

# INDEX

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Algorithm for tic-tac-toe implementation

Algorithm: PrintBoard (board)

// to print tic-tac-toe board  
for row in board

    print row

    print () // for next line

IsFilled (board):

// checks whether the board is filled  
for row in board

    for cell in row

        if cell == '-'

            return False

    return True

CheckWinner (board):

for i in range (3):

    if board [i] == ['X', 'X', 'X']

        or [board [j] [i] for j in range (3)  
        == ['X', 'X', 'X']]:

        return 'X'

    if board [i] == ['O', 'O', 'O']

        or [board [j] [i] for j in range (3)  
        == ['O', 'O', 'O']]:

        return 'O'

~~if [board [i] [i] == ['X', 'X', 'X']]~~

~~or [board [i] [2 - i] for i in~~

~~range (3)] == ['X', 'X', 'X']]~~

    return 'X'

if [board

// same for 'O'

return None

Is full (board):

for row in board

for cell in row

if cell == '-'

return False

return True

Start game():

current player = input("Enter : ")  
upper()

while not Is full (board):

// print board

Enter row and column number

if  $0 \leq \text{row} \leq 3$  and  $0 \leq \text{col} \leq 3$

and board [row] [col] == '-'

board [row] [column] = current

player

winner = check winner (board)

if winner:

print board (board)

print winner

return

current player = 'O'

if current player == 'X'

else 'X'

else:

print ("Invalid")

print board (board)

print ("Game Draw")

24/7/2024

Q/P:

