

Gleichung

$$f(x) = mx + q$$

# GERADE

Erweiterung  
Proportionalität

$$f(x) = mx$$

$f : \mathbb{R} \rightarrow \mathbb{R}$   
(überall definiert)



abschnitt y-Achse

Ebene  
( $x/y$ )

Differenzen-  
quotient  
(Steigung)  
 $\frac{\Delta y}{\Delta x} = m$



Abstand  
Brennpunkt - Leitlinie

$$P = \frac{1}{4a}$$

# PARABEEL

e f t c x i o n



$$ax^2 + bx + c$$

Normalform



$$a(x-u)^2 + v$$

Scheitelform

Brenn-  
punkt

Leitlinie

Ergänzung  
(quadratische)

$$\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

# TRIGONOMETRIE



Radian

$$2\pi \approx 360^\circ$$



orthogonal

$$\begin{aligned}c^2 &= a^2 + b^2 - 2ab\cos(\gamma) \\ \frac{a}{\sin(\alpha)} &= \frac{b}{\sin(\beta)}\end{aligned}$$

$$\frac{\sin}{\cos}$$



$$f(t) = A \cdot \sin(f(t-\varphi)) + m$$

Tri  
③

Gon "Ecke"  
Metric "Vermessen"

GUGELHOPF  
AHA  
GEHT AUCH

sin  
cos  
tan

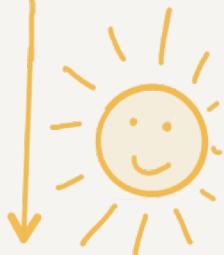
$$1 = \sin^2 + \cos^2$$

Übung



Einheitskreis

REGELN  
an  
g  
e  
n  
s  
s  
II



TAGES-LÄNGEN

## Potenzgesetze

$$\begin{aligned} a^n \cdot a^m &= a^{n+m} \\ (a^n)^m &= a^{n \cdot m} \end{aligned}$$

# POTENZ

## Permanenzprinzip

$$\begin{aligned} a^n &:= a \cdot a \cdot \dots \cdot a \quad (n \in \mathbb{N}) \\ \rightarrow a^r &\quad (r \in \mathbb{R}) \end{aligned}$$

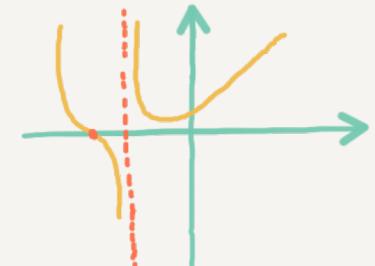
$\dots + O(n)$   
(Näherungen)

## TAYLOR

$$\sin(x) = x - \frac{x^3}{3!} + \frac{x^5}{5!} \dots$$

Taylorpolynom

Zähler (Nullstellen)  
Nenner (Polstellen)



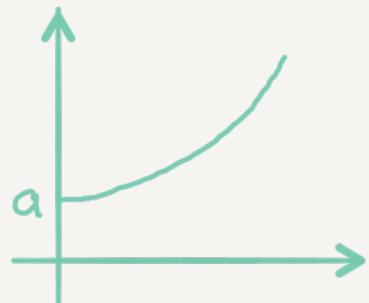
erweiterte Exponenten

$$\begin{aligned} a^0 &= 1 \\ a^{-r} &= \frac{1}{a^r} \\ \sqrt[n]{a} &= a^{\frac{1}{n}} \end{aligned}$$

# EXPONENTIELL

Offset  
(Startwert)

$$a \cdot b^x$$



Exponent ist variabel  
 $a \cdot b^x$

Bernoulli (Zins)

$$e = \lim_{n \rightarrow \infty} \left(1 + \frac{1}{n}\right)^n$$

Halbwertszeit  
TIME

zeitliche Prozesse  
(z.B. Zerfall)



