

what is driven ?

→ is a testing component used in bottom-up approach to unit testing which simulates the higher level module / component that a unit being tested interacts with.

Example :- if module A calls module B, module A is being tested, a driven is created to simulate the behaviour of module B providing inputs and receiving outputs as if module B were functioning normally.

what is stub ? → is a testing component used in top down approach to unit testing which simulates the lower level modules allowing higher level of modules to be test independently

Example :- if module A calls B. and module B is not fully implemented / doesn't exist. a stub is created to simulate the behaviour of B and return predetermine response.

④ what is integration testing

→ is a software testing phase where individual components / units are tested and combined as group to verify that they can work together or not

① Non-incremental  
integration testing

② incremental integration  
testing

topdown      Bottomup

⑤ why incremental integration testing is preferred rather than using non incremental testing?

① Early detection  
of defects in incremental  
testing

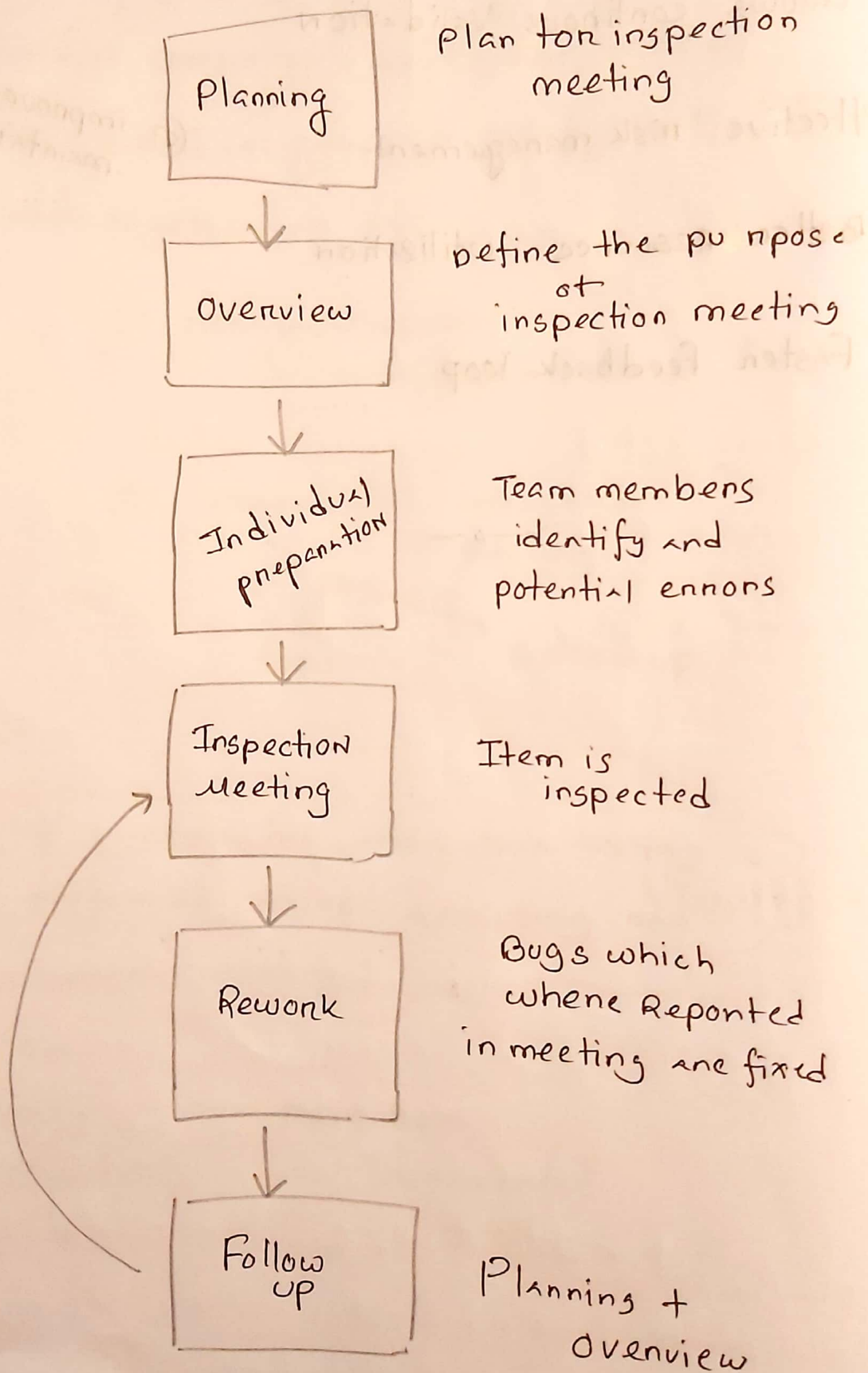
- ② more efficient debugging
- ③ allows continuous Validation
- ④ effective risk management
- ④ improves maintainability
- ⑤ Better Resource Utilization
- ⑥ Faster Feedback loop

