

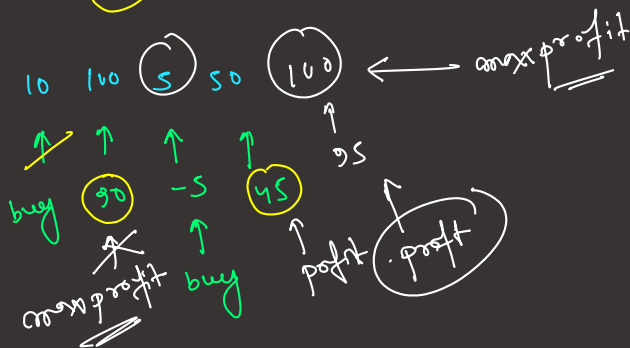
else {

buying price = prices[i];

}

}

90

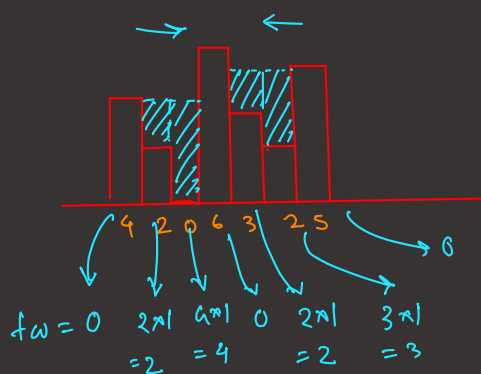


Day-3

## Trapping Rainwater

Given  $n$  - non-negative integers representing an elevation map where the width of each bar is 1. compute how much water it can trap after raining

height = [4, 2, 0, 6, 3, 2, 5]



$\therefore \text{total tw} = 11$

left boundary

right boundary

(i)

$wl = \min(lb, rb) - \text{height}[i]$

$tw = wl \times 1$

if  $(n > 2 \text{ \& \& not acc \& \& not desc})$

return

return code

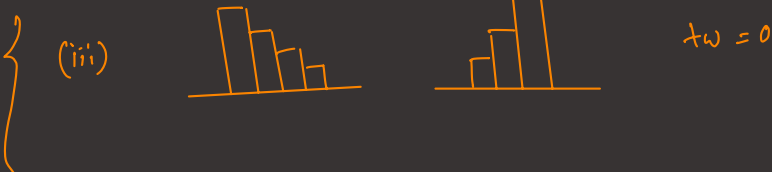
$O(n)$

acc trap = False

acc  $\text{arr}[i-1] < \text{arr}[i]$

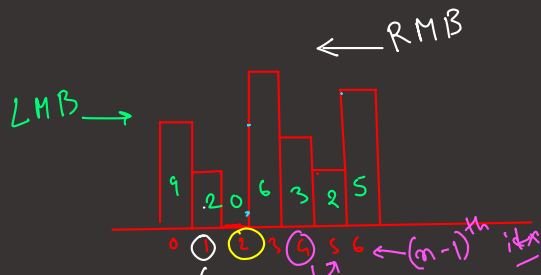
trap = true  $\rightarrow$  Break

$n > 2$



if height[i] is sorted in acc or desc order

H.W



LMB = 

4	4	4	6	6	6	6
0	1	2	3	4	5	6

 → Left Max Boundary

RMB = 

6	6	6	6	5	5	5
0	1	2	3	4	5	6

 → Right Max Boundary

Trapped water at index  $i$  =  $\underbrace{\min(LMB[i], RMB[i])}_{\text{Water level}} - \text{height}[i]$

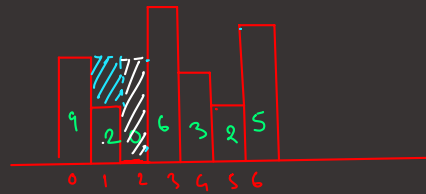
Potential water =  $\sum fw$

$LMB[i] = \max(LMB[i-1], \text{height}[i])$  if  $i \neq 0$

for  $i=0$ ,  $LMB[0] = \text{height}[0]$

$RMB[i] = \max(RMB[i+1], \text{height}[i])$  if  $i \neq n-1$

if  $i = n-1$ ,  $RMB[i] = \text{height}[i]$



$$fw[0] = \min(LMB[0], RMB[0]) - \text{height}[0] \\ = \min(4, 6) - 4 = 4 - 4 = 0$$

$$fw[1] = \min(4, 6) - 2 = 4 - 2 = 2$$

$$fw[2] = \min(4, 6) - 6 = 4 - 6 = -2$$

⋮

## Sorting

① Bubble Sort: large elements come to the end of array by swapping with the adjacent element.

