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# RV COLLEGE OF ENGINEERING®

(An Autonomous Institution affiliated to VTU) V Semester B. E. Examinations Nov/Dec-19

# Electronics and Communication Engineering

## **COMMUNICATION SYSTEMS - I**

Time: 03 Hours Maximum Marks: 100

### Instructions to candidates:

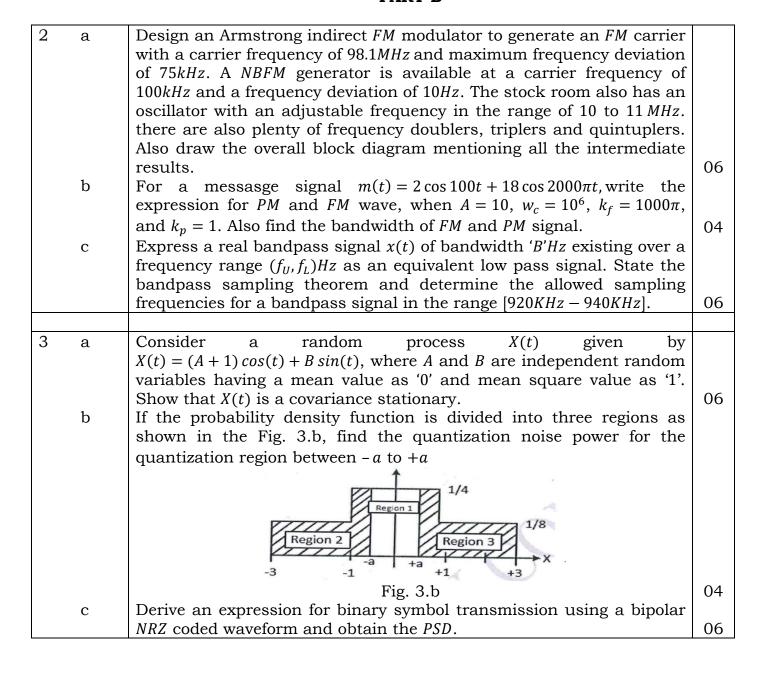
- 1. Answer all questions from Part A. Part A questions should be answered in first three pages of the answer book only.
- 2. Answer FIVE full questions from Part B. In Part B question number 2, 7 and 8 are compulsory. Answer any one full question from 3 and 4 & one full question from 5 and 6

#### PART-A

1 1.	The carrier $C(t) = A \cos(2\pi 10^6 t)$ is angle modulated by the sinusoidal signal $m(t) = 2 \cos(2000\pi t)$ . The deviation constants are $k_p = 1.5 rad/V$	
	and $k_f = 3000Hz/V$ . Determine $\beta_f$ and $\beta_p$ .	01
1.		01
1.	A signal, $x(t) = 10 \cos\left(1000t + \frac{\pi}{3}\right) + 20 \cos\left(2000t + \frac{\pi}{6}\right)$ is to be uniformly	
	sampled for digital communication. What is the maximum allowable	
	time interval between simple values that will ensure perfect signal	
	reconstruction?	01
1.		
	input sinusoid of unit amplitude and a frequency of 200Hz. Determine	
	the required frequency multiplication factor $n$ to produce a maximum frequency deviation of $10kHz$ .	01
1.		01
1.	sampling rate should be used to guarantee a guard band of 1200 <i>Hz</i> .	01
1.		01
	over $[-1,2]$ then the pdf of y is	02
1.		
	[1000001100001101].	02
1.		
	33.3% more than the Nyquist rate. The maximum acceptable error in	
	the sampled amplitude is 0.5% of peak amplitude if the quantized	
	samples are binary encoded. Then the minimum bandwidth required	02
1.	to transmit encoded signal is  An audio signal with spectral components limited to frequency band	02
1.	of 300 to 3400Hz is passed through a compander to generate a PCM	
	signal with a sampling rate of 8000 samples/sec, If the required	
	output $SNR$ is $30dB$ then the minimum quantization levels are	
	(Assume $\mu = 255$ )	02
1.	, ,	
	probabilities 0.55 and 0.45 respectively then the efficiency of the	
	source is	01

1.10	A CRT terminal is used to enter alphanumeric data into a computer,			
	the CRT is connected through a voice-grade telephone line having			
	usable bandwidth of $3kHz$ and an output SNR of $10dB$ then the			
	channel capacity is			
1.11	An analog signal having $4kHz$ bandwidth is sampled at 1.25 times the			
	Nyquist rate and each sample is quantized into one of 256 equally			
	likely levels. Assume that the successive samples are statistically			
	independent. Find the information rate of this source.	02		
1.12	Consider a single error correcting code for 4 data bits, number of			
	check bits required are	01		
1.13	The error correction capability of a linear block code having generator			
	[100101]			
	matrix $G =  010111 $ is	0.1		
1 1 1		01		
1.14	The generator polynomial for a (7,4) Binary cyclic code is			
	$g(x) = 1 + x + x^3$ . Find the code vector in systematic form for a			
	message vector 1110.	02		

