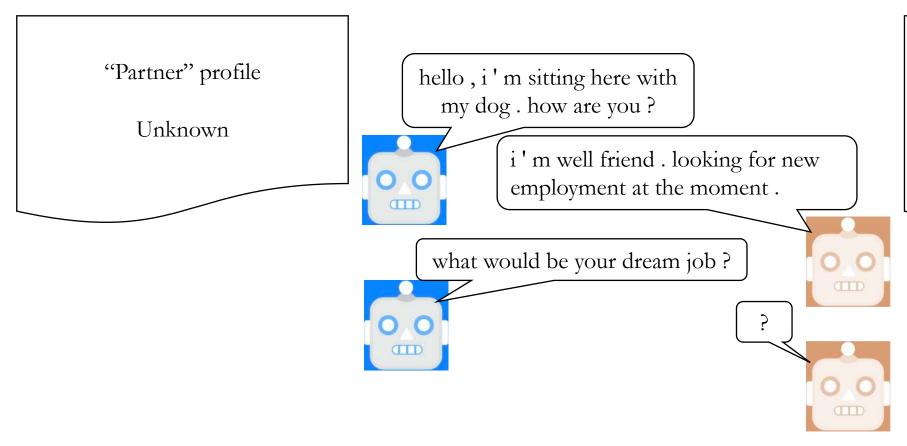
Inference with the application in neural dialogue modeling

Building a simple neural conversational model

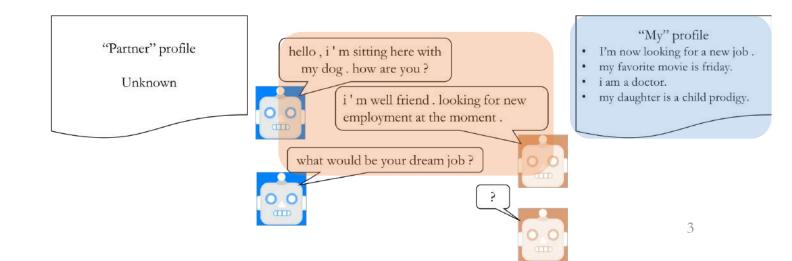


"My" profile

- I'm now looking for a new job.
- my favorite movie is friday.
- i am a doctor.
- my daughter is a child prodigy.

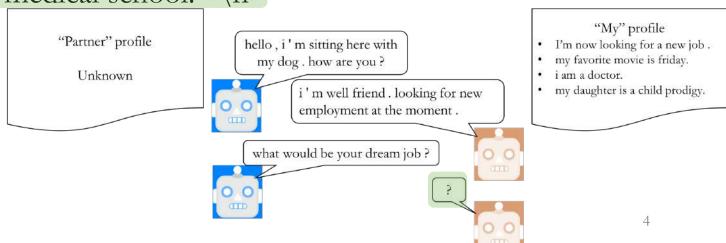
Building a simple neural conversational model

- Input: a flat sequence of personality descriptions and previous utterances
 - I'm now looking for a new job.<\n>my favourite movie is friday.I am a doctor<\n>my daughter is a child prodigy<\n><u1>hello, I'm sitting here with my dog. How are you?<\n><u2>I'm well friend. Looking for new employment at the moment.<\n><u1>what would be your dream job?<\n>



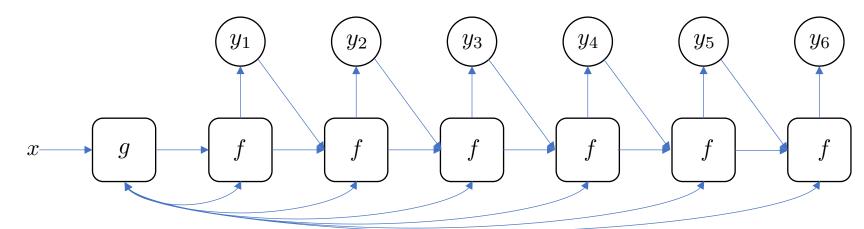
Building a simple neural conversational model