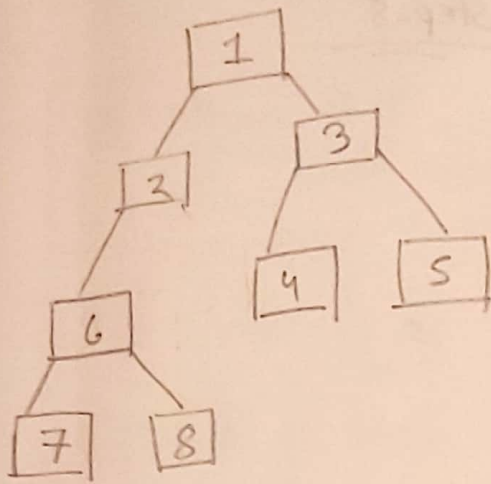


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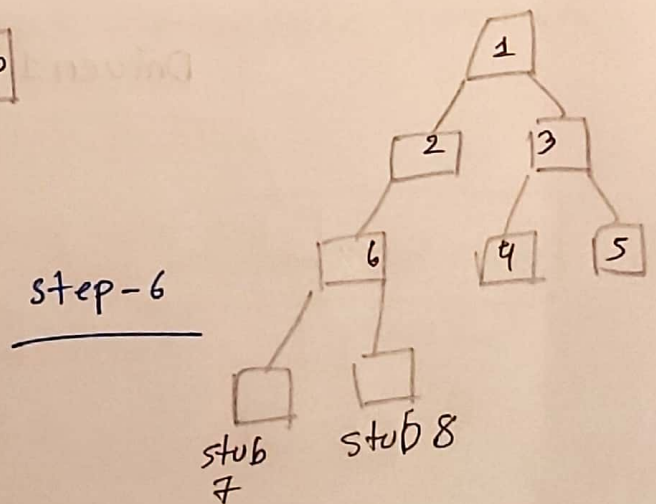
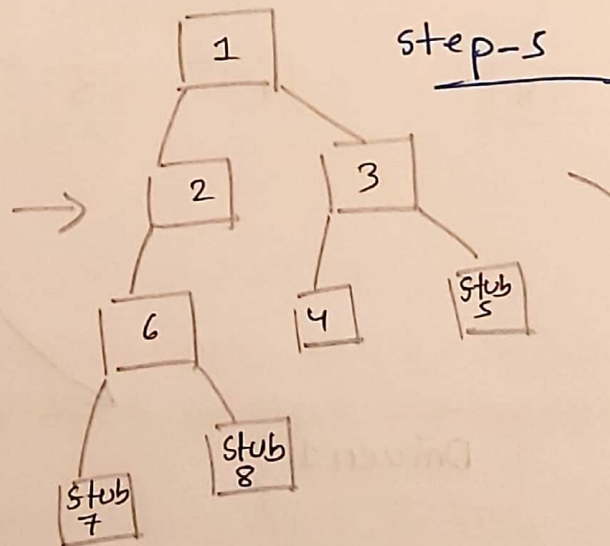
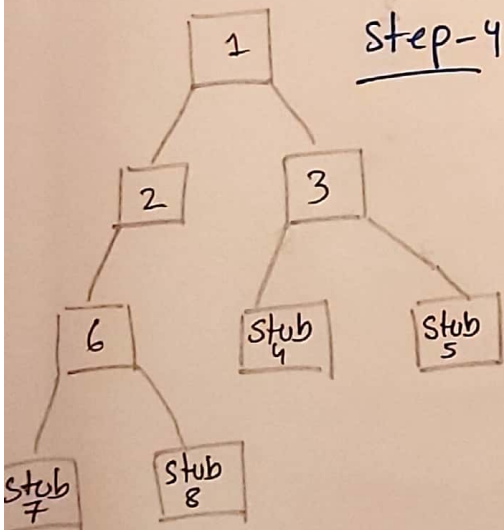
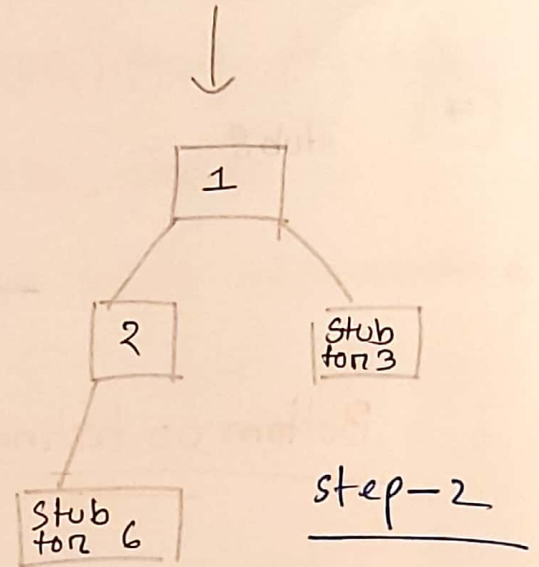
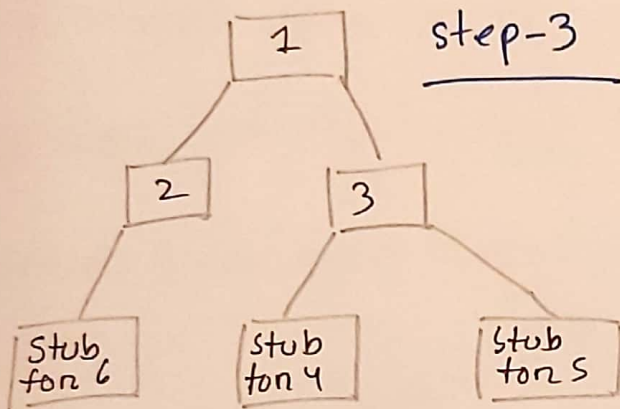
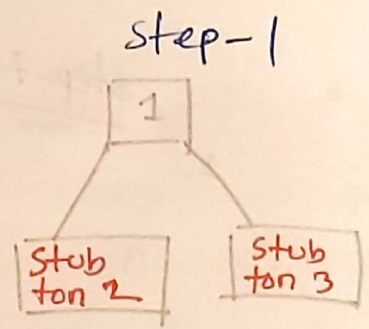
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## Inspection process

