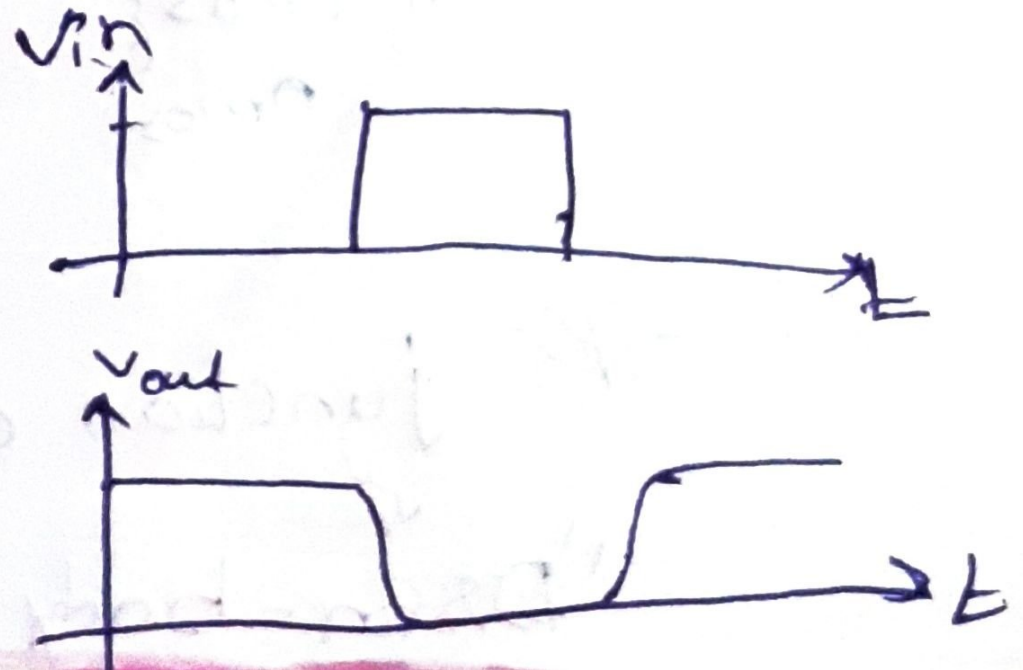


Inverter switching characteristics:-

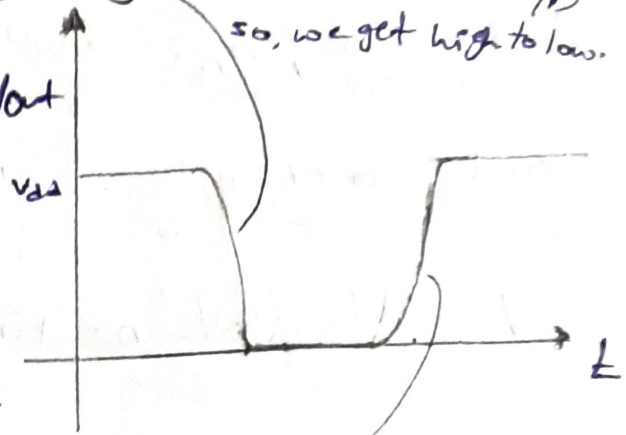
Switching wave forms:-

Cmos inverter
CKT \Rightarrow



→ It takes some time t_{ex} for o/p to fall from V_{dd} to "0". This is known as **Fall time**.

Switching from low to high (at t/p) so, we get high to low.



It takes some time t_{ex} to rise from "0" to V_{dd} for o/p.

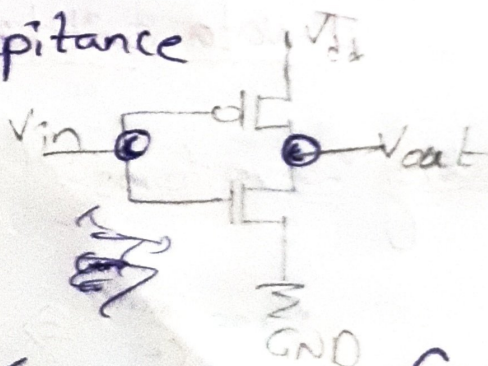
This is known as **Rise time**.

