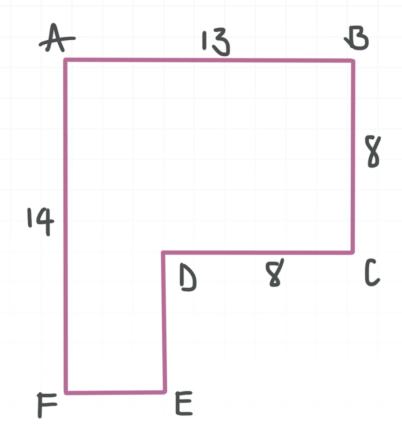
**Topic**: Area of a rectangle using sums and differences

**Question**: The figure is made by combining rectangles. What is the area of the figure?



### **Answer choices**:

**A** 96

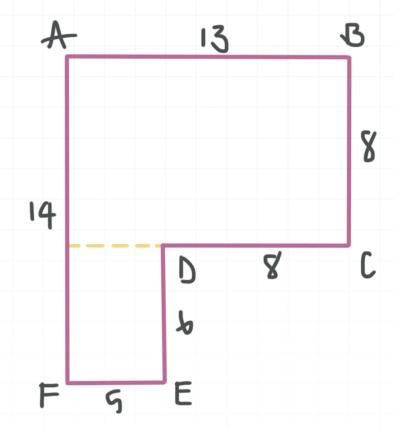
B 104

**C** 134

D 182

## **Solution**: C

Draw a dashed segment to divide the figure into two rectangles.



The height of the figure is 14, so  $\overline{DE} = \overline{AF} - \overline{BC} = 14 - 8 = 6$ .

The width of the figure is 13, so  $\overline{FE} = \overline{AB} - \overline{DC} = 13 - 8 = 5$ .

The area of the upper rectangle is

$$area = bh = 13 \cdot 8 = 104$$

The area of the lower rectangle is

area = 
$$bh = 5 \cdot 6 = 30$$

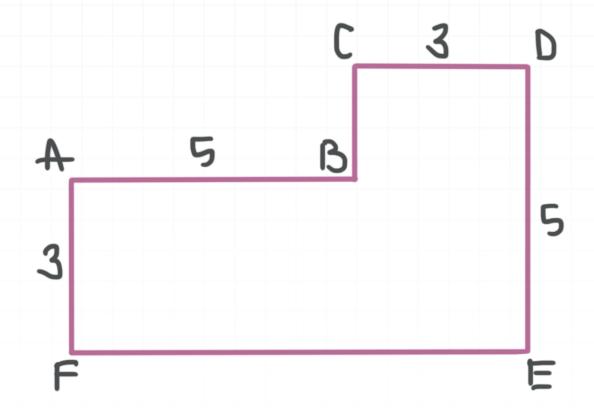
So the total area of the figure is

$$area = 104 + 30 = 134$$



**Topic**: Area of a rectangle using sums and differences

**Question**: The figure is made by combining rectangles. What is the area of the figure?



# **Answer choices**:

**A** 30

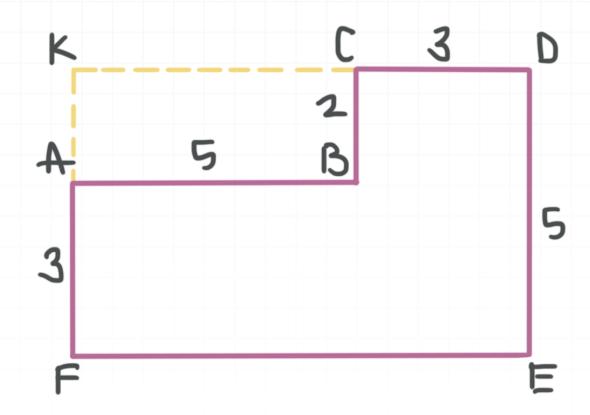
B 40

**C** 42

D 52

#### Solution: A

Form a new, large rectangle by drawing a rectangle that fills in the empty space, and draw dashed line segments from A and C to K, where K is the vertex in the upper-left corner of the new, large rectangle we formed.



The height of the new, large rectangle we formed is 5, so  $\overline{CB} = \overline{DE} - \overline{AF} = 5 - 3 = 2$ .

By adding  $\overline{AB}$  and  $\overline{CD}$ , we find that the base of the new, large rectangle we formed is 8.

The area of the new, large rectangle we formed, *KDEF*, is

area = 
$$bh = 8 \cdot 5 = 40$$

The area of ABCK is

$$area = bh = 5 \cdot 2 = 10$$

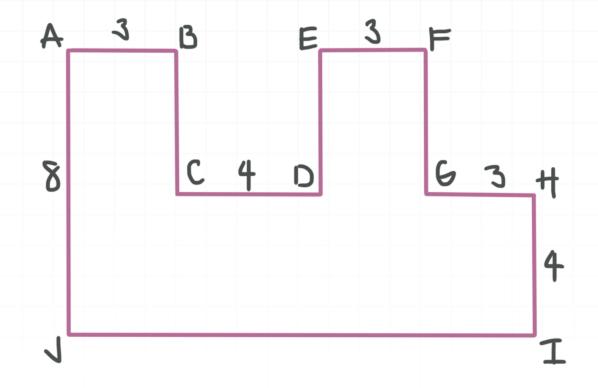
To get the area of the original figure, subtract the area of the rectangle ABCK from the area of the rectangle KDEF.

$$area = 40 - 10 = 30$$



**Topic**: Area of a rectangle using sums and differences

**Question**: The figure is made by combining rectangles. What is the area of the figure?



## **Answer choices:**

**A** 76

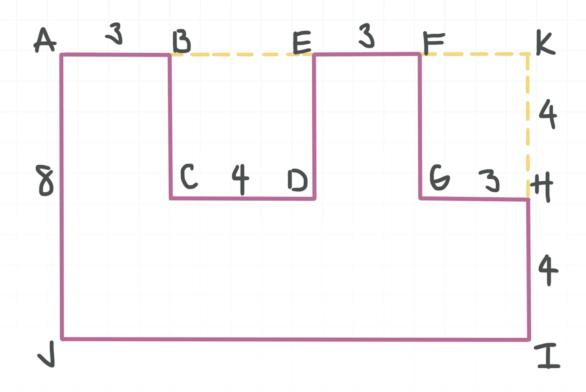
B 82

C 94

D 108

#### Solution: A

Form a new, large rectangle by drawing two rectangles that fill in the empty spaces. To do this, draw a dashed line segment from B to E (to get rectangle BEDC), and draw dashed line segments from F and H to a new point K (to get rectangle FKHG).



The height of the new, large rectangle we formed is 8, so  $\overline{HK} = \overline{IK} - \overline{IH} = 8 - 4 = 4$ . Likewise,  $\overline{DE}$  must also be 4.

By adding the lengths of  $\overline{AB}$ ,  $\overline{CD}$ ,  $\overline{EF}$ , and  $\overline{GH}$ , we get a total width of 13.

The area of the new, large rectangle we formed is therefore

$$area = bh = 13 \cdot 8 = 104$$

The area of BEDC is

$$area = bh = 4 \cdot 4 = 16$$

The area of *FKHG* is



area = 
$$bh = 3 \cdot 4 = 12$$

To get the area of the original figure, subtract the sum of the areas of the rectangles BEDC and FKHG from the area of the new, large rectangle we formed, AKIJ.

area = 
$$104 - (16 + 12) = 104 - 28 = 76$$