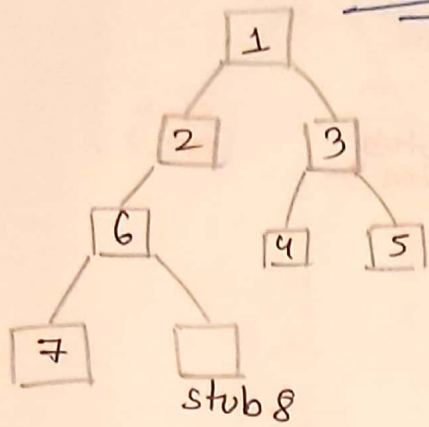




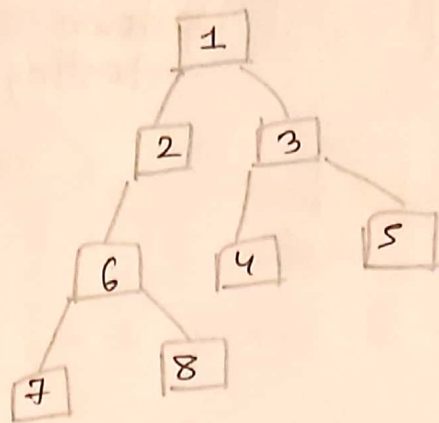
Topdown testing →



step-7

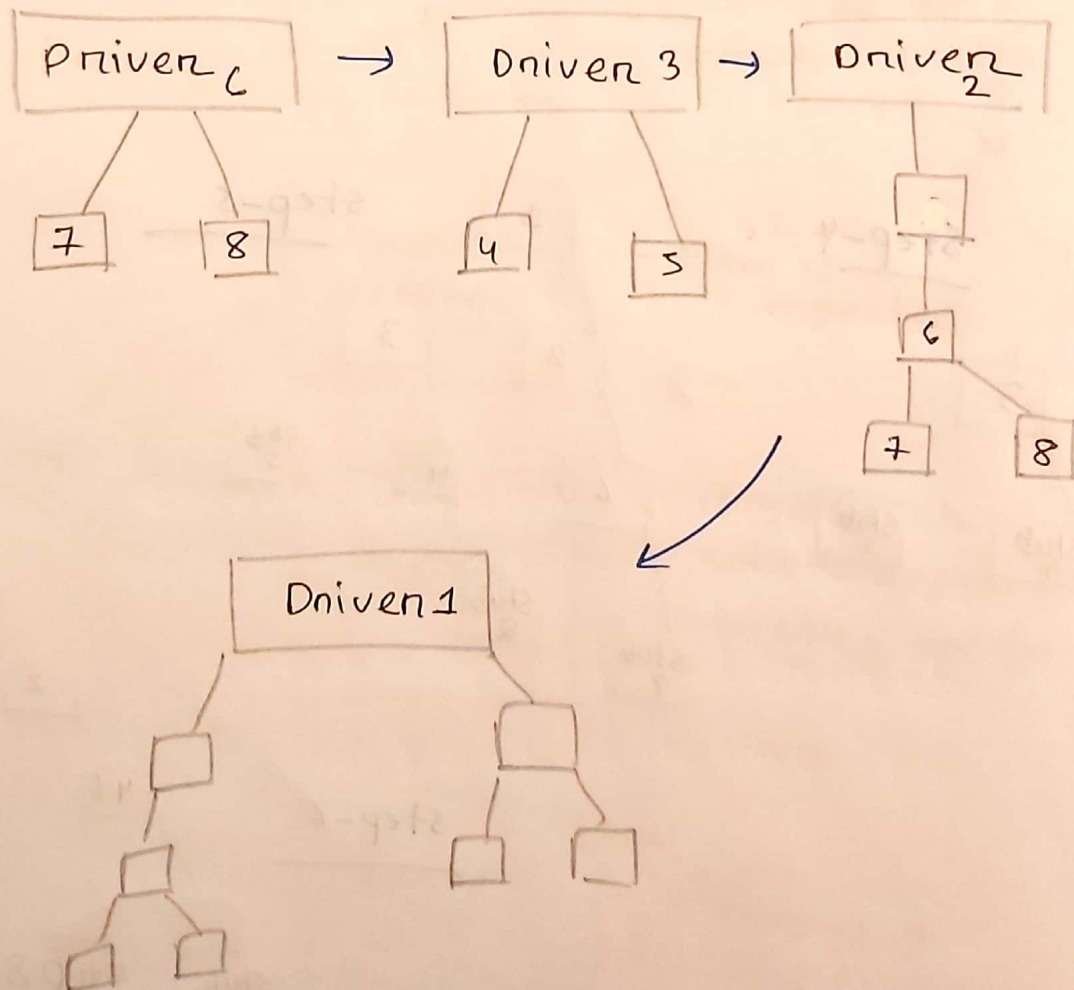


step-8

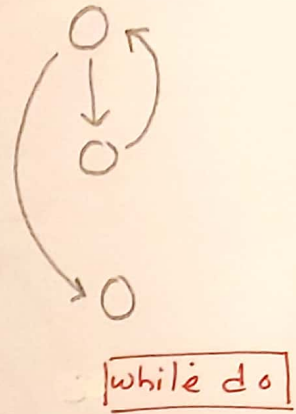
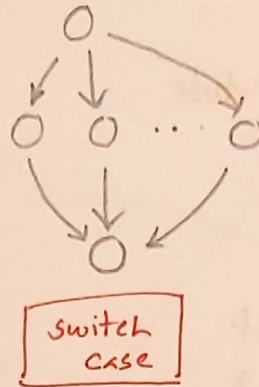
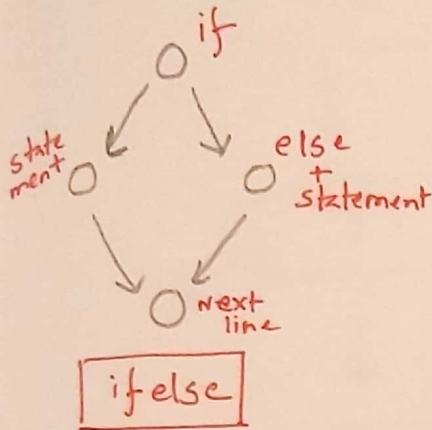


— 0 —

Bottom up testing



## cyclomatic complexity :-



Method-1 :-

$$V = E - N + 2P$$

Method-2

$$V = \pi + 1$$

Method-3

$$V = \text{No of regions}$$

Method-4

$$V = \text{binary decision} + 1$$

Method-5

using connection matrix

$E$  = edge

$N$  = Node

$P = 1$

= connected component

$\pi$  = predicted Node

(Node has two outgoing edge)