1) Enter first player ('X' or 'O'): X

O's turn. Enter row (0-2): 0

O's turn. Enter col (0-2): 0

O - -

- - -

- - -

O's

X's turn. Enter row (0-2): 0

X's turn. Enter col (0-2): 1

~~O X~~ -

- - -

- - -

O's turn. Enter row (0-2): 1

O's turn. Enter col (0-2): 0

O X -

O - -

- - -

X's turn. Enter row (0-2): 1

X's turn. Enter col (0-2): 1

~~O X~~ -

O X -

- - -

O's turn. Enter row (0-2): 2

O's turn. Enter col (0-2): 0

~~X O~~ - O X -~~X O~~ - O X -~~X~~ - - O - -

O is the winner

2) Enter first player ("X" or "O") : O

- - -  
- - -  
- - -

O's turn. Enter row (0-2): 1

O's turn. Enter col (0-2): 1

- - -  
- O -  
- - -

X's turn. Enter row (0-2): 0

X's turn. Enter col (0-2): 0

X - -  
- O -  
- - -

O's turn. Enter row (0-2): 1

O's turn. Enter col (0-2): 2

X - -  
O O X  
- - -

X's turn. Enter row (0-2): 1

X's turn. Enter col (0-2): 2

X - -  
O O X  
- - -

O's turn. Enter row (0-2): 0

O's turn. Enter col (0-2): 1

X O -  
O O X  
- - -

X's turn. Enter row (0-2): 2

X's turn. Enter col (0-2): 1

X O -

O O X

- X -

O's turn. Enter row (0-2): 2

O's turn. Enter col (0-2): 2

X O -

O O X

- X O

X's turn. Enter row (0-2): 0

X's turn. Enter col (0-2): 2

X O X

O O X

- X O

O's turn. Enter row (0-2): 2

O's turn. Enter col (0-2): 0

X O X

O O X

O X O

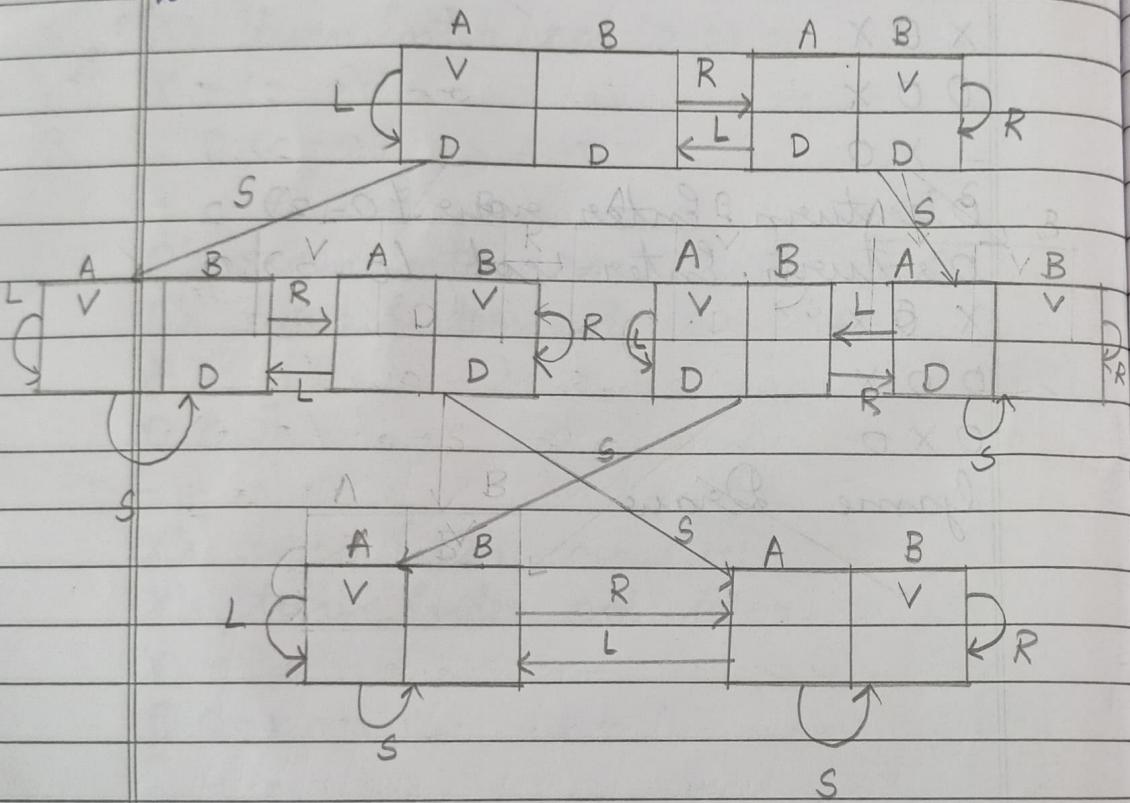
Game Draw

1-10-24

# Implement Vacuum World Cleaner

function REFLEX-VACUUM-AGENT ([location, status])  
 returns an action  
 if status = Dirty then return Suck  
 else if location = A then return Right  
 else if location = B then return Left

The states space diagrams of vacuum world cleaner.



~~Parameters to be input :-  
 location, status, otherwise room status.~~

## Problem Formulation Steps

1. States
2. Initial state
3. Actions
4. Transition model

5. Goal Test
6. Path cost

## Algorithm for Two Quadrants

```

1. Declare goal = [ ]
2. Input room location, status of
   room location (A or B) as 0 for
   clean and 1 for dirty and
   other room status.
3. cost ← 0
4. if room location == 'A'
   goal [1] ← status
   goal [3] ← other room
   //display initial goal state
   print "Vacuum is placed in location"
   if status == 0
     print "Location A is already clean"
   if status == 1
     print "Location A is Dirty"
     cost ← cost + 1
   goal [1] ← 0
   //print "Location A has been cleaned"
   print "Moving right to Location B"
   print "Vacuum is placed in Location B"
   if other room == 1
     print "Location B is dirty"
     cost ← cost + 1
   goal [3] ← 0
   //print "Location B has been cleaned"
else
  print "Location B is already clean"

```

//display final goal state and cost  
for suck.

if room location == 'B':  
    goal[3] ← status  
    goal[1] ← other room  
    //display initial goal state  
    //display "Vacuum is placed in location B"  
    if status == 0  
        print "Location B is already clean"  
    if status == 1  
        print "Location B is Dirty"  
        cost ← cost + 1  
        goal[3] ← 0  
        print "Location B has been cleaned"  
        print "Moving left to Location A"  
        print "Vacuum is placed in Location A"  
    if other room == 1  
        print "Location A is Dirty"  
        cost ← cost + 1  
        goal[1] ← 0  
        print "Location A has been cleaned"  
    if other room == 0  
        print ("Location A is already clean")  
    //display final goal state and  
    cost for suck

else  
    //display "Invalid input"  
<end of if>

5. Add battery level and check if its greater than zero else print "Battery Low!", decrement it each time

Output:

