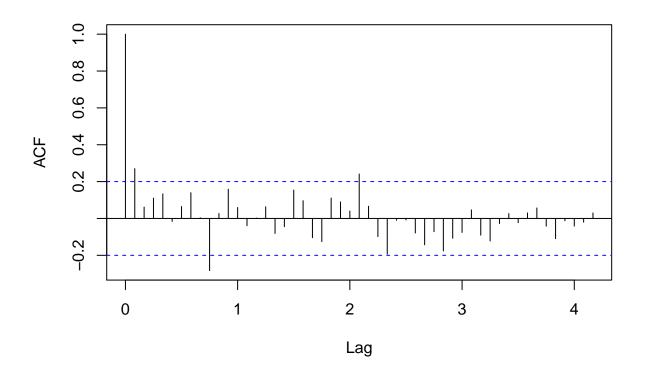
Since the R-squared is to small then considering ARIMA model Split the data into training and testing sets

```
tour.train=ts(jp$Amounts.of.tourists[1:96],frequency=12,
    start=c(2010,1),end=c(2017,12))
tour.test=ts(jp$Amounts.of.tourists[97:108],frequency=12,
    start=c(2018,1),end=c(2018,12))
plot(tour.train)
```



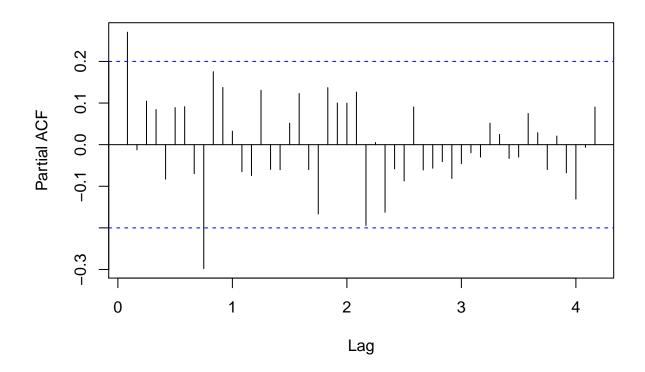
acf(tour.train, lag.max=50)

Series tour.train



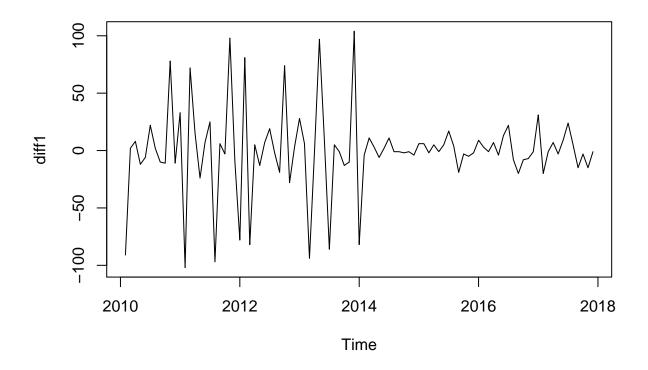
pacf(tour.train, lag.max=50)

Series tour.train



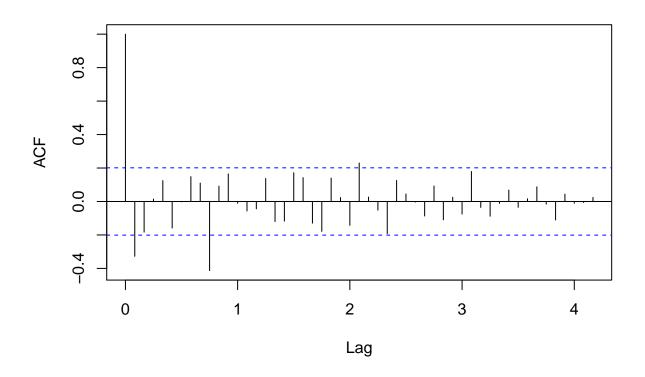
Plots show seasonality and trend, so we make the 1st differencing to remove trend

```
diff1=diff(tour.train)
plot(diff1)
```



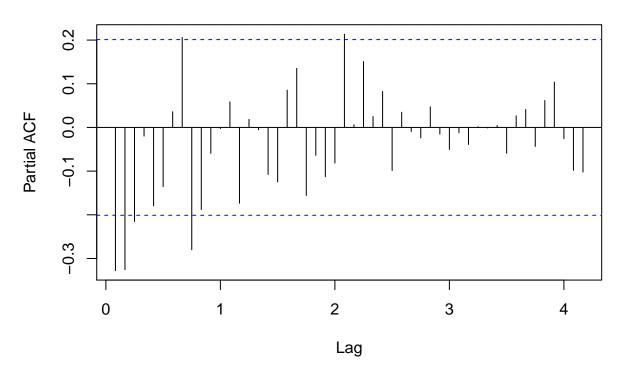
acf(diff1,lag.max=50)

