

# Paired Workshop Tasks

PHYS:4340L

Matthew Jarek

## 1. Quick M1 Review Instructor Demo

```
In [2]: # M1 Refresher: Basic qubit probability calculation
import numpy as np

shots = 1024
outcomes = np.random.choice([0,1], size = shots, p=[.7,.3])
counts = np.bincount(outcomes)

print(f"Theoretical: P(|0>)=70%, P(|1>) =30%")
print(f"Observed: P(|0>)={ counts [0]/ shots :.1%}, P(|1>)={ counts [1]/")
print(f"Counts: |0>={ counts [0]}, |1>={ counts [1]}")
```

Theoretical: P(|0>)=70%, P(|1>) =30%  
 Observed: P(|0>)=70.2%, P(|1>)=29.8%  
 Counts: |0>=719, |1>=305

## 2. Paired Workshop Tasks

### Task 1: Arrays for Qubit Probabilities (10 min)

**Complete the code below** Expected probs  $\approx$  70%/30%

```
In [27]: import numpy as np

# Task 1: Sumulate biased qubit (70% |0>, 30% |1>
shots = 1024
outcomes = np.random.choice([0,1], size = shots, p=[.7,.3])
unique, counts = np.unique(outcomes, return_counts=True)

prob_0 = counts[0]/shots
prob_1 = counts[1]/shots

print(f"Probabilities: P(|0>) ={prob_0 : .2%}, P(|1>) ={prob_1 : .2%}")
print(f"Counts : |0> = {counts[0]}, |1> = {counts[1]}")
```

Probabilities: P(|0>) = 69.63%, P(|1>) = 30.37%  
 Counts : |0> = 713, |1> = 311

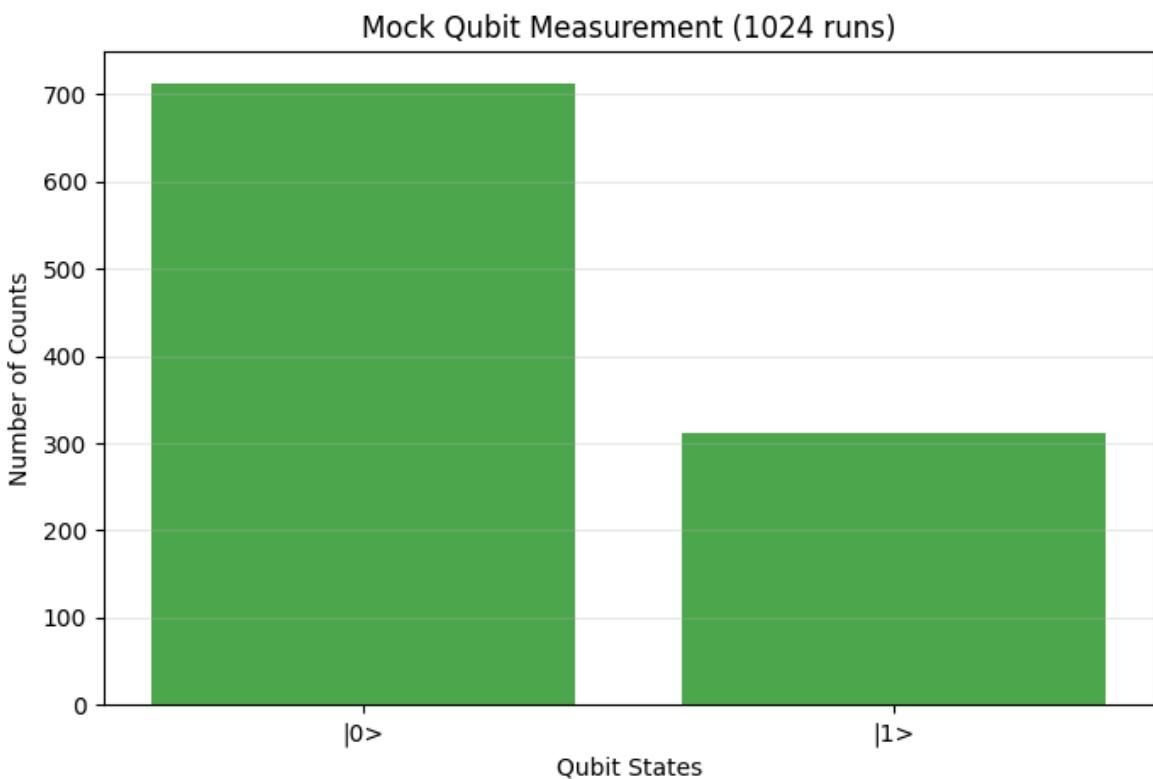
### Task 2: Visualize Quantum Data (15 min)

