Hypernetworks: a versatile and powerful tool

Prof. Lior Wolf

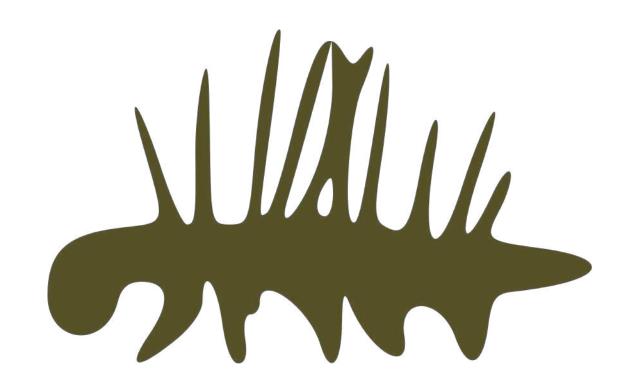
Facebook AI Research and School of Computer Science, Tel Aviv University





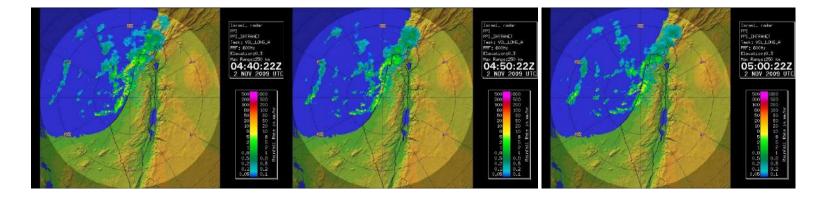
Is AI slowing down or accelerating?

The upcoming Cambrian explosion



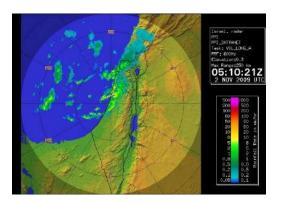
SHORT RANGE WEATHER PREDICTION

Input: a sequence of the recent history



- 4 radar images.
- Each 250x250 pixels
- 10 minutes between two consecutive frames

Output: the future

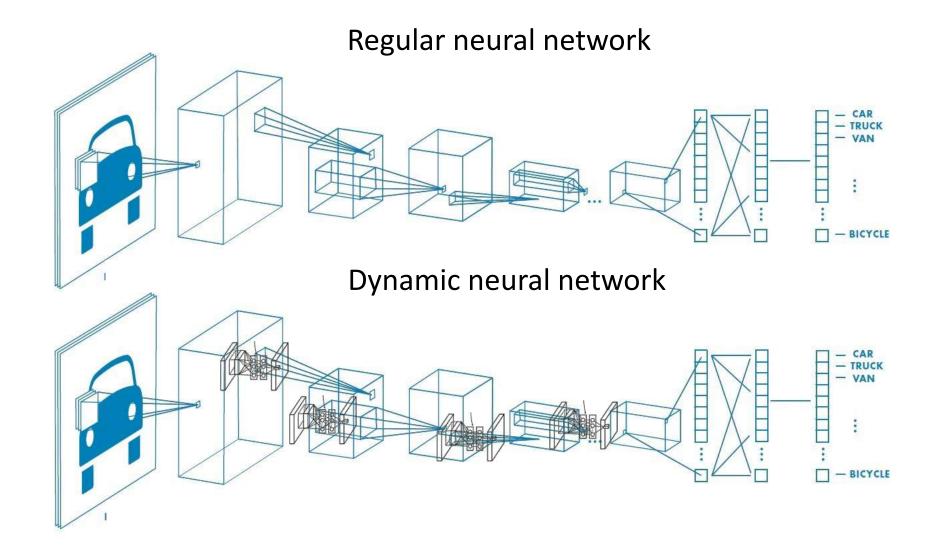


■ The 200x200 center of the next image

Preprocessing:

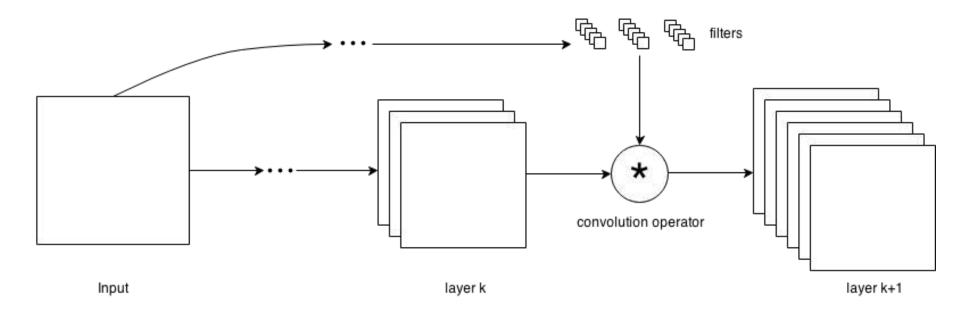
- Background subtraction
- Gray scale color transformation

ENTER DYNAMIC NETWORKS



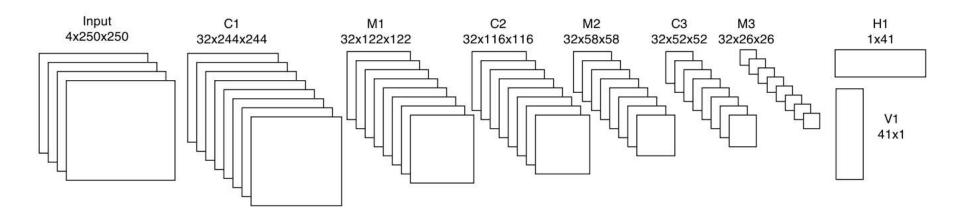
THE DYNAMIC CONVOLUTION LAYER

- A generalization of the convolution layer
- The filters are a function of the input
 - For every input, different filters will be applied

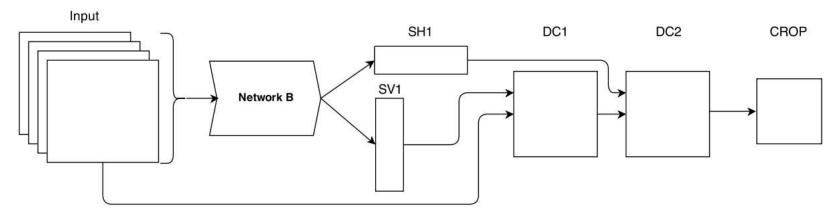


APPLIED TO WEATHER RADAR

A convnet B computes horizontal and vertical displacements



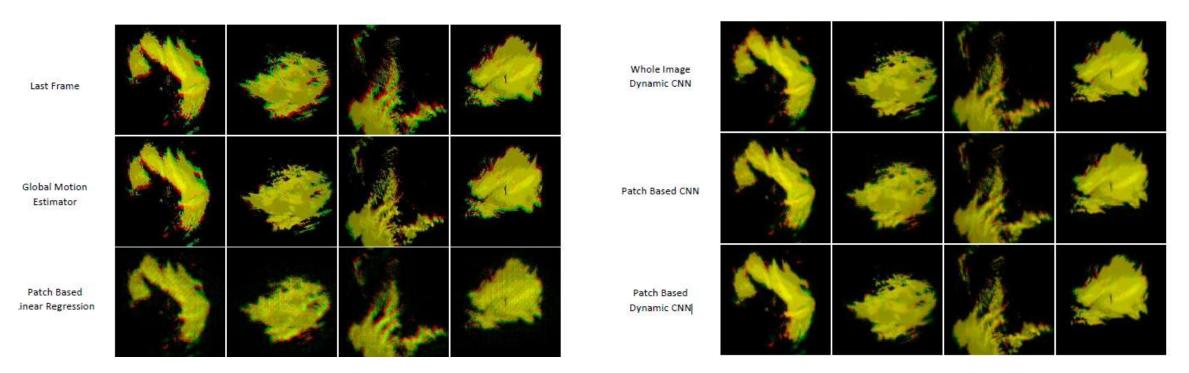
Softmax makes the displacement filters sparser and they are applied to the last input image



RESULTS

Method	Tel Aviv Dataset*	Davenport Dataset	Kansas City Dataset
Last Frame	20.059 ± 0.536	258.818 ± 2.552	241.392 ± 2.975
Global Motion Estimator	16.837 ± 0.496	173.402 ± 1.547	179.953 ± 2.065
Patch Based Linear Regression	13.002 ± 0.435	164.854 ± 1.377	160.489 ± 1.682
Patch Based CNN	11.480 ± 0.431	105.242 ± 0.839	101.880 ± 1.042
Whole Image Dynamic Convolution Network	12.340 ± 0.461	117.316 ± 0.929	118.402 ± 1.174
Patch Based Dynamic Convolution Network	11.114 ± 0.412	101.983 ± 0.802	98.790 ± 0.995

^{*}Data courtesy of IMS



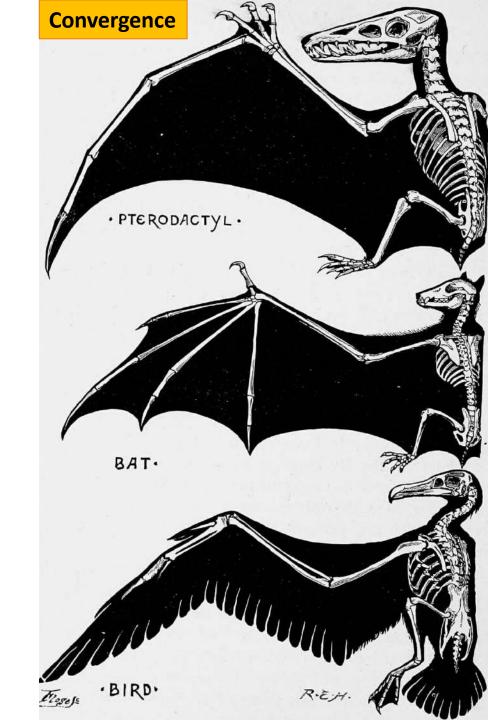
MYOPIC HISTORY OF DYNAMIC NETS

B. Klein, L. Wolf, Y. Afek. A Dynamic Convolution Layer for Short Range Weather Prediction. *CVPR*, 2015.

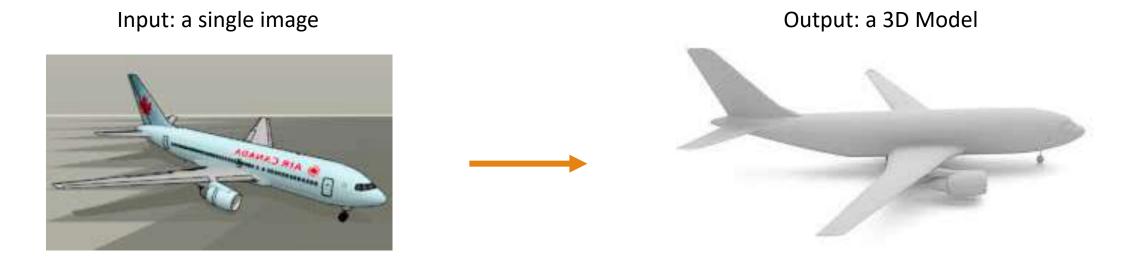
D. Ha, A. M. Dai, Q. V. Le. Hypernetworks. ICLR, 2017.