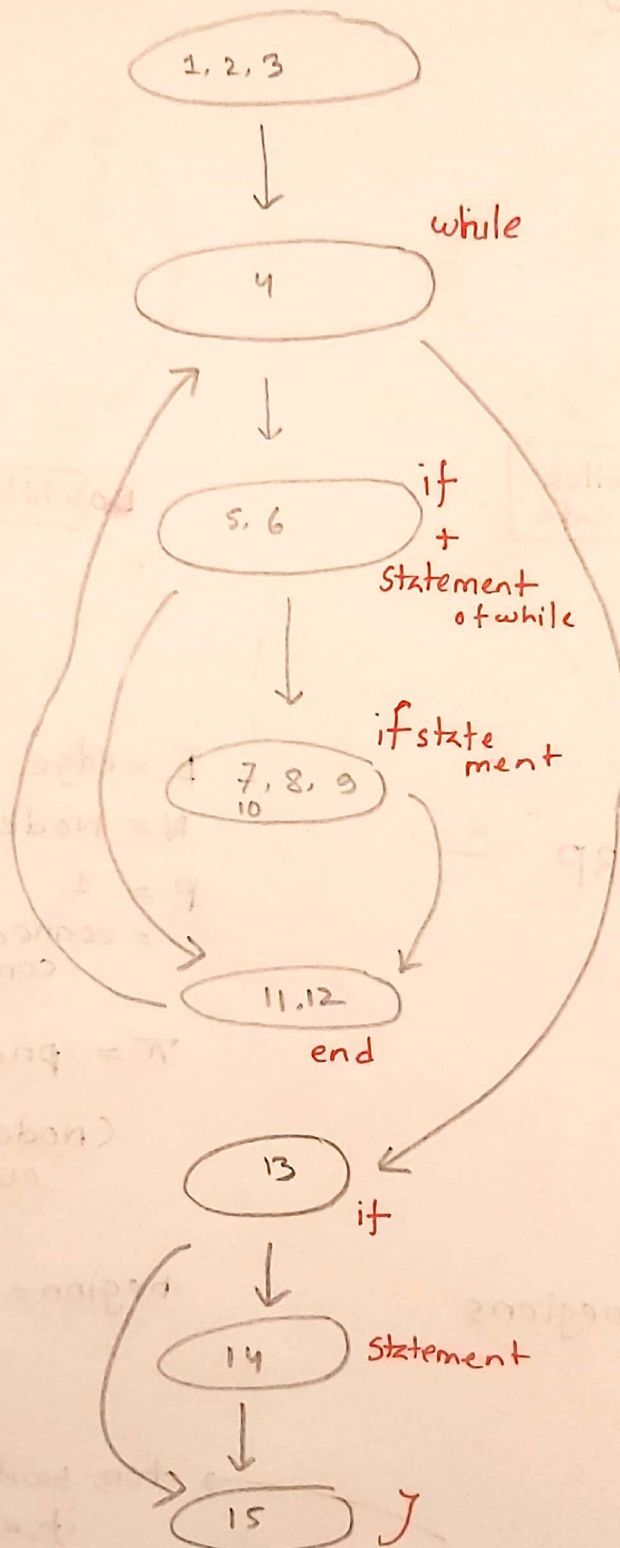
region = inside cycle + 1

for, switch, if, else

$$\begin{aligned} & [it, else, it, else] \\ & (3-1) + 1 \\ & = 3 \end{aligned}$$



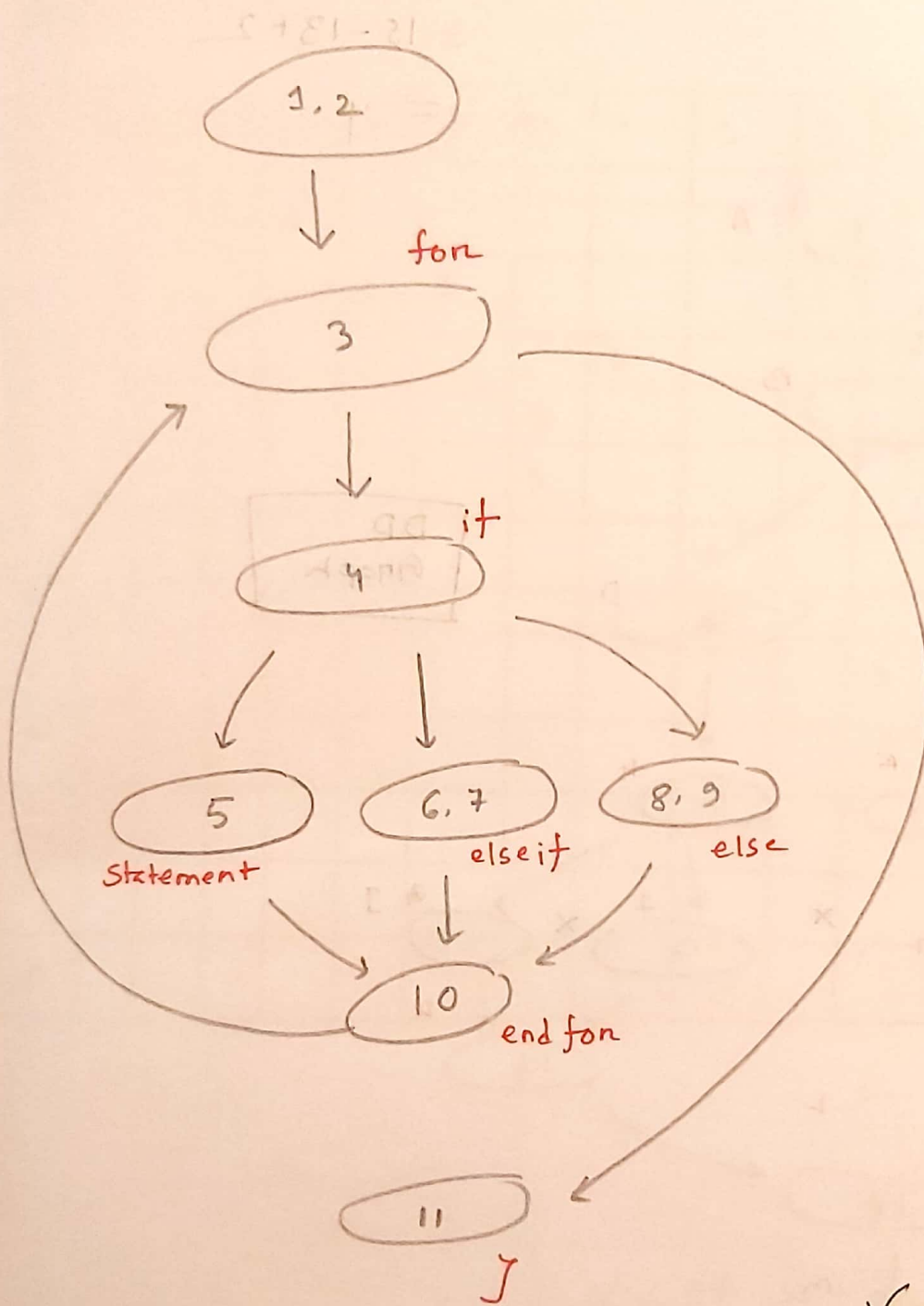
Prime  
Number  
from book



$$\begin{aligned}
 V(G) &= E - N + 2 \\
 &= 10 - 8 + 2 \\
 &= 4
 \end{aligned}$$



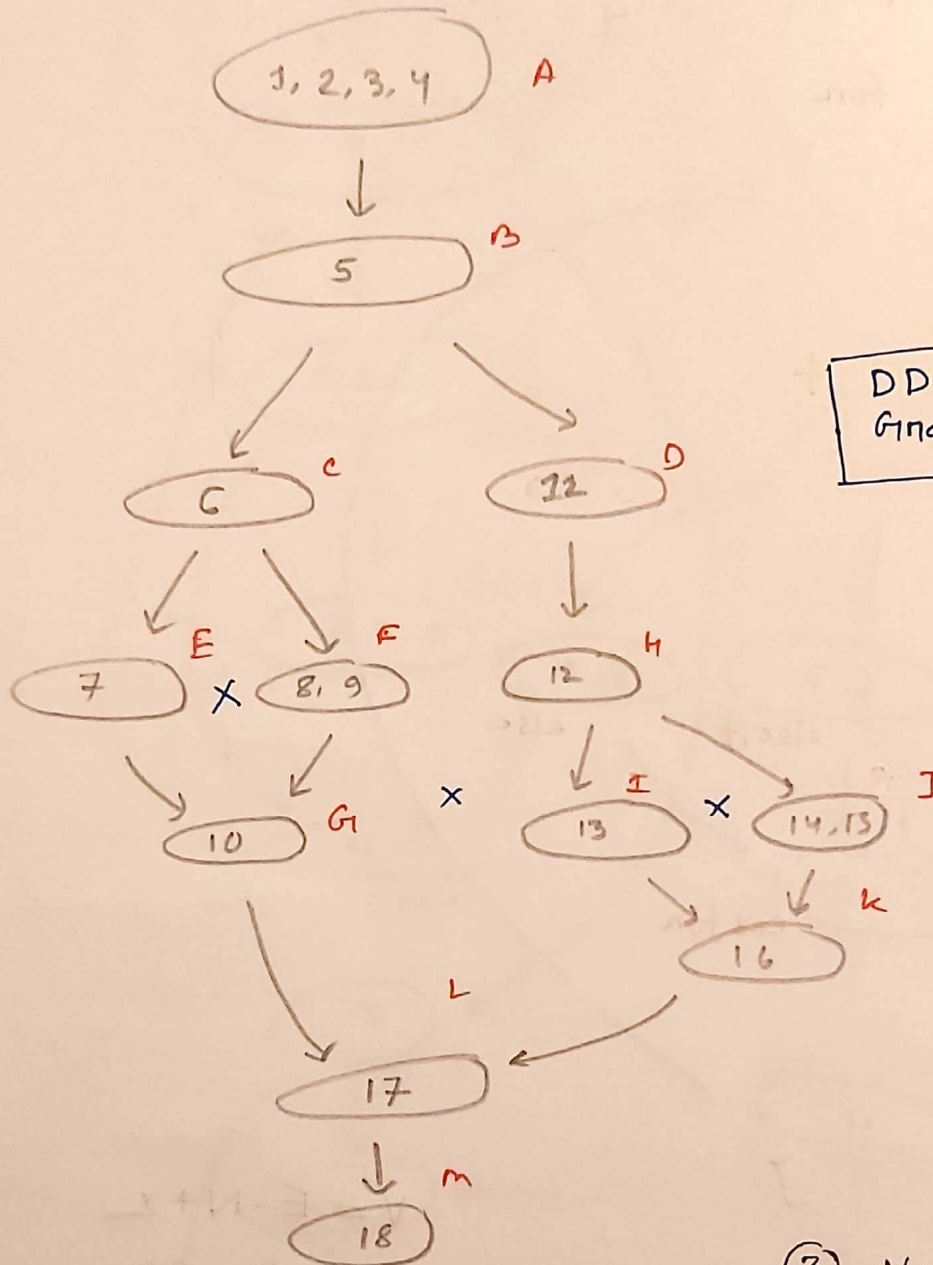
19  
TF-1



$$\begin{aligned} V &= E - N + 2 \\ &= 10 - 8 + 2 \\ &= 4 \end{aligned}$$

(18) Final (c)

$$\begin{aligned} \textcircled{1} \quad V &= E - N + 2p \\ &= 15 - 13 + 2 \\ &= 4 \end{aligned}$$



$$\begin{aligned} \textcircled{2} \quad V &= \pi + 1 \\ &= \text{no predicted node (B, C, D)} + 1 \\ &= 4 \end{aligned}$$

$$\begin{aligned} \textcircled{3} \quad V &= \text{no of regions} \\ &= 3 + 1 \\ &= 4 \end{aligned}$$

④ connection matrix

	A	B	C	D	E	F	G	H	I	J	K	L	M
A		1											
B			1	1									
C					1	1							
D								1					
E							1						
F							1						
G												1	
H									1	1			
I											1		
J											1		
K												1	
L													1
M													