1. Enter the room location A or B : B

Enter status of the room 0 for clean or 1 for dirty : 1

Enter other room status 0 or 1 : 0

Initial goal state ['A', 0, 'B', 1]

Vacuum is placed in Location B

Location B is Dirty

Location B has been cleaned

Moving left to Location A

Vacuum is placed in Location A

Location A is already clean

Goal State is ['A', 0, 'B', 0]

Cost for suck is 1

11/09/2024

2. Enter the room location A or B : A

Enter status of the room 0 for clean or 1 for dirty : 0

Enter other room status 0 or 1 : 0

Initial goal state ['A', 0, 'B', 0]

Vacuum is placed in Location A

Location A is already clean

Moving left to Location B

Location B is already clean

Goal State is ['A', 0, 'B', 0]

Cost for suck is 0

8-10-24

Implement 8-puzzle problem

Using non-heuristic method

Using BFS and DFS method

State Space Diagrams

Start State : 1 2 3      Goal State : 1 2 3

4 6

4 5 6

7 5 8

7 8



2 3

1 2 3

1 2 3

1 4 6

4 6

7 4 6

7 5 8

7 5 8

5 8



2 3 1 3

1 2 3

1 2 3

1 4 6 4 2 6

4 6

4 5 6

7 5 8 7 5 8

7 5 8

7 8 5 8

1 2 3

4 5 6

7 8

Algorithm for using BFS method

class BoardNode:

    initialize (board, parent = None, move = None)  
    is goal (goal state)

    hash ()

    eq (other)

    repr ()

class BES:

initialize (initial board, goal state)

search():

visited = empty set

queue = queue containing initial node

solutions = empty list

while queue is not empty

node = queue.popleft()

path = get solution path (node)

append path to solutions

continue

add node to visited

for each neighbor in getSuccessors

if neighbor not in visited

and neighbor not in queue.

queue.append(neighbors)

for each solution in solutions:

print (solution)

point (total number of solutions)

getSuccessors(node);

Locate zero (empty tile) in board

for each move in [UP, DOWN,

~~calculate new position~~

if new position is valid:

create' new board by

## sweeping tiles

append new BoardNode to

## successors

find\_zero(board):

for each cell in board:

if cell is zero:

return (row, column)

get\_solution\_path(node):

path = empty list

while node.parent is not None:

append node.move to path

node = node.parent

return reversed(path)

function get\_user\_input(board\_type):

print("Enter 3x3 board:")

return board configuration

main():

initial\_board = get\_user\_input("initial")

goal\_state = get\_user\_input("goal")

bfs\_solver = BFS(initial\_board, goal\_state)

bfs\_solver.search()

O/P:-

Enter the initial 8-puzzle board  
(3x3)

1 2 3

0 4 6

7 5 8

Enter the goal 8-puzzle board

1 2 3

4 5 6

7 8 0

Solution: 1

Moves: ['RIGHT', 'DOWN', 'RIGHT']

Final Board State:

1	2	3
4	5	6
7	8	0

Number of moves: 3

Algorithm for using DFS method

class BoardNode:

    initialize (board, parent = None, move=None)

    is goal (goal state)

    hash()

    eq (other)

    repr()

class DFS:

    initialize (initial board, goal state)

    search():

        visited = empty set

        call dfe (initial node, visited)

        if solutions found:

            print solutions

        print total unique states, total permutations

    dfe(node, visited):

        if node is goal state:

            append solution path to found solutions

        returns True

        mark node as visited

        add current board to unique states

        increment permutation count

for each successor in getSuccessors(node)  
 if successor not in visited:  
 call dfs(successor, visited)

getSuccessors(node):

for each move in [UP, DOWN, LEFT,  
 RIGHT].

if valid move:

create new board

append new BoardNode

(newboard, node, move) to  
 successors

findZero(board):

return coordinates of zero

getSolutionPath(node):

while node has a parent:

append move to path

move to parent node

return reversed(path)

printSolution(path):

print solution path

function getUserInput():

read & return 3x3 board

main():