F. Wu, A. Fan, A. Baevski, Y. N. Dauphin, M. Auli. Pay less attention with lightweight and dynamic convolutions. *ICLR*, 2019.

+ maybe a dozen more



THE COMEBACK OF DYNAMIC CONVOLUTIONS: "HYPERNETWORKS" FOR 3D RECONSTRUCTION



G. Littwin, L. Wolf. Deep Meta Functionals for Shape Representation. ICCV, 2019.

WHERE IS THE NETWORK?

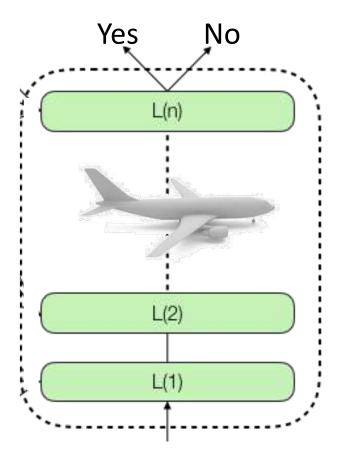
Neural networks are **functions**

In hypernetworks, one function outputs another function

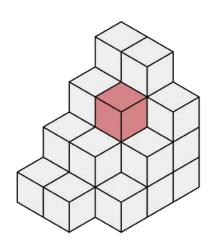
How is this related to 3D shapes?

The 3D shape is defined by a function!

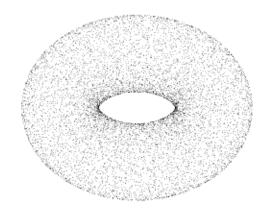
Network g



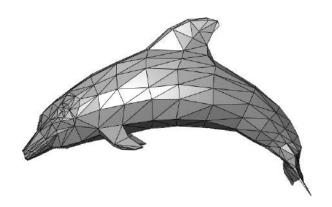
	Voxels
Memory Footprint	High*
Reconstruction Resolution	Limited by memory
Topology	Limited by resolution
Train Time	Long
Rendering	Suited



	Voxels	Point Clouds
Memory Footprint	High*	Low
Reconstruction Resolution	Limited by memory	High
Topology	Limited by resolution	No topology
Train Time	Long	Short
Rendering	Suited	Suited



	Voxels	Point Clouds	Polygon Mesh
Memory Footprint	High*	Low	Low
Reconstruction Resolution	Limited by memory	High	Limited by template mesh
Topology	Limited by resolution	No topology	Limited by template mesh
Train Time	Long	Short	Short
Rendering	Suited	Suited	Very suited



	Voxels	Point Clouds	Polygon Mesh	Implicit functions
Memory Footprint	High*	Low	Low	High
Reconstruction Resolution	Limited by memory	High	Limited by template mesh	Unlimited
Topology	Limited by resolution	No topology	Limited by template mesh	Unlimited
Train Time	Long	Short	Short	Long
Rendering	Suited	Suited	Very suited	Suited

$$g\left(\begin{bmatrix} x \\ y \\ z \end{bmatrix}, e_I\right)$$
 Inside the shape Outside the shape

Parallel work:

L. Mescheder, M. Oechsle, M. Niemeyer, S. Nowozin, A. Geiger. Occupancy Networks: Learning 3D Reconstruction in Function Space. CVPR, 2019

	Voxels	Point Clouds	Polygon Mesh	Implicit functions	Meta Functionals
Memory Footprint	High*	Low	Low	High	Low
Reconstruction Resolution	Limited by memory	High	Limited by template mesh	Unlimited	Unlimited
Topology	Limited by resolution	No topology	Limited by template mesh	Unlimited	Unlimited
Train Time	Long	Short	Short	Long	Short
Rendering	Suited	Suited	Very suited	Suited	Suited

META FUNCTIONALS = IMPLICIT FUNCTIONS + HYPERNETWORKS

Formulation:

$$\theta_{I} = f(I, \theta_{f})$$

$$s_{I}^{p} = g(p, \theta_{I}) = g(p, f(I, \theta_{f})) \qquad p = \begin{bmatrix} x \\ y \\ z \end{bmatrix}$$

SIMPLE CROSS ENTROPY TRAINING LOSS

Formulation:

$$\theta_{I} = f(I, \theta_{f})$$

$$s_{I}^{p} = g(p, \theta_{I}) = g(p, f(I, \theta_{f}))$$

Loss:

$$L(\theta_f, I) = -\int_{p \in V} y(p) \log(s_I^p) + \int_{p \in V} (1 - y(p)) \log(1 - s_I^p) dp$$

$$y(p) \in \{0, 1\}$$

BOUNDARY SAMPLING

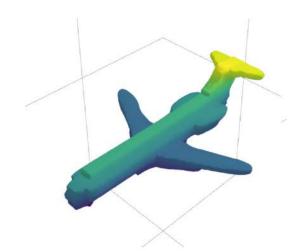
Formulation:

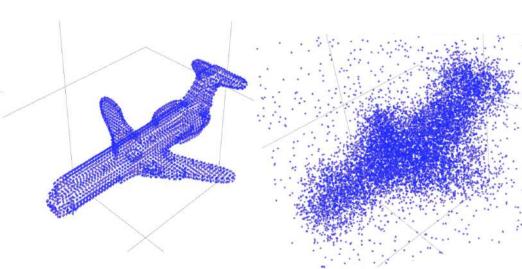
$$\theta_{I} = f(I, \theta_{f})$$

$$s_{I}^{p} = g(p, \theta_{I}) = g(p, f(I, \theta_{f}))$$



$$L(\theta_f, I) = -\int_{p \in V} y(p) \log(s_I^p) + \int_{p \in V} (1 - y(p)) \log(1 - s_I^p) dp$$
$$y(p) \in \{0, 1\}$$

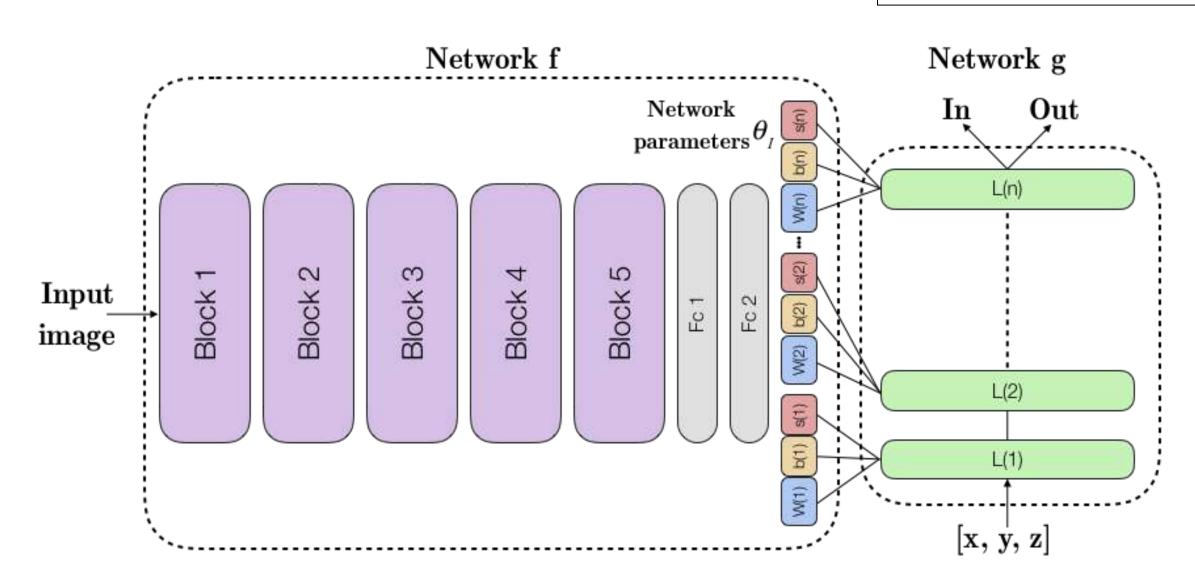




ARCHITECTURE

$$\theta_{I} = f(I, \theta_{f})$$

$$s_{I}^{p} = g(p, \theta_{I}) = g(p, f(I, \theta_{f}))$$



RESULTS ON THE SHAPENET BENCHMARK

Method	airplane	bench	cabinet	car	cellphone	chair	conch	firearm	lamp	monitor	speaker	table	watercraft	mean
3D-R2N2 [8]	51.3	42.1	71.6	79.8	66.1	46.6	62.8	54.4	38.1	46.8	66.2	51.3	51.3	56.0
OGN [35]	58.7	48.1	72.9	81.6	70.2	48.3	64.6	59.3	39.8	50.2	63.7	53.6	63.2	59.6
PSGN [10]	60.1	55.0	77.1	83.1	74.9	54.4	70.8	60.4	46.2	55.2	73.7	60.6	61.1	64.0
VTN [32]	67.1	63.7	76.7	82.1	74.2	55.0	69.0	62.6	43.6	53.4	68.1	57.3	59.9	64.1
MTN [32]	64.7	57.7	77.6	85.0	75.6	54.7	68.1	61.6	40.8	53.2	70.1	57.3	59.1	63.5
PCDI [37]	61.2	60.9	68.3	83.2	74.4	57.2	69.9	69.5	46.4	61.4	69.8	61.5	58.5	64.8
Ours	71.4	65.9	79.3	87.1	79.1	60.7	74.8	68.0	48.6	61.7	73.8	62.8	65.4	69.1

Mean IOU (%), Data provided by Choy et al.

Method	airplane	bench	cabinet	car	cellphone	chair	conch	firearm	lamp	monitor	speaker	table	watercraft	mean
3D-R2N2 [8]	56.7	43.2	61.8	77.6	65.8	50.9	58.9	56.5	40.0	44.0	56.7	51.6	53.1	55.1
LSM [18]	61.1	50.8	65.9	79.3	67.7	57.8	67.0	69.7	48.1	53.9	63.9	55.6	58.3	61.5
VP3D [20]	69.1	59.8	72.4	80.2	77.5	60.1	65.6	66.4	50.5	59.7	68.0	60.7	61.3	65.5
Ours	71.3	63.4	75.6	81.5	75.1	61.4	72.3	65.7	52.0	56.2	64.7	61.6	60.2	66.2

Mean IOU (%), Data provided by Hanee et al.

