import igraph import os import datetime import pandas as pd import numpy as np import matplotlib.pyplot as plt from random import randint import pandas as pd import json import networkx as nx plt.style.use('ggplot') 1. Stock market In [2]: # Load in stock market data df_name_sector = pd.read_csv ('finance_data/Name_sector.csv') file_names = [_ for _ in os.listdir('finance_data/data') if _.endswith('.csv')] file_names.sort() df_list = [] for iFile in file_names: df_list.append(pd.read_csv ('finance_data/data/' + iFile)) # Remove incomplete data sets pop_list = [] for i,idf in enumerate(df list): if idf.shape != df_list[0].shape: pop_list.append(i) for index in sorted(pop_list, reverse=True): del df_list[index] del file_names[index] df_name_sector = df_name_sector.drop(pop_list) sector_dict = dict(zip(df_name_sector.Symbol, df_name_sector.Sector)) In [3]: # Get log norm return from given column of dataframe def get_log_return(df_list,column = 'Close'): log_return_mat = np.empty((len(df_list),df_list[0].shape[0]-1)) for i,idf in enumerate(df_list): close_prices = idf.loc[:,column].values q = np.diff(close_prices)/close_prices[0:-1] log_return_mat[i,:] = np.log(1 + q) return log_return_mat # Create a ncol style correlation graph file with edge weights def create_graph_file(filepath,df_list,log_return_mat): ncol_file = open(filepath,'w') p_vec = [] for i in range(0,len(df_list)): for j in range (i+1,len(df_list)): if i == j: continue r_i = np.mean(log_return_mat[i,:]) r_j = np.mean(log_return_mat[j,:]) r_ij = np.mean(log_return_mat[i,:] * log_return_mat[j,:]) r_i_sq = np.mean(np.square(log_return_mat[i,:])) r_j_sq = np.mean(np.square(log_return_mat[j,:])) $p_{ij} = (r_{ij} - r_{i*r_{j}})/np.sqrt((r_{i_{sq-np.square}(r_{i}))*(r_{j_{sq-np.square}(r_{j}))})$ p_vec.append(p_ij) $w_{ij} = np.sqrt(2*(1-p_{ij}))$ ncol_file.write(' '.join([file_names[i][:-4],file_names[j][:-4],str(w_ij)+ '\n'])) ncol_file.close() return p_vec p_vec = create_graph_file('correlation_graph.txt',df_list,get_log_return(df_list)) 1. Return correlation In [4]: # Question 2 g = igraph.read('correlation_graph.txt', format="ncol", directed=False, names=True) plt.figure(figsize=(10,6)) plt.hist(g.es['weight'], bins=30) plt.title('Edge Weight Distribution\nUn-normalized',fontweight='bold',fontsize = 20) plt.ylabel('Frequency', fontweight='bold', fontsize = 14) plt.xlabel('Weight',fontweight='bold',fontsize = 16) Out[4]: Text(0.5, 0, 'Weight') Edge Weight Distribution Un-normalized 20000 17500 15000 10000 noon 7500 5000 2500 0 -1.2 1.0 Weight In [5]: # Question 3 # Min Spanning tree considering weights min_span_tree = g.spanning_tree(g.es['weight']) print('Vertices in Min Spanning Tree: {}'.format(min_span_tree.vcount())) print('Edges in Min Spanning Tree: {}'.format(min_span_tree.ecount())) color =[] sector_list = df_name_sector.Sector.unique().tolist() for i in range(len(sector_list)): color.append('#%06X' % randint(0, 0xFFFFFF)) vector_colors = [] for iV in min_span_tree.vs['name']: vector_colors.append(color[sector_list.index(sector_dict[iV])]) igraph.plot(min_span_tree, target='min_sector1.png', vertex_size=15, vertex_color=vector_colors, layout="kk") Vertices in Min Spanning Tree: 494 Edges in Min Spanning Tree: 493 Out[5]: