```
Enter size of list : 4
3 0
0 10
2 1
5 3
[(3, 0), (2, 1), (5, 3), (0, 10)]
```

```
In [2]: #4 Given the coordinates of vertices (x,y) of an equilateral triangle, calculate
        from sympy import symbols, Eq, solve
        def slope(x1, y1, x2, y2):
            m = None
            b = y1-y2
            a = x1-x2
            if a != 0:
                m = b/a
            return m
        x, y = symbols('x y')
        x1, y1, x2, y2, x3, y3 = map(float, input().split())
        mid_pt1 = list([(x2+x3)/2, (y2+y3)/2])
        mid_pt2 = list([(x1+x3)/2, (y1+y3)/2])
        m1 = (y1-mid_pt1[1])/(x1-mid_pt1[0])
        m1 = slope(x1, y1, mid_pt1[0], mid_pt1[1])
        m2 = slope(x2, y2, mid pt2[0], mid pt2[1])
        if m1:
                                                  # condition to check if slope is infini
            eq2 = Eq(y-y1-m1*x+m1*x1, 0)
                                                  # equation of perpendicular bisector.
        else:
            eq2 = Eq(x-x1, 0)
                                                  # condition to check if slope is infini
            eq1 = Eq(y-y2-m2*x+m2*x2, 0)
                                                  # equation of perpendicular bisector.
        else:
            eq1 = Eq(x-x2, 0)
        center = solve((eq1, eq2), (x, y)) # intersection point of perpendicular &
        print(center)
```

```
0 0 1 0 0.5 0.866
{x: 0.500000000000000, y: 0.28866666666667}
```

```
In [3]: #5 Imagine an equilateral triangle, with vertices (x1,y1), (x2,y2), (x3,y3).
        # Suppose you divide the equilateral into smaller but equal sized equilateral tri
        # with "N" vertices on each side. Write a program find the coordinates of the inr
        # If possible plot the results using matplotlib.
        from sympy import symbols, Eq, solve
        import matplotlib.pyplot as plt
        import matplotlib.tri as mtri
        import numpy as np
        import math
        def slope(x1, y1, x2, y2):
                                        # calculate slope of line passing through (
            m = None
            b = y1-y2
            a = x1-x2
            if a != 0:
                m = b/a
            return m
        # finding out 3rd vertex of inner smaller triangle where (x1,y1) and (x2,y2) are
        def third point(x1, y1, x2, y2):
            global a
            eq1 = Eq(pow(x-x1, 2)+pow(y-y1, 2)-pow(a/(n+1), 2), 0)
            eq2 = Eq(pow(x-x2, 2)+pow(y-y2, 2)-pow(a/(n+1), 2), 0)
            r = solve((eq1, eq2), (x, y))
            return r
        # to decide which point to be considered for next iteration(2 pts will be obtaine
        def check(x1, y1, x, y):
            global x2, y2, x3, y3
            r = (y1-y)*(x3-x2)-(y3-y2)*(x1-x)
            if r < 0:
                return "-ve"
            else:
                return "+ve"
        x, y = symbols('x y')
        x1, y1, x2, y2, x3, y3 = map(float, input(
            "Enter vertices of equilateral triangle - ").split())
        n = int(input("Enter N value - "))
        c = check(x1, y1, x2, y2)
        a = math.sqrt(pow((x1-x2), 2)+pow((y1-y2), 2))
        1 = [[x2, y2]]
        result = []
        p = 1
        q = n
        for i in range(n):
                                          # finding N vertices that are equally seperated
            11 = [((p*x3)+(q*x2))/(p+q), ((p*y3)+(q*y2))/(p+q)]
            l.append(11)
            p = p+1
            q = q-1
        1.append([x3, y3])
        11 = []
        for i in range(len(1)-1): # 1st iteration to include only 1 point among 2 poi
            d = third_point(l[i][0], l[i][1], l[i+1][0], l[i+1][1])
```

```
s = check(d[0][0], d[0][1], x2, y2)
    if c == "+ve" and s == "+ve":
        11.append([d[0][0], d[0][1]])
        result.append(
            [[1[i][0], 1[i][1]], [1[i+1][0], 1[i+1][1]], [d[0][0], d[0][1]]]) # j
    elif c == "-ve" and s == "-ve":
        11.append([d[0][0], d[0][1]])
        result.append(
            [[1[i][0], 1[i][1]], [1[i+1][0], 1[i+1][1]], [d[0][0], d[0][1]]])
    else:
        11.append([d[1][0], d[1][1]])
        result.append(
            [[1[i][0], 1[i][1]], [1[i+1][0], 1[i+1][1]], [d[1][0], d[1][1]]])
for i in range(n):
                               # general iteration - both points will be considered
    1 = []
    for i in range(len(l1)-1):
        d = third_point(l1[i][0], l1[i][1], l1[i+1][0], l1[i+1][1])
        s = check(d[0][0], d[0][1], l1[i][0], l1[i][1])
        if c == "+ve" and s == "+ve":
            1.append([d[0][0], d[0][1]])
        elif c == "-ve" and s == "-ve":
            1.append([d[0][0], d[0][1]])
        else:
            1.append([d[1][0], d[1][1]])
        result.append(
            [[11[i][0], 11[i][1]], [11[i+1][0], 11[i+1][1]], [d[0][0], d[0][1]]])
        result.append(
            [[l1[i][0], l1[i][1]], [l1[i+1][0], l1[i+1][1]], [d[1][0], d[1][1]]])
    11 = []
    11.extend(1)