RESULTS ON THE SHAPENET BENCHMARK

Method	airplane	bench	cabinet	car	cellphone	chair	conch	firearm	lamp	monitor	speaker	table	watercraft	mean
3D-R2N2 [8]	51.3	42.1	71.6	79.8	66.1	46.6	62.8	54.4	38.1	46.8	66.2	51.3	51.3	56.0
OGN [35]	58.7	48.1	72.9	81.6	70.2	48.3	64.6	59.3	39.8	50.2	63.7	53.6	63.2	59.6
PSGN [10]	60.1	55.0	77.1	83.1	74.9	54.4	70.8	60.4	46.2	55.2	73.7	60.6	61.1	64.0
VTN [32]	67.1	63.7	76.7	82.1	74.2	55.0	69.0	62.6	43.6	53.4	68.1	57.3	59.9	64.1
MTN [32]	64.7	57.7	77.6	85.0	75.6	54.7	68.1	61.6	40.8	53.2	70.1	57.3	59.1	63.5
PCDI [37]	61.2	60.9	68.3	83.2	74.4	57.2	69.9	69.5	46.4	61.4	69.8	61.5	58.5	64.8
Ours	71.4	65.9	79.3	87.1	79.1	60.7	74.8	68.0	48.6	61.7	73.8	62.8	65.4	69.1

Mean IOU (%), Data provided by Choy et al.

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3D-R2N2 [8]	56.7	43.2	61.8	77.6	65.8	50.9	58.9	56.5	40.0	44.0	56.7	51.6	53.1	55.1
LSM [18]	61.1	50.8	65.9	79.3	67.7	57.8	67.0	69.7	48.1	53.9	63.9	55.6	58.3	61.5
VP3D [20]	69.1	59.8	72.4	80.2	77.5	60.1	65.6	66.4	50.5	59.7	68.0	60.7	61.3	65.5
Ours	71.3	63.4	75.6	81.5	75.1	61.4	72.3	65.7	52.0	56.2	64.7	61.6	60.2	66.2

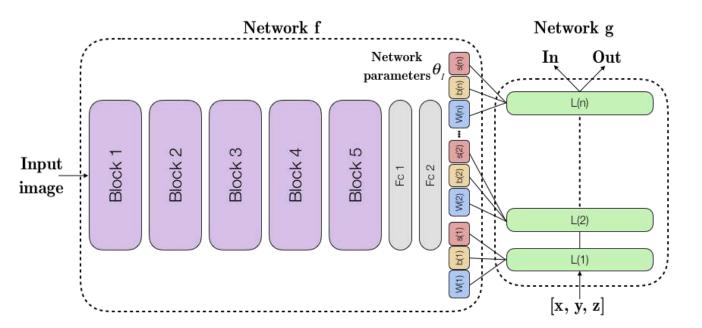
Mean IOU (%), Data provided by Hanee et al.

- 1. We train a single model for all classes
- 2. We do not do pretraining on ImageNet
- 3. Implicit functions without hypernets is not competitive