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 - I'm now looking for a new job.<\n>my favourite movie is friday.I am a doctor<\n>my daughter is a child prodigy<\n><u1>hello, I'm sitting here with my dog. How are you?<\n><u2>I'm well friend. Looking for new employment at the moment.<\n><u1>what would be your dream job?<\n>
- Target: a flat sequence of human/annotator's reponse
 - My dream job is to teach at a medical school. $<\n>*$



Neural conversation as neural machine translation

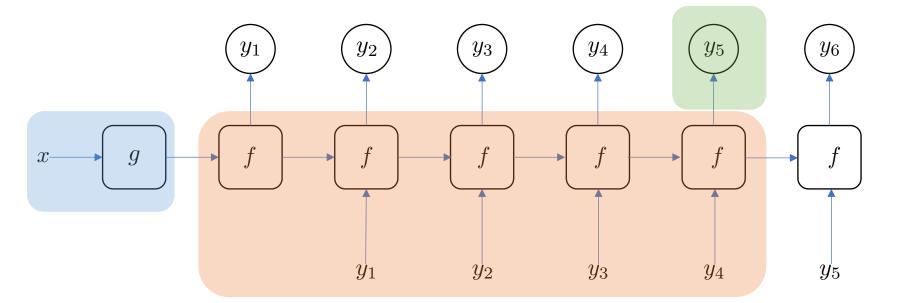
$$p(Y|x) = \prod_{t=1}^{n} p(y_t|y_1, \dots, y_{t-1}, x)$$



- Input x: personality descriptions + pervious utterances
- ullet Encoder $g:\mathcal{X} o \mathbb{R}^{d imes \cdots imes d}$ maps the input to a set of vectors
- Decoder $f:\mathcal{R}^{d'} imes\mathcal{Y} o\mathcal{R}^{d'} imes\Delta^{|\mathcal{Y}|}$ predicts the next symbol
- A discrete sequence output $(y_1, \ldots, y_T) \in \{1, 2, \ldots, |\mathcal{Y}|\}^T$

Learning – Maximum Log-Likelihood Learning

$$\max_{g,f} \log p(Y^*|x) = \sum_{t=1}^{r} \log p(y_t^*|y_1^*, \dots, y_{t-1}^*, x)$$



- Maximizes the log-probability of a correct next utterance
- Learns to predict the next token: $\log p(y_t^*|y_1^*,\ldots,y_{t-1}^*,x)$

Learning – Maximum Log-Likelihood Learning

$$\max_{g,f} \log p(Y^*|x) = \sum_{t=1}^{T} \log p(y_t^*|y_1^*, \dots, y_{t-1}^*, x)$$

- We know how to train this pretty well (now)
 - Long short-term memory (LSTM, Hochreiter&Schmidhuber, 1999)
 - Gated recurrent units (GRU, Cho et al., 2014)
 - Convolutional networks (Dauphin et al., 2017), Time delay networks (Waibel et al., 1989)
 - Memory networks (Sukhbataar et al., 2016), Self-Attention (Vaswani et al., 2017)

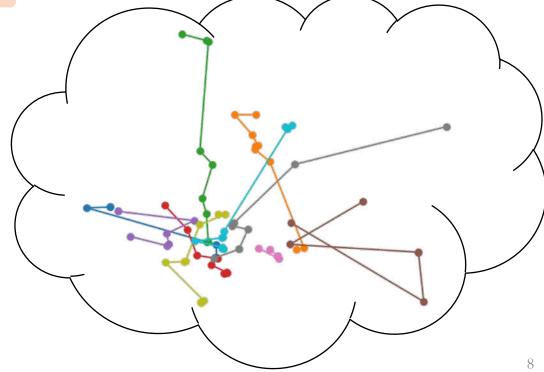
Inference

• Finding a relatively-heavy needle in a exponentially-large haystack

$$\hat{Y} = \arg\max_{Y \in \mathcal{Y}} \log p(Y|x)$$

• Approximate, sequential local search

- Greedy search
- Beam search
- And more...