                       # update l1.
1x = []
1v = []
for i in range(len(result)):
    print("Triangle #{}".format(i+1), end=": ")
    for i in result[i]:
        print(j, end=" ")
        lx.append(j[0])
        ly.append(j[1])
    print()
lx.extend([x1, x2, x3])
ly.extend([y1, y2, y3])
tri = [[i, i+1, i+2] \text{ for } i \text{ in } range(0, len(lx), 3)]
x = np.asarray(lx, dtype=float)
y = np.asarray(ly, dtype=float)
triang = mtri.Triangulation(x, y, tri)
z = np.cos(1.5 * x) * np.cos(1.5 * y)
plt.tricontourf(triang, z)
plt.triplot(triang, 'ko-')
plt.show()
```

```
Enter vertices of equilateral triangle - 0.5 0.866 0 0 1 0

Enter N value - 3

Triangle #1: [0.0, 0.0] [0.25, 0.0] [0.12500000000000, 0.216500000000000]

Triangle #2: [0.25, 0.0] [0.5, 0.0] [0.37500000000000, 0.21650000000000]

Triangle #3: [0.5, 0.0] [0.75, 0.0] [0.62500000000000, 0.21650000000000]

Triangle #4: [0.75, 0.0] [1.0, 0.0] [0.87500000000000, 0.21650000000000]

Triangle #5: [0.1250000000000000, 0.21650000000000] [0.375000000000000, 0.21650
```

000000000] [0.250000000000000, 0.0] Triangle #6: [0.125000000000000, 0.21650000000000] [0.37500000000000, 0.21650 000000000] [0.25000000000000, 0.43300000000000] Triangle #7: [0.375000000000000, 0.21650000000000] [0.62500000000000, 0.21650 000000000] [0.500000000000000, 0.0] Triangle #8: [0.375000000000000, 0.21650000000000] [0.62500000000000, 0.21650 000000000] [0.50000000000000, 0.43300000000000] Triangle #9: [0.625000000000000, 0.21650000000000] [0.87500000000000, 0.21650 000000000] [0.750000000000000, 0.0] Triangle #10: [0.625000000000000, 0.21650000000000] [0.87500000000000, 0.2165 0000000000] [0.75000000000000, 0.433000000000000] Triangle #11: [0.25000000000000, 0.43300000000000] [0.5000000000000, 0.4330 0000000000] [0.37500000000000, 0.216500000000000] Triangle #12: [0.250000000000000, 0.4330000000000] [0.50000000000000, 0.4330 0000000000] [0.37500000000000, 0.649500000000000] Triangle #13: [0.500000000000000, 0.4330000000000] [0.75000000000000, 0.4330 0000000000] [0.62500000000000, 0.216500000000000] Triangle #14: [0.500000000000000, 0.4330000000000] [0.75000000000000, 0.4330 0000000000] [0.62500000000000, 0.649500000000000] Triangle #15: [0.375000000000000, 0.64950000000000] [0.62500000000000, 0.6495 0000000000] [0.50000000000000, 0.433000000000000] Triangle #16: [0.375000000000000, 0.64950000000000] [0.625000000000000, 0.6495 0000000000] [0.50000000000000, 0.866000000000000]

