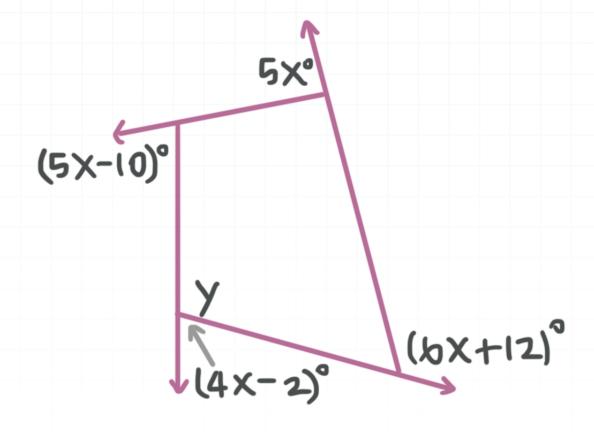
Topic: Exterior angles of polygons

Question: Find the value of y.



Answer choices:

A 105°

B 110°

C 115°

D 120°

Solution: B

The sum of the measures of the exterior angles is 360°. Therefore,

$$(4x-2)^{\circ} + (5x-10)^{\circ} + 5x^{\circ} + (6x+12)^{\circ} = 360^{\circ}$$

$$(4x^{\circ} + 5x^{\circ} + 5x^{\circ} + 6x^{\circ}) + (-2^{\circ} - 10^{\circ} + 12^{\circ}) = 360^{\circ}$$

$$20x^{\circ} + 0^{\circ} = 360^{\circ}$$

$$20x^{\circ} = 360^{\circ}$$

$$x = 18$$

The interior angle of measure y and the exterior angle of measure $(4x-2)^{\circ}$ are supplementary, so

$$y + (4x - 2)^{\circ} = 180^{\circ}$$

Substitute 18 for x and solve for y.

$$y + [4(18) - 2]^{\circ} = 180^{\circ}$$

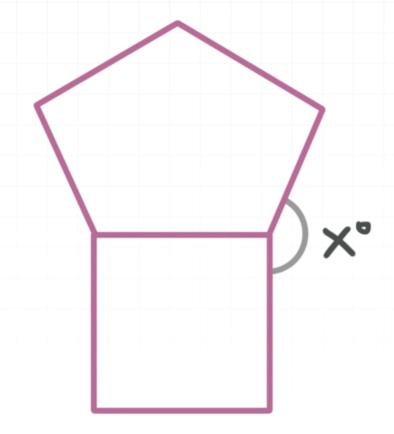
$$y + (72 - 2)^{\circ} = 180^{\circ}$$

$$y + 70^{\circ} = 180^{\circ}$$

$$y = 110^{\circ}$$

Topic: Exterior angles of polygons

Question: The figure shows a regular pentagon and a square (a regular quadrilateral). Find the value of x.



Answer choices:

A 132°

B 142°

C 152°

D 162°

Solution: D

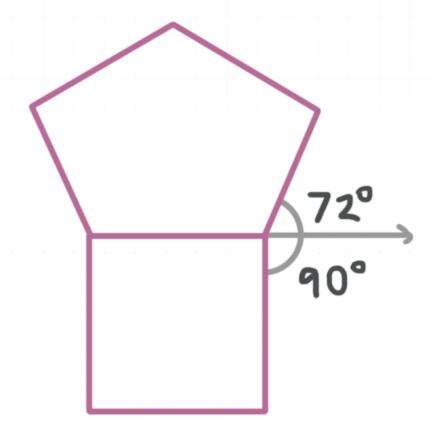
Notice that the angle of measure x is formed from an exterior angle of the pentagon and an exterior angle of the square, which are a pair of adjacent angles, and that the sum of their measures is x.

An exterior angle of a regular pentagon has a measure of

$$360^{\circ} \div 5 = 72^{\circ}$$

An exterior angle of a square has a measure of

$$360^{\circ} \div 4 = 90^{\circ}$$



Therefore,

$$x = 72^{\circ} + 90^{\circ}$$

$$x = 162^{\circ}$$

Topic: Exterior angles of polygons

Question: A certain regular polygon has an exterior angle of measure $2x + 8^{\circ}$ and an exterior angle of measure $56^{\circ} - x$. What is the sum of the interior angles of the polygon?

Answer choices:

A 1,080°

B 1,260°

C 1,440°

D 1,620°



Solution: B

All the exterior angles of a regular polygon are congruent, so

$$2x + 8^{\circ} = 56^{\circ} - x$$

$$3x + 8^{\circ} = 56^{\circ}$$

$$3x = 48^{\circ}$$

$$x = 16^{\circ}$$

Using the exterior angle of measure $56^{\circ} - x$, we find that the measure of each exterior angle is

$$56^{\circ} - 16^{\circ} = 40^{\circ}$$

The number of sides, n, will be

$$360^{\circ} \div 40^{\circ} = 9$$

The sum of the measures of the interior angles is therefore

$$(9-2)180^{\circ} = 1,260^{\circ}$$