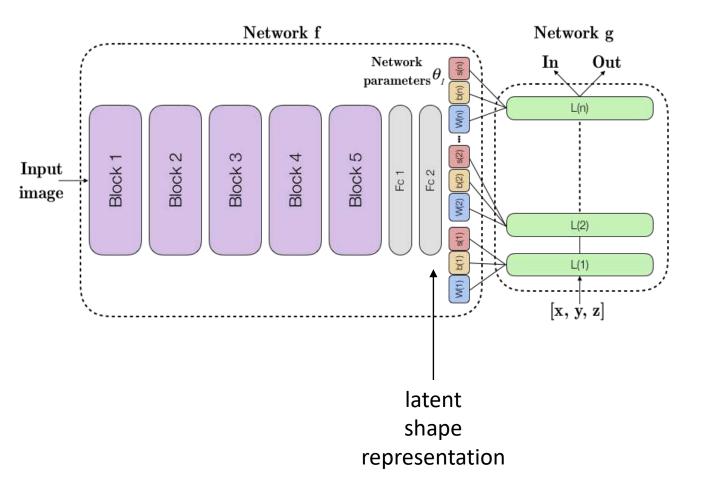
SAMPLE RESULTS



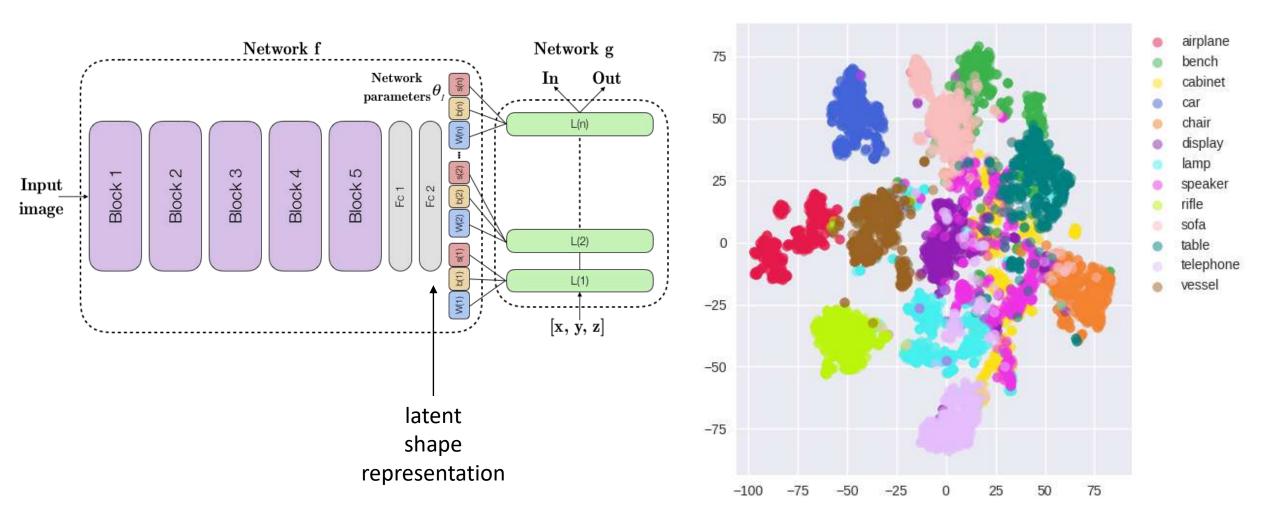
LATENT SHAPE SPACE



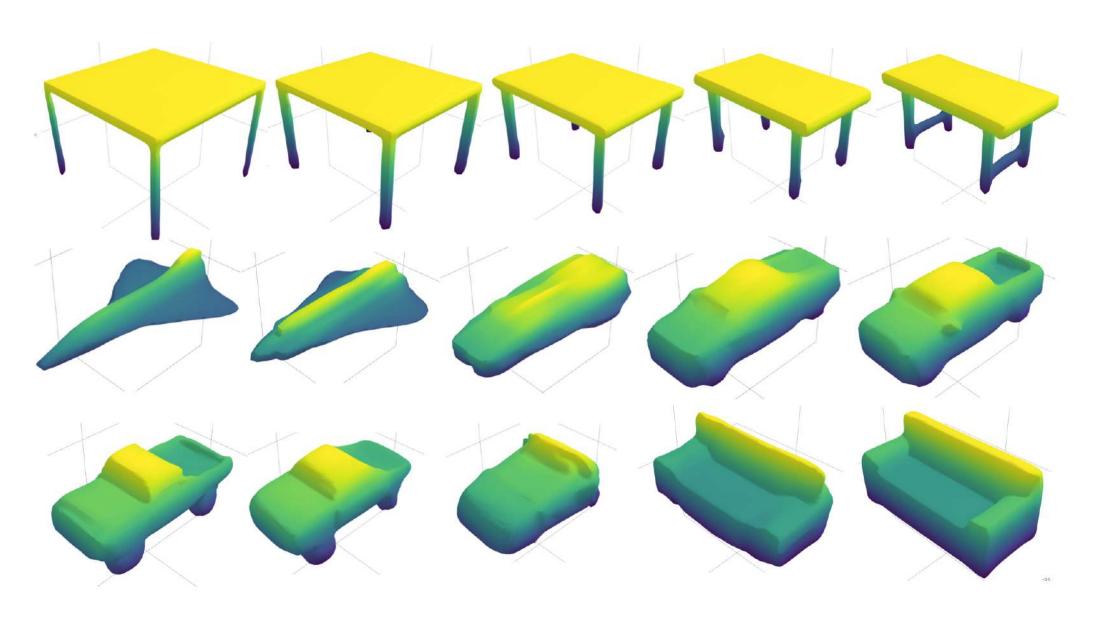
LATENT SHAPE SPACE



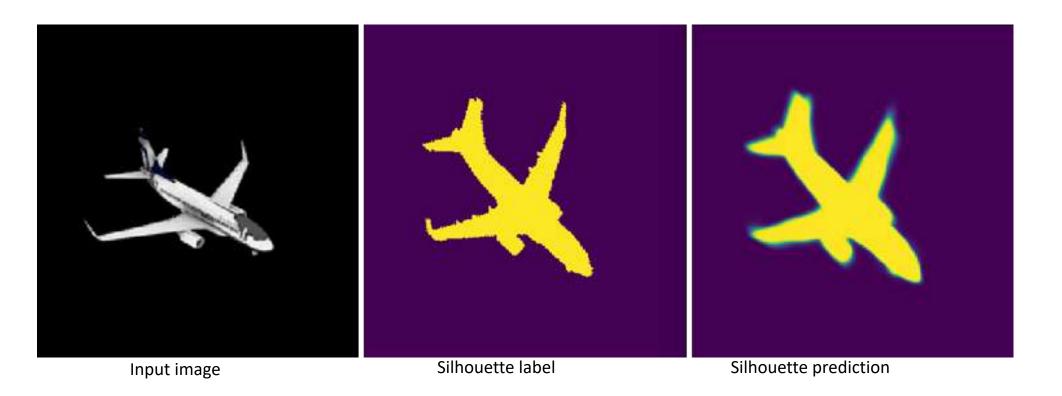
LATENT SPACE VISUALIZATION



LATENT SPACE INTERPOLATION



DIFFERENTIABLE RENDERING -- TRAINING FROM 2D IMAGES

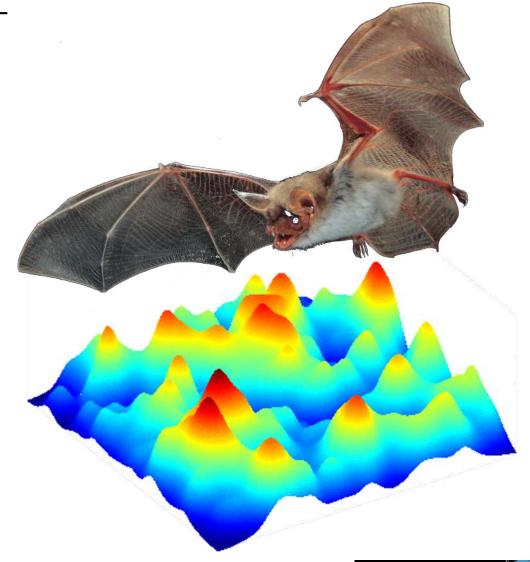


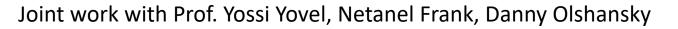
THE SUPERMAN VS. BATMAN PROJECT

We understand vision well, but Sonar is still a mystery

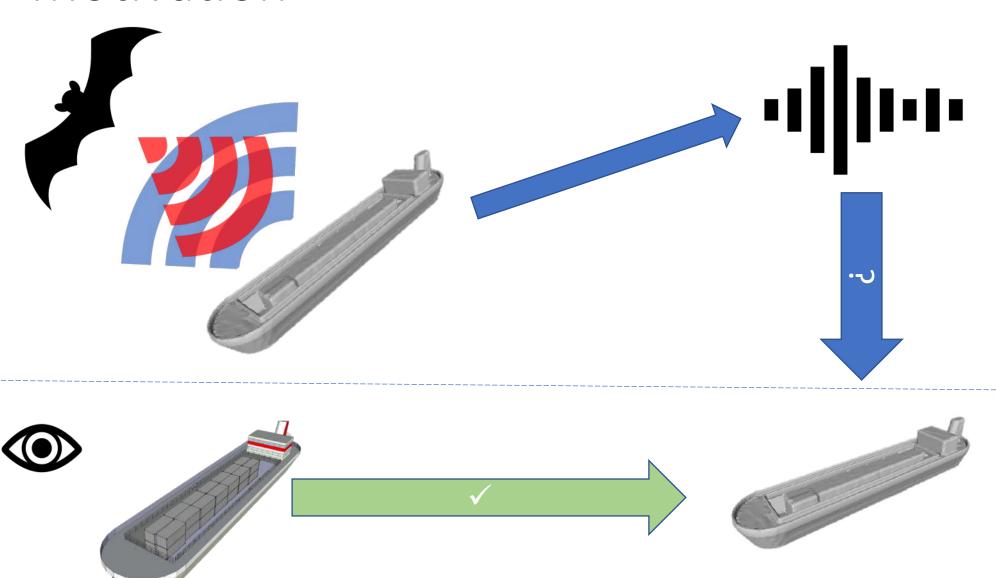
So we build a sonar-based 3D reconstruction method and compare to vision on a similar set of objects

- * Vision and sonar results are highly correlated
- * Vision has advantages with corners, sonar with flat surfaces

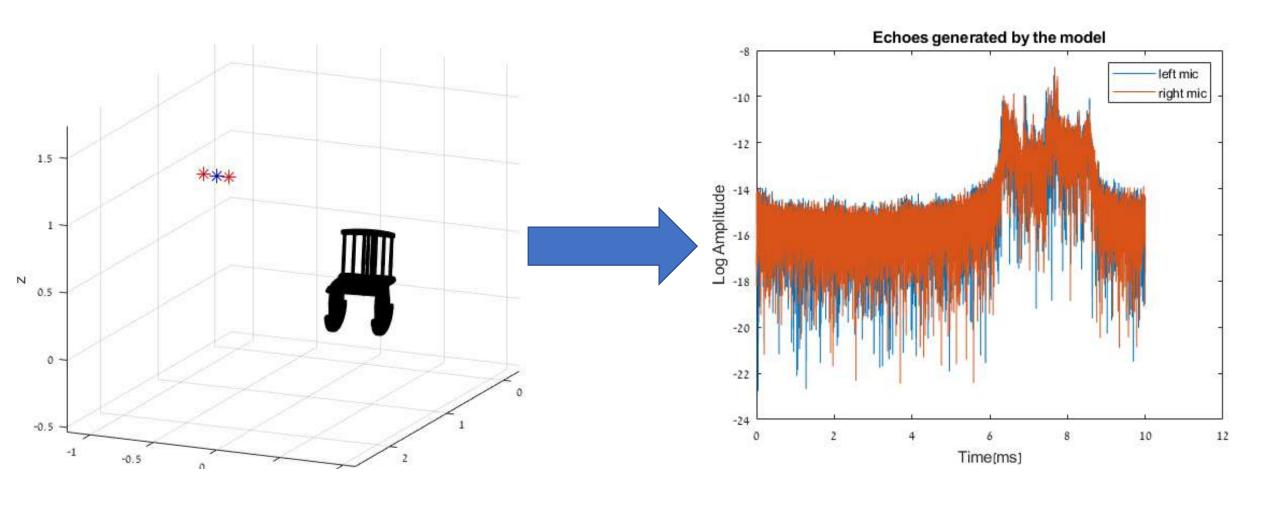




Motivation



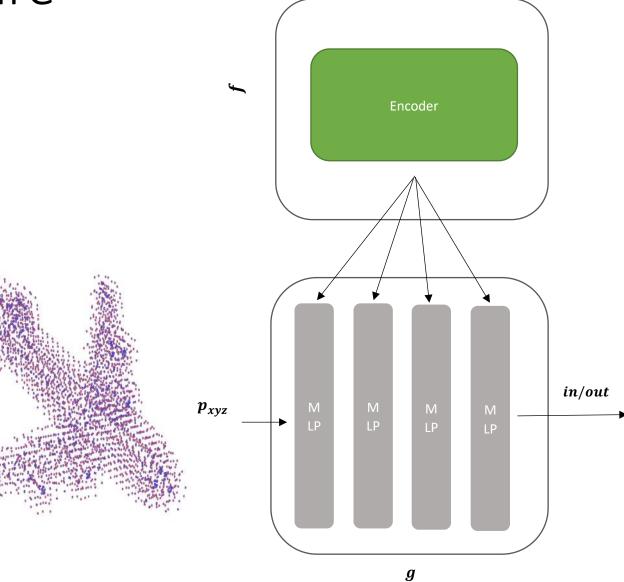
The Acoustic Simulator (similar to A. Boonman at el. 19)



BatNet Meta Architecture

$$\theta_E = f(E, \theta_f)$$

$$s_E^p = g(p, \theta_E).$$



Input Echoes

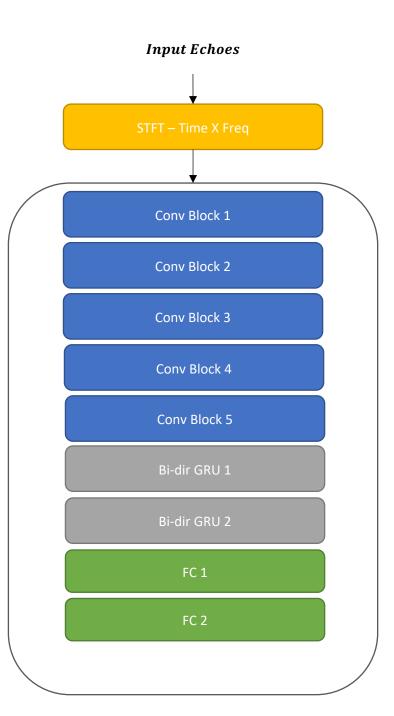
Encoder

Conv Block

2D conv –

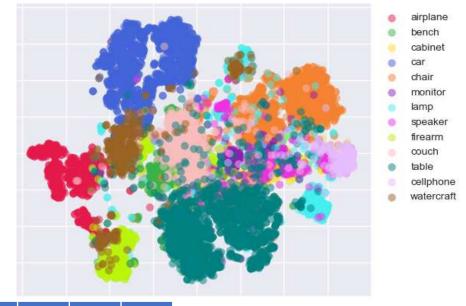
3x3 kernel, stride 1, ReLu

MaxPool - 1x2



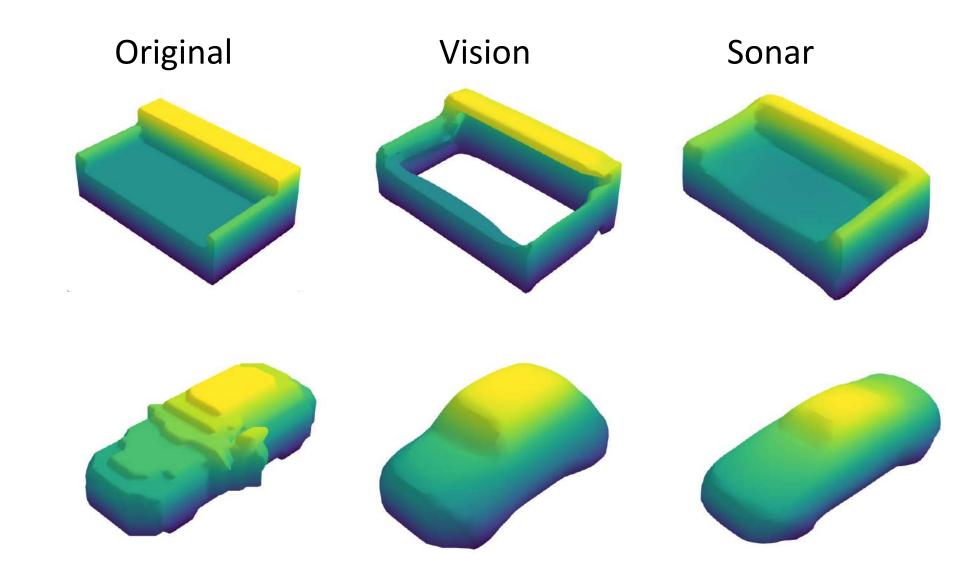
Class-level Results (IoU %)

- Our BatNet model shows superior results in compare to all Echo-based architectures.
- BatNet is able to separate the 13 classes in an unsupervised manner.

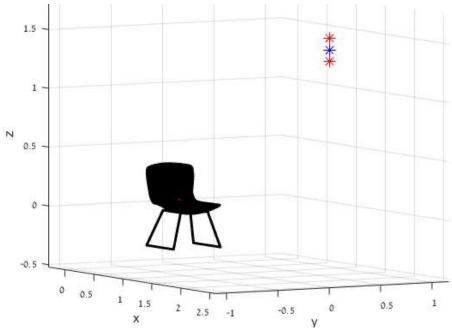


		Airplane	Bench	Cabinet	Car	Cellphone	Chair	Couch	Firearm	Lamp	Monitor	Speaker	Table	Watercraft	Mean
Vision	3D-R2N2 [Choy 16']	51.3	42.1	71.6	79.8	66.1	46.6	62.8	54.4	38.1	46.8	66.2	51.3	51.3	56.0
V 131011	Our vision work	71.4	65.9	79.3	87.1	79.1	60.7	74.8	68.0	48.6	61.7	73.8	62.8	65.4	69.1
	SoundNet - Encoder	48.9	24.3	52.6	75.1	60.2	29.9	50.0	46.7	21.5	37.3	46.4	29.8	37.9	43.1
Canan	ResNet –Encoder	51.5	27.8	49.4	72.3	59.9	28.3	46.2	46.3	19.4	33.7	42.8	27.8	37.5	41.8
Sonar	ResNet+phase	51.7	38.9	58.5	78.9	63.2	37.8	55.9	53.9	29.6	37.9	53.0	38.9	46.1	49.6
	BatMan	56.4	41.1	60.4	74.5	71.7	38.4	58.9	56.1	29.7	52.2	52.3	36.1	47.7	52.0