$$1 - 1 = 0$$

$$2 - 1 = 1$$

$$2 - 1 = 1$$

$$1 - 0 = 0$$

$$1 - 1 = 0$$

$$1 - 1 = 0$$

$$1 - 1 = 0$$

$$2 - 1 = 1$$

$$1 - 1 = 0$$

$$1 - 1 = 0$$

$$1 - 1 = 0$$

$$1 - 1 = 0$$

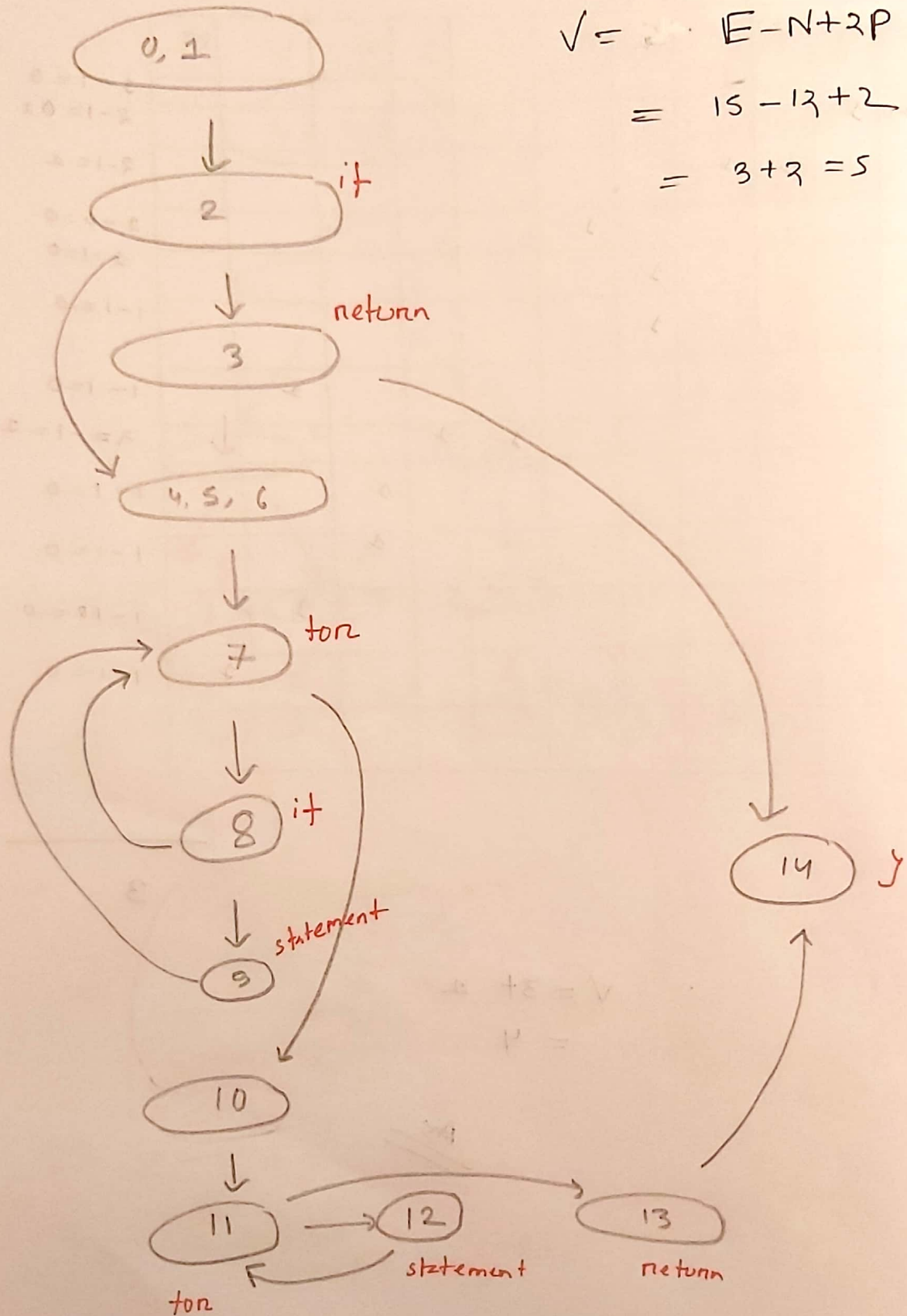