Reason behind delay in waveforms:- Due to (Why is not behaving ideally)

Parasitic elements (ie parasitic capacitance, parasitic resistances).

Capacitances are Gate & junction

At t/p : Gate capacitance of Pmos & nmos



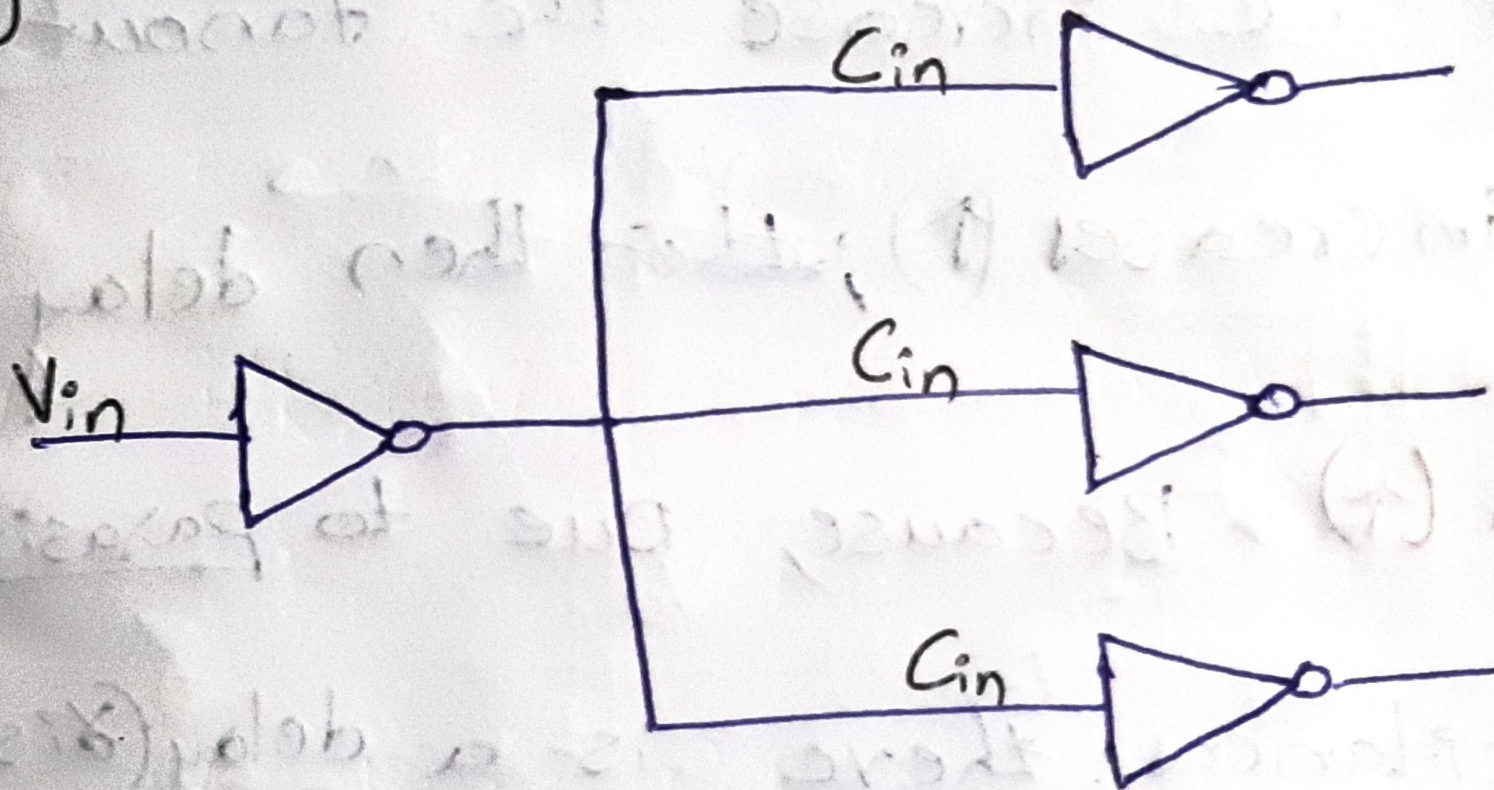
At o/p:-

junction capacitance

"Drain-body capacitance"

Capacitance at the drain terminals of both Pmos & nmos.