Reconstruction examples

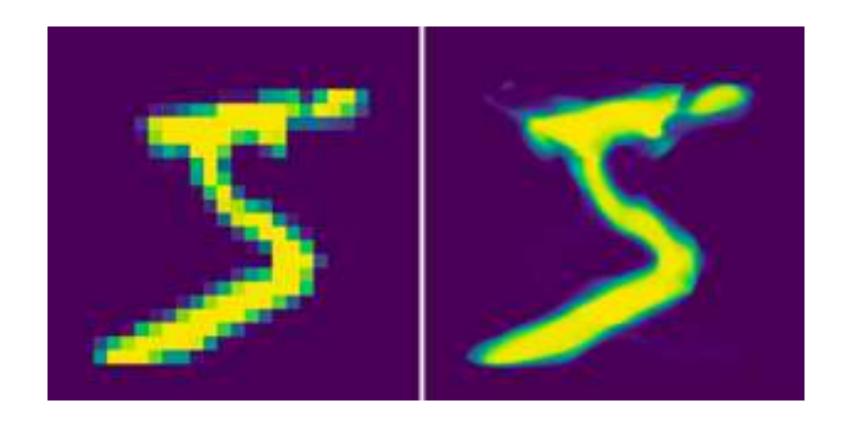


Single Viewpoint – multiple mics

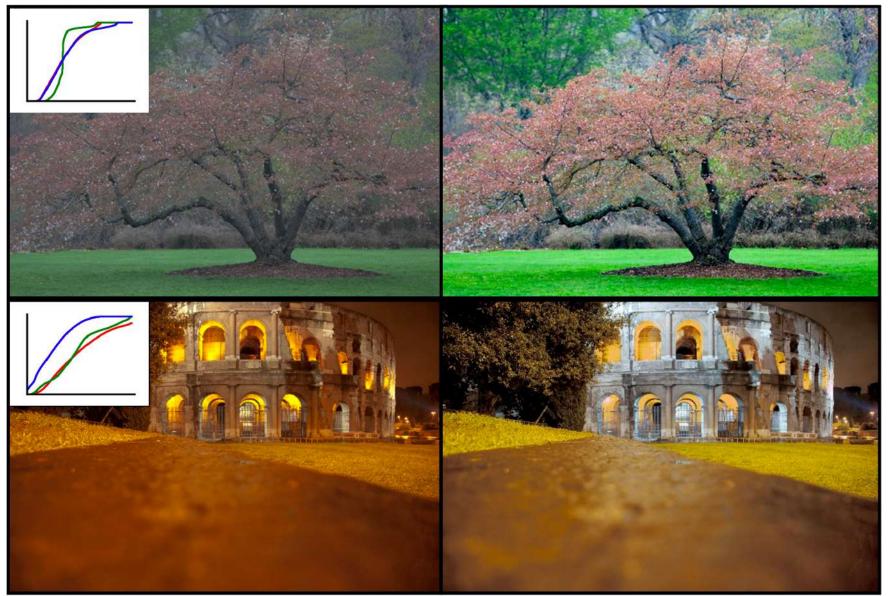


	Airplane	Bench	Cabinet	Car	Cellphone	Chair	Couch	Firearm	Lamp	Monitor	Speaker	Table	Watercraft	Mean
BatMan – single pair	56.4	41.1	60.4	74.5	71.7	38.4	58.9	56.1	29.7	52.2	52.3	36.1	47.7	52.0
BatMan – multiple pairs	61.9	49.7	67.4	78.2	76.9	46.3	65.2	62.4	37.2	55.8	61.8	48.3	57.3	59.1

MNIST SUPER RESOLUTION



"HYPERNETWORKS" FOR IMAGE RETOUCHING



Y. Chai, L. Wolf, R. Gyris. Supervised and Unsupervised Learning of Parameterized Color Enhancement. WACV, 2020.

Input Output

SIMPLE COLOR TRANSFORMATION

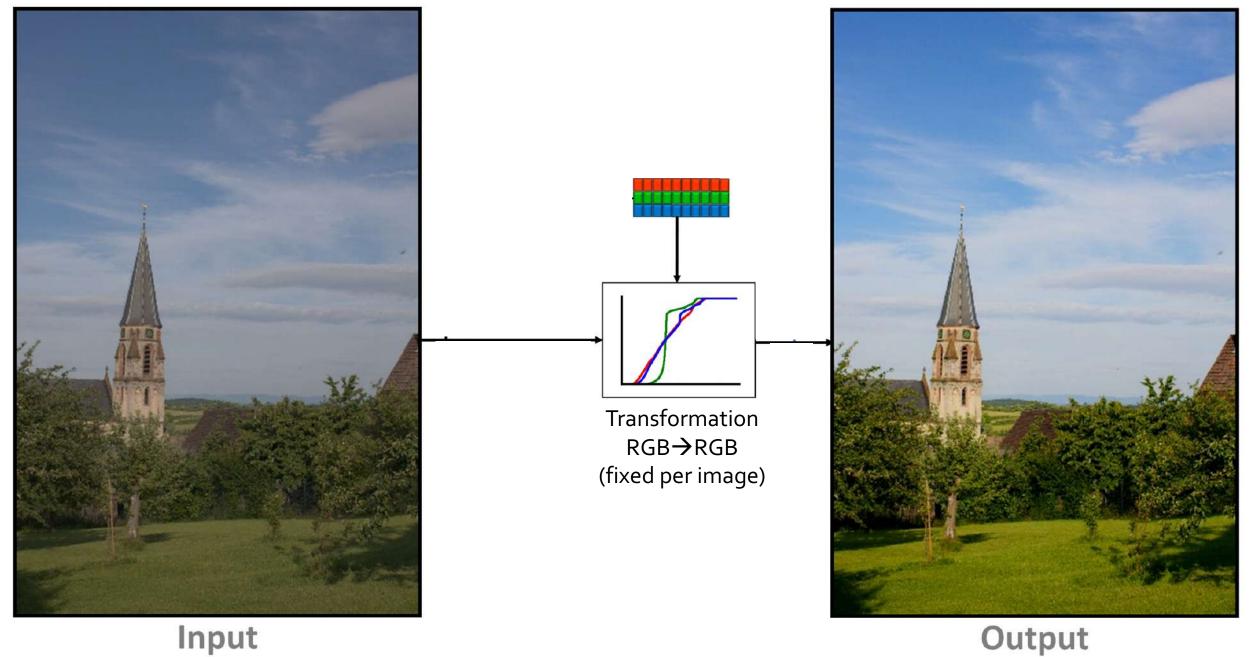
Inflate:

$$[R, G, B] \rightarrow [R^2, G^2, B^2, RG, RB, GB, R, G, B, 1]$$

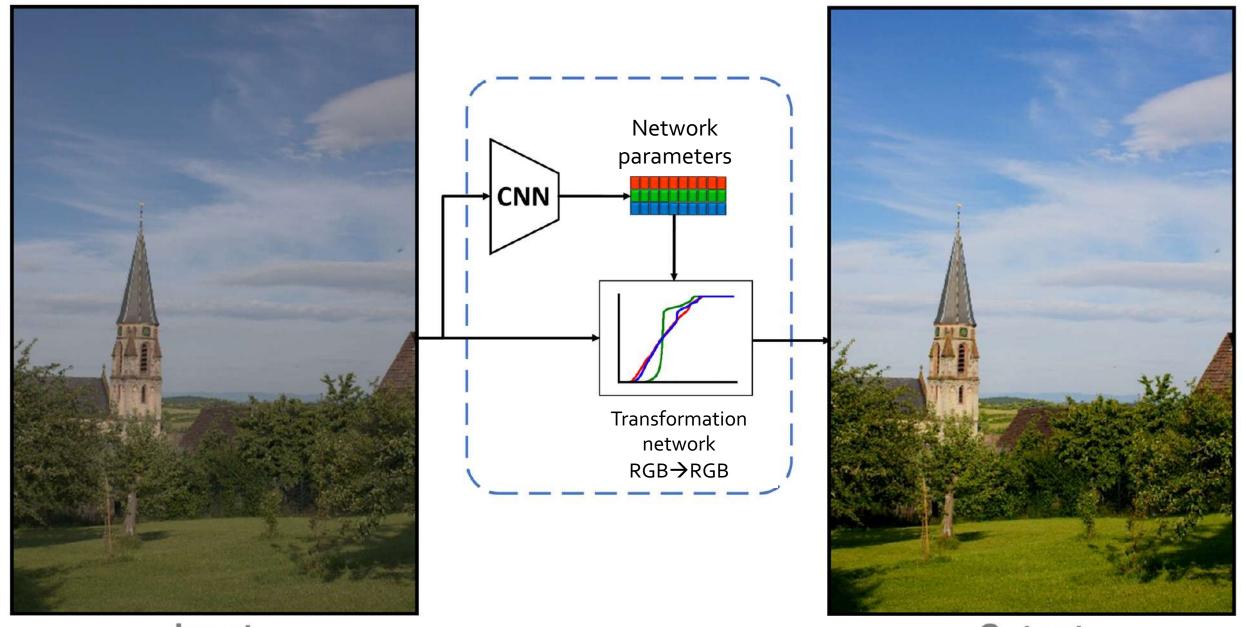
Transform:

$$\begin{bmatrix} R' \\ G' \\ B' \end{bmatrix} = \begin{bmatrix} 3x10 \text{ transformation matrix} \end{bmatrix}$$

input color



Output



Input

'GAME OF THRONES' DARK EPISODE



TURN OF THE LAST CENTURY PHOTOGRAPHS



input ours - paired Adobe Lightroom

RECOMMENDATION SYSTEMS

For each user, we have a small training set and we predict her/his rating for new movies

Training Set

Movie	Avg. Rating	Genre	Rating	_
Dumbo	3.2	Fantasy	2	-
Die Hard	4.8	Action	4	→
300	4.2	Action	5	-
Titanic	4.7	Drama	3	-

Predictions

Movie	Prediction
Avatar	3.2
Stolen	2.7
Batman	4.7
Vice	3.2

EXPLAINABLE RECOMMENDATION SYSTEMS

For each user, we have a small training set and we predict her/his rating for new movies

Training Set

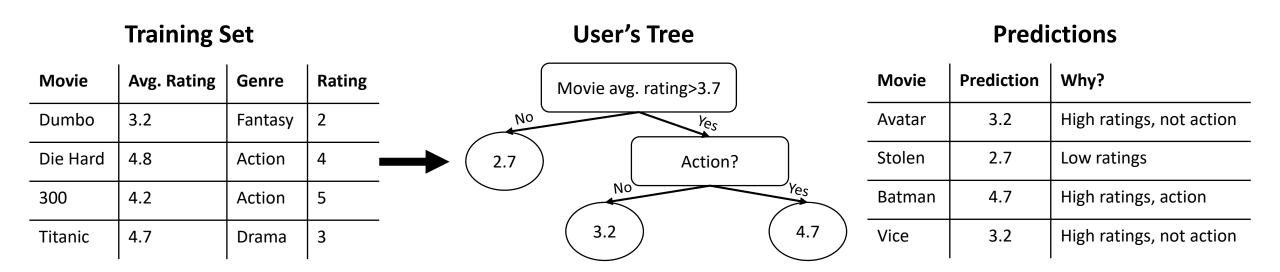
Movie	Avg. Rating	Genre	Rating	
Dumbo	3.2	Fantasy	2	
Die Hard	4.8	Action	4	→
300	4.2	Action	5	
Titanic	4.7	Drama	3	_

