

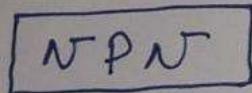
# Transistor Biasing

# Transistor Biasing

## Ground Rules

<1> Emitter Diode must be forward biased,  
Whereas Collector Diode must be reverse biased

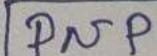
<2>



Collector - Maxm. Potential

Base - Intermediate "

Emitter - Minm. "



Collector - Minm. Potential

Base - Intermediate "

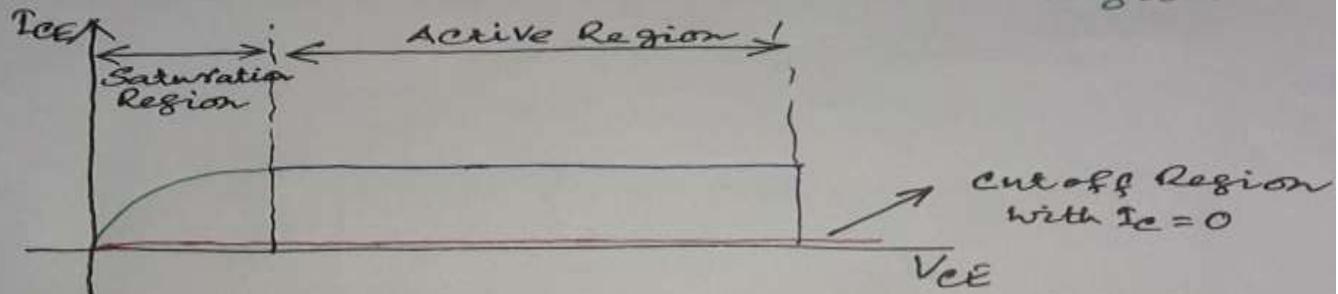
Emitter - Maxm. "

# Biassing ??

Biassing circuit should be re-designed to use BJT as ① SWITCH or ② CURRENT SOURCE or ③ AMPLIFIER

SWITCH — ON State or OFF State without having any intermediate state.

[Saturated Transistor] - Saturation Region



CURRENT SOURCE OR AMPLIFIER

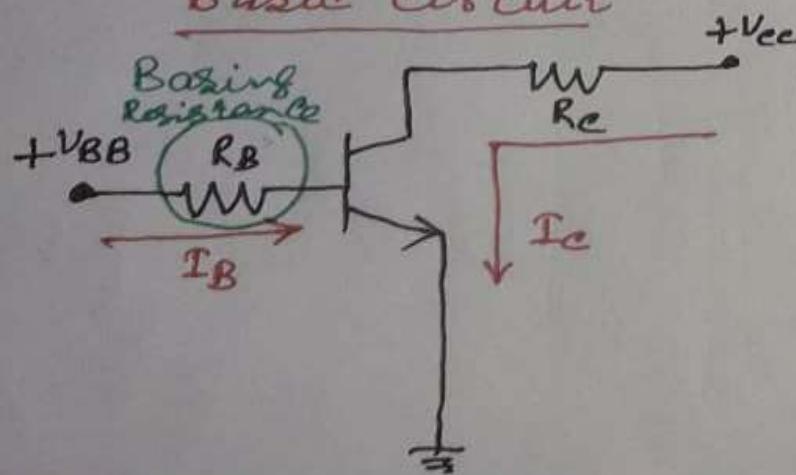
Q point should kept fixed.

## Evolution of Transistor Biasing

$$I_C = \beta I_B$$

As due to temperature change,  $\beta$  changes therefore  $I_C$  changes. So this equation cannot give a constant Q point.

