

# Data Structures

## Lecture: Sorting Techniques

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# Outlines

- Introduction
- Insertion Sort
- Merge Sort
- Bubble Sort
- Quick Sort
- Heap Sort
- Selection Sort

# Sorting (Bubble Sort)

- Sorting refers to the operation of rearranging the elements of A so they are in some particular order.
- Complexity of Bubble Sort Algorithm is:  $O(n^2)$
- Example of Bubble Sort

# Bubble Sort Algorithm

## Bubble (DATA, N)

1. Repeat Step 2 and 3 for  $K=1$  to  $N-1$ .
2. [Initialize Pass Pointer P] Set  $P=1$ .
3. [Execute Pass] Repeat while  $P \leq N-K$ .
  - (a) if  $DATA[P] > DATA[P+1]$ , then:  
Interchange  $DATA[P]$  and  $DATA[P+1]$   
[End of if Structure.]
  - (b) Set  $P = P+1$ .[End of Inner Loop.]  
[End of Step1 Outer Loop.]
4. Exit

# INSERTION SORT

# Example of insertion sort

8   2   4   9   3   6

# Example of insertion sort

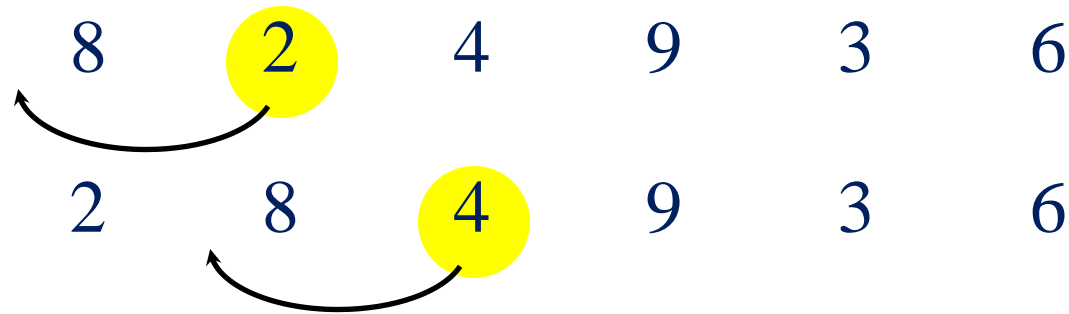


# Example of insertion sort

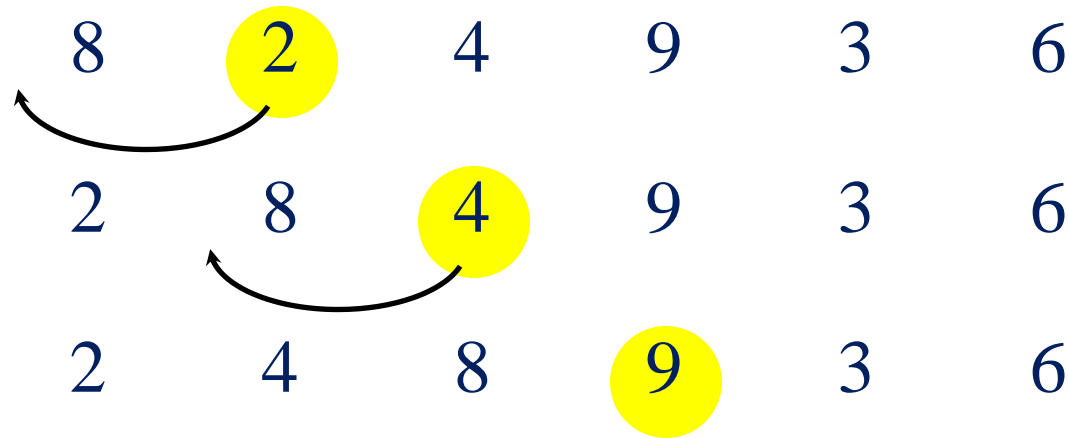




