

Find a positive real root of  $(x^4-x-10)=0$  using newton Rapfson method.

```
def f(x):
    return x**4-x-10
def f1(x):
    return 4*x**3-1
X0=float(input("Enter the initial approximation"))
for i in range(1,10):
    Xn=X0-f(X0)/f1(X0)
    X0=Xn
print("The approimate root using newton Rapfson method is %.4f"%Xn)
```

```
Enter the initial approximation2
The approimate root using newton Rapfson method is 1.8556
```

Find a positive real root of  $(x^3-x-2)=0$  using newton Rapfson method.

```
import math
def f(x):
    return 3*x-math.cos(x)-1
def f1(x):
    return 3+math.sin(x)
X0=float (input ("Enter the initial approximation: "))
for i in range (1,10):
    Xn=X0-f(X0)/f1(X0)
    X0=Xn
print ("The approimate root using newton Rapfson method is %.4f"%Xn)
```

```
Enter the initial approximation: 1
The approimate root using newton Rapfson method is 0.6200
The approimate root using newton Rapfson method is 0.6071
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```

Solve the system of equation using Gauss-seidal method.

```
X0=0; Y0=0; Z0=0
for i in range (1,10):
    X=1/5*(12-2*Y0-Z0)
    X0=X
    Y=1/4*(15-X0-2*Z0)
    Y0=Y
```

```

Z=1/5*(20-X0-2*Y0)
Z0=7
print ("The approximate solution of X = %.4f, Y = %.4f,Z = %.4f"%(X,Y,Z))

```

The approximate solution of x=1.0000,Y=0.0000,Z=3.8000

#### Unit 4 : Langrange's Interpolation

```

x= [0,1,3,4]
y= [-12,0,6,12]
s = float(input("Enter the value of x to be in: "))
sum=0
for i in range (0,4):
    prod=1
    for j in range (0,4):
        if i!=j:
            prod = prod*(s-x[j])/(x[i]-x[j])
            sum = sum+prod*y[i]
print ("The functional value is %.4f"%sum)

```

Enter the value of x to be in: 0  
The functional value is -36.0000

#### Trapizodal

```

def f(x):
    return 1/(1+x**2)
a=float(input("Enter the lower limit: "))
b=float(input("Enter the upperlimit: "))
h=float(input("Enter the step size: "))
n=int((b-a)/h)
sum = 0
for i in range (1, n):
    sum = sum+f(a+i*h)
    trap = h/2*(f(a)+f(b)+2*sum)
print ("The Integral value is %.5f"%trap)

```

Enter the lower limit: 0  
Enter the upperlimit: 1  
Enter the step size: 0.1  
The Integral value is 0.78498

#### R K method

```

def f (x, y):
    return x+y**2
x0=float(input("Enter initial point of x: "))

```

```

y0=float(input("Enter initial point of y: "))
h=float(input("Enter step value h: "))
k1 = h*f(x0, y0)
k2 = h*f(x0+h/2, y0+k1/2)
k3 = h*f(x0+h/2, y0+k2/2)
k4 = h*f(x0+h, y0+k3)
y = y0+(k1+2*k2+2*k3+k4)/6
print ("The value of y using RK method is %.4f"%y)

```

```

Enter initial point of x: 0
Enter initial point of y: 1
Enter step value h: 0.1
The value of y using RK method is 1.1165

```

#### Adam Bashforth method

```

import math
def f (x, y):
    return (x**2)*(1+y)
X0=float (input ("Enter x0: "))
y0=float (input ("Enter y0: "))
X1=float (input ("Enter X1: "))
y1=float (input ("Enter y1: "))
X2=float (input ("Enter X2: "))
y2=float (input ("Enter y2: "))
X3=float (input ("Enter x3: "))
y3=float (input ("Enter y3: "))
h=0.1
y4p = y3+(h/24)*(55*f(X3, y3)-59*f(X2, y2) +37*f(X1,y1)-9*f(X0, y0))
X4=x3+h
y4c = y3+(h/24)*(9*f(X4, y4p) +19*f(X3, y3) -5*f(X2, y2) +f(X1, y1))
print("Approximate soln is %0.4f"%y4c)

```

```

Enter x0: 1
Enter y0: 1
Enter X1: 1.1
Enter y1: 1.233
Enter X2: 1.2
Enter y2: 1.548
Enter x3: 1.3
Enter y3: 1.979
Approximate soln is 2.5749

```

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