**Create a bar plot** like Qiskit histograms. Use counts from Task 1.

```
In [ ]: import matplotlib.pyplot as plt

# Task 2: Bar plot of shot counts
plt.figure(figsize=(8,5))
plt.bar(['|0>', '|1>'], counts, alpha=0.7, color = 'g')
plt.xlabel('Qubit States')
plt.ylabel('Number of Counts')
```

```
plt.title("Mock Qubit Measurement (1024 runs)")  
plt.grid(axis='y', alpha = 0.3)  
plt.show()
```

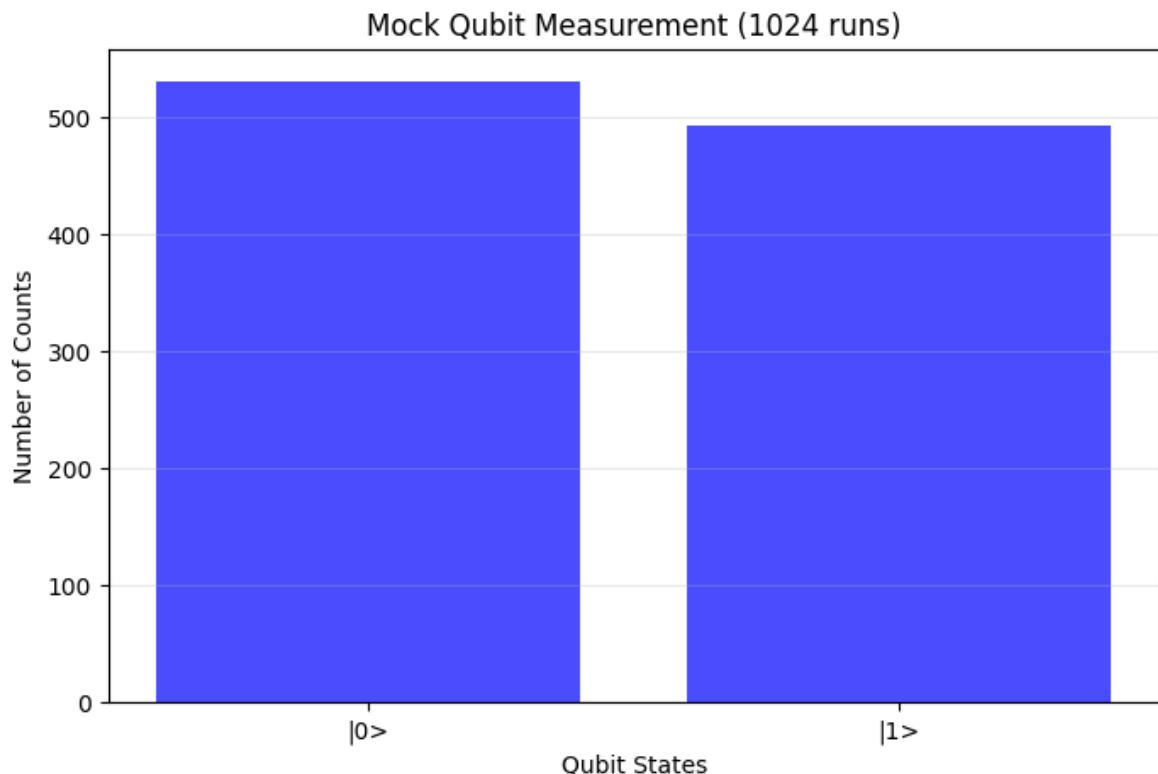


### Bonus

**Rerun Task 1** with new probabilities  $p=[.5,.5]$ .

```
In [34]: import numpy as np  
import matplotlib.pyplot as plt  
  
# Change Sumulate to nonbiased qubit (50%  $|0\rangle$ , 50%  $|1\rangle$ )  
shots = 1024  
outcomes = np.random.choice([0,1], size = shots, p=[.5,.5])  
unique, counts = np.unique(outcomes, return_counts=True)  
  
prob_0 = counts[0]/shots  
prob_1 = counts[1]/shots  
  
print(f"Probabilities: P( $|0\rangle$ ) ={prob_0 : .2%}, P( $|1\rangle$ ) ={prob_1 : .2%}")  
print(f"Counts :  $|0\rangle$  = {counts[0]},  $|1\rangle$  = {counts[1]}")  
  
# Bar plot of shot counts  
plt.figure(figsize=(8,5))  
plt.bar(['|0>', '|1>'], counts, alpha=0.7, color = 'b')  
plt.xlabel('Qubit States')  
plt.ylabel('Number of Counts')  
plt.title("Mock Qubit Measurement (1024 runs)")  
plt.grid(axis='y', alpha = 0.3)  
plt.show()
```

Probabilities:  $P(|0\rangle) = 51.86\%$ ,  $P(|1\rangle) = 48.14\%$   
Counts :  $|0\rangle = 531$ ,  $|1\rangle = 493$

