



CSC 212

# Data Structures & Algorithms

Fall 2022 | Jonathan Schrader

Searching Algorithms

# Housekeeping

## Scheduling Updates

- A3: due date pushed back to:
- Review [MEC] Project due date pushed back to:

# Searching Algorithms

## Interval Search

- repeatedly target the center of the search structure and divide the search space in half.
- ex. [binary search](#)
- *note: specifically designed for searching in sorted data-structures...*

## Sequential Search

- the list or array is traversed sequentially and every element is checked.
- ex. [linear search](#)



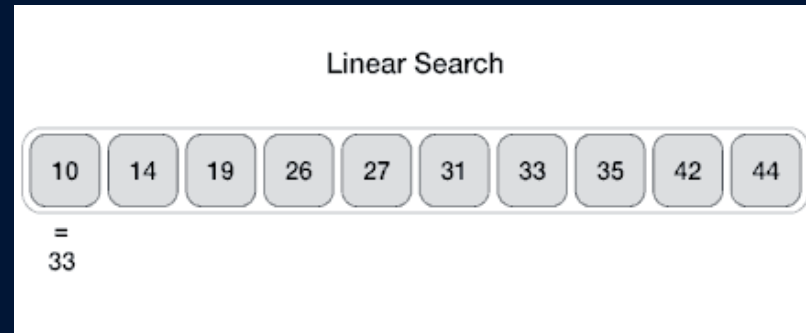
## *Linear Search*



# Linear Search: Implementation

```
// Pseudocode
// -----
// Iterate from 0 to N-1,
// compare the value of every index with x
// if they match, return index

int linearSearch(int array[], int n, int x) {
    // Going through array sequentially
    for (int i = 0; i < n; i++)
        if (array[i] == x)
            return i;
    return -1;
}
```



[https://www.tutorialspoint.com/data\\_structures\\_algorithms/images/linear\\_search.gif](https://www.tutorialspoint.com/data_structures_algorithms/images/linear_search.gif)

# Linear Search: Analysis

## Rules

- Consider all possible cases.
- Find the number of comparisons for each case.
- Add the number of comparisons and divide by the number of cases.

---

Best-case  $\Rightarrow T(n) = O(1)$

*target =  $A[0]$  = 1 comparison*

Worst-case  $\Rightarrow T(n) = O(n)$

*target =  $A[n - 1]$  =  $n$  comparisons*

---

Average-case (*in a successful search*)  $\Rightarrow T(n) = O(n)$

$$\frac{1 + 2 + \dots + n}{n} = \frac{1}{n} * \frac{n(n - 1)}{2} = \frac{n - 1}{2}$$

## *Binary Search*



# Binary Search: Pseudocode

## Iterative Approach

- Consider start index to be at 0 and last index to be  $n - 1$ th index at starting  $// n > length$
- Find middle *index*(*mid*) of the array
- If *key* is found to be less than *mid index element* then update last index of the array to  $mid - 1$
- Else if *key* is found to be greater than *mid index element* then update start index of the array to  $mid + 1$
- Else check for *mid index element* with *key* if not match repeat the above steps til start index is less than end index

## Recursive Approach

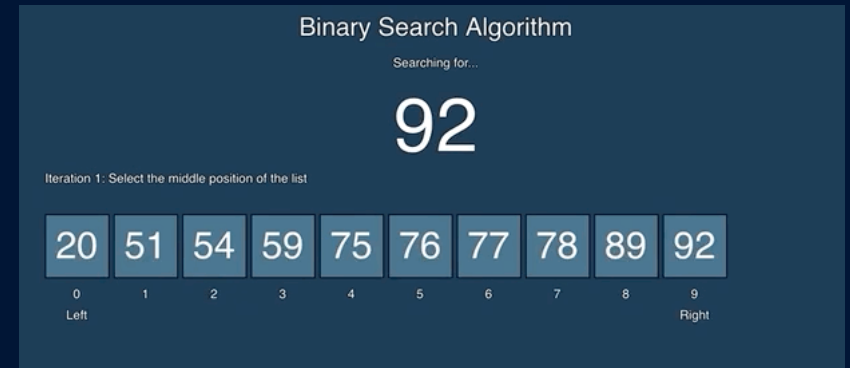
- If *start* is less than *end* perform Binary search else terminate the algorithm.
- If the element at the *middle index* is equal to the *key* then return the index as it found the key
- Else if the *key* is less than the element at the *middle index* then call the function by passing end as  $mid - 1$  (as the key will be less than mid element)
- Else if the *key* is greater than the element at the *middle index* then call the function by passing start as  $mid + 1$  (as the key will be greater than mid)

<https://takeuforward.org/data-structure/binary-search-explained/>



# Binary Search: Iterative

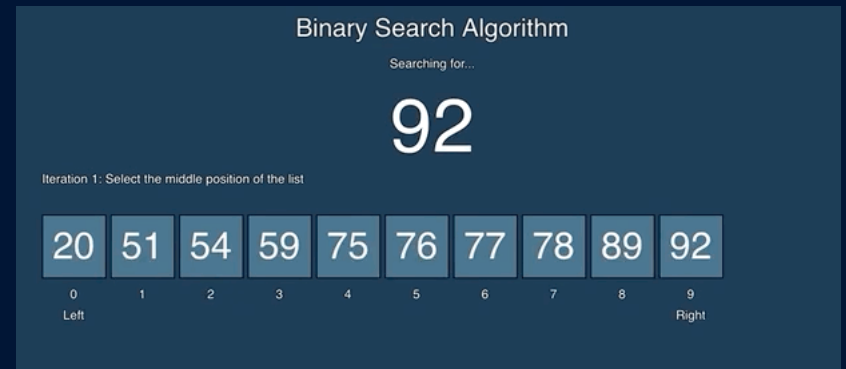
```
int binarySearch(int array[], int x, int low, int high) {  
    // Repeat until the pointers low and high meet each other  
    while (low <= high) {  
        int mid = low + (high - low) / 2;  
  
        if (array[mid] == x)  
            return mid;  
  
        if (array[mid] < x)  
            low = mid + 1;  
  
        else  
            high = mid - 1;  
    }  
    return -1;  
}
```



<https://www.codecademy.com/resources/blog/content/images/2018/10/binary-search-small.gif>

# Binary Search: Recursive

```
int binarySearch(int arr[], int start, int end, int k) {  
    if (start > end) {  
        return -1;  
    }  
    int mid = (start + end) / 2;  
  
    if (k == arr[mid]) {  
        return mid;  
    }  
    else if (k < arr[mid])  
        return binarySearch(arr, start, mid - 1, k);  
    else  
        return binarySearch(arr, mid + 1, end, k);  
}
```



<https://www.codecademy.com/resources/blog/content/images/2018/10/binary-search-small.gif>

# Binary Search: Analysis

## Rules

- Break down the problem into subproblems
  - Solve the sub problems
  - Merge the sub problems to get desired Output
  - *Note: Must be sorted*
- 

Best-case  $\Rightarrow T(n) = O(1)$

*target is first comparison*

Worst-case  $\Rightarrow T(n) = O(\log n)$

*target is last comparison*

---

Average-case (in a successful search)  $\Rightarrow T(n) = O(\log n)$

*target is neither first nor last comparison*

# Linear v. Binary

Linear	Binary
Input data need not to be in sorted.	Input data need to be in sorted order.
Also called sequential search.	Also called half-interval search.
$T(n) = O(n)$	$T(n) = O(\log n)$
Multidimensional array can be used	Only single dimensional array is used
Performs equality comparisons	Performs ordering comparisons
Less complex.	More complex.
Very slow process.	Very fast process.