3

$$\therefore V = 3 + 1$$

$$= 4$$

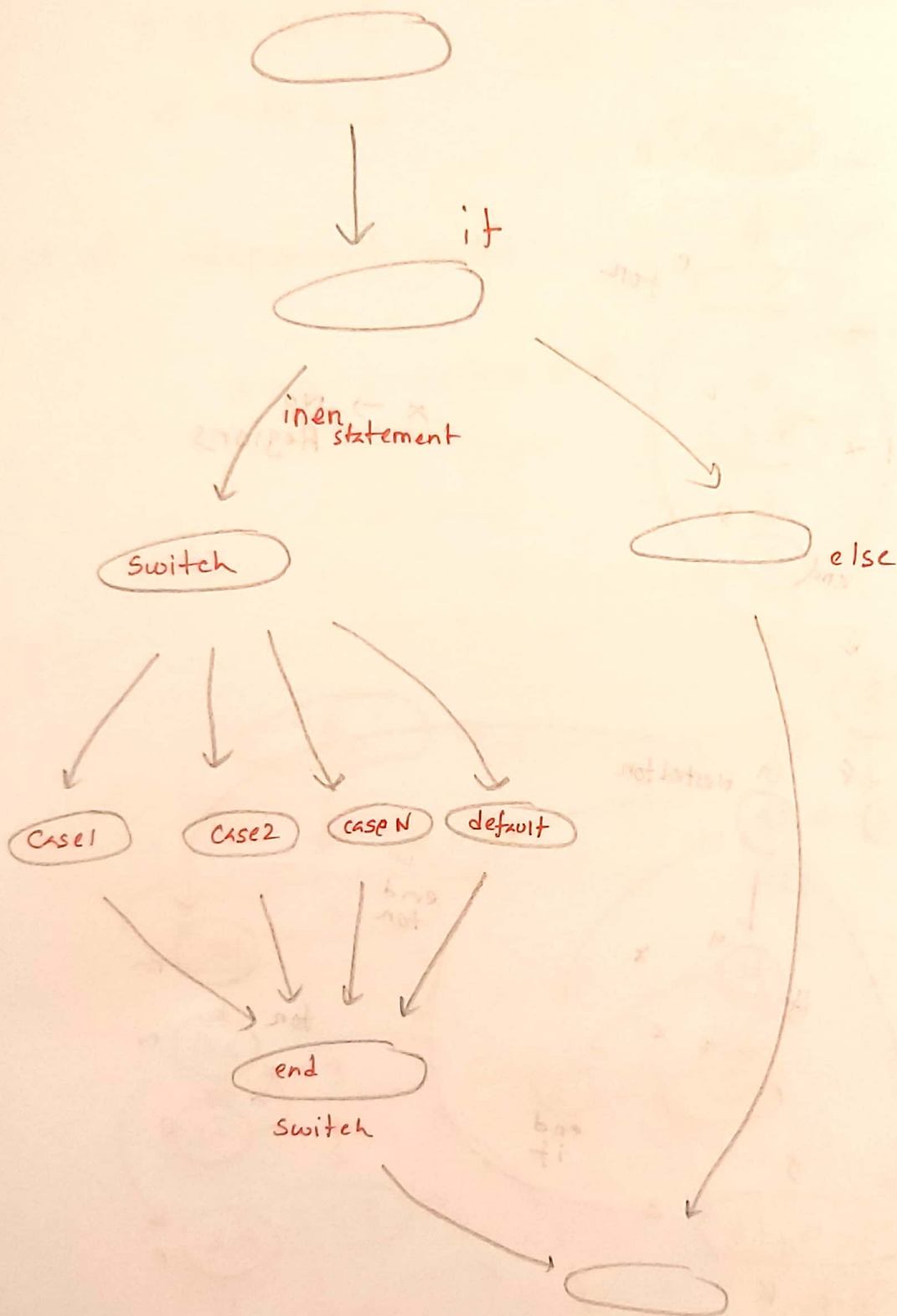
Ans

17 1

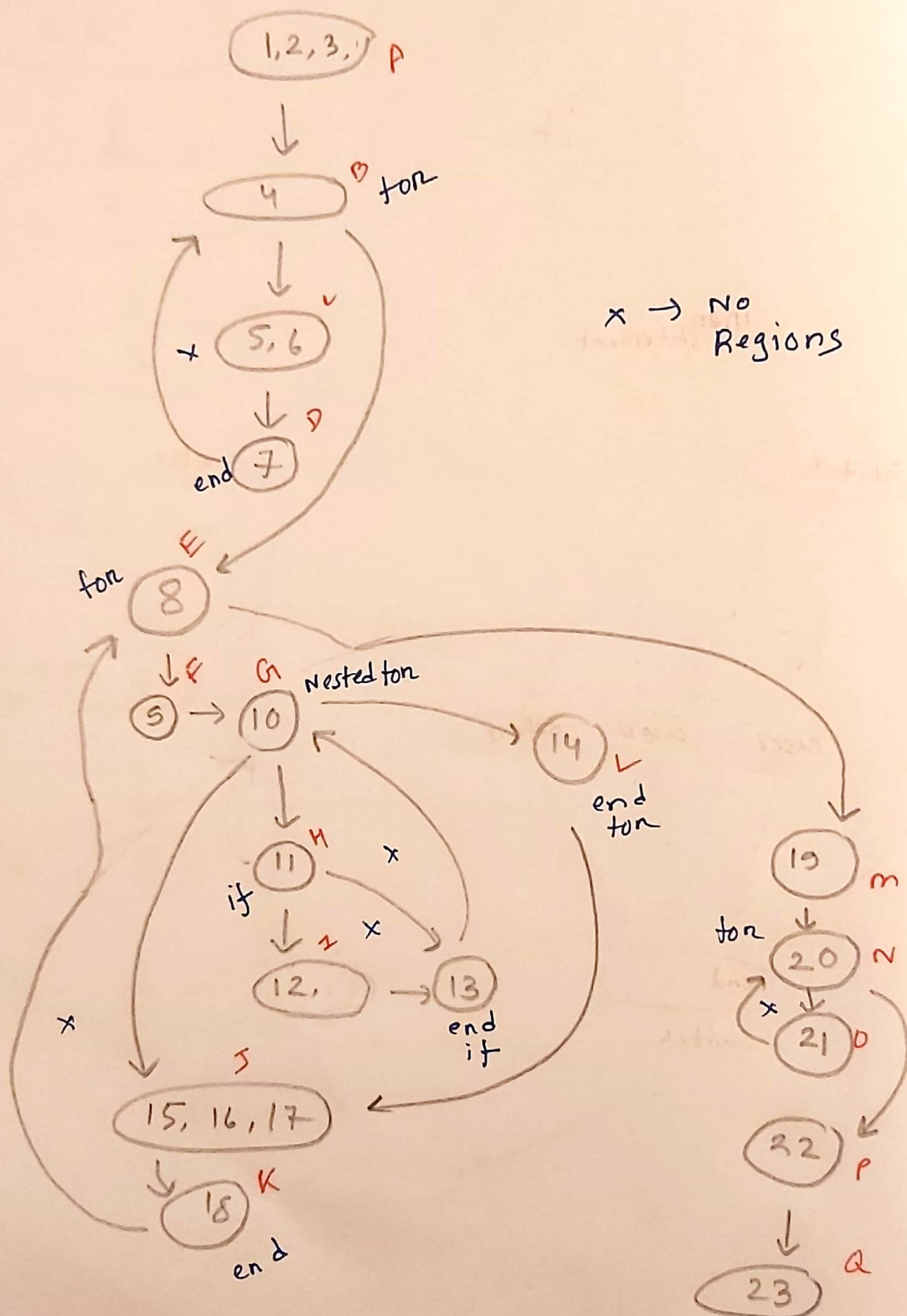


$$\begin{aligned} V &= E - N + 2P \\ &= 15 - 13 + 2 \\ &= 3 + 2 = 5 \end{aligned}$$





