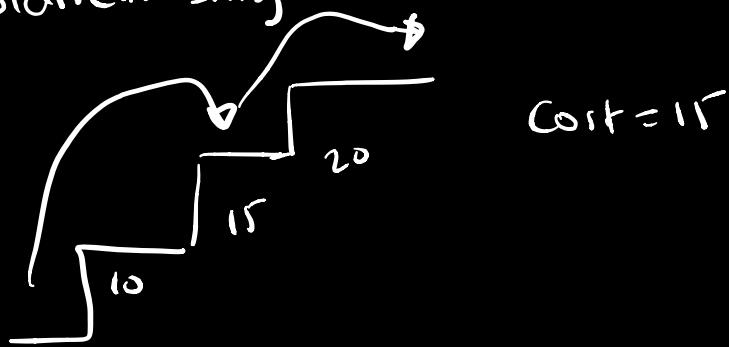
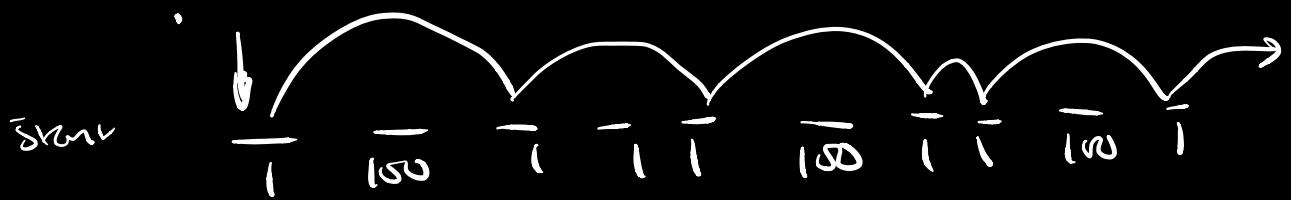


Min cost starclimbing

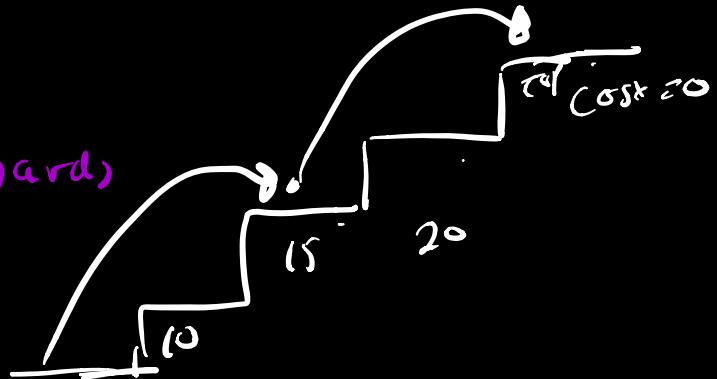


Cost = 15



$$(1+1+1+1+1+1 = 6)$$

Working backward



$n=3$

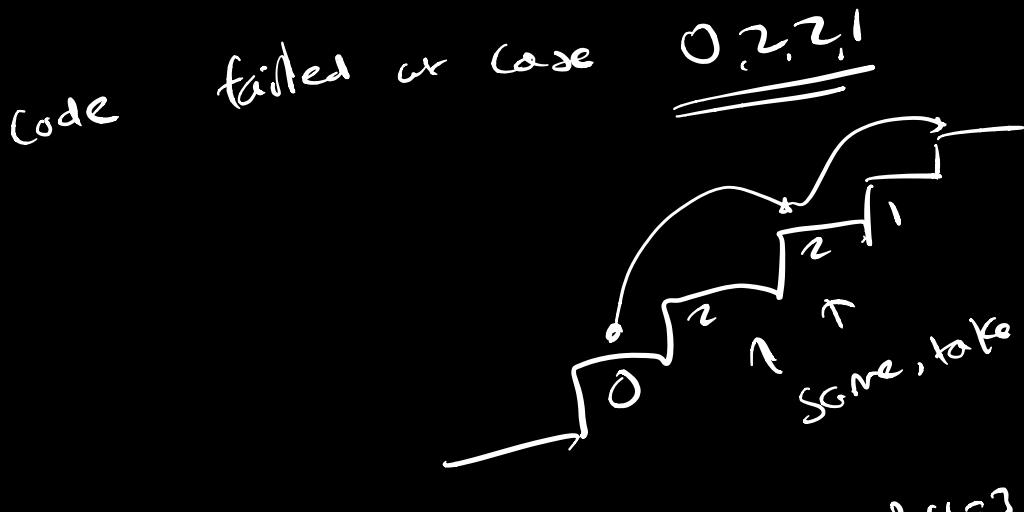
10 15 20 -

Start @ $i=2$

if ($i=n$) Cost + = 0

else

Cost + = min (Cost[i-1], Cost[i-2])



→ forget you can start at step 0 or step 1

```
class Solution {
public:
    int minCostClimbingStairs(vector<int>& cost) {
        int n = cost.size();
        if (!n || n==1) return 0;
        int payAmount = 0;
        for(int i=n; i>=2; ) {
            int above = cost[i-1];
            int below = cost[i-2];
            if (above < below) {
                //take above
                i--;
                payAmount += above;
            } else {
                //take below esp. if equal
                i-= 2;
                payAmount += below;
            }
        }
        return payAmount;
    }
};
```