Get initial & goal states

O/P:-

Enter initial state: 1 2 3

0 4 6

7 5 8

~~Enter goal state: 1 2 3~~

4 5 6

7 8 0

Total unique states encountered: 852

9/1/2024

15-10-24

## Lab Program No.3

SURYA Gold

Date \_\_\_\_\_

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For 8 Puzzle problem using A star implementation to calculate  $f(n)$  using  
 a)  $g(n)$  = depth of a node  
 $h(n)$  = heuristic value (no. of misplaced tiles)

$$f(n) = g(n) + h(n)$$

b)  $g(n)$  = depth of a node

$h(n)$  = heuristic value (manhattan distance)

a) No. of misplaced tiles

Draw the states space diagram

for	2	8	3		1	2	3
	1	6	4		8		4
	7		5		7	6	5

Initial

Goal state

find the number of steps to reach the goal state

2	8	3
1	6	4
7		5

L / | U R \

2	8	3	2	8	3	2	8	3
1	6	4	1	4		1	6	4
7	5		7	6	5	7	5	

$$g(n) = 1$$

$$g(n) = 1$$

$$g(n) = 1$$

$$h(n) = 1 + 1 + 1 + 1 + 1 = 5$$

$$h(n) = 5$$

$$h(n) = 1 + 1 + 1 + 1 = 4$$

$$f(n) = 6$$

$$f(n) = 6$$

$$f(n) = 5$$

L / | R \ U X D

2	8	3	2	8	3	2	3
1	4		1	4		1	8

7	6	5	7	6	5	7	6	5

$$g(n) = 2$$

$$g(n) = 2$$

$$g(n) = 2$$

$$h(n) = 1 + 1 + 1 = 3$$

$$h(n) = 1 + 1 + 1 + 1 = 4$$

$$h(n) = 1 + 1 + 1 = 3$$

$$f(n) = 4$$

$$f(n) = \frac{7}{8} 4$$

$$f(n) = 5$$

2 8 3  
1 4  
7 6 5  
U/ D

2	8	3			
8	3	2	8	3	
2	1	4	7	1	4
7	6	5	6	5	
$g(n) = 3$	$g(n) = 3$				
$h(n) = 1+1+1$	$h(n) = 1+1+1+1$				
$= 4$	$= 4$				
$f(n) = 6$	$f(n) = 7$				

2	3	
1	8	4
7	6	5
B/L	R	
2	3	
1	8	4
7	6	5
$g(n) = 3$	$g(n) = 3$	
$h(n) = 1+1+1 = 2$	$h(n) = 1+1+$	
	$+1 = 4$	
$f(n) = 5$	$f(n) = 7$	