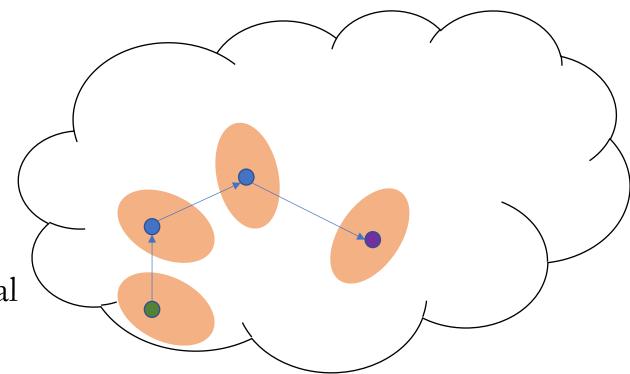
Inference – Greedy search

• Choose the best symbol each time step

$$\hat{Y} = \arg\max_{Y} \log p(Y|x)$$

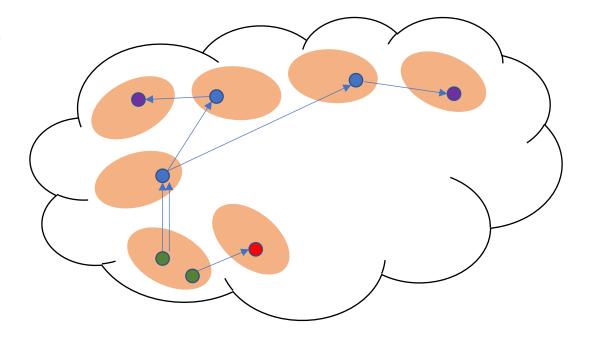
- Heavily sub-optimal
 - No future consequence considered
 - Early commitment cannot be reverted

• Somehow, most widely used in neural dialogue generation...



Inference – Beam search

- de facto standard in neural language generation
 - Machine translation
- Better than greedy search, because no early commitment to any token
 - Future consequences are taken into account up to a certain level
- Controlled complexity: beam width



Beam search in detail

- Exact search is intractable because $|\mathcal{H}_t| = 2^{|V|}$
- Instead, beam search limits the size of hypothesis set at each time step: $|\mathcal{H}_t| = K$
- By expanding each hypothesis $(a_1, a_2, \dots, a_{t-1}) \in \mathcal{H}_{t-1}$ with all possible unique words

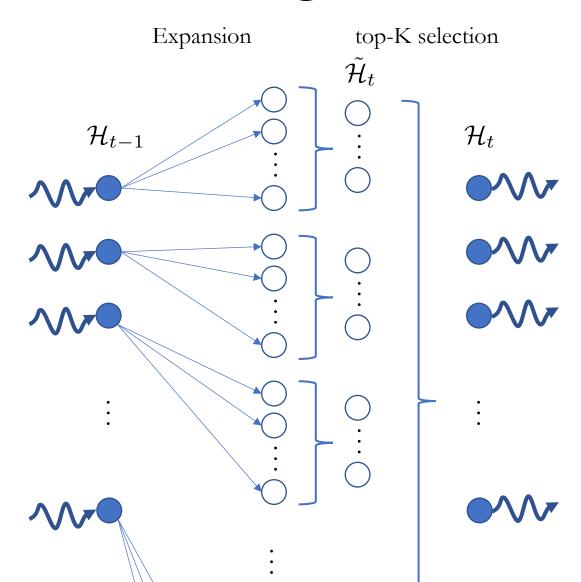
$$\hat{y}_{t,a}^k = (a_1^k, a_2^k, \dots, a_{t-1}^k, a), \text{ where } a \in V$$

- We end up with $K \times K$ candidate hypotheses \mathcal{H}_t
- Construct the next hypothesis set by