Predictions

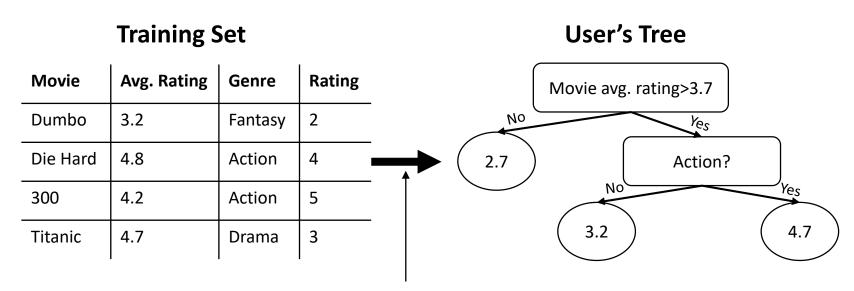
Movie	Prediction	Why?
Avatar	3.2	High ratings, not action
Stolen	2.7	Low ratings
Batman	4.7	High ratings, action
Vice	3.2	High ratings, not action

UNDERLING MODEL

For **each user**, we have a small training set and we predict her/his rating for new movies

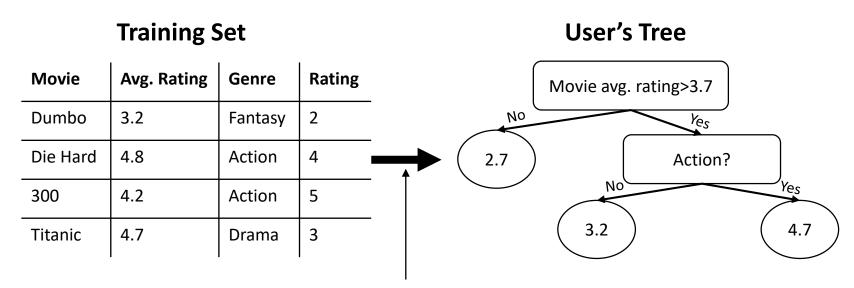


WORKING WITH LIMITED DATA



How can a learning algorithm learn from four samples?

META LEARNING FOR OVERCOMING LIMITED DATA



Instead of a tree learning algorithm use meta learning

i.e., learn from building trees for many other users

h is an embedding function:

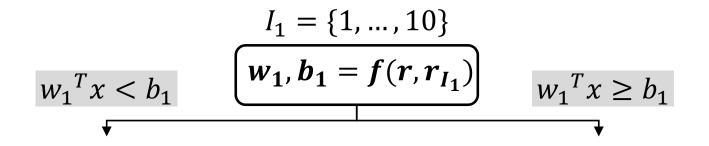
$$r_i = h(x_i, y_i)$$

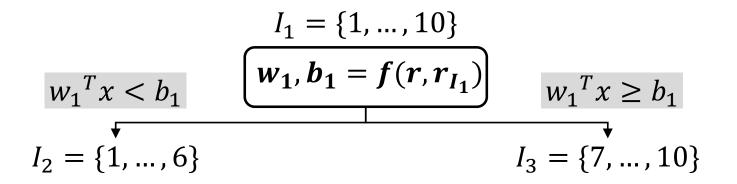
Embeddings are pooled over the training samples:

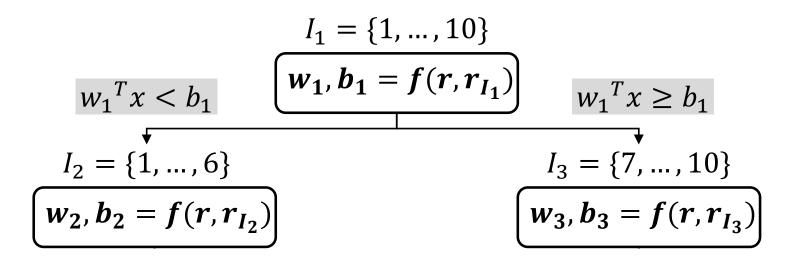
$$r = \frac{1}{n} \sum_{i=1}^{n} h(x_i, y_i)$$

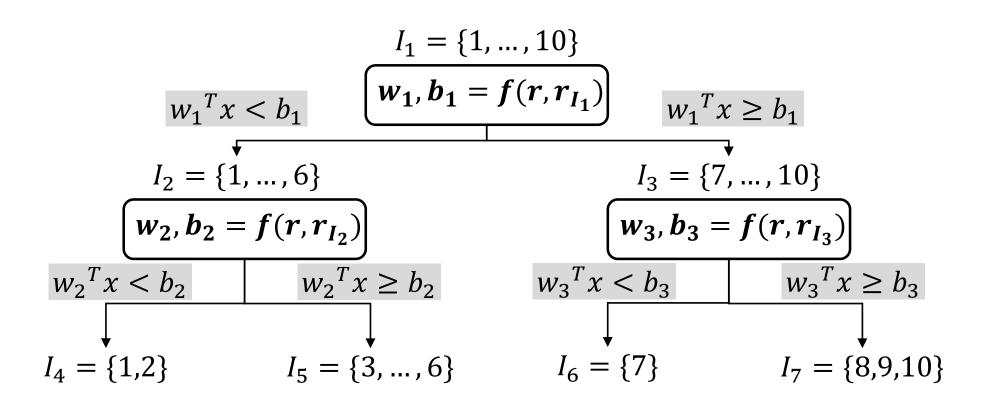
$$r_I = \frac{1}{|I|} \sum_{i \in I} h(x_i, y_i)$$

$$\begin{bmatrix} I_1 = \{1, \dots, 10\} \\ w_1, b_1 = f(r, r_{I_1}) \end{bmatrix}$$

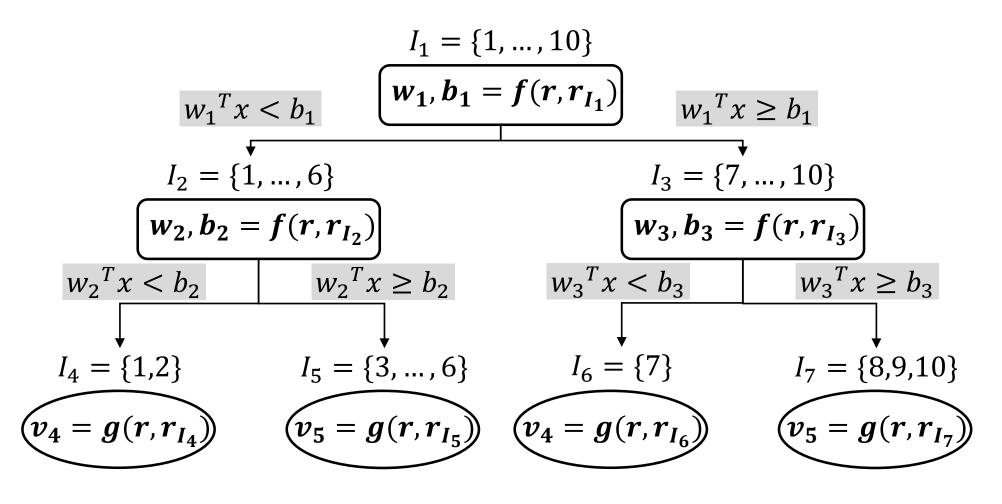








f returns the parameters of a node in the tree: g returns the parameters of a leaf



THE RECURSIVE TREE BUILDING METHOD

Algorithm 1 The GrowTree procedure. To start the initial tree, we pass I = [n]

Input samples $L = \{(x_i, y_i)\}_{i=1}^n$, boolean isDynamic tree type, max depth d, I relevant indices **Output** a decision tree t

1:
$$r \leftarrow \frac{1}{n} \sum_{i=1}^{n} h(x_i, y_i)$$

2:
$$r_I \leftarrow \frac{1}{|I|} \sum_{i \in I} h(x_i, y_i)$$

3: if
$$d=0$$
 then

4: **return**
$$Leaf(g(r, r_I))$$

5:
$$w, b, \beta \leftarrow f(r, r_I)$$

6:
$$I_l \leftarrow \{i \in I | \beta w^\top x_i < \beta b\}$$

7:
$$I_r \leftarrow \{i \in I | \beta w^\top x_i \ge \beta b\}$$

8: if isDynamic and
$$(I_l = \emptyset \text{ or } I_r = \emptyset)$$
 then

9: **return**
$$Leaf(g(r, r_I))$$

10:
$$child_l \leftarrow GrowTree(L, isDynamic, d - 1, I_l)$$

11:
$$child_r \leftarrow GrowTree(L, isDynamic, d - 1, I_r)$$

12: **return**
$$Node(w, b, \beta, child_l, child_r)$$

$$\triangleright r$$
 and $h(x_i, y_i)$ can be computed once

▷ Check if building a leaf node or an inner node

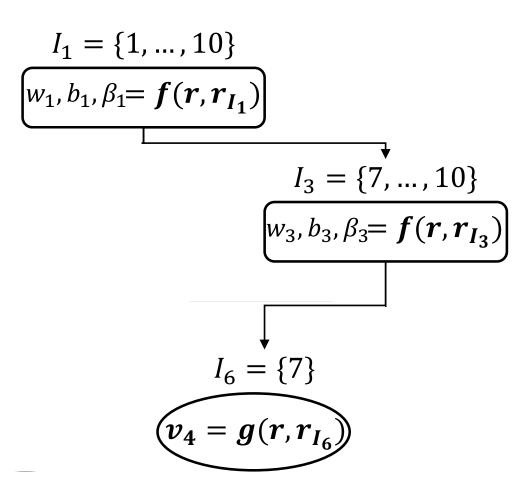
➤ The value of the leaf node

> The parameters of the decision node

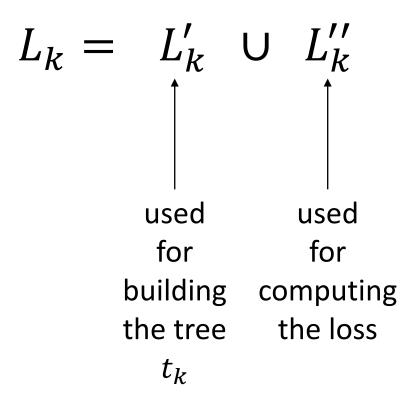
For dynamic trees, stop at empty setsThe value of the leaf node

During training, the assignments to leafs are soft, based on the nodes along the path to the leaf:

