

Metrics for evaluating ml models

① Confusion Matrix

	Actual values	
	1	0
Predicted 1 values.	TP	FP
	FN	TN

Type 2 Error
 ↳ $FPR = \frac{FP}{FP + TN}$

Type 2 error = $\frac{FN}{FN+TP}$
FNR

Type 1 error
↳ $FPR = \frac{FP}{FP+TN}$

Classification Problem

Binary

Probability

Cut-off is very important to determine hyperparameters

② Accuracy: Accuracy is a ~~not~~ metrics which is used when your dataset is balanced. If we have a churn and non churn data and churn % is just 10% and non churn is 90%. Accuracy is not a nice metrics when your data is biased. Similarly in multiple classification when data is biased, one should not use

accuracy = $\frac{TP+TN}{TP+FP+TN+FN}$

(Sensitivity) Recall = $\frac{TP}{TP+FN}$ ^{↑ health}
Precision = $\frac{TP}{TP+FP}$ ^{↑ spec}

f1 score | f beta = $(1+\beta^2) \frac{Precision \times Recall}{\beta^2 \times Precision + Recall}$
(imbalanced dataset)

f1 = $\frac{2 \times Precision \times Recall}{Precision + Recall}$ ^{Harmonic mean}

f1 = ?

$\beta = 1$; false positive and false negative are equally important

Precision \uparrow , $0 < \beta < 1$; false positive have more impact than false negative

Recall \uparrow , $\beta > 1$; false negative has more impact than false positive

ROC and AUC Curve (mostly used for binary classification problems)

Threshold values $[0, 0.2, 0.4, 0.6, 0.8, 1]$

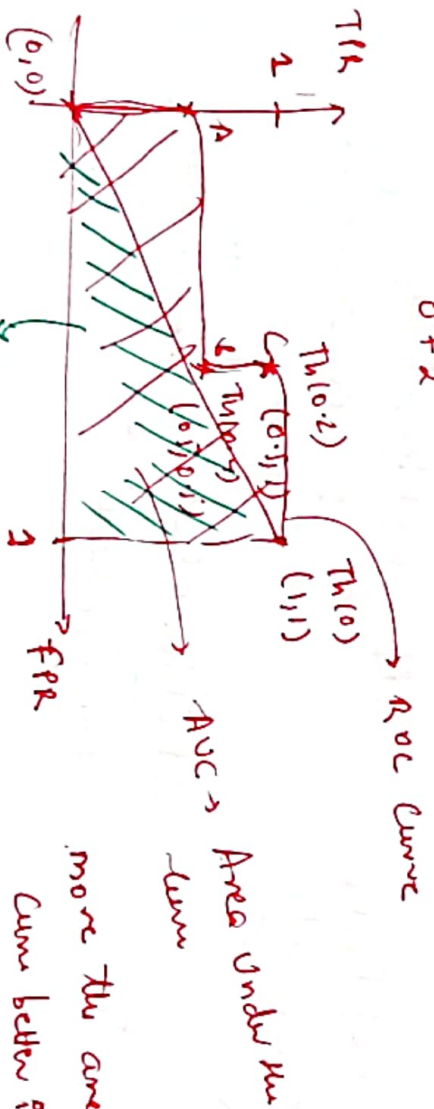
\hat{y}	$\hat{y}_{(0)}$	$\hat{y}_{(0.2)}$
1	0.8	1
0	0.96	1
1	0.4	1
1	0.3	1
0	0.2	0
1	0.7	1

$$TPR = \frac{TP}{TP+FN} = \frac{4}{4+0} = 1$$

$$FPR = \frac{FP}{FP+FN} = \frac{0}{1+1} = 0.5$$

$$F1R = \frac{2 \cdot PR}{P+R} = \frac{2 \cdot \frac{4}{4}}{\frac{4}{4} + \frac{4}{4}} = \frac{4}{2} = 2$$

$$= \frac{2}{0+2} = 1$$



Total Area should always be greater than this green area

$$\frac{1}{2} \times 1 \times 1 = 0.5$$

Q. What threshold value we should select from this?

- Now go to a domain expert then true expert will let you know what he cares about

True Positive \gg False Positive (A)

False Positive \gg True Positive (B)

True Positive \approx False Positive (C)

Bias - Variance of the model (Overfitting/Underfitting)

preferred model = low bias, low variance

very little parameter :- high bias | low variance

very high parameter :- low bias | high variance

high bias \rightarrow oversimplified \rightarrow underfit
low bias \rightarrow over complicated \rightarrow overfit

high variance \rightarrow Prediction ~~clustered~~
spread across the real target

low variance \rightarrow prediction clustered near the real target

Irreducible error.

$$Err(x) = \overset{\text{Bias}^2}{\left(E[\hat{f}(x)] - f(x) \right)^2} + E \left[\overset{\text{var}}{\left(\hat{f}(x) - E[\hat{f}(x)] \right)^2} \right] + \underset{\rightarrow \text{Ir error}}{\sigma_e^2}$$

Bias, Variance tradeoff

Cross Validation | K-fold Cross validation

In cross validation we run our modelling process of different subsets of data to get multiple measures of model quality.

Ex 1

val
 Train

Ex 2

 val
T T T T

Ex 3

 val
T T T T

Ex 4

 val
T T T T

Ex 5

 val
T T T T