### Basic circuit

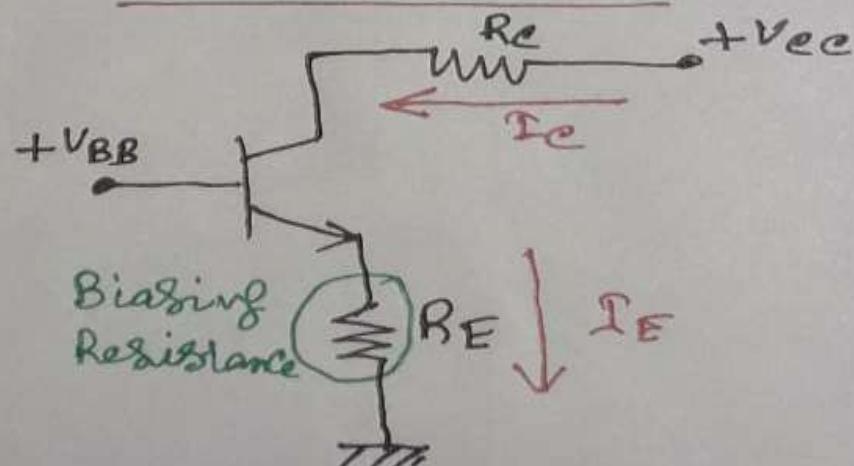


Basic Base Bias ckt.

$$I_C = \alpha I_E \approx \frac{\beta}{\beta+1} I_E \approx I_E$$

Here change of  $\beta$  due to temperature hardly affects  $I_C$ . Possible to keep  $I_C$  constant

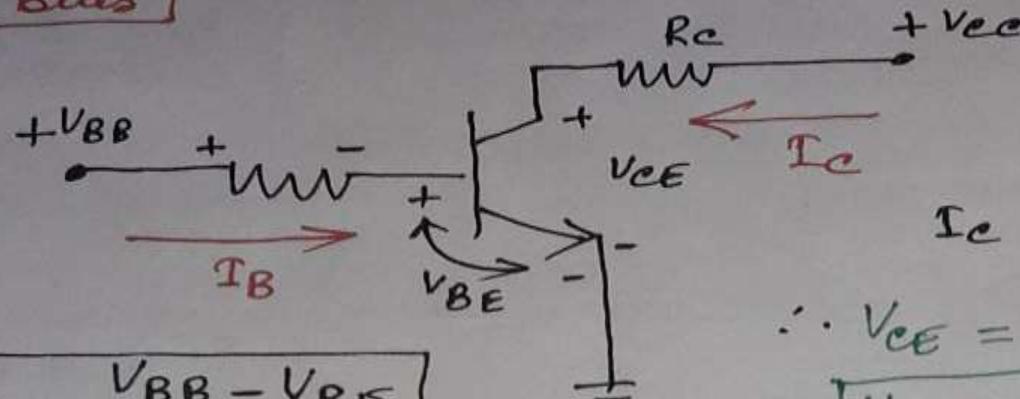
### Basic circuit



Basic Emitter Bias ckt.

# Base Bias

**Base Bias**



$$I_B = \frac{V_{BB} - V_{BE}}{R_B}$$

$$I_C = \frac{V_{cc} - V_{CE}}{R_C}$$

$$\therefore V_{CE} = V_{cc} - I_C \cdot R_C$$

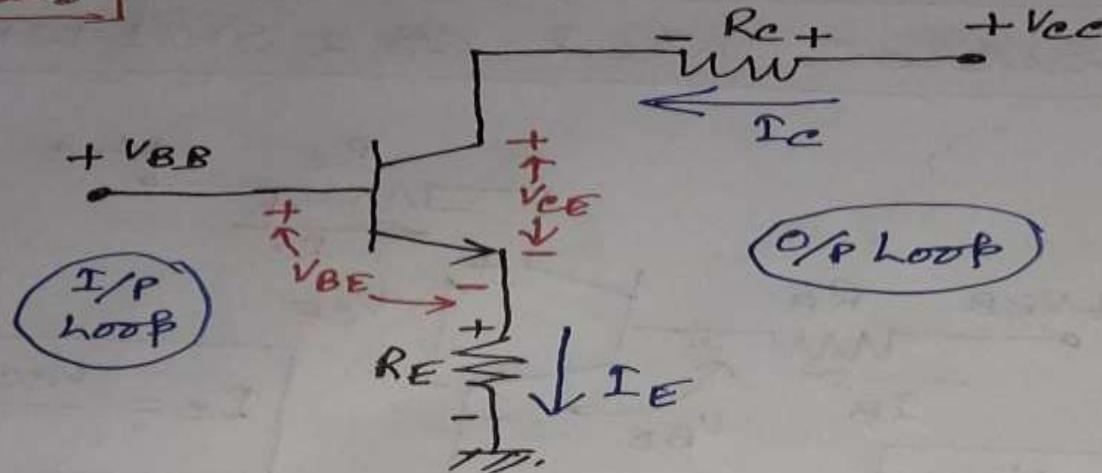
$$V_{CE} = V_{cc} - \cancel{\beta} \left( V_{BB} - V_{BE} \right) \left( \frac{R_C}{R_B} \right)$$