Series diff1



pacf(diff1,lag.max=50)

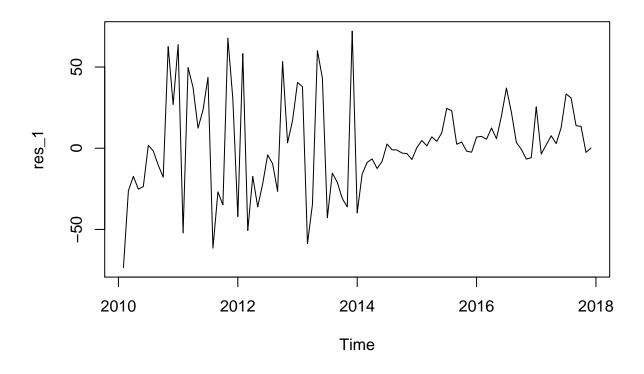
Series diff1



```
model_1=auto.arima(diff1)
model_1
## Series: diff1
## ARIMA(0,0,2) with zero mean
##
## Coefficients:
##
             ma1
                      ma2
##
         -0.6958
                 -0.2190
## s.e.
                   0.1078
         0.1055
## sigma^2 estimated as 900.7: log likelihood=-457.77
## AIC=921.55
               AICc=921.81
                              BIC=929.21
```

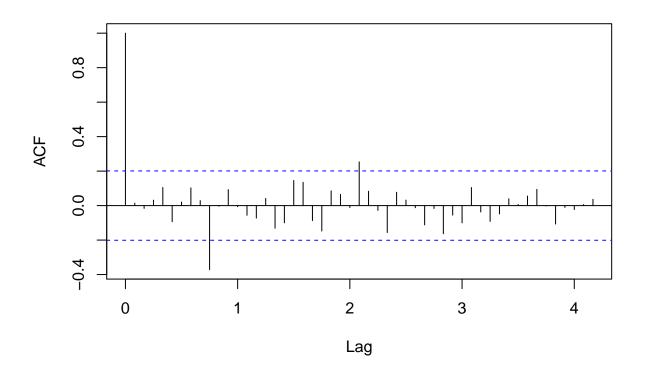
R suggests that $model_1$ is ARIMA(0,0,2)

```
res_1=model_1$residuals
plot(res_1)
```



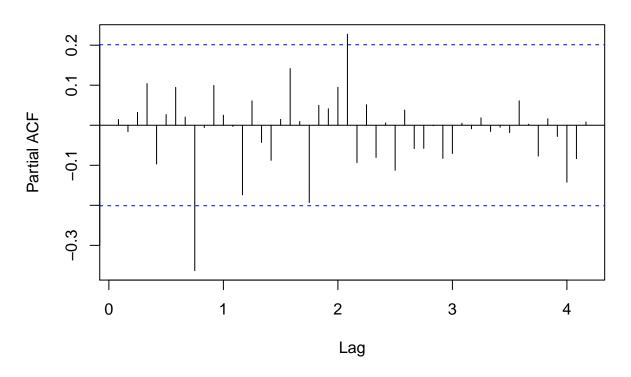
acf(res_1,lag.max=50)

Series res_1



pacf(res_1,lag.max=50)

Series res_1



```
Box.test(res_1,type='Ljung-Box',fitdf=2,lag=20)
```

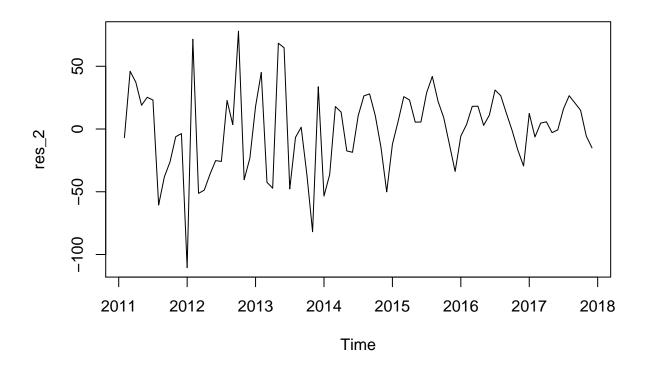
```
##
## Box-Ljung test
##
## data: res_1
## X-squared = 29.152, df = 18, p-value = 0.04655
```