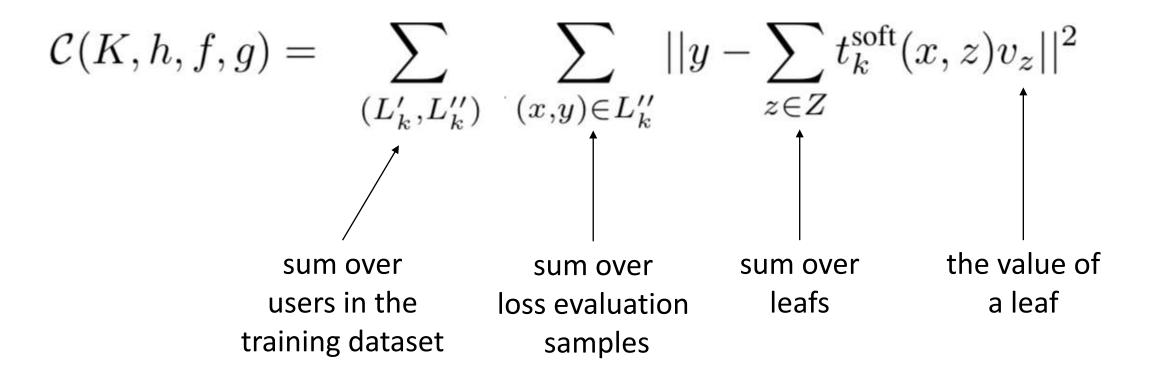
$$\Pi_i \sigma(\beta_i(w_i^\top x - b_i))$$



Each user k in the training set has a training dataset, which we split in two

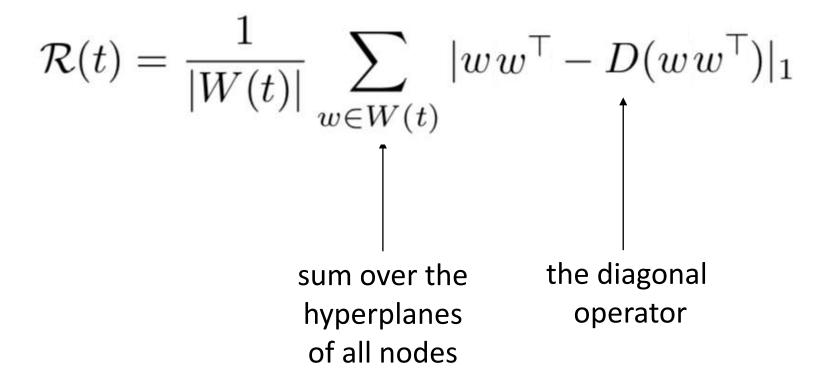


The MSE loss term

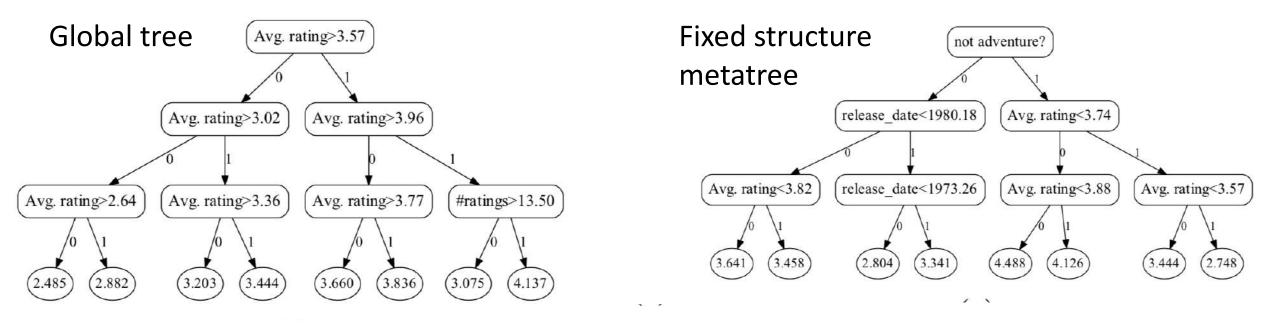


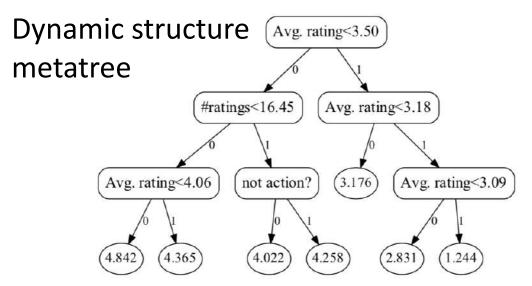
$$t_k^{\text{soft}}(x,z) = \Pi_i \sigma(\beta_i(w_i^{\top}x - b_i))$$

The sparsity encouraging term, per tree t



SAMPLE TREES - MOVIELENS-100K



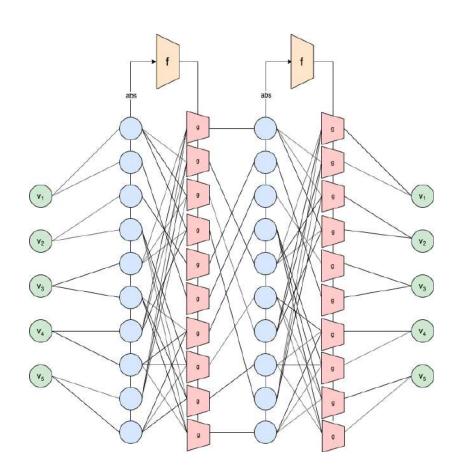


RESULTS

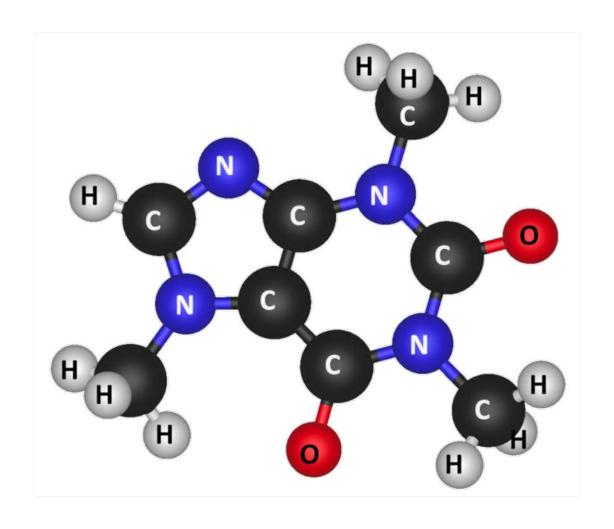
Table 1: Performance comparison on the MovieLens 100k, MovieLens 1M and Jester datasets.

	MovieLens 100K		MovieLens 1M		Jester	
	RMSE	MAE	RMSE	MAE	RMSE	MAE
Global Tree (best depth)	0.995	0.778	0.935	0.738	4.302	3.136
Local Trees (best depth)	1.018	0.791	0.947	0.737	4.556	3.137
KNN Trees (best k)	0.975	0.770	0.921	0.726	4.161	3.070
Gradient boosted regression trees	0.976	0.771	0.933	0.736	4.119	3.131
SVD	0.953	0.751	0.868	0.682	4.073	2.987
SVD++	0.932	0.730	0.861	0.671	4.198	3.146
GRALS (Rao et al., 2015)	0.945	o)	=	_	_	.
sRGCNN (Monti et al., 2017)	0.929	0 = 2	_	_	-	-
Factorized EAE (Hartford et al., 2018)	0.920	8 — 8	0.860	-	9 	9 55 3
GC-MC (Berg et al., 2017)	0.905	e - .	0.832	=	-	-
Meta Trees (sparse, soft)	0.947	0.747	0.876	0.687	4.001	3.012
Meta Trees (sparse, hard)	0.970	0.766	0.916	0.722	4.131	3.030
Dynamic Meta Trees (sparse, soft)	0.948	0.747	0.872	0.683	4.008	3.062
Dynamic Meta Trees (sparse, hard)	0.975	0.767	0.914	0.720	4.171	3.097

STATE OF THE ART RESULTS IN BELIEF PROPAGATION FOR DECODING ERROR CORRECTING CODES



STATE OF THE ART RESULTS IN GRAPH NEURAL NETWORKS FOR MOLECULE PROPERTY PREDICTION



E. Nachmani, L. Wolf. Molecule Property Prediction and Classification With Graph Hypernetworks

MODIFYING NMP-EDGES

The message passing scheme of the original NMP-Edge network takes the form:

$$m_v^{t+1} = \sum_{w \in N(v)} M_t(h_w^t, e_{vw}^t), \tag{1}$$

$$h_v^{t+1} = S_t \left(h_v^t, m_v^{t+1} \right),$$
 (2)

where m_v^t are the messages aggregated at node v at time t, and M_t , S_t are the message and transition networks for iteration t. These networks are dynamic (vary between iterations) but are independent of the inputs. The earlier work by Schütt et al. (2017b) uses a similar set of networks which do not change between the iterations.

In our modified network, we replace the state transition function with the hypernetwork f and g as follows:

$$\theta_g^t = f\left(c \cdot h_v^0 + (1 - c) \cdot h_v^t\right) \tag{3}$$

$$h_v^{t+1} = h_v^t + g_{\theta_a^t} \left(m_v^{t+1} \right) \tag{4}$$

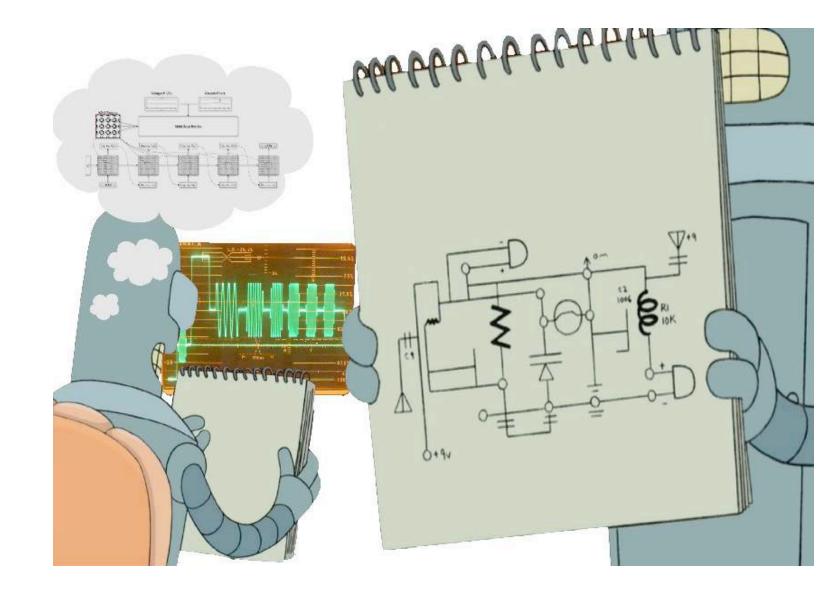
where c is a learned damping factor, which is clipped to be in the range [0,1] and is initialized with a uniform distribution, and the weights of network g are given by θ_g^t . For t=0, Eq. 3 becomes $\theta_g^0 = f\left(h_v^0\right)$. Note that f is a fixed function. However, $g_{\theta_g^t}$ vary in time, since the set of weights θ_g^t change as the input to f changes.