A → 

8	5	7	3	2
---	---	---	---	---

$i=0$   
1<sup>st</sup> pass

8	5	5	5	5
5	8	7	7	7
7	7	8	3	3
3	3	3	8	2
2	2	2	2	8

Comp = 4  
max swap = 4

result for pass 1  
2<sup>nd</sup> pass  $i=1$

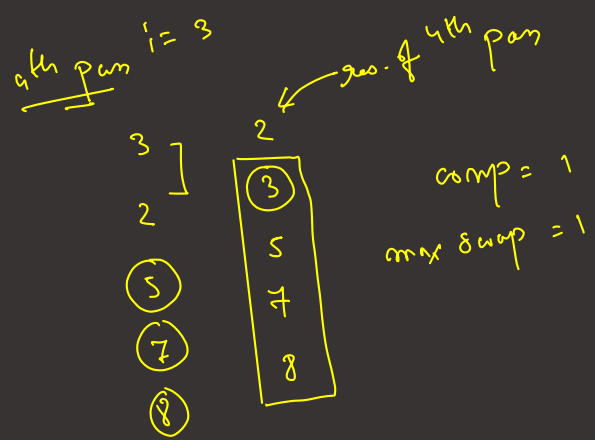
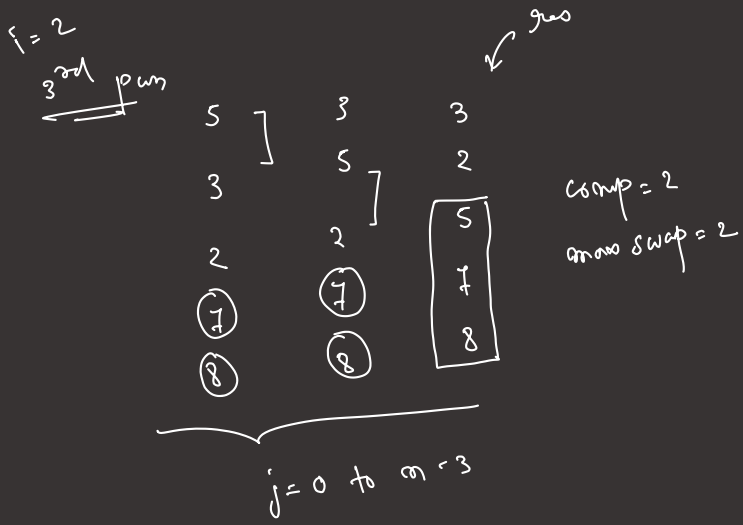
5	5	5	5
7	7	3	3
3	3	7	2
2	2	2	7
8	8	8	8

2<sup>nd</sup> pass

Comp = 3  
swap = 2  
max swap = 3

$j=0$  to  $n-2$

$j=0$  to  $n-1$

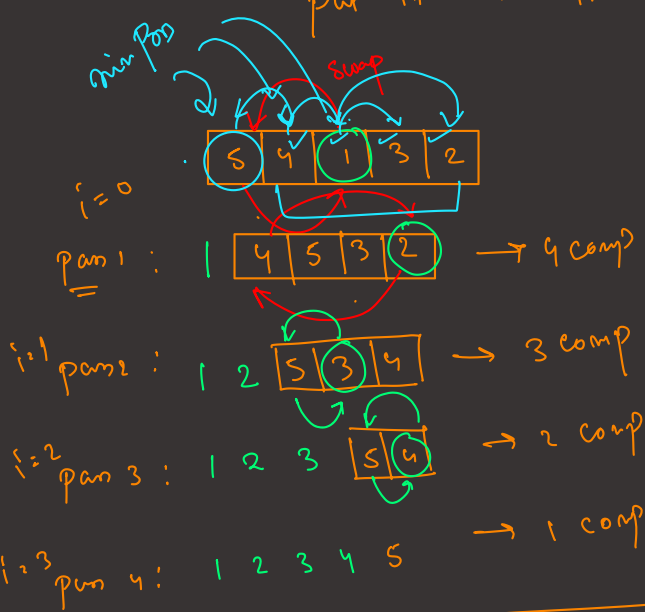


$\therefore$  total no of comp =  $(n-1) + \dots + 3 + 2 + 1$   
 $= \frac{n(n-1)}{2}$  ← max swap

for (int i = 0; i < n-1; i++)  
 for (int j = 0; j < n-1-i; j++)  
 // start with 0  
 ↓ comp or swap

time complexity =  $O(n^2)$   
 $O\left(\frac{n^2}{2} - \frac{n}{2}\right)$   
 $= O(n^2/2) = O(n^2)$

Selection Sort pick the smallest (from unsorted part), put it at the beginning.



- check for the min of unsorted array.
- ele [1st index] ↔ ele [position]

total no. of swap =  $n-1$   
 $= O(n)$

total comp =  $\frac{n(n-1)}{2} = O(n^2)$  ← time complexity

② Selection sort is not adaptive