$$I_C = \beta I_B = \cancel{\beta} \cdot \frac{V_{BB} - V_{BE}}{R_B}$$

$$\cancel{\beta} \rightarrow \cancel{I_C} \rightarrow V_{CE}$$

May be used in Saturation Region

# Emitter Bias



For I/P loop

$$V_{BB} - V_{BE} - I_E R_E = 0$$

$$\therefore I_E = \frac{V_{BB} - V_{BE}}{R_E} = \frac{\beta + 1}{\beta} I_C$$

$$I_E \approx I_C = \frac{V_{BB} - V_{BE}}{R_E} \rightarrow \text{Independent of } \beta$$

# Emitter Bias

For O/P Loop

$$V_{CC} - V_{CE} - I_C R_C - I_E R_E = 0$$

$$\therefore V_{CC} - V_{CE} - I_C (R_C + R_E) = 0$$

$$\therefore V_{CE} = V_{CC} - I_C (R_C + R_E)$$

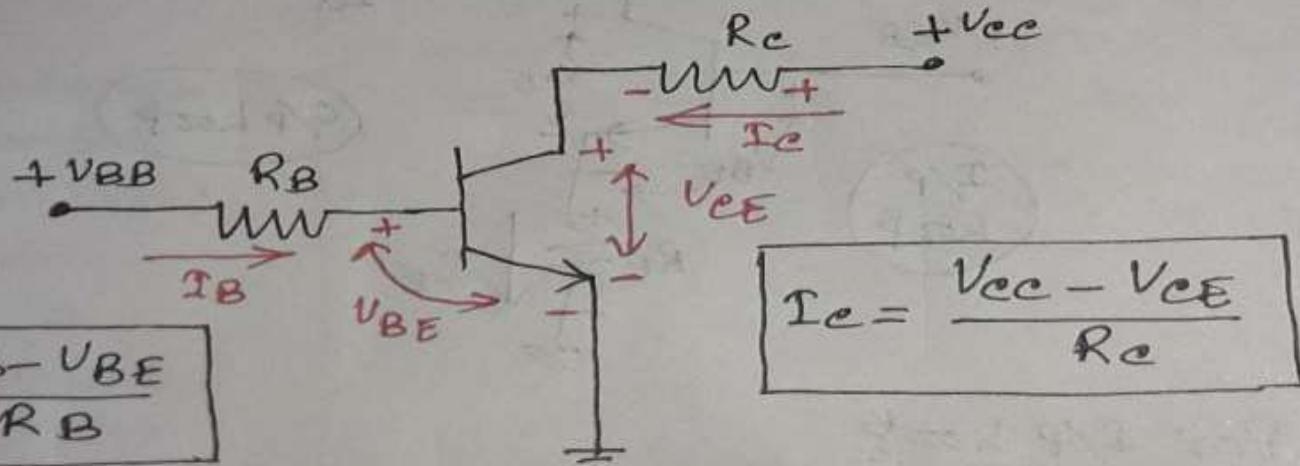
$$= V_{CC} - \frac{V_{BB} - V_{BE}}{R_E} (R_C + R_E)$$

$$V_{CE} = V_{CC} - (V_{BB} - V_{BE}) \left( 1 + \frac{R_C}{R_E} \right)$$

→ Independent of  $\beta$ .

If  $\beta$  changes due to temperature, it hardly affects  $I_C$  &  $V_{CE}$ . So it is possible to use it in the active region where  $\beta$  needs to be identified.

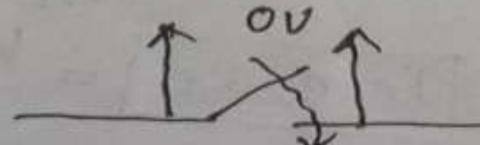
## Transistor used as a SWITCH



$$I_B \approx \frac{V_{BB}}{R_B}$$

Let the Transistor acts as a switch & in on condition.

$$V_{CE} = 0$$



$$I_C = \frac{V_{CC}}{R_C} = \beta I_B = \beta \cdot \frac{V_{BB}}{R_B}$$

So

$$\frac{V_{CC}}{R_C} = \frac{V_{BB}}{R_B/\beta}$$

# Transistor Switch

Since, Transistor is now in saturation region, so  $\beta$  value cannot be fixed.

