

# 1 Q3



## 1.1 Calculation of Width

A',B',C',D' are points corresponding to A,B,C and D in real world.

Cross Ratio

$$\frac{(AC/AD)}{(BC/BD)} = \frac{(A'C'/A'D')}{(B'C'/B'D')}$$

Coordinates of points A,B,C and D

A = 1022,811

B = 1060,721

C = 1126,558

D = 1139,519

Let AB' = CD' = x in real world coordinate system

A'C' = (x + 44)

A'D' = (2x + 44)

B'C' = 44

B'D' = (x+44)

Cross ratio

$$\frac{(x + 44) * (x + 44)}{44 * (2x + 44)} = \frac{273.54 * 216.8}{314.5 * 175.85}$$

Solving this quadratic equation we get valid  $x = 15.39$

Now the width A'D' =  $(2x+44) = 74.78$

## 1.2 Calculation of Length

B',E',F',G' are points corresponding to B,E,F and G in real world.

Cross Ratio

$$\frac{(BF/BG)}{(EF/EG)} = \frac{(B'F'/B'G')}{(E'F'/E'G')}$$

Coordinates of points B,F,G and H

B = 1052,720

F = 845,681

G = 463,613

H = 67,540

Let E'F' = y in real world coordinate system

Due to symmetry B'F' = F'G' in real world

B'F' =  $(y + 18)$

B'G' =  $2(y + 18)$

E'F' = y

B'D' =  $(2y+18)$

than cross ratio will be

$$\frac{(y + 18) * (2y + 18)}{y * 2(y + 18)} = \frac{613.40 * 790.67}{394.39 * 1009}$$

solving this we get  $y = 40.922$

total length B'G' =  $2(y+18) = 117.84$

Hence the dimension of ground is approximately = 75yd x 118yd