### PART-B



		OR			
4	a b	A class of modulated random signal $Y(t)$ is defined by $Y(t) = AX(t)\cos(\omega_c t + \theta)$ , where $X(t)$ is the random message signal and $A\cos(\omega_c t + \theta)$ is the carrier. The random message signal $X(t)$ is a zero-mean stationary random process with autocorrelation $R_{xx}(\tau)$ and power spectrum $S_{xx}(\omega)$ . The carrier amplitude $A$ and the frequency $\omega_c$ are constants, and phase $\theta$ is a random variable uniformly distributed over $[0,2\pi]$ . Assuming that $X(t)$ and $\theta$ are independent find the mean, autocorrelation and power spectrum of $y(t)$ . Two random process $X(t) = A\cos(\omega t + \theta)$ and $Y(t) = A\sin(\omega t + \theta)$ Where $A$ and $\omega$ are constants and $\theta$ is a uniform random variable over $[0,2\pi]$ Find the cross correlation of $Y(t)$ with $X(t)$ and the cross correlation of $X(t)$ with $Y(t)$ . Derive an expression for binary symbol transmission using a			
		Manchester coded waveform and obtain <i>PSD</i> .		06	
5	a b c	<ul> <li>The random process X(t) is defined by X(t) = Y cos(2πf₀t + θ), where Y and θ are two independent random variables, Y uniform on [-3,3] and θ uniform on [0,2π].</li> <li>i) Find the autocorrelation function of X(t) and its power spectral density.</li> <li>ii) If X(t) is to be transmitted to maintain an SQNR of atleat 40dB using a uniform PCM system, what is the required number of bits/sample and the least bandwidth requirement in terms of f₀.</li> <li>iii) If the SQNR is to be increased by 24dB, how many more bits/sample must be introduced and what is the new minimum bandwidth requirement for this case?</li> <li>Explain the working of DPCM modulator and demodulator with a block diagram?</li> <li>Five analog signals S1 to S5 in table 5c are to be formatted as digital signals for transmission. The allowed overhead includes a 8bit frame header with a 2 bit frame sequence number. Design a multiplexing scheme clearly showing the framing line rates. What should be the P/D buffer size at the receiver?</li> </ul>			
		Table 5c Signals Bandwidth	Resolution levels		
		S1 32kHz, sampled 25% above Nyquist rate	256		
		S2,S3 4kHz,sampled 20% above Nyquist rate S4,S5 5kHz,sampled at Nyquist rate	4096 4096	06	
		OR			
6	a	In a satellite radio system, 128 stations of stereo quality are to be packed in one data stream. For each station two (left and right) signals of bandwidth 15,000 <i>Hz</i> are sampled, quantized, and binary-coded into <i>PCM</i> signals. The transmitter must multiplex the data from 128 stations into a single stream via time multiplexing.  i) If the maximum acceptable quantization error in sample amplitudes is 0.25% of the peak signal voltage, find the minimum number of bits needed for a uniform quantizer.			

		<ul> <li>ii) If the sampling rate must be 20% higher than the Nyquist rate, find the minimum bit rate of the multiplexed data stream based on the quantizer in (i).</li> <li>iii) If 5% more bits are added to the multiplexed data for error protection and synchronization determine the minimum bandwidth needed to transmit the final data stream to receiver. Determine the binary pulse rate (bits per second) of</li> </ul>				
			ne binary-coded signal, and the mir	` - /		
		required to transmit this signal.			06	
	b	For a sinusoidal modulating signal $m(t) = A\cos(2\pi f_m t)$ , derive an				
		expression for the output <i>SQNR</i> in a <i>DM</i> system under the assumption of no slope over load.				
	С	Five analog signals S1 to S5 in table 6c are to be formatted as digital				
		signals for transmission. The allowed overhead includes a 8bit frame				
			h a 3 bit frame sequence number. Des early showing the framing line rates. W			
			size at the receiver?	nat should be the		
			Table 6c	_		
		Signals	Bandwidth	Resolution levels		
			16kHz, sampled at 20% above Nyquist rate	256		
		S2	32kHz, sampled at Nyquist rate	1024		
		<i>S</i> 3	4kHz, sampled at 25% above Nyquist rate	512		
		S4	5kHz, sampled at 20% above Nyquist rate	128	0.5	
		<i>S</i> 5	5kHz, sampled at Nyquist rate	128	05	
7	a	Given messages X1, X2, X3, X4, X5 and X6 with probabilities of				
		$\frac{1}{3}, \frac{1}{4}, \frac{1}{8}, \frac{1}{8}, \frac{1}{12}, \frac{1}{12}$ Construct a Ternary code applying Huffman encoding				
		procedure, Determine the efficiency and redundancy of the code				
					06	
	b	The differential entropy of a random variable 'X' is defined as				
		$H(x) = -\int_{-\infty}^{\infty} p(\log p) dx$ Find the <i>PDF</i> for which $H(x)$ is maximum?				
	c	A message source produces two independent symbols A and B with				
		probabilities 0.4 and 0.6. If the symbols are received in average with				
		4 in every 100 symbols in error, calculate the transmission rate of the system provided that the channel is binary symmetric.				
		system provided that the channel is binary symmetric. 04				
8	а	For a (7,4) Cyclic code the received vector is 1110101 and the generator polynomial is $g(x) = 1 + x + x^3$ . Draw the syndrome calculation circuit and correct the single error in the received vector.				
	b	calculation circuit and correct the single error in the received vector. For a (6,3) Linear block code the parity check digits are $C_4 = U_1 + U_2 + U_3$ ; $C_5 = U_1 + U_2$ ; $C_6 = U_1 + U_3$ ; Find				
		i) Generator matrix and parity check matrix				
		•				
		ii) C	onstruct the code generated by the ma	trix and draw the		
		ii) C er iii) D				