p-value is 0.04655. Then we further difference the training data to remove seasonality

```
diff2=diff(diff1,differences=1,lag=12)
model_2=auto.arima(diff2)
model_2
## Series: diff2
## ARIMA(0,0,1)(0,0,1)[12] with zero mean
##
## Coefficients:
##
             ma1
                     sma1
         -0.8782
                  -0.6877
##
          0.0745
                   0.1237
## s.e.
## sigma^2 estimated as 1148: log likelihood=-413.88
## AIC=833.76
               AICc=834.06
                              BIC=841.02
```

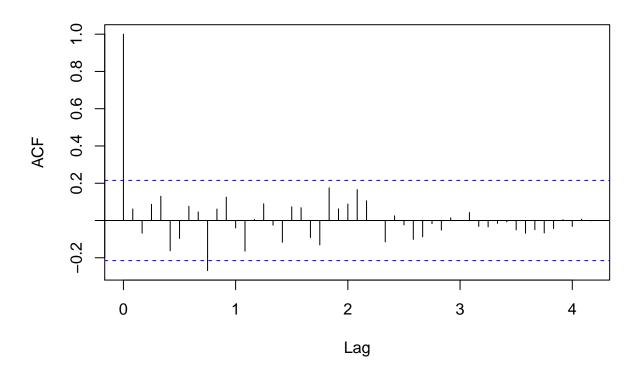
R suggest that model_2 is $\mathrm{ARIMA}(0,\!0,\!1)(0,\!0,\!1)[12]$

res_2=model_2\$residuals
plot(res_2)



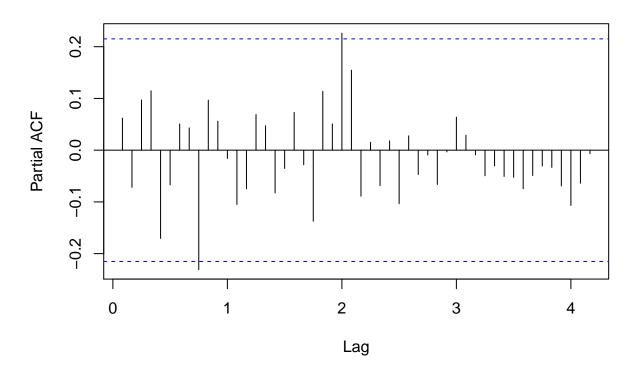
acf(res_2,lag.max=50)

Series res_2



pacf(res_2,lag.max=50)

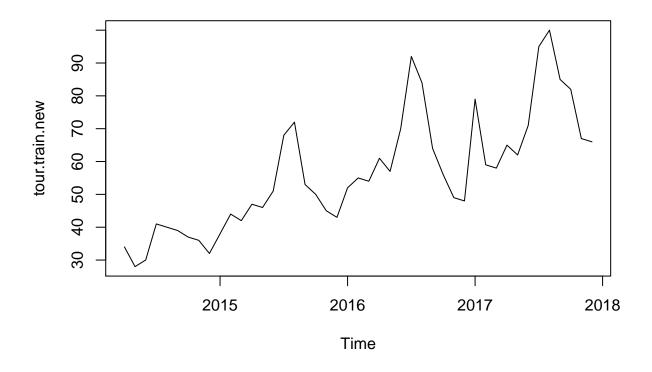
Series res_2



```
Box.test(res_2,type='Ljung-Box',fitdf=5,lag=20)
```

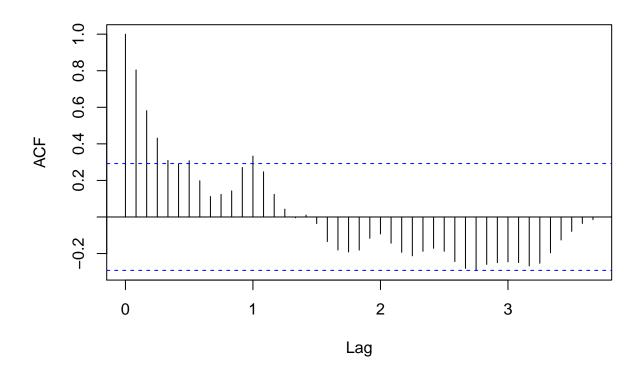
```
##
## Box-Ljung test
##
## data: res_2
## X-squared = 22.966, df = 15, p-value = 0.08488
```