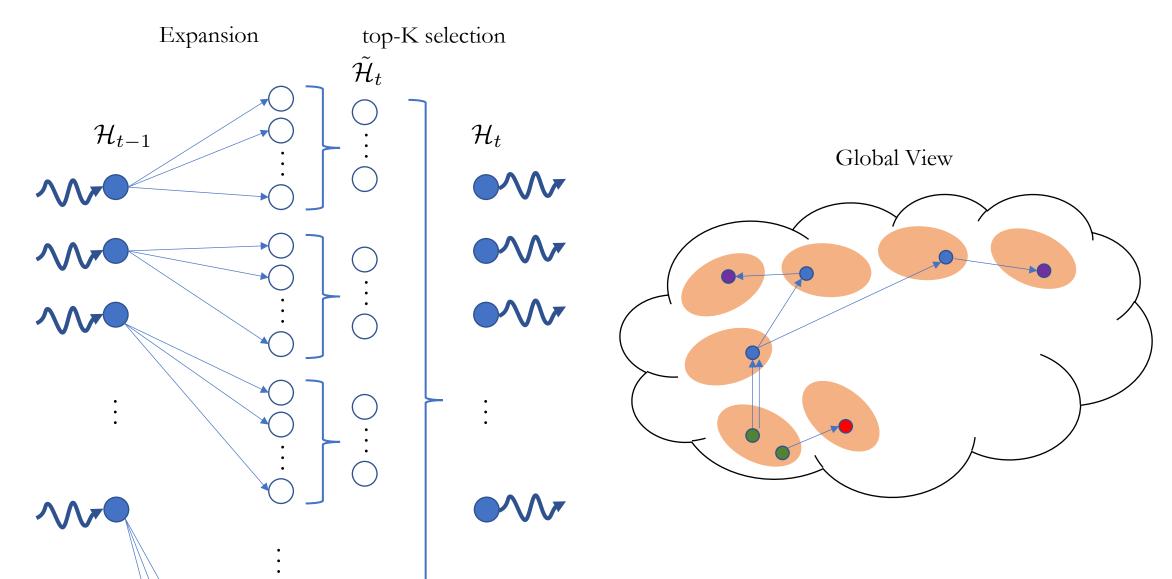
$$\mathcal{H}_t = \arg \text{top-}K \sum_{\hat{y} \in \tilde{\mathcal{H}}_t}^t \log \pi(\hat{y}_t | \hat{y}_{< t}, X) + R(\hat{y}, \tilde{\mathcal{H}}, \pi)$$

• Continue until all the hypotheses terminate (<eos>)

Beam search in autoregressive models



Beam search in autoregressive models



Inference – Iterative Beam search

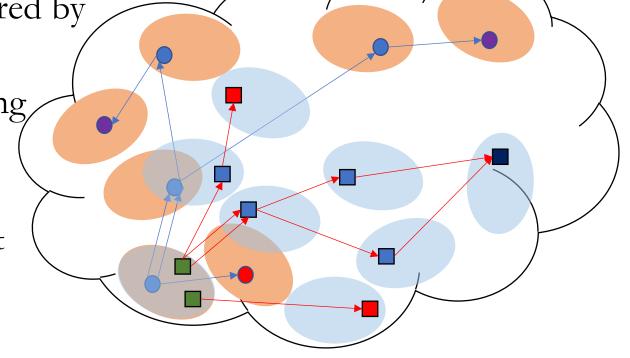
• Inspired by Batra et al. [2012] and Li&Jurafsky [2016]

• Covers a larger search space than beam search by avoiding any search subspace explored by earlier iterations of beam search

• More effective than simply increasing the beam width: higher diversity

• No additional hyperparameter

• # of iterations: computational budget



Inference – top-*K* sampling

- Introduced in, e.g., [Fan et al., 2018]
- Ancestral sampling from

$$\tilde{p}(Y|X) = \prod_{t=1}^{T} \tilde{p}(y_t|y_{< t}, X),$$

where
$$\tilde{p}(y_t|y_{< t}, X) \propto \begin{cases} p(y_t|y_{< t}, X), & \text{if } \text{rank}(y_t|y_{< t}, X) \ge K \\ 0, & \text{otherwise} \end{cases}$$

- I have absolutely no idea what this distribution actually looks like
- Stochastic behavior → problematic for evaluation and debugging

Human evaluation

• Single-turn evaluation is not enough

• Exposure bias

• Self-consistency

• Multi-turn evaluation is necessary

• Multi-turn human-bot conversation

"Human" profile

Unknown to the "bot"

• Absolute scoring

hello, i'm sitting here with my dog. how are you?

