$$S_{xx}(r) = ae^{-\infty 101} + b$$

$$y(\eta, t) = \begin{cases} 0 & \text{for } t \leq t_0 \\ \int x(\eta, \lambda) d\lambda & \text{for } t > t_0 \end{cases}$$

a) Determine the constant a and b

$$(m_{\chi}^{(1)})^{\gamma} = \lim_{\gamma \to \infty} S_{\chi\chi}(\gamma) = 0$$

$$= \lim_{\gamma \to \infty} a e^{-\alpha |\gamma|}$$

$$+ b = 0$$

$$= \lim_{\gamma \to \infty} b = 0$$

b) Determine the cross-correlation function

(Sxy (t1, t2)= E ? x (2, t1) y (2, t2)

$$= \begin{cases} \frac{1}{2} & \frac{1}{2} &$$

cases to Lt Lt  $\int_{t}^{\infty} e^{\infty(\lambda-t_{i})} d\lambda + \int_{e^{-\infty}}^{t} e^{-\infty(\lambda-t_{i})} d\lambda$  $= \rangle \frac{e^{\alpha(\lambda-t_1)}}{\alpha} \left| t_1 + \frac{e^{-\alpha(\lambda-t_1)}}{-\alpha} \right|$ => \frac{1}{\pi} \left[1-\ex(t\_6-t\_1) - \left[e-\pi] \left[-\pi] \right]  $= \frac{1}{x} \frac{1}{2 - e^{\alpha (t_0 - t_1)}} = \frac{1}{e^{\alpha (t_0 - t_1)}}$ case2: to <t<t, Now the Integral will open only negative part  $\int_{-\infty}^{\infty} e^{\alpha (\lambda - \xi_1)} d\lambda = \int_{-\infty}^{\infty} \left[ e^{\alpha (\xi - \xi_1)} - e^{\alpha (\xi - \xi_1)} \right]$ Now, the integral win open only positive part to case 4: 0 elsewhere

is non stationary.

Stationary reandom process -> do not depend on I on to weakly stationary random process -> do not depends on I'm Non-stationary random process -> depends on t.