Logic chain!-



$$C_L = 3C_{in}$$

$$(C_{in} + C_{in} + C_{in})$$

Fanout:-

More than 1 o/p. Connected to gate. Then it is known as "Fanout".

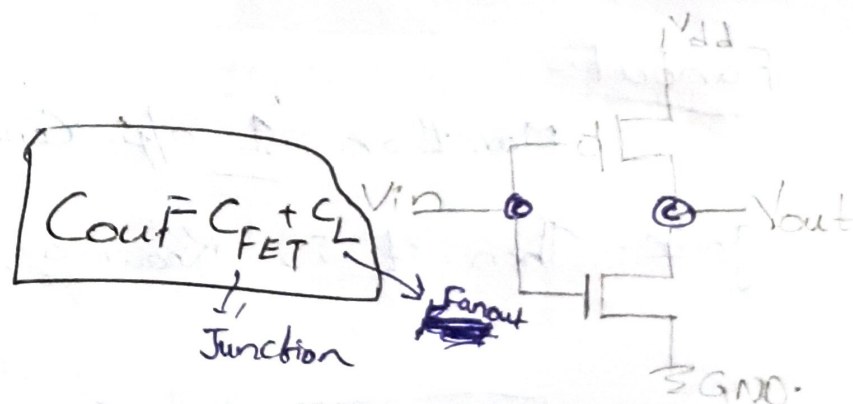
~~C_{out}~~ $C_L = 3C_{in}$

Load observed by the inverter.

$\therefore C_{out} = C_{OB} + C_L$

Junction Capacitance.

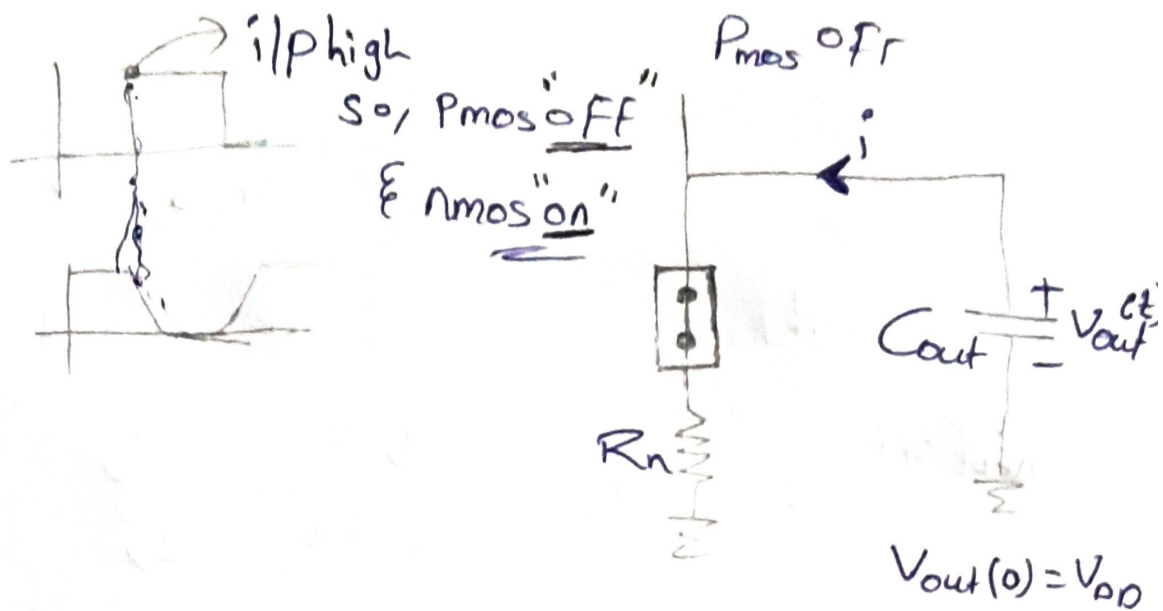
Note:- If we increase the fanout then C_L increases (\uparrow); ~~then~~ then delay becomes high (\uparrow). Because, due to parasitic capacitances, there is a delay (rise time, Fall time). So, always there will be limitation for the no. of Fanouts Connected to gate.



