

DAY-3

Days - Until - I - get - Placed.

Topic - Array | Searching...

- Defined as an operation of finding a particular element or a group of elements in array.

- Several searching algorithms include :-

1) Linear Search

2) Binary Search

3) Ternary Search

1) Linear Search :- Linear search is defined as a sequential search algorithm that starts at one end and goes through each element of a list until the desired element or group of elements is found.

- Time Complexity is $O(N)$.

2) Binary Search :- - It is a searching algorithm used in sorted array.

- In this algorithm, the element is found by repeatedly dividing the search interval in half and deciding the next interval to find the element.

- Time Complexity is $O(\log_2 N)$.

3) Ternary Search :- - It is a divide and conquer algorithm that can be used to find an element in an array.

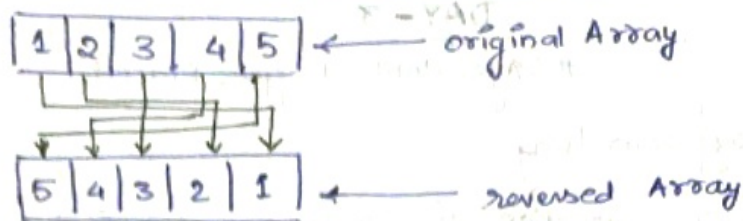
- Similar to binary search but in this we divide the given array into three parts and determine which has the key (searched element).

- Time complexity is $O(\log_3 N)$.

★ Array Reverse in C/C++/Java/Python/JavaScript :-

- Reversing an array is changing the position of each number of the given array to its opposite position from end.

- If a number is at position 1 then its new position will be Array.length .
for position 2 will be $\text{Array.length} - 1$.



DAY-4

#Days-UNKI-I-get-Placed.

* Program for array left rotations by d positions.

Let's take an example. an array of integers $arr[]$ of size N .

Input :- $arr[] = \{1, 2, 3, 4, 5, 6, 7\}$, $d = 2$

Output :- $3 \ 4 \ 5 \ 6 \ 7 \ 1 \ 2$

for doing so, Approach 1 (Using temp Array).

In this. Suppose we have $arr[] = \{1, 2, 3, 4, 5, 6, 7\}$, $d = 2$.

1) storing elements from 2nd index to last.

$temp[] = \{3, 4, 5, 6, 7\}$

2) storing first 2 elements in $temp[]$ array.

$temp[] = \{3, 4, 5, 6, 7, 1, 2\}$

3) Copying all the elements of $temp[]$ array into original array.

$arr[] = temp[]$ so $arr[] = \{3, 4, 5, 6, 7, 1, 2\}$

Approach 2 (Rotate one by One):

1) $arr[] = \{1, 2, 3, 4, 5, 6, 7\}$, $d = 2$.

2) Rotate to left by one position.

$arr[] = \{2, 3, 4, 5, 6, 7, 1\}$

3) Rotate again to left by one position.

$arr[] = \{3, 4, 5, 6, 7, 1, 2\}$

So the array becomes $arr[] = \{3, 4, 5, 6, 7, 1, 2\}$

Approach 3 - The Juggling Algorithm

Let $arr[] = \{0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14\}$ and $d = 10$.

1) first step is $\{0, 5, 10\}$

→ rotating this set by d position in cyclic order.

→ $arr[0] = arr[0 + 10]$

→ $arr[10] = arr[(10 + 10) \% 15]$

→ $arr[5] = arr[0]$

→ This set becomes $\{10, 0, 5\}$

→ Array $arr[] = \{10, 1, 2, 3, 4, 0, 6, 7, 8, 9, 5, 11, 12, 13, 14\}$

2) Second step : $\{1, 6, 11\}$

→ Rotate this set by d position in cyclic order.

→ This set becomes $\{11, 1, 6\}$

→ Array $arr[] = \{10, 11, 2, 3, 4, 0, 1, 7, 8, 9, 5, 6, 12, 13, 14\}$

3) Third step : $\{2, 7, 12\}$

→ Rotate this set by d position in cyclic order.