"Bot" profile

- I'm now looking for a new job.
- my favorite movie is friday.
- i am a doctor.
- my daughter is a child prodigy.

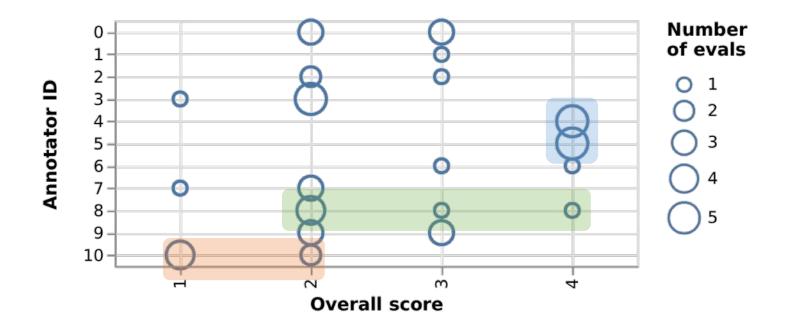
Multi-turn evaluation and absolute scoring

- A human evaluator makes a conversation of at least 5-6 turns with a bot.
- Each conversation is scored from {1, 2, 3, 4}



Multi-turn evaluation and absolute scoring

- Each conversation is scored from {1, 2, 3, 4, 5}
 - The evaluator is also asked to mark each bot utterance as "good" or "bad".
- Unfortunately, human evaluators are not well-calibrated
 - Some are too generous, while others are too harsh, and some are just random...



Bayesian calibration of evaluation scores

• Model score (unobserved) $\mu_n \sim \mathcal{U}(1,5)$

$$S_n \sim \mathcal{N}(\mu_n, 1^2)$$

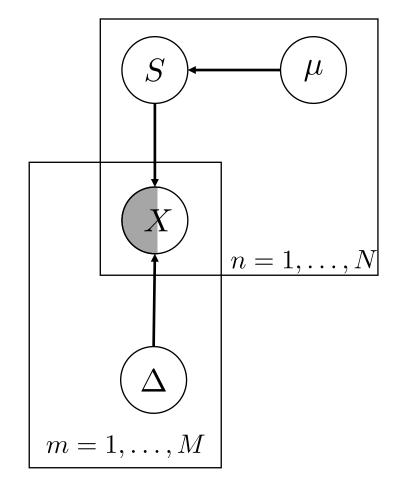
• Evaluator bias (unobserved)

$$\Delta \sim \mathcal{N}(0, 1^2)$$

Collected scores (partially observed)

$$X_{nm} \sim \mathcal{N}(S_n + \Delta_m, 1^2)$$

- Inference: NUTS [Hoffman&Gelman, 2011]
- Used Pyro* for inference and generality



Human evaluation [Kulikov et al., arXiv 2018]

| | Raw scores | | Calibrated scores | |
|----------------------|------------|-----------|-------------------|-----------|
| Search Algorithm | Average | Std. Dev. | Average | Std. Dev. |
| Greedy | 2.56 | 0.98 | 2.40 | 0.25 |
| Beam(10) | 2.67 | 0.86 | 2.66 | 0.25 |
| Iterative Beam(5,15) | 2.80 | 0.90 | 2.75 | 0.26 |
| Human | 3.62 | 0.71 | 3.46 | 0.26 |

- Up to 0.35/4.0 improvement with a better search algorithm
- Without Bayesian calibration, too large a std. dev. due to the evaluator bias
- Search/inference matters.