P-value is 0.08488, it is still small, so we step back to the beginning to Consider further split the data, and only use part of them to train the model



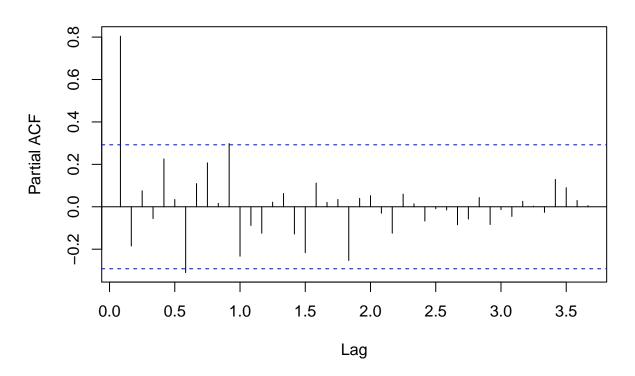
acf(tour.train.new,lag.max=50)

Series tour.train.new



pacf(tour.train.new,lag.max=50)

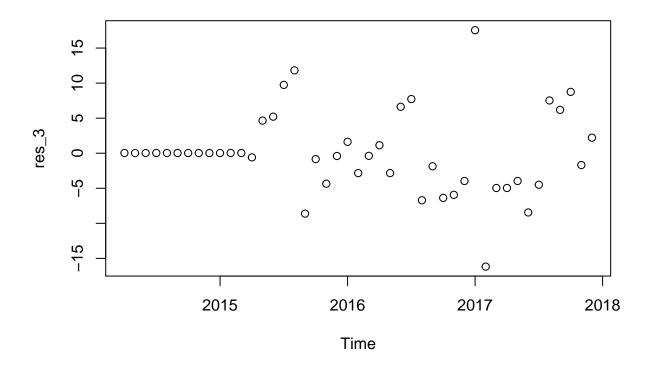
Series tour.train.new



```
model_3=auto.arima(tour.train.new)
model_3
## Series: tour.train.new
## ARIMA(1,0,0)(0,1,0)[12] with drift
##
## Coefficients:
##
            ar1
                  drift
##
         0.4876 1.1400
## s.e. 0.1479 0.1886
##
## sigma^2 estimated as 49.91: log likelihood=-110.45
## AIC=226.9
               AICc=227.73
                             BIC=231.39
```

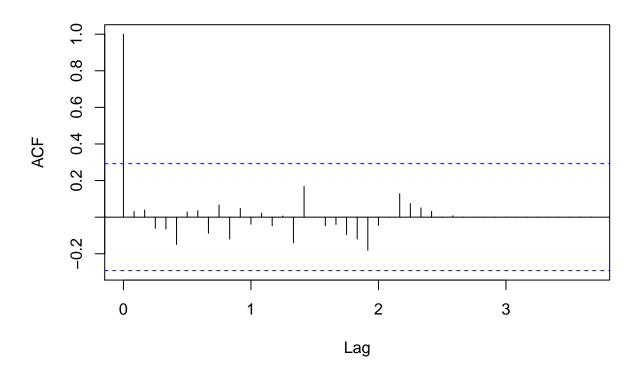
R suggests model_3 is $\mathrm{ARIMA}(1,\!0,\!0)(0,\!1,\!0)[12]$

```
res_3=model_3$residuals
plot(res_3,type='p')
```



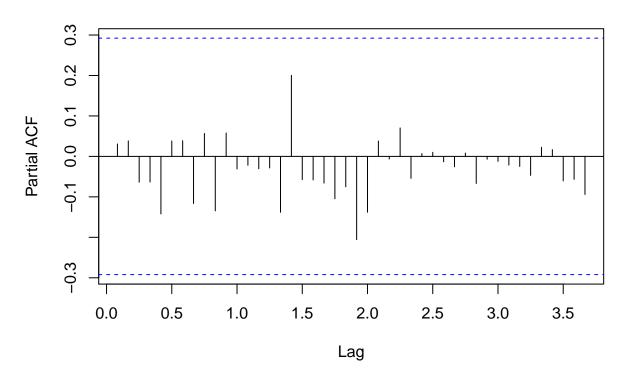
acf(res_3,lag.max=50)

Series res_3



pacf(res_3,lag.max=50)

