

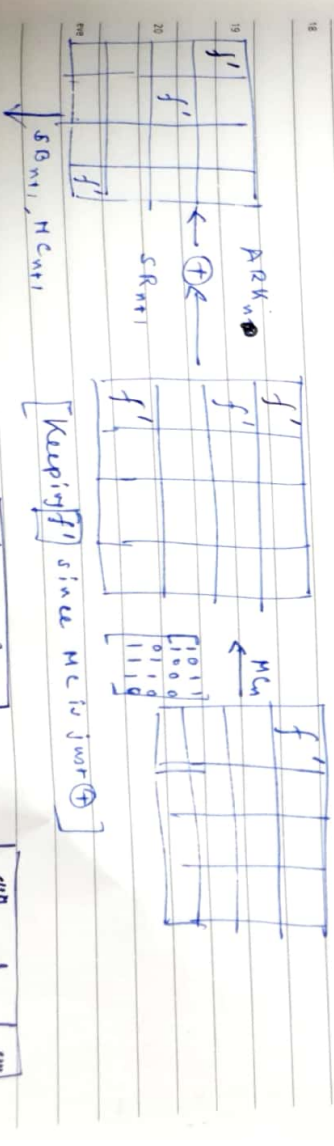
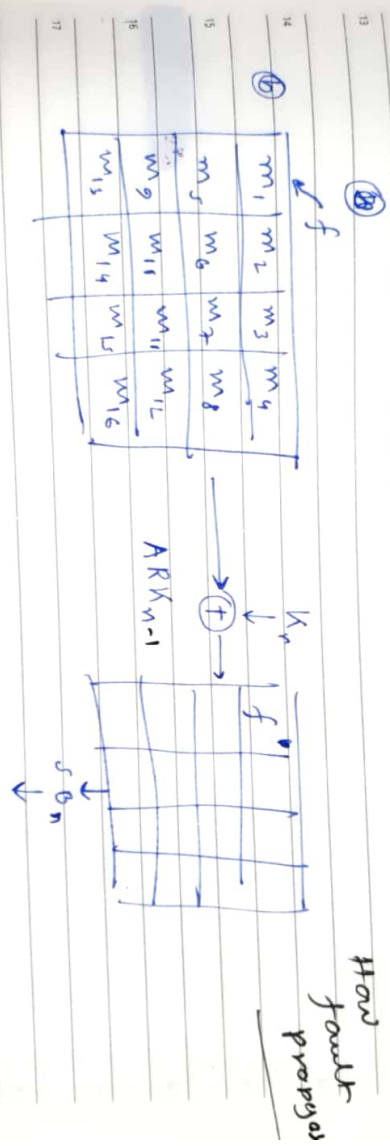
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21CS91R14

Final Exam: HW Sec

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① We should take a nibble fault model since the 64 bit PT is arranged as 4x4 matrix of nibbles. This would help us compute the fault spreading following the steps of AES - SKINNY



$$\textcircled{1} \textcircled{2} R_{i+1}^{\text{top}} = \frac{1+C_{i+1}}{2} (R_i^{\text{top}} + p_{i+1}) + \frac{1-C_{i+1}}{2} (R_i^{\text{top}} + r_{i+1})$$

$$R_{i+1}^{\text{bot}} = \frac{1+C_{i+1}}{2} (R_i^{\text{bot}} + q_{i+1}) + \frac{1-C_{i+1}}{2} (R_i^{\text{bot}} + s_{i+1})$$

$$\Rightarrow \Delta_{i+1} = R_{i+1}^{\text{top}} - R_{i+1}^{\text{bot}}$$

$$= \frac{1+C_{i+1}}{2} (\Delta_i + p_{i+1} - q_{i+1})$$

$$+ \frac{1-C_{i+1}}{2} (\Delta_i + r_{i+1} - s_{i+1})$$

$$= \Delta_i + \alpha_{i+1} C_{i+1} + \beta_{i+1}$$

$$\alpha_{i+1} = \frac{p_{i+1} - r_{i+1} - q_{i+1} + s_{i+1}}{2}$$

$$\beta_{i+1} = \frac{p_{i+1} + r_{i+1} - q_{i+1} - s_{i+1}}{2}$$

⑥ initial delay = 0 ~~Δ~~ ~~0~~ ~~0~~

$$\therefore \Delta(0) = \Delta(-1) + \alpha_0 C_0 + \beta_0$$

$$\Delta_j = \Delta(0) + \alpha_j C_j + \beta_j = \alpha_0 C_0 + \beta_0 + \alpha_1 C_1 + \beta_1$$

$$\Delta_n = \sum_{i=0}^{n-1} (\alpha_i C_i + \beta_i) = \sum_{i=0}^{n-1} w_i \phi_i$$

(frave)

$$[w_i = \alpha_i \forall i \in [0, n-1]]$$

③ PAPUF follows linear model like APUF but ~~it~~ $\frac{1}{w}$ does not depend on $\prod e_i$ i.e. parity of challenge bits and in APUF there is no affine term.

③ ⑥ ① $R_0 \cdot R_1$ ② $R_0 \cdot R_1$

③ ⑥ ① $R_0 \cdot R_1$ ② $R_1 \cdot R_0$

③ Real trace = $\begin{bmatrix} T_1 & T_2 & T_3 \\ 0.827 & 1.060 & 0.99 \end{bmatrix}$

mean vector = $[T_1 - \text{avg}_n, T_2 - \text{avg}_n, T_3 - \text{avg}_n]$

(Averaging over All key instances)
where $K_i = 0 \dots n-1, n \in [0, 1]$

variance vec = $\begin{bmatrix} T_1 - \text{cov} & T_2 - \text{cov} & T_3 - \text{cov} \end{bmatrix}$

$T_1 - \text{cov} = T_1 - \text{sim}$

$\text{Cov} = \frac{\text{Cov}(T_1, T_2, T_3)}{\sqrt{\text{Var}(T_1) \text{Var}(T_2) \text{Var}(T_3)}}$

$$RMS = \sqrt[n_1, n_2, n_3]{\left[(T_1^n - T_{1-avg, n_2})^n + (T_2^n - T_{2-avg, n_2})^n + (T_3^n - T_{3-avg, n_3})^n \right]^{1/2}}$$

$$\forall n_1, n_2, n_3 \in [0, 1]$$

The least RMS gives ~~us~~ tells us the $[n, n_2, n_1]$

②

③

① The ~~adversary~~ steps:

→ The adversary fills the cache

→ lets the Auth op done

→ again runs spy code and measures at which data access time req. is high.

→ Since the digits are 8bit and there are 8 bits in a cache line then each ~~cache line~~ would indicate storing of one digit at that location.

Monday	30	2	9	16	23
Tuesday	31	3	10	17	24
Wednesday	-	4	11	18	25
Thursday	-	5	12	19	26
Friday	-	6	13	20	27
Saturday	-	7	14	21	28
Sunday	1	8	15	22	29

→ This way once it understands ~~the~~ consecutive three such occurrences then it gets the memory locations

→ It ~~reads~~ now can ~~read~~ brute force read that memory

∴ Hence the complexity is 10^7 since it needs to only understand ~~it~~ which 10 lines holds the keys.