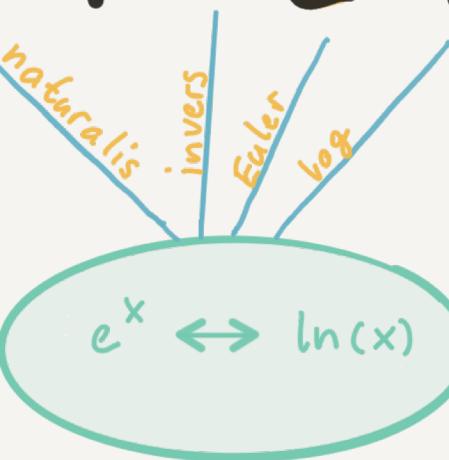
HYSIK  
ULER

$$e = 2.7$$

Stoffmenge N

$$N(t) = N_0 \cdot e^{\frac{\ln(2)}{T_{1/2}} \cdot t}$$

$$e^x \leftrightarrow \ln(x)$$



LOGARITHMEN

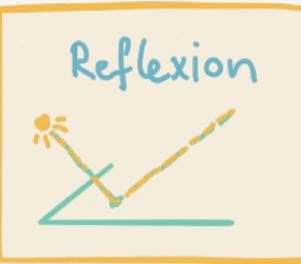
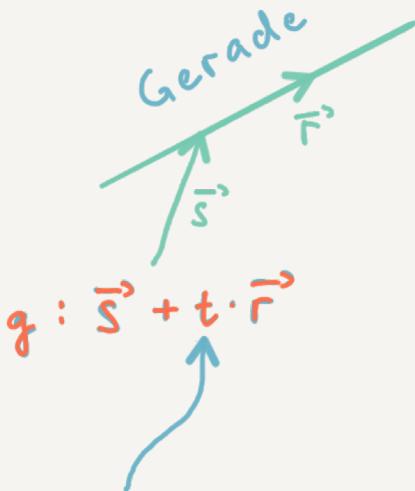
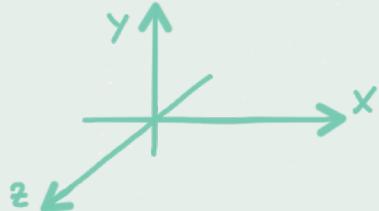
$$y = b^x \leftrightarrow x = \log_b(y)$$

Einheitsvektoren  
 $\vec{e}_x, \vec{e}_y, \vec{e}_z$

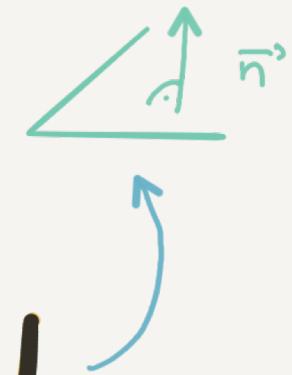
# VEKTOREN

Vektor  
(Länge & Richtung)

Koordinaten-  
system 3D



Normalenvektor



Ebene

$$E: Ax + By + Cz + D = 0$$

Operationen  
add  
S-mul  
skalar  
kreuz

1 1 2 3 5 8 13 ...

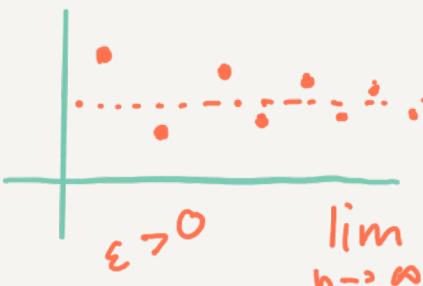
Fibonacci



# FOLGEN

Ostillieren

$$(-1)^n \sin\left(\frac{\pi}{2} \cdot n\right)$$



$$S = \frac{a_1}{1-q}$$

linear  $\leftrightarrow$  arithmetisch  
exponentiell  $\leftrightarrow$  geometrisch

geometrisch  
&  
arithmetisch

Funktion

$$f: \mathbb{N} \rightarrow \mathbb{R}$$

$f(n) = a_n$

Index Position

$$a_n = a_1 + (n-1) \cdot d$$

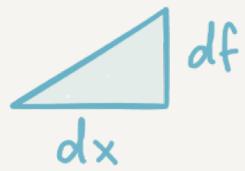
$$S_n = (a_1 + a_n) \cdot \frac{n}{2} \quad (\underline{\text{Gauss}})$$