ROBOT ENGINEERS

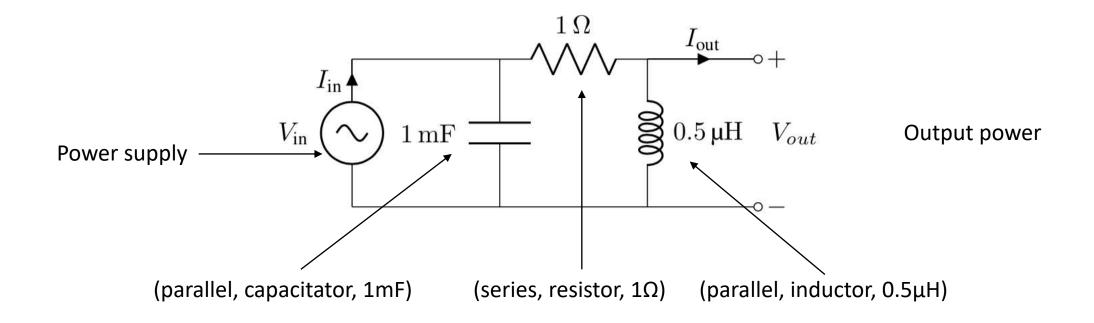
Engineering is about design

Input: desired specifications

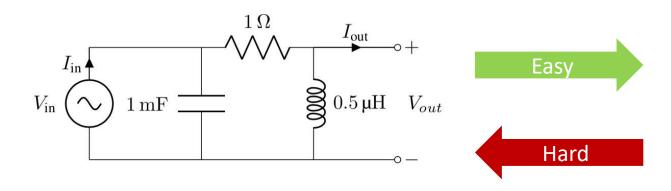
Output: the plan



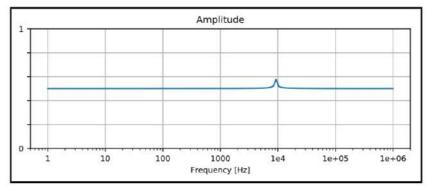
ELECTRIC CIRCUIT AS A SEQUENCE



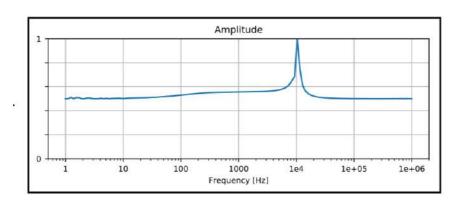
ELECTRIC CIRCUIT DESIGN



Voltage (V(k))

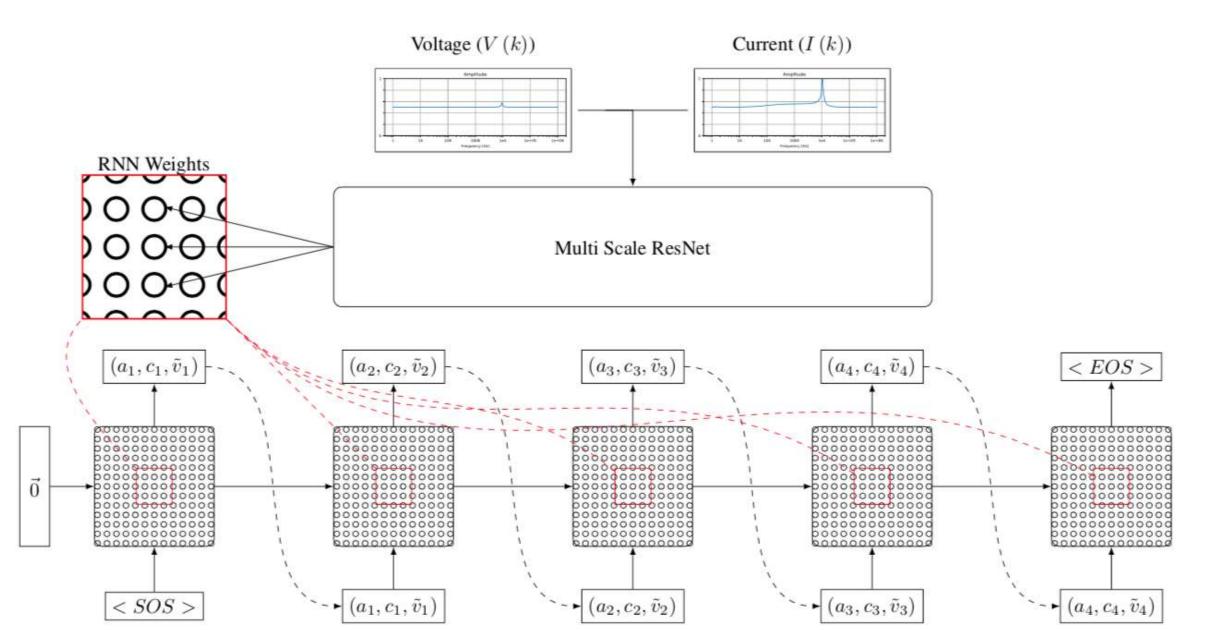


Current (I(k))



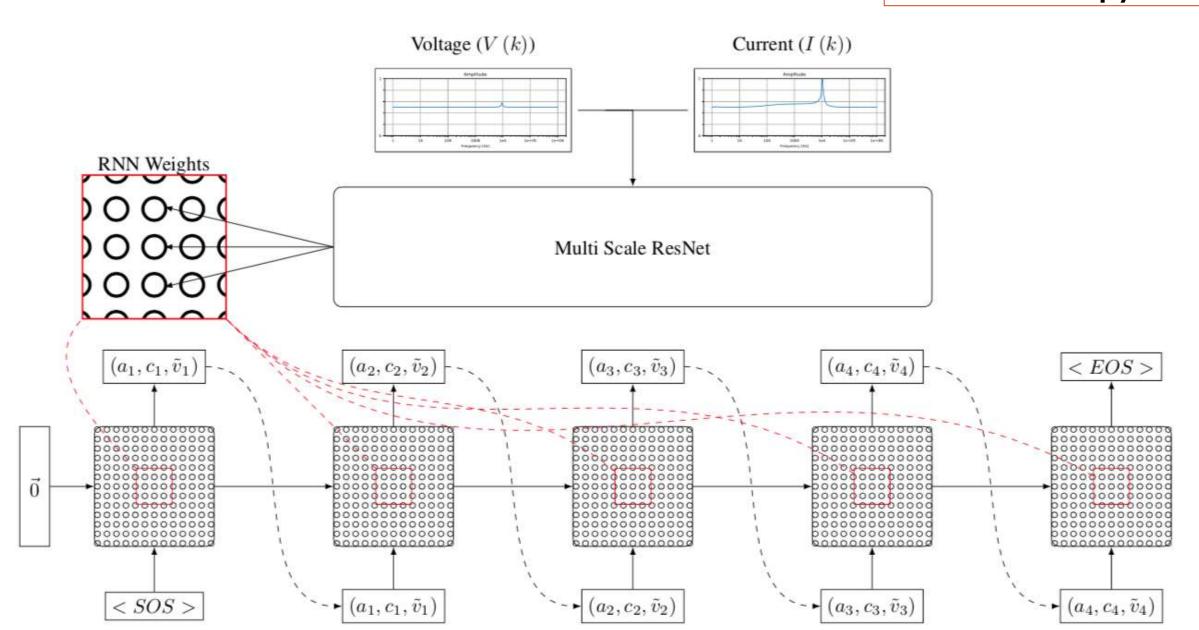
NETWORK F: MULTISCALE RESNET Conv7-64 ReLU MaxPooling 1×2 Conv3-64 Conv5-64 Conv7-64 ReLU ReLU ReLU Conv5-64 Conv7-64 Conv3-64 + ReLU ReLU ReLU Conv3-64 Conv5-64 Conv7-64 ReLU ReLU ReLU Conv5-64 Conv7-64 Conv3-64 ReLU + ReLU ReLU Conv3-64 Conv5-64 Conv7-64 ReLU ReLU ReLU Conv3-64 Conv5-64 Conv7-64 ReLU ReLU ReLU Average Pooling Average Pooling Average Pooling d = 256d = 256d = 256Concatenate Fully Connected

THE HYPERNETWORK



THE HYPERNETWORK

Trained with the cross entropy loss



DIFFERENTIAL SIMULATOR

2D Clifford Algebra

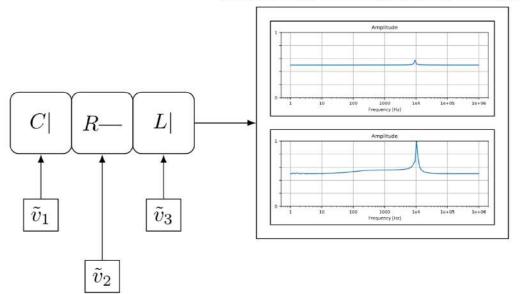
$$a + ib = \left(\begin{array}{cc} a & b \\ -b & a \end{array}\right)$$

A series of linear transformations

$$\begin{pmatrix} V_{out} \\ -I_{out} \end{pmatrix} = T_n \cdots T_1 \begin{pmatrix} V_{in} \\ I_{in} \end{pmatrix}$$

Alignment	Type	Matrix
Series	Resistor	$\begin{pmatrix} 1 & -R \\ 0 & 1 \end{pmatrix}$
Parallel	Resistor	$\left(\begin{array}{cc} 1 & 0 \\ -\frac{1}{R} & 1 \end{array}\right)$
Series	Conductor	$\begin{pmatrix} 1 & -\frac{1}{iC} \\ 0 & 1 \end{pmatrix}$
Parallel	Conductor	$\left(egin{array}{cc} 1 & 0 \ -iC & 1 \end{array} ight)$
Series	Inductor	$\left(egin{array}{cc} 1 & -iL \ 0 & 1 \end{array} ight)$
Parallel	Inductor	$\left(\begin{array}{cc} 1 & 0 \\ -\frac{1}{iL} & 1 \end{array}\right)$

Candidate Characterstic Functions



Simulator objective

$$\mathcal{L}_{\mathcal{S}} = \frac{1}{d} \sum_{i=1}^{d} |V_i - \mathcal{V}(\overline{\mathcal{S}})|^2 + |I_i - \mathcal{I}(\overline{\mathcal{S}})|^2$$

RESULTS

Table 1. A comparison for the classification accuracy over the test set for the different methods.

Length	Genetic Algo- rithm	GRU	GRU per length	Ours, GRU- only hypernet	Ours w/o simula- tor	Ours
4	0.58	0.01	0.30	0.07	0.30	0.32
5	0.28	0	0.08	0.05	0.41	0.42
6	0.09	0	0.02	0.04	0.50	0.51
7	0.03	0	0	0.01	0.46	0.46
8	0.01	0	0	0	0.44	0.44
9	0	0	0	0	0.42	0.42
10	0	0	0	0	0.42	0.43

Table 2. A comparison for the classification accuracy over the test set for the different methods while ignoring the classification of the numerical values of the components.

Length	Genetic Algo- rithm	GRU	GRU per length	Ours, GRU- only hypernet	Ours
4	0.66	0.03	0.59	0.26	0.36
5	0.35	O	0.21	0.26	0.45
6	0.15	O	0.10	0.18	0.54
7	0.05	O	0.03	0.10	0.47
8	0.02	0	0	0.04	0.49
9	0	0	0	0.01	0.47
10	0	0	0	0	0.46