→ This set becomes $\{12, 2, 7\}$

→ Array $arr[] = \{10, 11, 12, 3, 4, 0, 1, 2, 8, 9, 5, 6, 7, 13, 14\}$

4) Fourth step : $\{3, 8, 13\}$

→ Rotate this set by d position in cyclic order.

→ This set becomes $\{13, 3, 8\}$

→ Array $arr[] = \{10, 11, 12, 13, 4, 0, 1, 2, 3, 9, 5, 6, 7, 8, 14\}$

5) Fifth step : $\{4, 9, 14\}$

→ Rotate this set by d position in cyclic order.

→ This set becomes $\{14, 4, 9\}$

→ Array $arr[] = \{10, 11, 12, 13, 14, 0, 1, 2, 3, 4, 5, 6, 7, 8, 9\}$

★ Print array after it is right-rotated k -times :-

eg :- Array ${} = \{1, 3, 5, 7, 9\}$, $k = 2$

Output : $\{7, 9, 1, 3, 5\}$

Explanation :-

After 1st rotation - $\{9, 1, 3, 5, 7\}$

After 2nd rotation - $\{7, 9, 1, 3, 5\}$

APPROACH 2 :- Reversing the array

- reversing the array 3 times.

eg :- Array ${} = \{1, 3, 5, 7, 9, 11\}$

Output = $\{7, 9, 11, 1, 3, 5\}$

Approach 3 : Recursive Approach

- Pseudocode

function rotateArray(arr, n, k) :

// Reduce the number of rotations

$k = k \% n$

// Reverse the first part of array

reverse(arr, arr+n-k)

// Reverse the second part of array

reverse(arr+n-k, arr+n)

// Reverse the entire array

reverse(arr, arr+n)

arr = $\{1, 3, 5, 7, 9\}$

$n = \text{size}(\text{arr})$

$k = 2$

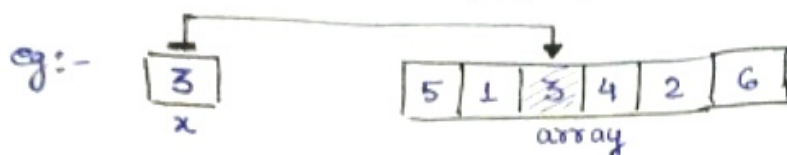
rotateArray(arr, n, k)

for $i = 0$ to $n-1$:

print arr[i]

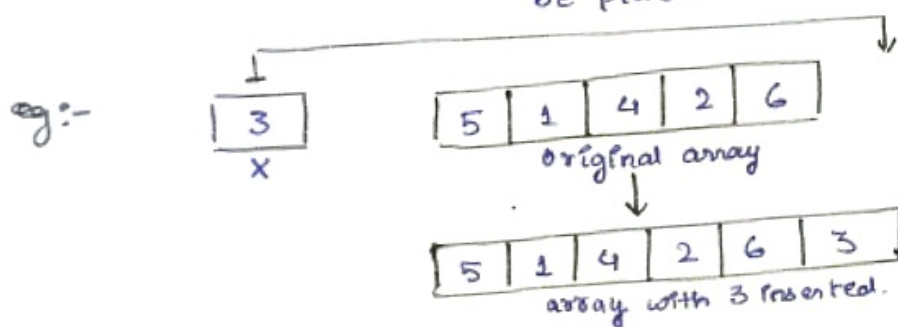
★ Search, Insert and Delete in an Unsorted Array.

1) Search Operation :- - In an unsorted array the search operation can be performed by linear traversal from the first element to the last element.



2) Insert Operation :-

1) Insert at the end :- In an unsorted array, the insert operation is faster as compared to a sorted array because we don't have to care about the position at which the element is to be placed.



2) Insert at any position :- Insert operation in an array at any position can be performed by shifting elements to the right, which are on the right side of the required position.

