

# **PROJECT REPORT**



**L**OVELY  
**P**ROFESSIONAL  
**U**NIVERSITY

**NAME: Sumit Gupta**

**REG. NO.: 12224034**

**PROJECT TITLE: NQueens visualizer**

# Project Overview

The N-Queens Solver Visualizer is a sophisticated Java application developed to provide both a practical solution to the N-Queens problem and a visual educational tool. The N-Queens problem is a well-known challenge in computer science and mathematics, requiring the placement of N queens on an  $N \times N$  chessboard so that no two queens threaten each other. This application not only solves the problem but also offers a dynamic and interactive visual representation of the algorithm's progress. By doing so, it bridges the gap between theoretical concepts and their practical applications, making it easier for users to understand and appreciate the intricacies of algorithmic problem-solving.

The visualizer is designed with user interaction in mind, allowing users to specify the size of the board dynamically. This flexibility makes it a valuable tool for both educational environments, where students can experiment with different board sizes and observe how the algorithm scales, and for hobbyists and researchers interested in combinatorial problems and algorithm design. The project aims to make complex algorithmic concepts accessible and engaging through real-time visualization, fostering a deeper understanding of how backtracking algorithms operate.

## Algorithmic Demonstration

At the heart of this project is the backtracking algorithm, a fundamental technique in algorithm design used for solving constraint satisfaction problems. The backtracking algorithm is particularly suited for the N-Queens problem due to its ability to incrementally build candidates to the solutions and backtrack as soon as it determines that the current candidate cannot possibly lead to a valid solution. This project demonstrates the algorithm's effectiveness and efficiency in a clear, step-by-step manner.

The visualization highlights the algorithm's decision-making process: placing a queen, checking for conflicts, and backtracking when necessary. By showing each step, the visualizer makes it easier to understand how the algorithm explores the solution space. This is particularly useful for educational purposes, as it demystifies the abstract concept of recursion and backtracking. Users can see firsthand how the algorithm narrows down the possibilities and methodically searches for solutions, illustrating the practical application of theoretical principles.

# Interactive Visualization

One of the most compelling features of the N-Queens Solver Visualizer is its interactive visualization. The real-time updates to the board allow users to follow along as the algorithm works through the problem. This interactive component transforms a static problem into a dynamic learning experience, making it much more engaging and informative.

The visualization uses color coding to indicate different stages of the algorithm. For instance, when a queen is placed on the board, the corresponding cell is highlighted in red. If the algorithm determines that a placement is invalid and backtracks, the queen is removed, and the board is updated accordingly. This immediate visual feedback helps users understand not just the final solution but the process of reaching it. The ability to dynamically input the board size through a user interface element like a dialog box enhances the interactivity, allowing users to experiment with various configurations and observe the algorithm's behavior under different conditions. This hands-on approach is invaluable for learning and retaining complex concepts.

## Project Objectives

1. **Develop a GUI-based application:** Use Java Swing to create a graphical user interface for the N-Queens solver.
2. **Implement the backtracking algorithm:** Solve the N-Queens problem for any given size of the board ( $n$ ).
3. **Visualize the solving process:** Update the GUI in real-time to reflect the current state of the board as the algorithm runs.
4. **Provide user interaction:** Allow users to input the size of the board dynamically.
5. **Ensure educational value:** Make the application intuitive and informative for educational purposes.

## Background

### The N-Queens Problem

The N-Queens problem is a classic combinatorial problem in computer science and mathematics. It involves placing  $N$  queens on an  $N \times N$  chessboard such that no two queens threaten each other. This means:

- No two queens can be in the same row.
- No two queens can be in the same column.
- No two queens can be on the same diagonal.

The problem is a generalization of the 8-Queens problem, which dates back to the 19th century and has been extensively studied for its algorithmic and theoretical challenges.

## Importance and Applications

The N-Queens problem is not just a puzzle but also a benchmark for algorithms in constraint satisfaction, combinatorial optimization, and artificial intelligence. Solutions to the N-Queens problem help in understanding more complex problems in various fields such as:

- **Robotics:** Pathfinding and positioning of robots.
- **Parallel Processing:** Task scheduling without conflicts.
- **Cryptography:** Generating secure keys through combinatorial principles.

## Methodology

### 1. GUI Design

The graphical user interface is designed using Java Swing. The main components include:

- **JPanel:** For drawing the chessboard and queens.
- **JFrame:** To contain the panel and handle user interactions.

### 2. Backtracking Algorithm

The backtracking algorithm is implemented in the `solve` method, which attempts to place queens row by row. It uses the following steps:

- **Base Case:** If all queens are placed successfully, return true.
- **Recursive Case:** For each column in the current row, check if placing a queen is safe. If it is, place the queen and move to the next row. If placing the queen leads to a solution, return true. If not, backtrack and remove the queen, then try the next column.