$$g(n) = 4$$

$$f(n) =$$

1	2	3
8	4	
7	6	5

$$g(n) = 4$$

$$h(n) = 1$$

$$f(n) = 5$$

D / R

1	2	3
7	8	4
6	5	

$$g(n) = 5$$

$$h(n) = 2$$

$$f(n) = 7$$

$$g(n) = 5$$

$$h(n) = 0$$

$$f(n) = 5$$

goal state reached

b) Using

Manhattan			Distance		
2	8	3	1	2	3
1	6	4	8		4
7		5	7	6	5

Initial

Final

2	8	3	2	8	3	2	8	3
1		4	1	6	4	1	6	4
7	6	5	7	5		7	5	

1 2 3 4 5 6 7 8

1 1 0 0 0 0 0 2

$$d = h(n) = 4$$

$$g(n) = 1$$

$$f(n) = 5$$

1 2 3 4 5 6 7 8 1 2 3 4 5 6 7 8 1 2 3 4 5 6 7 8

1 1 0 0 0 1 1 2 1 1 0 0 1 1 0 2

$$h(n) = 6$$

$$g(n) = 1$$

$$f(n) = 7$$

$$h(n) = 6$$

$$g(n) = 1$$

$$f(n) = 7$$

L / \ R \ U

2	8	3	2	8	3	2	8	3
1		4	1	4		1	8	4
7	6	5	7	6	5	7	6	5

1 2 3 4 5 6 7 8

1 2 0 0 0 0 0 2

$$h(n) = 5$$

$$h(n) = 5$$

$$g(n) = 2$$

$$g(n) = 2$$

$$f(n) = 7$$

$$f(n) = 7$$

1 2 3 4 5 6 7 8

1 1 0 0 0 0 0 1

$$h(n) = 3$$

$$g(n) = 2$$

$$f(n) = 5$$

L / \ R

2	3	2	3		
1	8	4	1	8	4
7	6	5	7	6	5

1 2 3 4 5 6 7 8

1 0 0 0 0 0 0 1

$$h(n) = 2 \quad g(n) = 3$$

$$f(n) = 5$$

1 2 3 4 5 6 7 8

1 1 1 0 0 0 0 1

$$h(n) = 4 \quad g(n) = 3$$

$$f(n) = 7$$

	2	3
1	8	4
7	6	5

D /

$$1 \mid 2 \mid 3 \quad h(n) = 1 \quad g(n) = 4$$

$$8 \mid 4 \quad f(n) = 5$$

7	6	5	1	2	3	4	5	6	7	8
L		D	0	0	0	0	0	0	0	1

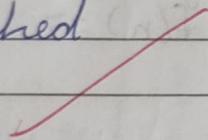
1	2	3	1	2	3
8	4	7	8	4	
7	6	5	6	5	

$$h(n) = 0 \quad h(n) = 2$$

$$g(n) = 5 \quad g(n) = 5$$

$$f(n) = 5 \quad f'(n) = 7$$

goal state  
reached



a) No. of misplaced tiles

Algorithm: Astarmisplacedtiles (start, goal)  
// to find the no. of misplaced tiles

$h = 0$

for  $i$  in range(3):

    for  $j$  in range(3):

        if ( $start[i][j] \neq goal[i][j]$ )  
             $h = h + 1$

return  $h - 1$

Algorithm: main()

// Input start[ ][ ] and goal[ ][ ]

$g = 0$

visited = []

$f = 999$

while (~~start~~ visited != goal):

    if start not in visited:

$g = g + 1$   
        empty\_tile = locateemptytile(start)  
        for each move, UP, DOWN,

        and update in start  
 $h = Astarmisplacedtiles$

(start, goal)

    if  $((g + h) < f)$ :

$f = g + h$

    visited.append(start[ ][ ])

// point f

Algorithm: locateemptytile (start)

for  $i$  in range(3) (len(start)):

    for  $j$  in range(3):

        if  $start[i][j] == 0$ :

            return i, start[i][j]

b) Manhattan distance

Algorithm : Manhattan distance  
(start, goal)

$h = 0$

for i in [1, 2, 3, 4, 5, 6, 7, 8]:  
    a = index of  
        store index of a in  
            start and store in a  
        store index of j in  
            goal and store in b

$h = h + abs(a - b)$

return h

return h

Algorithm : main()

// Input start and goal

$g = 0$

visited = []

$f = 999$

while (start != goal):

    if start not in visited

$g = g + 1$

emptytile = locateemptytile(start)

for each move UP, DOWN, LEFT,  
RIGHT, update in start

$h = AstarMisplacedTiles(start, goal)$

if  $((g + h) < f)$

$f = g + h$

visited.append(start[0][0])

// print f

Algorithm

Output

- a) Enter initial state ( $3 \times 3$  grid, use 0 for empty tile):

2 8 3

1 6 4

7 0 5

- Enter goal state ( $3 \times 3$  grid, use 0 for empty tile):

1 2 3

8 0 4

7 6 5

Level: 1, Direction: Up, Heuristic: 3

[2, 8, 3]

[1, 0, 4]

[7, 6, 5]

Level: 1, Direction: Left, Heuristic: 5

[2, 8, 3]

[1, 6, 4]

[0, 7, 5]

Level: 1, Direction: Right, Heuristic: 5

[2, 8, 3]

[1, 6, 4]

[7, 5, 0]

Level: 2, Direction: Up, Heuristic: 3

[2, 0, 3]

[1, 8, 4]

[7, 6, 5]

Level: 2, Direction: Left, Heuristic: 3

[2, 8, 3]

[0, 1, 4]

[7, 6, 5]

Level : 3, Direction: Left, Heuristic : 2

$[0, 2, 3]$

$[1, 8, 4]$

$[7, 6, 5]$

Level : 4, Direction : Down, Heuristic :

$[1, 2, 3]$

$[7, 8, 4]$

$[0, 6, 5]$

Level : 5, Direction : Right, Heuristic : 0

$[1, 2, 3]$

$[8, 0, 4]$

$[7, 6, 5]$

Goal state reached

8  
15/10/2018