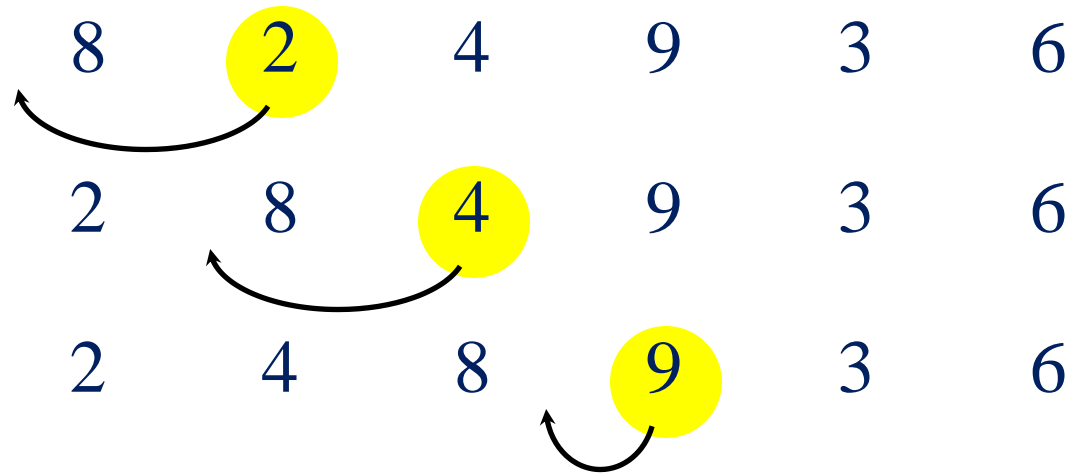
# Example of insertion sort



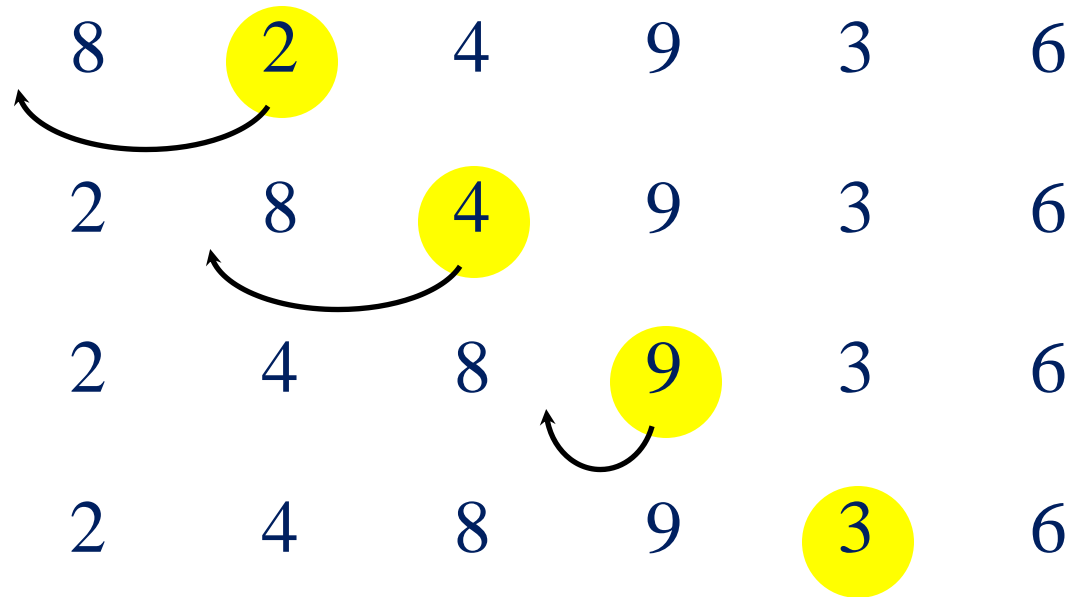
# Example of insertion sort



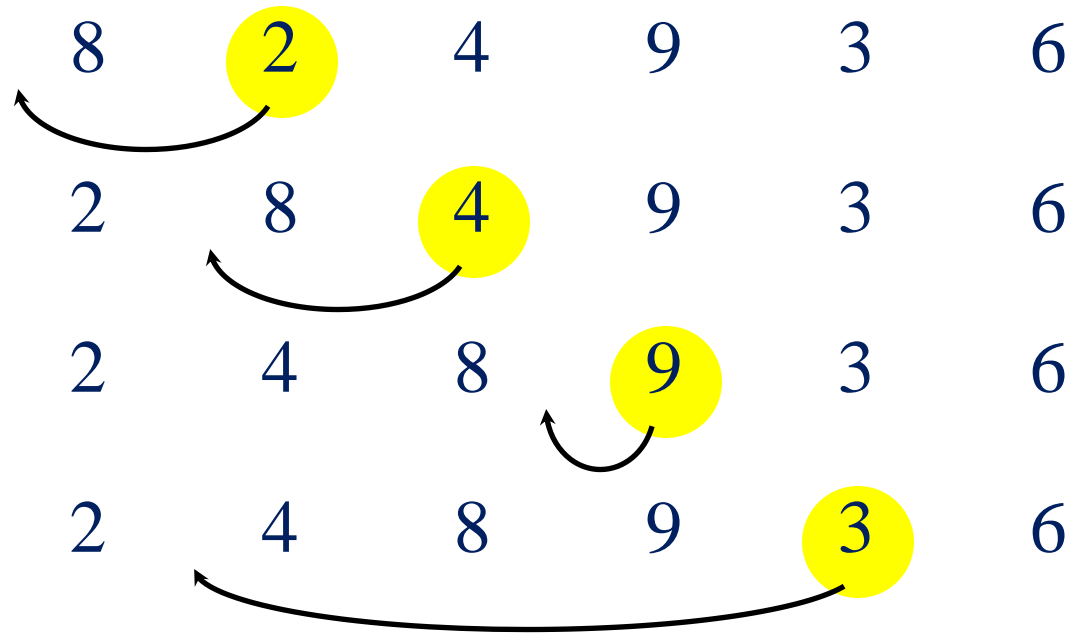
# Example of insertion sort



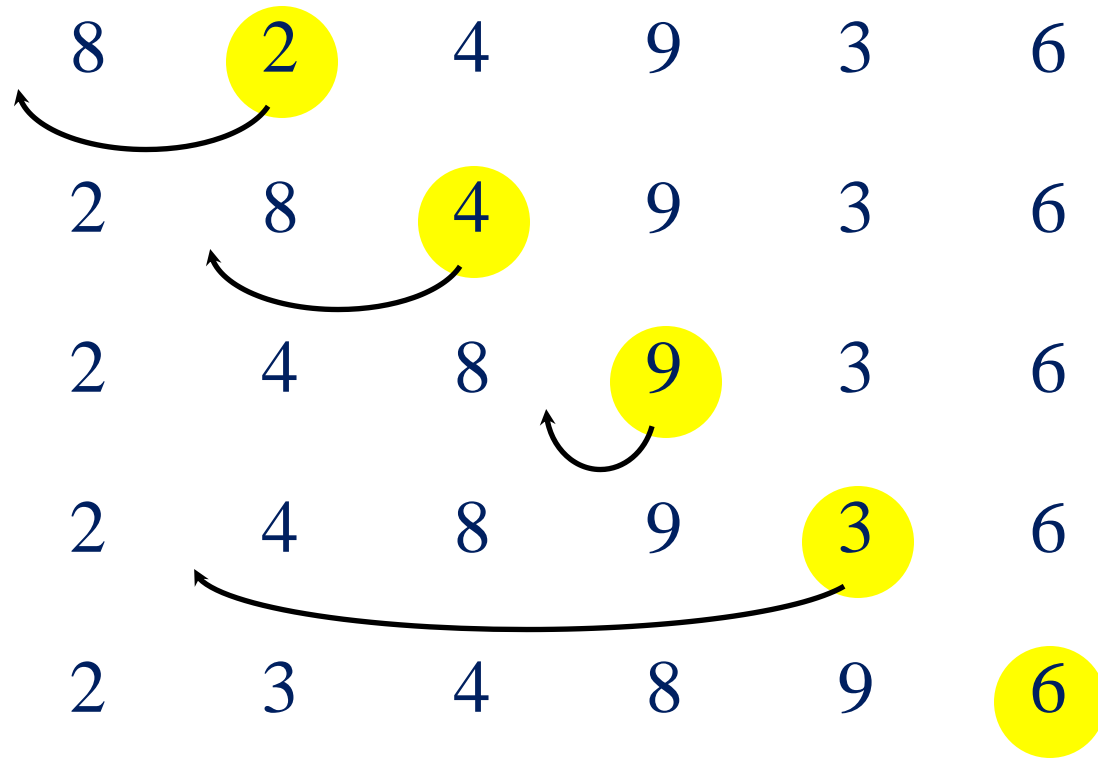
# Example of insertion sort



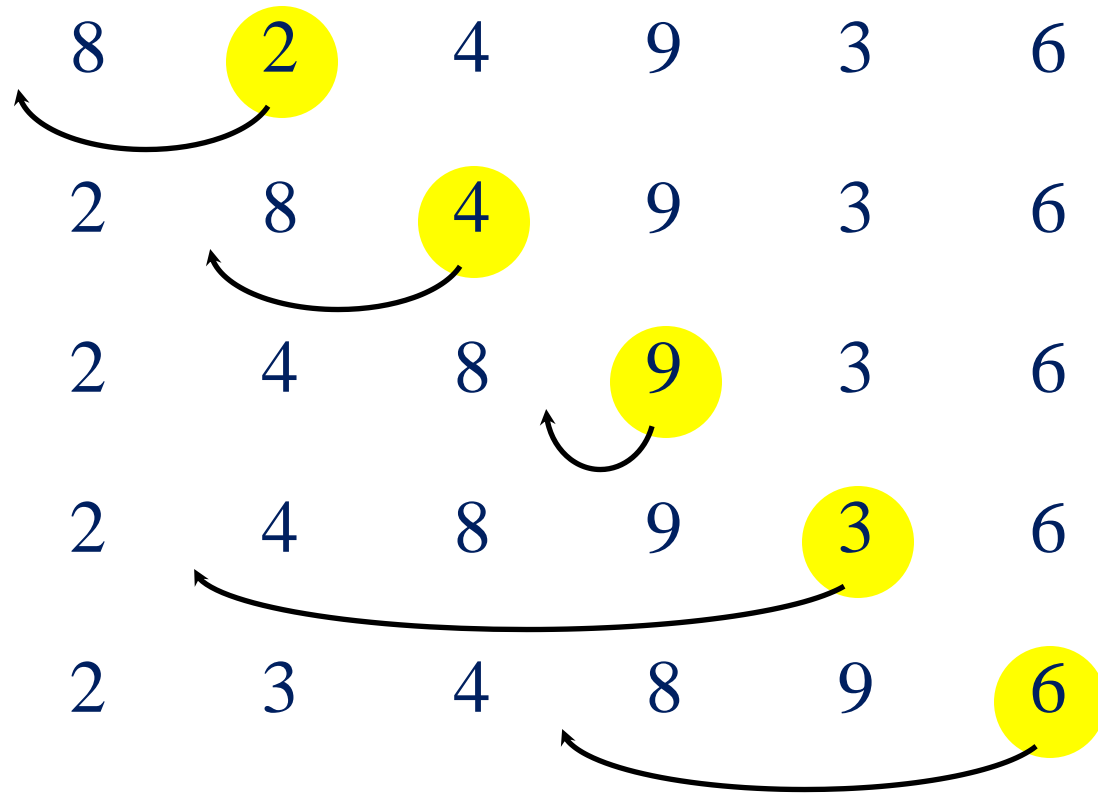
# Example of insertion sort



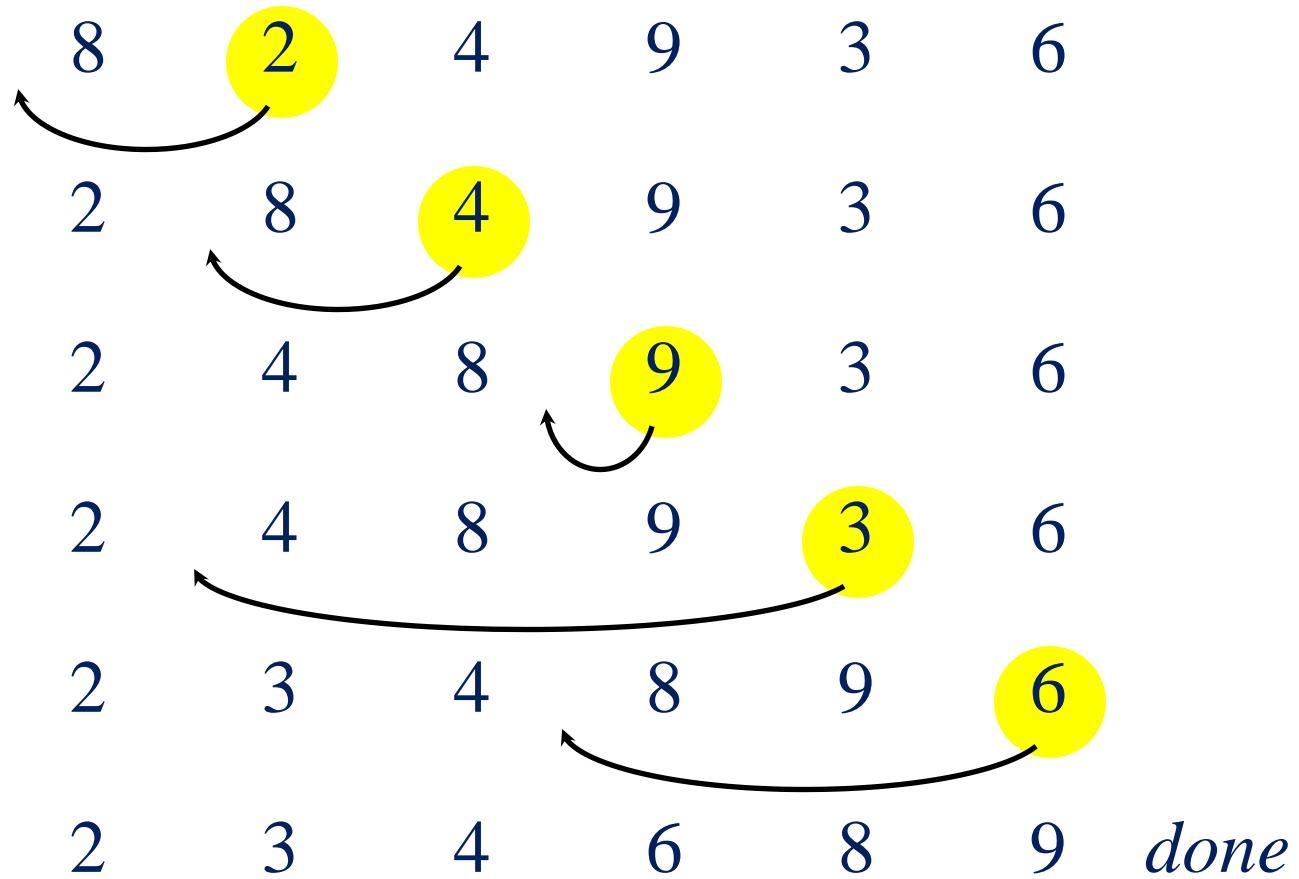
# Example of insertion sort



# Example of insertion sort



# Example of insertion sort





# Insertion Sort

## INSERTION\_SORT (A, N)

1. Set  $A[0] = -\infty$ .