Starting from
end didn't work.
because you can start
at 0 or 1

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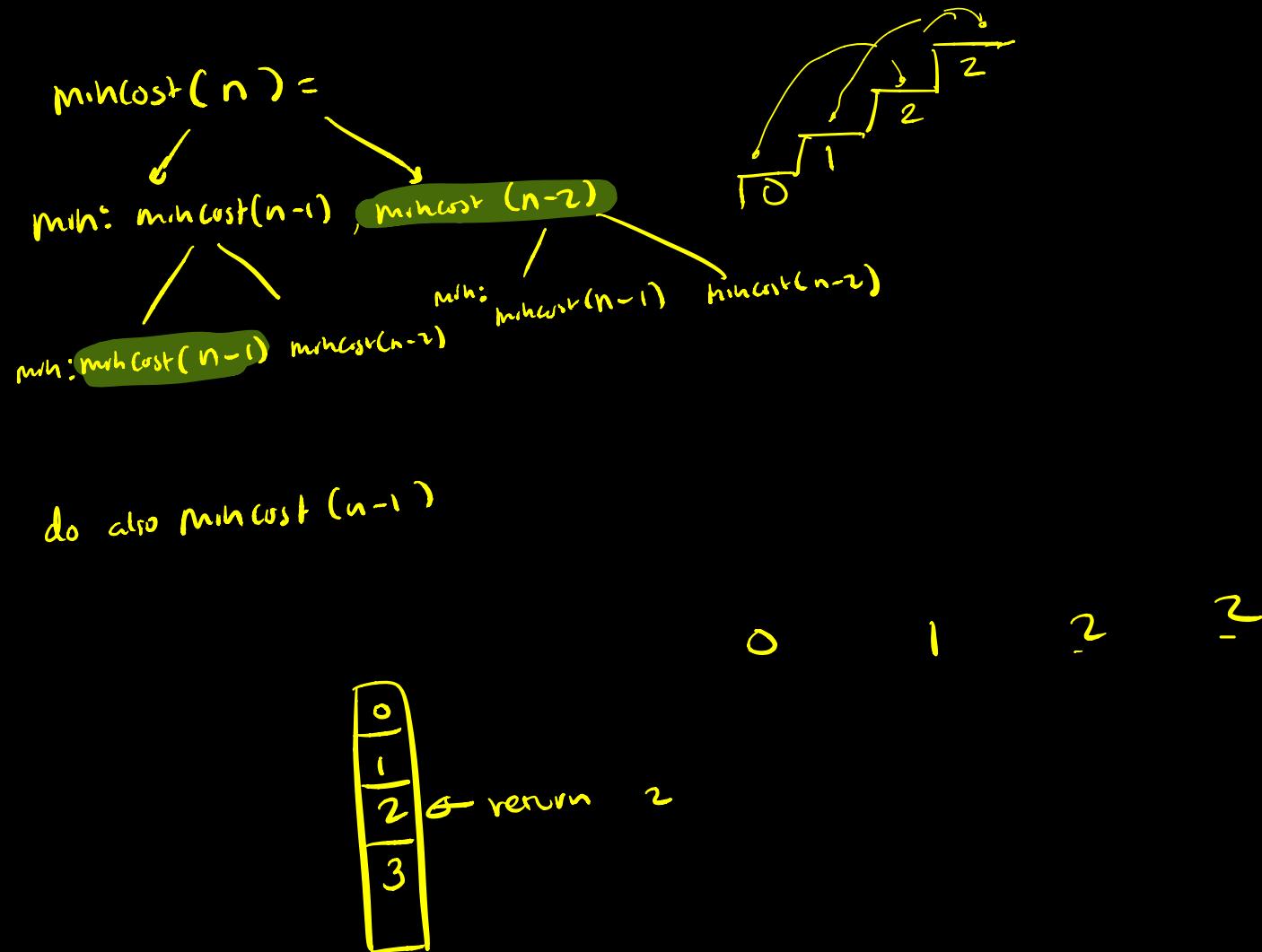
1 0 1 0	0 0 0 0
1 1 0 1	0 0 0 1
	0 0 1 0
	0 0 1 1
	0 1 0 0
	0 1 0 1
	0 1 1 0
	0 1 1 1
	1 0 0 0
	1 0 0 1
	1 0 1 0
	1 0 1 1
	1 1 0 0
	1 1 0 1
	1 1 1 0
	1 1 1 1

given stair i , the optimal cost to reach i is
 the cost of stair i plus the minimum between
 the optimal cost to reach $i-1$, and the optimal
 cost to reach $i-2$.

$$m[i] = \text{cost}[i] + \min(\text{optimal cost to reach } i-2, \\ \text{optimal cost to reach } i-1)$$

base case $m[0] = A[0]$
 $m[1] = A[1]$

$$n = \text{cost.size()}-1$$



```

public:
    int minCostClimbingStairs(vector<int>& cost) {
        int dp[cost.size()]; //stores optimal cost to reach ith step

        dp[0] = cost[0];
        dp[1] = cost[1]; //base cases
        if (cost.size() < 2) return min(dp[0], dp[1]);
        for(int i=2; i < cost.size(); i++) {
            //store optimal cost to reach ith step in dp array
            dp[i] = cost[i] + min(dp[i-1], dp[i-2]);
        }
        return min(dp[cost.size()-1], dp[cost.size()-2]);
    }
};

```