Series res_3

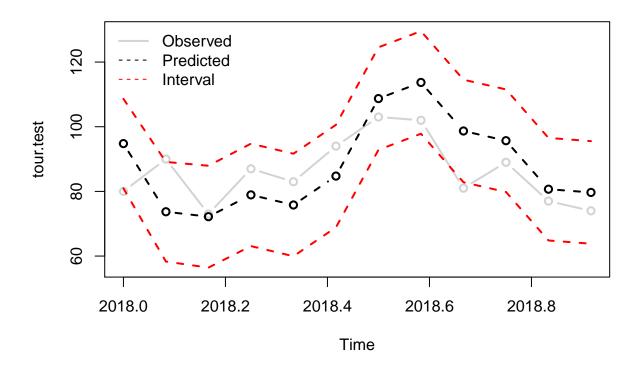


```
Box.test(res_3,type='Ljung-Box',fitdf=1,lag=20)
```

```
##
## Box-Ljung test
##
## data: res_3
## X-squared = 7.6842, df = 19, p-value = 0.9896
```

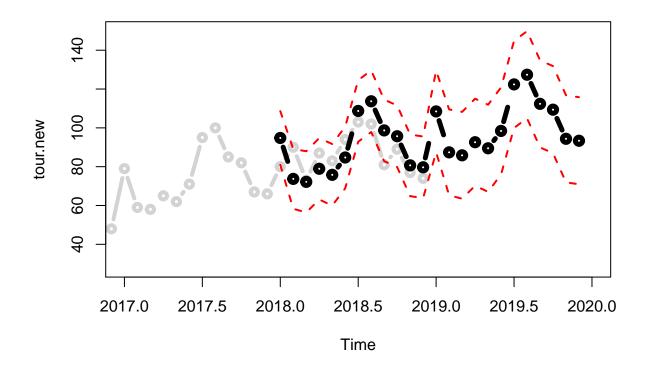
p-value is 0.9896, model_3 is accepted

Then we use testing set to check its accuracy



Further predict tourists in 2019

```
tour.new=ts(jp$Amounts.of.tourists[52:108],frequency=12,start=c(2014,4),end=c(2018,12))
pred1819=forecast(model_3, h=24, level=95)
PRED1819=pred1819$mean
LB1819=pred1819$lower
UB1819=pred1819$upper
miny1819=min(tour.new, PRED1819,LB1819,UB1819)
maxy1819=max(tour.new, PRED1819,LB1819,UB1819)
plot(tour.new,col='lightgray',type='b',lwd=4,xlim=c(2017,2020),ylim=c(miny1819,maxy1819))
lines(PRED1819,lty=2,lwd=5,type='b')
lines(LB1819,lty=2,lwd=2,col='red')
lines(UB1819,lty=2,lwd=2,col='red')
```



Predicted tourists number in 2019

pred1819

```
Point Forecast
                                Lo 95
                                          Hi 95
## Jan 2018
                  94.78682
                             80.93975 108.63390
## Feb 2018
                  73.70762
                             58.30198
                                       89.11326
## Mar 2018
                  72.18137
                             56.42781
                                       87.93493
## Apr 2018
                  78.92476
                             63.08960
                                       94.75992
## May 2018
                  75.79963
                             59.94512
                                       91.65413
## Jun 2018
                  84.73861
                             68.87951 100.59771
## Jul 2018
                  108.70886
                             92.84866 124.56905
## Aug 2018
                  113.69435
                             97.83390 129.55480
## Sep 2018
                  98.68727
                             82.82676 114.54779
## Oct 2018
                  95.68382
                             79.82329 111.54436
## Nov 2018
                  80.68214
                             64.82161
                                       96.54268
## Dec 2018
                  79.68132
                             63.82079
                                       95.54186
## Jan 2019
                 108.46775
                             87.41145 129.52404
## Feb 2019
                  87.38835
                             65.27554 109.50115
## Mar 2019
                  85.86200
                             63.50533 108.21868
## Apr 2019
                  92.60535
                             70.19107 115.01962
## May 2019
                             67.05225 111.90814
                  89.48019
## Jun 2019
                  98.41916
                             75.98797 120.85036
## Jul 2019
                 122.38940
                             99.95744 144.82137
## Aug 2019
                 127.37489 104.94274 149.80705
```

##	Sep	2019	112.36782	89.93562	134.80001
##	Oct	2019	109.36437	86.93216	131.79657
##	Nov	2019	94.36268	71.93047	116.79489
##	Dec	2019	93.36186	70.92965	115.79407