2. Repeat Step 3 to 5 for  $K = 2, 3, \dots, N$ :
3.     Set  $TEMP = A[K]$  and  $PTR = K - 1$ .
4.     Repeat while  $TEMP < A[PTR]$ :
  - (a) Set  $A[PTR+1] = A[PTR]$
  - (b) Set  $PTR = PTR - 1$ .      [End of Loop.]
5.     Set  $A[PTR+1] = TEMP$ .
6. Return.

# Insertion Sort Complexity

- This Sorting algorithm is frequently used when  $n$  is very small.
- Worst case occurs when array is in reverse order. The inner loop must use  $K - 1$  comparisons.

$$\begin{aligned} f(n) &= 1 + 2 + 3 + \dots + (n - 1) = n(n - 1)/2 \\ &= O(n^2) \end{aligned}$$

- In average case, there will be approximately  $(K - 1)/2$  comparisons in the inner loop.

$$\begin{aligned} f(n) &= 1 + 2 + 3 + \dots + (n - 1)/2 = n(n - 1)/4 \\ &= O(n^2) \end{aligned}$$



# Animation Link

- Insertion Sort
- <http://courses.cs.vt.edu/~csonline/Algorithms/Lessons/InsertionCardSort/insertioncardsort.swf>
- <https://www.hackerearth.com/practice/algorithms/sorting/bubble-sort/visualize/>
- <https://visualgo.net/en/sorting>