$$a_n = a_1 \cdot q^{n-1}$$

$$S_n = a_1 \cdot \frac{q^n - 1}{q - 1}$$

# D I F F E R E N T I A L

Differenzial-  
quotient  $\frac{df}{dx}$



(Fische)



$$(f \cdot g)' = f' \cdot g + f \cdot g'$$

$$(f(g))' = f'(g) \cdot g'$$

Integration

(Steigungs-)  
Funktionen

Extremwerte  
 $\Delta$  -  $\nabla$

$e^x \rightarrow e^x$  !  
EULER

Tangente

$\lim_{h \rightarrow 0}$

E  
G  
E  
L  
N

NEWTON  
 $\Delta x \rightarrow 0$

innere/äußere  
Funktion

B  
L  
E  
I  
T  
U  
N  
G

LEIBNIZ  
 $\sum_{\infty} dx$

$x^n$	$\rightarrow n x^{n-1}$
$\sin$	$\rightarrow \cos$
$\cos$	$\rightarrow -\sin$
$\ln$	$\rightarrow \frac{1}{x}$

Integrationskonstante  
 $C$

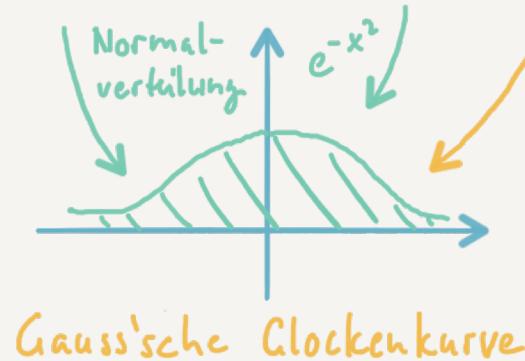
$\int$

$$\int_a^b f(x) dx = F(b) - F(a)$$

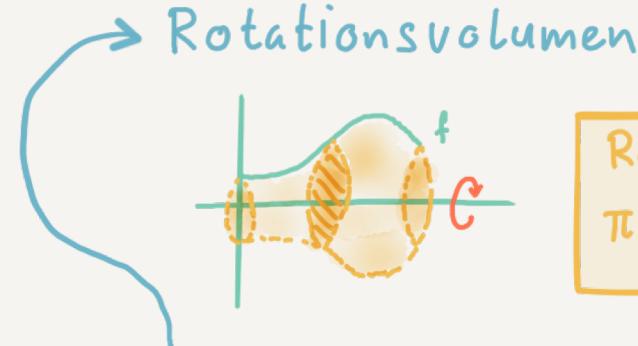
trunk  
(Stammfunktion)

# INTEGRAL

Integralzeichen  
(Summe)



Grenzen



$$\text{RotV} = \pi \int [f(x)]^2 dx$$



$$\begin{aligned} A(x+h) - A(x) &\approx \\ f(x) \cdot h & (h \rightarrow 0) \end{aligned}$$

# STOCHASTIK

Sicheres Ereignis

$$P(\Omega) = 1$$

günstig  
möglich

$\emptyset = P(\emptyset)$   
unmögliches Ereignis

O  
M  
B  
I  
N  
A  
T  
I  
O  
N  
 $\binom{4^2}{c}$

binompdf  
binomcdf

↑ TR

Hypothese

(Binomial-)Tests



Axiome (Kolmogoroff)

positiv  
normiert  
additiv

(Binomial-)Koeffizienten  
 $\binom{0}{0}, \binom{1}{0}, \binom{1}{1}, \binom{2}{0}, \binom{2}{1}, \binom{2}{2}, \binom{3}{0}, \binom{3}{1}, \binom{3}{2}, \binom{3}{3}$

Irrtumswahrscheinlichkeit  
 $\alpha_p$

Stichprobenraum