Use 10% Rule & consider  $\beta = 10$

So

$$\frac{V_{cc}}{R_c} = \frac{V_{BB}}{R_B/10}$$

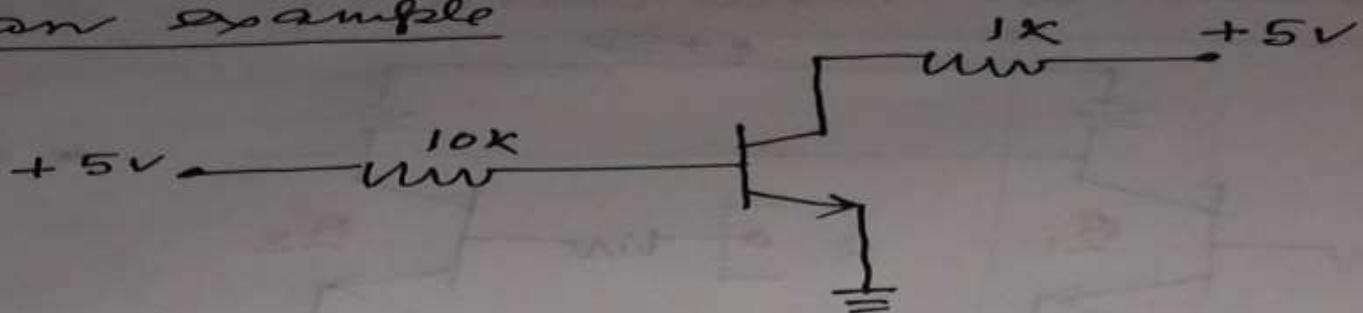
$$V_{cc} = V_{BB}$$

$$R_c = \frac{R_B}{10}$$

cond for hard saturation