### 3. Real-time Visualization

To achieve real-time visualization:

- **Repainting the board:** After each attempt to place or remove a queen, the board is repainted to show the current state.

- **Delays:** Introduce a delay between steps using `Thread.sleep(DELAY)` to slow down the visualization for better observation.

## 4. User Interaction

The application prompts the user to input the size of the board (n) using a dialog box. This allows for dynamic adjustment of the board size.

## Implementation

### Code Structure

#### 1. NQueensSolverVisualizer Class:

- **Variables:**
  - `queens`: Array to hold the position of queens.
  - `n`: Size of the board.
  - `CELL_SIZE`: Size of each cell in pixels.
  - `DELAY`: Delay for visualization in milliseconds.
- **Methods:**
  - `findAllSolutions()`: Initiates the solving process.
  - `solve(int row)`: Recursive backtracking method.
  - `isSafe(int row, int col)`: Checks if placing a queen is safe.
  - `repaintAndSleep()`: Repaints the board and introduces a delay.
  - `printAllSolutions()`: Prints the board state in matrix form.
  - `paintComponent(Graphics g)`: Custom painting of the board and queens.
  - `main(String[] args)`: Entry point of the application.

## Code Highlights

```
private boolean solve(int row) {
    if (row == n) {
        int[] solution = queens.clone();
        solutions.add(solution);
        repaintAndSleep();
        return true;
    }
    boolean found = false;
    for (int col = 0; col < n; col++) {
        if (isSafe(row, col)) {
            queens[row] = col;
            repaintAndSleep();
            if (solve(row + 1)) {
                found = true;
            }
            queens[row] = -1; // Reset the row when backtracking
            repaintAndSleep();
        }
    }
    return found;
}
```

This method solves the NQueens problem using recursive backtracking method.

```
private boolean isSafe(int row, int col) {
    for (int i = 0; i < row; i++) {
        if (queens[i] == col || Math.abs(queens[i] - col) == Math.abs(i - row)) {
            return false;
        }
    }
    return true;
}
```

This method checks whether it is safe to place a queen at a given position by ensuring no other queen threatens it.

```
private void repaintAndSleep() {
    repaint();
    try {
        Thread.sleep(DELAY);
    } catch (InterruptedException e) {
        Thread.currentThread().interrupt(); // Restore interrupted status
        e.printStackTrace();
    }
}
```

This method repaints the board state every time a queen is placed or moved and introduces a delay.

```
private void printAllSolutions() {
    for (int[] solution : solutions) {
        for (int i = 0; i < n; i++) {
            for (int j = 0; j < n; j++) {
                if (solution[i] == j) {
                    System.out.print("Q ");
                } else {
                    System.out.print(". ");
                }
            }
            System.out.println();
        }
        System.out.println();
    }
    System.out.println("Total solutions: " + solutions.size());
}
```

This method prints the current board state in matrix form, providing a clear textual representation of the solution.

# Challenges and Solutions

## Challenge 1: Real-time Visualization

One of the main challenges was implementing a smooth real-time visualization of the solving process. The solution involved careful use of `Thread.sleep(DELAY)` to introduce delays and ensure the GUI was updated correctly using `repaint()`.

## Challenge 2: Dynamic User Input

Allowing users to input the size of the board dynamically added complexity to the initialization process. This was addressed by using `JOptionPane` for input and validating the input to ensure it was a positive integer.

## Challenge 3: Efficient Backtracking

Ensuring the backtracking algorithm was efficient and avoided unnecessary calculations required careful implementation of the `isSafe` method to quickly determine if placing a queen was valid.

# Educational Value

The N-Queens Solver Visualizer provides significant educational value by:

- **Demonstrating Algorithms:** It vividly demonstrates the backtracking algorithm, making it easier for students to grasp the concept.
- **Interactive Learning:** The interactive nature of the application allows users to experiment with different board sizes and see the immediate impact on the solving process.
- **Visual Feedback:** The real-time visualization helps in understanding how algorithms progress and handle constraints, which is often abstract in theoretical learning.

# Potential Improvements

## Enhanced Visualization

Improving the visualization by adding more detailed animations and visual effects could make the application even more engaging and informative.



## **Performance Optimization**

Optimizing the backtracking algorithm for larger board sizes could enhance performance and allow for solving more complex instances of the N-Queens problem.

## **User Interface Enhancements**

Adding more user interface elements such as buttons to start, pause, and reset the solving process, and sliders to adjust the speed of the visualization could improve user experience.

## **Additional Features**

Incorporating additional features such as step-by-step explanations of the algorithm's decisions and the ability to save and load puzzles could further enhance the educational value.

## **Conclusion**

The N-Queens Solver Visualizer successfully demonstrates the backtracking algorithm's application in solving the N-Queens problem. The real-time visualization enhances understanding by making the algorithm's process transparent and engaging. The project achieves its educational purpose, providing a valuable tool for learning and teaching algorithmic concepts.