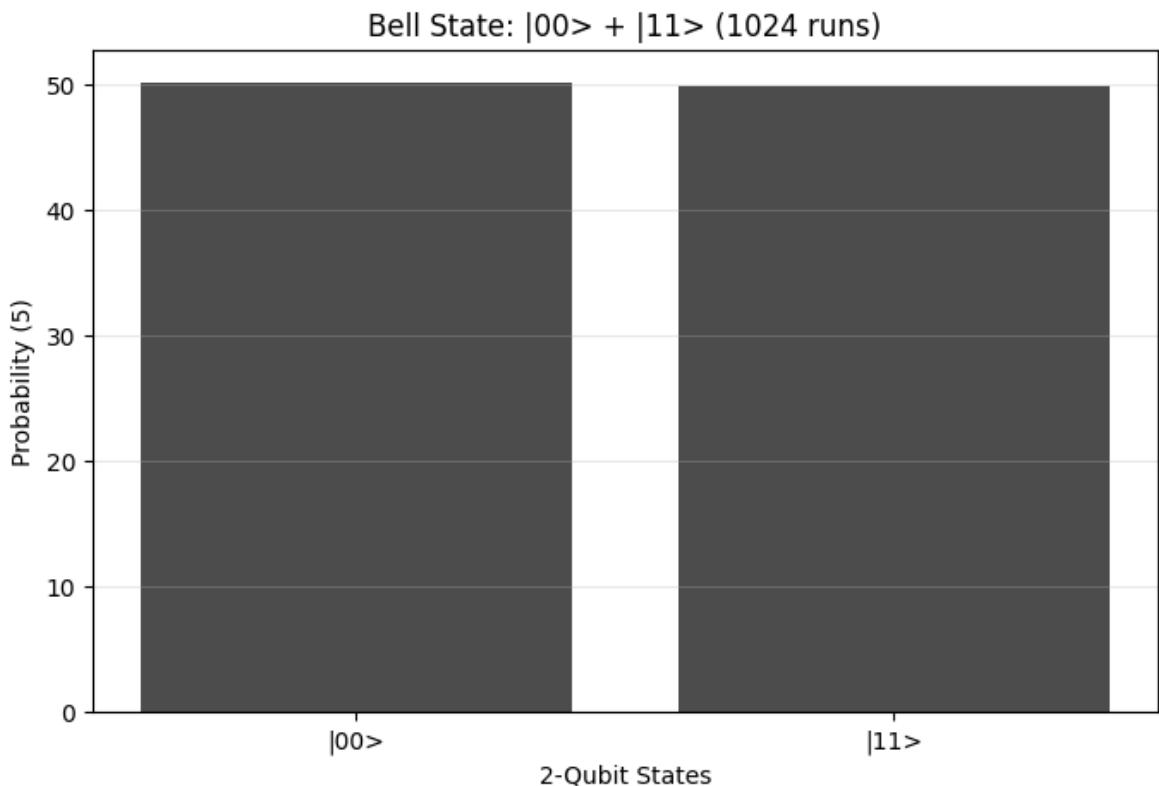


### Task 3: Multi-Qubit Preview (15 min)

```
In [48]: # Task 3: 2-qubit correlated measurements
# Get the measurements
runs = 1024
measurements = np.random.choice(['|00>', '|11>'], size = runs, p=[0.5,0.5])
unique, counts = np.unique(measurements, return_counts = True)

# Bar plot of shot counts
plt.figure(figsize=(8,5))
plt.bar(unique, counts/ runs * 100, alpha=0.7, color = 'black')
plt.xlabel('2-Qubit States')
plt.ylabel('Probability (%)')
plt.title(f"Bell State: |00> + |11> ({runs} runs)")
plt.grid(axis='y', alpha = 0.3)
plt.show()

print("Observed probabilities:")
for state, count in zip(unique, counts):
    print(f"State {state}: {count:.1%}")
```



Observed probabilities:

State  $|00\rangle$ : 51400.0%

State  $|11\rangle$ : 51000.0%

#### Task 4: Documentation (10 min)

##### Methods

Simulated measuring biased qubits using `np.random.choice()`

Generated 1024 'measurements'

Used `np.unique()` to separate the states and count results

Plotted the results using `plt.bar()`

**Key Question:** Increasing the shots or runs will make the plots more smooth or have the Observed results be more closely matching the Expected value. As the number of runs increases the error of the observed values decreases.

##### Expected vs Observed

State	Expected	Observed	Notes
$ 0\rangle$	70.0%	70.2%	Slightly above expected
$ 1\rangle$	30.0%	29.8%	Slightly below expected

**One-sentence observation:** The probabilities, while close to the expected outcome will not always result in that exact value, the observed value while different, stays around the expected result and the two results always equal 1.