# Switch (contd)

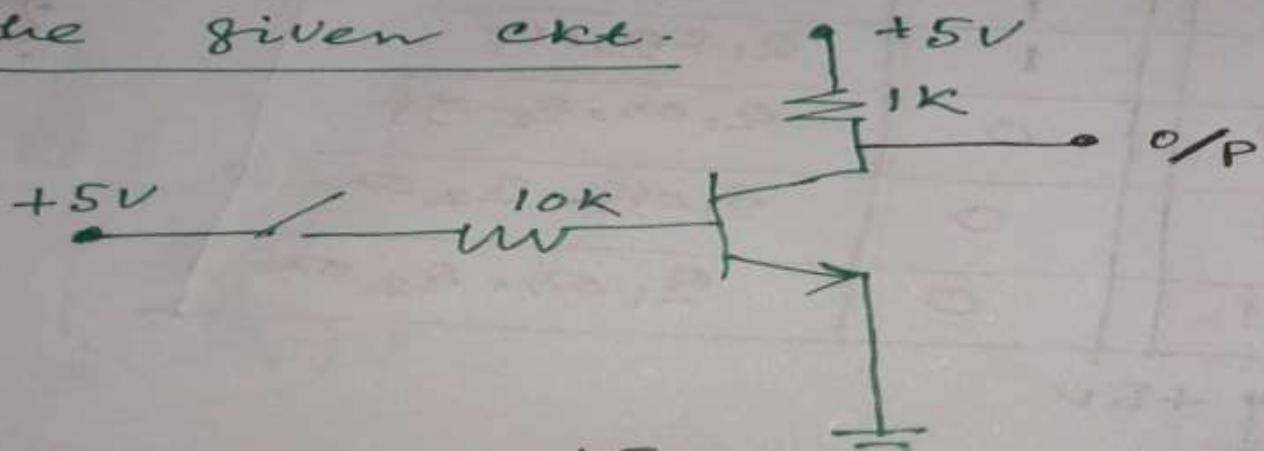
As an example



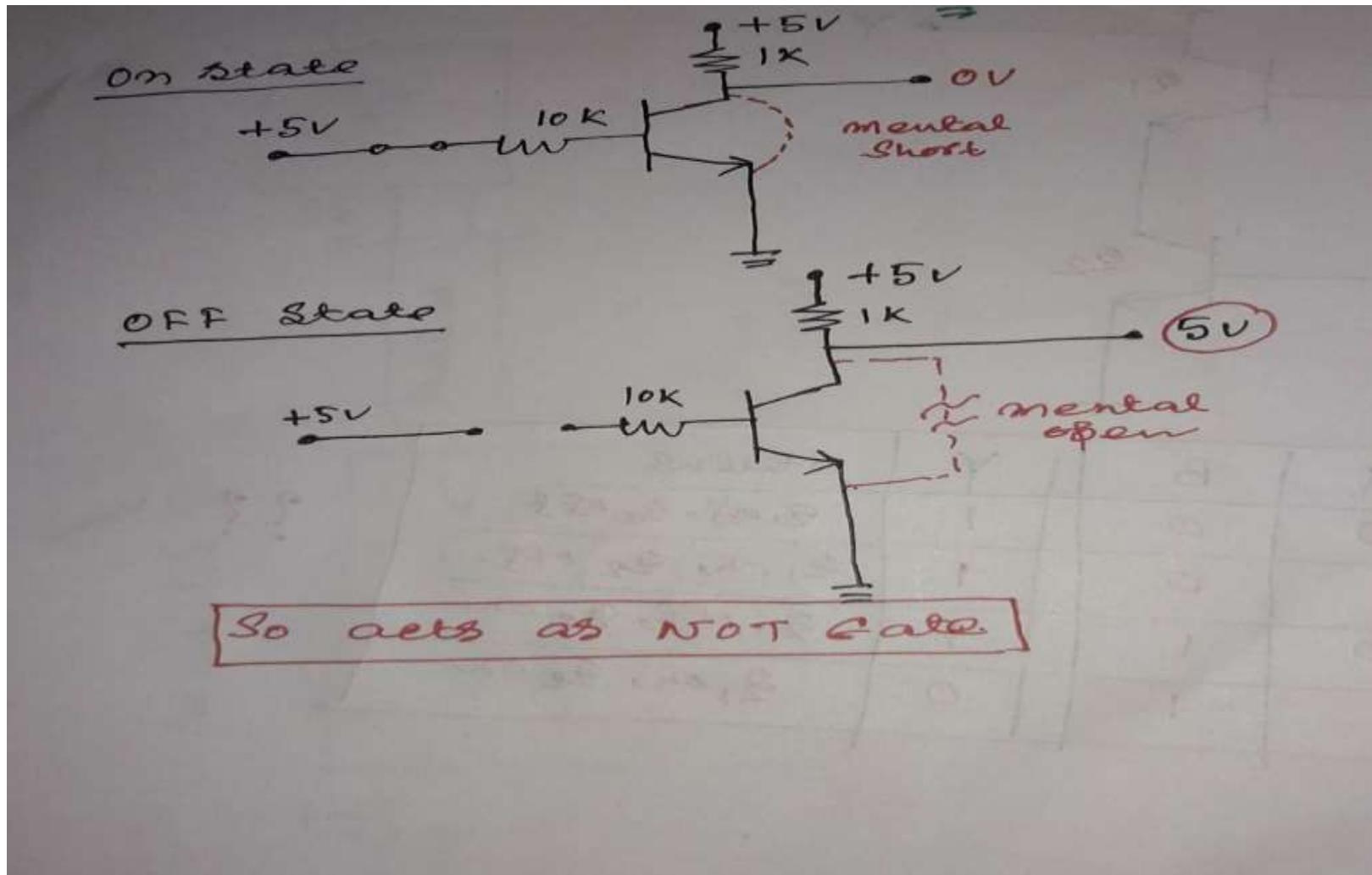
OFF State

$$I_C = 0, \quad V_{CE} = V_{CE} = +5V$$

For the given circ.