18 Term  
Test 2



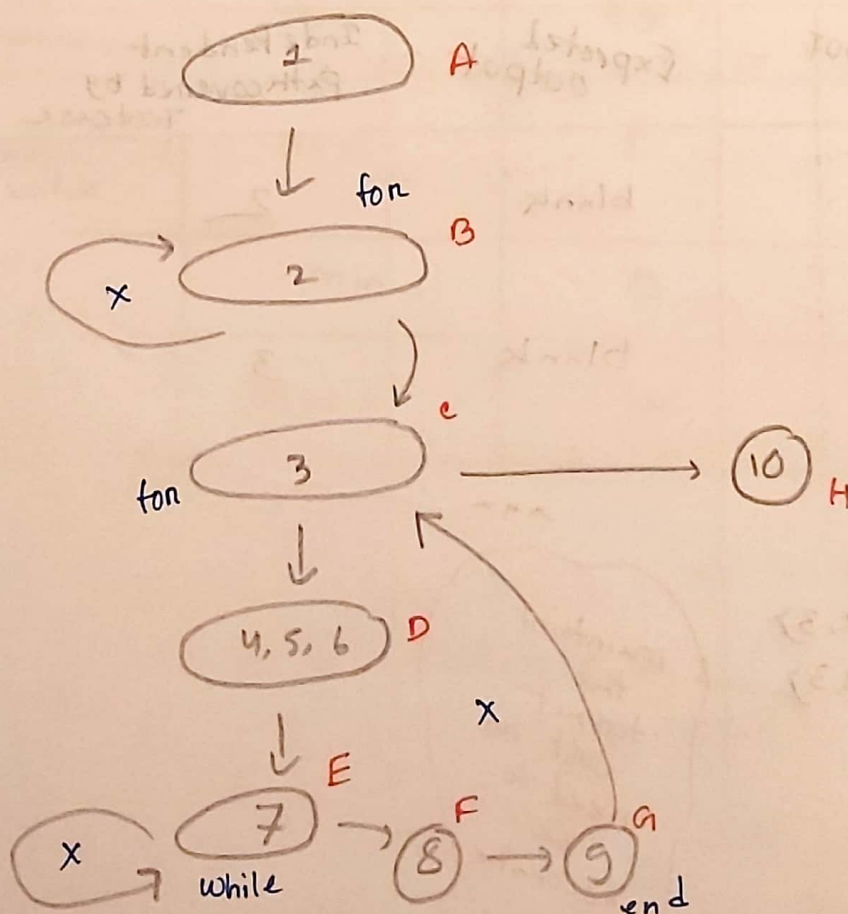
x → No Regions

$$\begin{aligned}
 V &= E - N + 2P \\
 &= 22 - 18 + 2 \\
 &= 4 + 2 = 6
 \end{aligned}$$

List of Independent paths:-

A → B → C → D → B → E ... (do in halls)

16 final



$$\begin{aligned}
 V &= 10 - 8 + 2 \\
 &= 4
 \end{aligned}$$

## Independent paths :-

- ① A B B C D E F G C H
- ② A B C H
- ③ A B B C H
- ④ A B B C D E E F G C H

## Test case design for independent path

Test case ID	INPUT	Expected output	Inde Pendent path covered by Test case
1	N=0	blank	2
2	N=1	blank	3
3	N=3 a = {1, 2, 3} p = {1, 2, 3}	maintain the format just no need to be accurate	
4			



(0, 100]  
⑧ calculates GCD :- A, B range [1, 100]

A = [1, 100]

B = [1, 100]

### Boundary Value Test case

		A	B
minimum value	min	1	1
Value just above minimum	min+	2	2
maximum	max	100	100
Value just less maximum	Max-	99	99
Nominal value	Nom	5	10
just below less than minimum	min-	0	0
value above maximum	max+	101	101

∴ NO of Variable = 2

(X)

BVC

Boundary Value test cases

$$= 4n + 1$$

Boundary Value checking

$$= 4 \times 2 + 1 = 8 + 1 = 9$$

Test ID	Formula	Test case	Expected Output
1	A <sub>nom</sub> , B <sub>nom</sub>	( 5, 10 )	5
2	A <sub>nom</sub> , B <sub>min</sub>	( 5, 1 )	1
3	A <sub>nom</sub> , B <sub>min+</sub>	( 5, 2 )	1
4	A <sub>nom</sub> , B <sub>max</sub>	( 5, 100 )	5
5	A <sub>nom</sub> , B <sub>max-</sub>	( 5, 99 )	1
6	A <sub>min</sub> , B <sub>nom</sub>	( 1, 10 )	1
7	A <sub>min+</sub> , B <sub>nom</sub>	( 2, 10 )	2
8	A <sub>max</sub> , B <sub>nom</sub>	( 100, 10 )	10
9	A <sub>max-</sub> , B <sub>nom</sub>	( 99, 10 )	1

## ⊛ Robustness Testing

$$n = 2$$

$$\therefore \text{Test cases} = 6n + 1$$

$$= 12 + 1 = 13$$

Testcase ID	Testcase	Expected output
1-9	From BVE Testcase	
10	$A_{nom}, B_{max}^+$	5, 101
11	$A_{nom}, B_{min}^-$	5, 0
12	$A_{max}^+, B_{nom}$	101, 10
13	$A_{min}^-, B_{nom}$	0, 10

## ⊛ worst case : testing method

$$\therefore n = 2$$

$$\therefore \text{no of Testcases} = 5^n$$

$$= 5^2$$

$$= 25$$



(1-9)  $\longrightarrow$  BVE Test case

- (10)  $A_{min}, B_{min} \rightarrow (1, 1) \rightarrow 1$   
(11)  $A_{min}, B_{max} \rightarrow (1, 100) \rightarrow 1$   
(12)  $A_{min}, B_{min+} \rightarrow (1, 2) \rightarrow 1$   
(13)  $A_{min}, B_{max-} \rightarrow (1, 99) \rightarrow 1$

- (14)  $A_{min+}, B_{min+} \rightarrow (2, 2) \rightarrow 2$   
(15)  $A_{min+}, B_{min} \rightarrow (2, 1) \rightarrow 1$   
(16)  $A_{min+}, B_{max} \rightarrow (2, 100) \rightarrow 2$   
(17)  $A_{min+}, B_{max-} \rightarrow (2, 99) \rightarrow 1$

- (18)  $A_{max}, B_{max} \rightarrow (100, 100) \rightarrow 100$   
(19)  $A_{max}, B_{min} \rightarrow (100, 1) \rightarrow 1$   
(20)  $A_{max}, B_{min+} \rightarrow (100, 2) \rightarrow 2$   
(21)  $A_{max}, B_{max-} \rightarrow (100, 99) \rightarrow 1$

- (22)  $A_{max-}, B_{max-} \rightarrow (99, 99) \rightarrow 99$   
(23)  $A_{max-}, B_{min} \rightarrow (99, 1) \rightarrow 1$   
(24)  $A_{max-}, B_{min+} \rightarrow (99, 2) \rightarrow 1$   
(25)  $A_{max-}, B_{max} \rightarrow (99, 100) \Rightarrow 1$