igraph.plot(min_span_tree, target='min_sector1.png', vertex_size=15, vertex_color=vector_colors, layout="tree") Out[6]: # Question 4 S_list = df_name_sector.Sector.value_counts().tolist() S = np.zeros(min_span_tree.vcount()) N = np.zeros(min_span_tree.vcount()) Q = np.zeros(min_span_tree.vcount()) for i,iV in enumerate(min_span_tree.vs): S[i] = df_name_sector.Sector.value_counts()[sector_dict[iV['name']]] neighbors = min_span_tree.neighborhood(iV) N[i] = len(neighbors) $Q_i = 0$ for iN in neighbors: if sector_dict[min_span_tree.vs[iN]['name']] == sector_dict[iV['name']]: Q_i**+=**1 Q[i] = Q_i alpha1 = np.sum(Q/N)/min_span_tree.vcount() alpha2 = np.sum(S/min_span_tree.vcount())/min_span_tree.vcount() print('Alpha Method 1: {}'.format(alpha1)) print('Alpha Method 2: {}'.format(alpha2)) Alpha Method 1: 0.898149713045858 Alpha Method 2: 0.1141880706125326 In [8]: # Question 5 df_list_wk = [] weekdays = pd.to_datetime(df_list[0].Date).dt.dayofweek.to_numpy() mondays = np.where(weekdays == 0)[0] for i,idf in enumerate(df_list): df_list_wk.append(idf.loc[mondays]) p_vec_wk = create_graph_file('correlation_graph_weekly_Mondays.txt',df_list_wk,get_log_return(df_list_wk)) g_wk = igraph.read('correlation_graph_weekly_Mondays.txt', format="ncol", directed=False, names=True) # Min Spanning tree considering weights min_span_tree_wk = g_wk.spanning_tree(g.es['weight']) print('Vertices in Min Spanning Tree: {}'.format(min_span_tree_wk.vcount())) print('Edges in Min Spanning Tree: {}'.format(min_span_tree_wk.ecount())) color =[] sector_list = df_name_sector.Sector.unique().tolist() for i in range(len(sector_list)): color.append('#%06X' % randint(0, 0xFFFFFF)) vector_colors = [] for iV in min_span_tree_wk.vs['name']: vector_colors.append(color[sector_list.index(sector_dict[iV])]) igraph.plot(min_span_tree_wk,target='min_sector1_wk.png',vertex_size=15,vertex_color=vector_colors,layout="kk") Vertices in Min Spanning Tree: 494 Edges in Min Spanning Tree: 493 Out[8]: igraph.plot(min_span_tree_wk,target='min_sector2_wk.png',vertex_size=15,vertex_color=vector_colors,layout="tree") Out[9]: In [10]: plt.figure(figsize=(8,6)) plt.hist(p_vec, bins=50) plt.title(r'Daily Data \$\rho_{ij}\$ Distribution' + '\nMean: {:.2f}, Std: {:.2f}'.format(np.mean(p_vec),np.std(p_vec)),fontweight='bold',fontsize = 20) plt.ylabel('Frequency', fontweight='bold', fontsize = 14) plt.xlabel(r'Correlation Coefficient Value(\$\rho_{ij}\$)',fontweight='bold',fontsize = 14) Out[10]: Text(0.5, 0, 'Correlation Coefficient Value(\$\\rho_{ij}\$)') Daily Data ho_{ij} Distribution Mean: 0.28, Std: 0.14 8000 7000 6000 Frequency 0000 3000 2000 1000 0 0.2 0.4 0.6 Correlation Coefficient Value(ρ_{ij}) 1.0 -0.2In [11]: plt.figure(figsize=(8,6)) plt.hist(p_vec_wk, bins=50) plt.title(r'Weekly Data \$\rho_{ij}\$ Distribution' + '\nMean: {:.2f}, Std: {:.2f}'.format(np.mean(p_vec_wk),np.std(p_vec_wk)),fontweight='bold',fontsize = 20) plt.ylabel('Frequency',fontweight='bold',fontsize = 14) plt.xlabel(r'Correlation Coefficient Value(\$\rho_{ij}\$)',fontweight='bold',fontsize = 14) Out[11]: Text(0.5, 0, 'Correlation Coefficient Value(\$\\rho_{ij}\$)') Weekly Data ho_{ij} Distribution Mean: 0.32, Std: 0.16 7000 6000 Frequency 4000 3000 2000 1000 0.6 0.4 0.8 0.2 -0.2 1.0 -0.4Correlation Coefficient Value (ρ_{ij})