Fall time Calculation:

Based on fall time, we can say, how fast the inverter is;

→ If Fall time is less then the MOSFET is responding quickly. So, we can increase the operating speed of the device.



→ Capacitor initially charged to V_{DD} , discharges through the resistance " R_n "

$$i = -C_{out} \frac{dV_{out}}{dt} = \frac{V_{out}}{R_n} \rightarrow (p_{mos} / p_{mos})$$

Total time $t = T_n \ln\left(\frac{V_{DD}}{V_{out}}\right)$

where $T_n = R_n C_{out}$

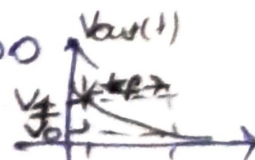
Note:

So, Total time (t_f) is dependent on R_n
 $\left(t = R_n C_{out} \ln\left(\frac{V_{DD}}{V_{out}}\right) \right)$

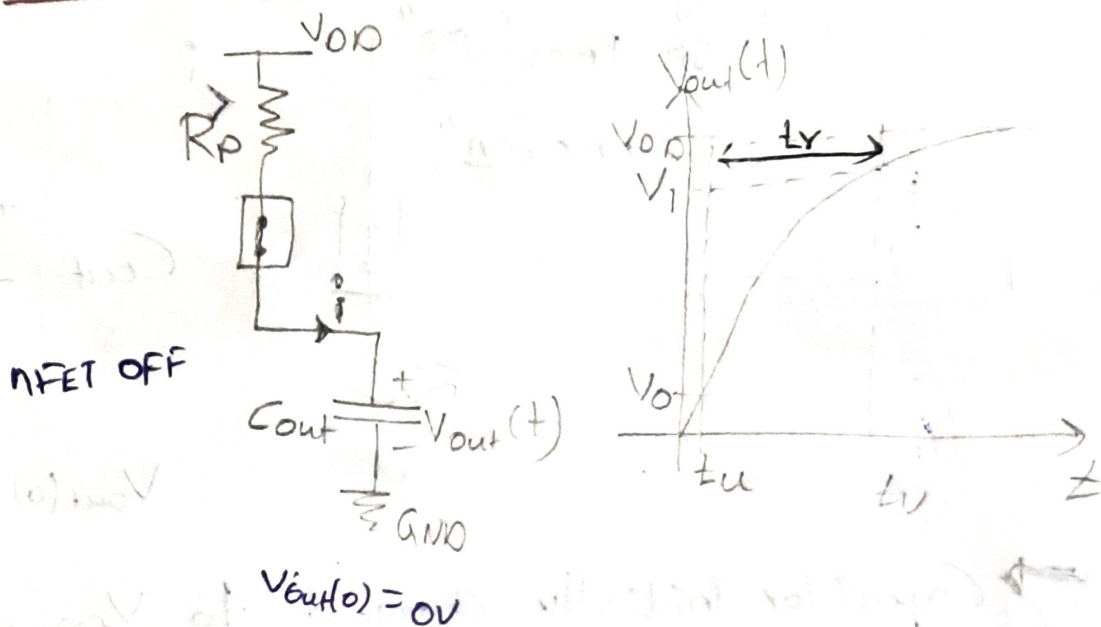
Fall time is from 90% to 10% of total time

∴ substituting $0.9 V_{DD}$ & $0.1 V_{DD}$

$$t_f = 2.2 T_n$$



Rise time



Rise time $\leftarrow t_r = 2.2 T_p$ where $T_p = R_p C_{out}$.

$$f_{max} = \frac{1}{t_{HL} + t_{LH}} = \frac{1}{t_r + t_f}$$

Propagation Delay: (t_p)

\hookrightarrow fall upto 50% & rise from 50%

$$t_p = \frac{t_{pf} + t_{pr}}{2}$$

~~t_p~~ $t_p = 0.35 (T_n + T_p)$

\downarrow $R_n C_{out}$ \downarrow $R_p C_{out}$