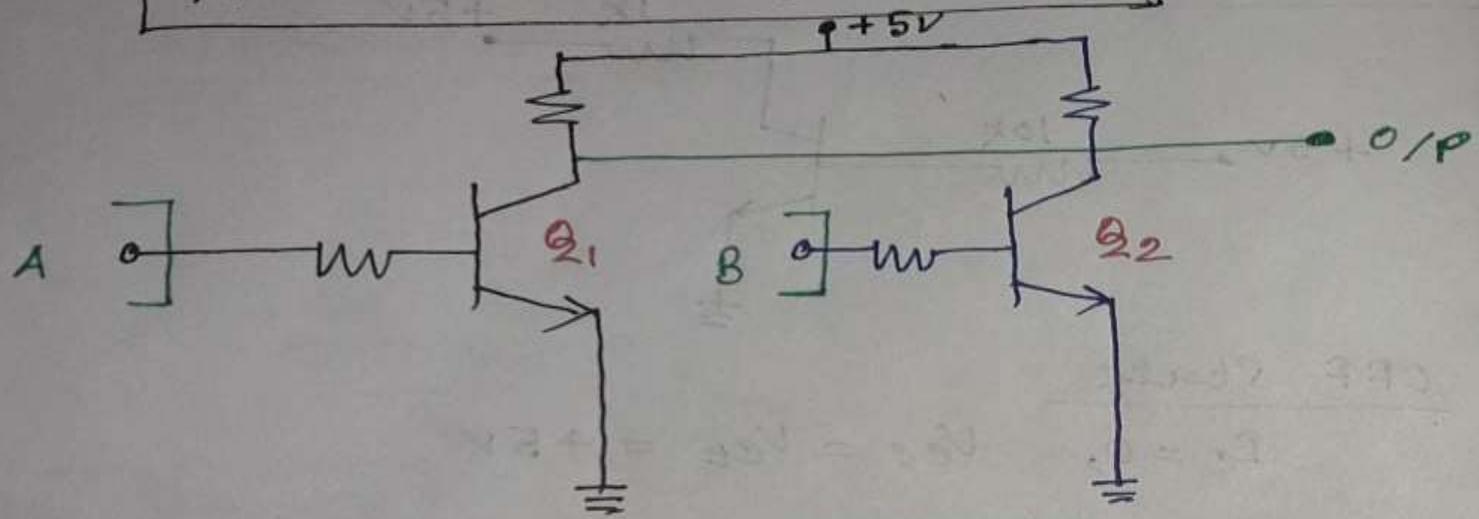


# Switch ???



# Applications

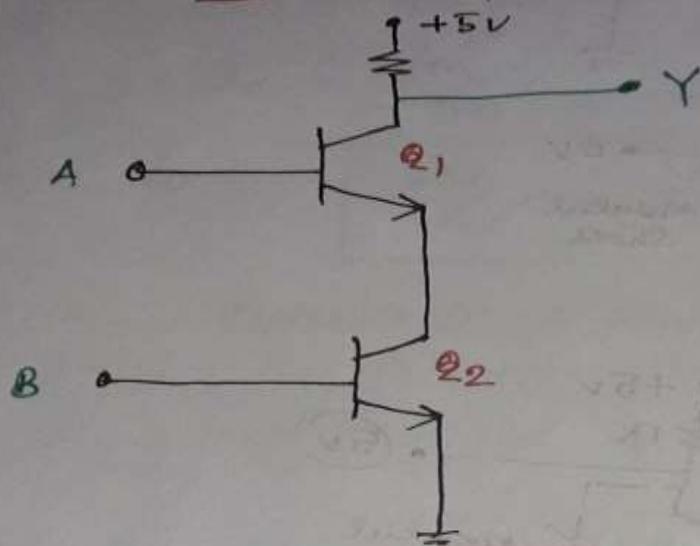
Applications in logic circuit.



A	B	Y	Status
0	0	1	$Q_1 + Q_2$ off
1	0	0	$Q_1$ on, $Q_2$ off
0	1	0	$Q_1$ off, $Q_2$ on
1	1	0	$Q_1$ on, $Q_2$ on

??

# Applications



A	B	Y	Status
0	0	1	Q <sub>1</sub> off, Q <sub>2</sub> off
1	0	1	Q <sub>1</sub> on, Q <sub>2</sub> off
0	1	1	Q <sub>1</sub> off, Q <sub>2</sub> on
1	1	0	Q <sub>1</sub> on, Q <sub>2</sub> on

??

Applications = Temperature Control

