

Date: 22-04-2024

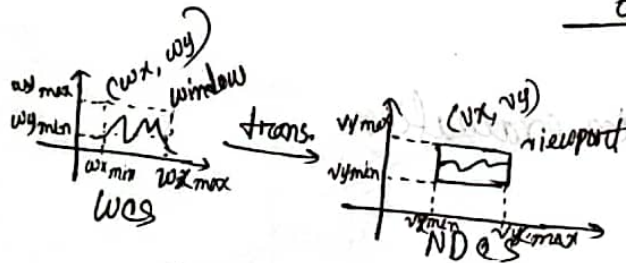
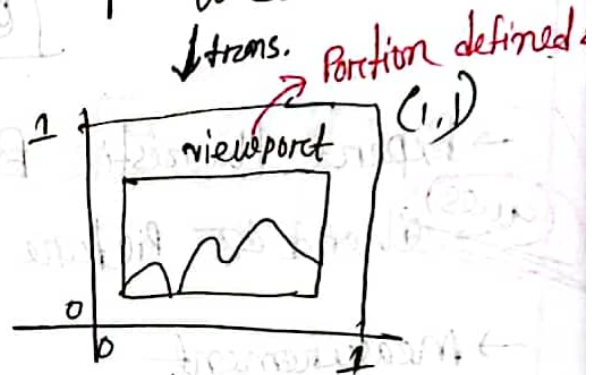
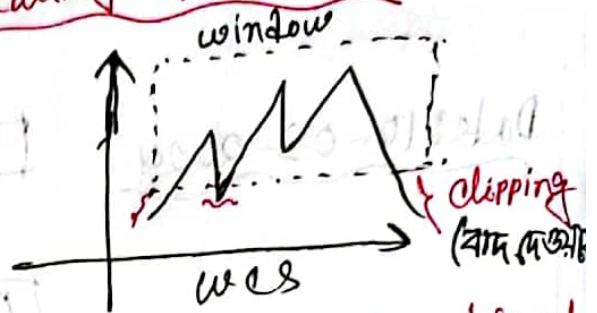
Chapter-52D transformation viewing & clippingi) WCS: ~~window~~ ~~viewport~~

ii) window

iii) NDCS

iv) viewport

v) clipping

Transformation:

$$N = T_{x, y} \cdot S_{x, y} \cdot T_{w, v}$$



$$\frac{w_x - w_{x \min}}{w_x \max - w_{x \min}} = \frac{v_x - v_{x \min}}{v_x \max - v_{x \min}}$$

$$\therefore v_x = \frac{(v_x \max - v_{x \min})(w_x - w_{x \min})}{w_x \max - w_{x \min}} + v_{x \min}$$

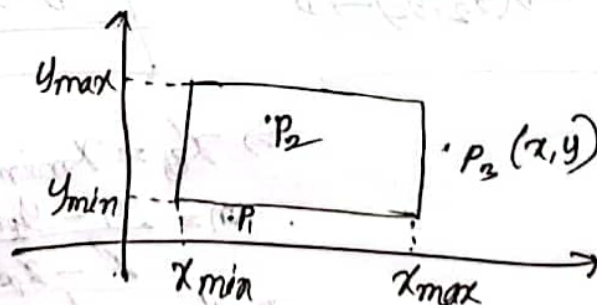
$$= \frac{v_{x\max} - v_{x\min}}{w_{x\max} - w_{x\min}} (w_x - w_{x\min}) + v_{x\min}$$

$$\textcircled{B} \quad z = s_{sx} \cdot (w_x - w_{x\min}) + v_{x\min}$$

$$\therefore N = T_v \cdot S_{sx, sy} \cdot T_w$$

$$= \begin{pmatrix} 1 & 0 & v_{x\min} \\ 0 & 1 & v_{y\min} \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} \frac{v_{x\max} - v_{x\min}}{w_{x\max} - w_{x\min}} & 0 & 0 \\ 0 & \frac{v_{y\max} - v_{y\min}}{w_{y\max} - w_{y\min}} & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} 1 & 0 & -w_{x\min} \\ 0 & 1 & -w_{y\min} \\ 0 & 0 & 1 \end{pmatrix}$$

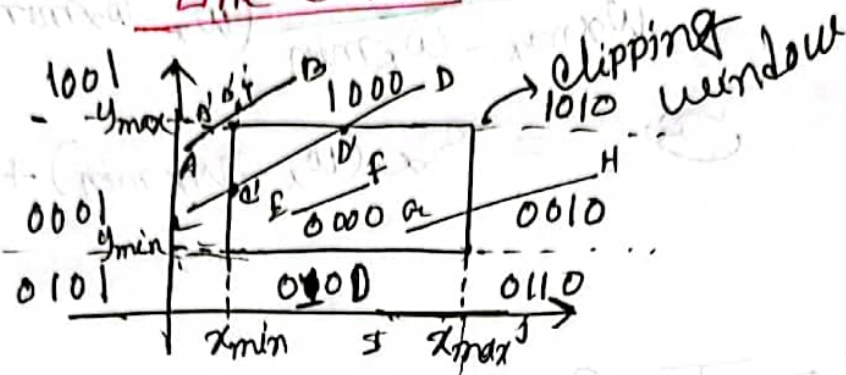
Point Clipping



$$x_{\min} \leq x \leq x_{\max}$$

$$\& y_{\min} \leq y \leq y_{\max}$$

Line clipping



Cohen-Sutherland Algo:

FBRL

- i) visible (EF)
- ii) Not visible (AB)
- iii) Clipping cand. (CD, GH)

$$\begin{matrix} i) E = 00100 \\ F = 00000 \end{matrix} \left. \vphantom{\begin{matrix} E \\ F \end{matrix}} \right\} \underline{v}$$

$$\begin{matrix} ii) I = 0100 \\ J = 0110 \end{matrix} \quad \begin{matrix} \text{bitwise} \\ \text{and} \end{matrix}$$

$$0100 \quad \left. \vphantom{0100} \right\} \text{not } v$$

$$\begin{matrix} C(x_1, y_1) \rightarrow C' \\ D(x_2, y_2) \rightarrow D' \end{matrix}$$

$$\begin{matrix} iii) C = 0001 \\ D = 1000 \\ \hline 0000 \end{matrix} \quad \left. \vphantom{\begin{matrix} C \\ D \end{matrix}} \right\} \text{partially } v$$

$$\Rightarrow x' = x_{min}$$

$$m = \frac{y' - y_{min}}{x' - x_{min}} \quad ; \quad C' = (x', y')$$

$$\Rightarrow y' = m(x' - x_{min}) + y_{min}$$

$$A' = 1001$$

$$B' = 1001$$

$$1000$$

not visible

(clipping and.)

$$0001 \quad x = x_{\min}$$

$$0010 \quad x = x_{\max}$$