

Descriptive stat 1 - Analysing the data / finding the patterns
those patterns are useful to present data

M.C.T -

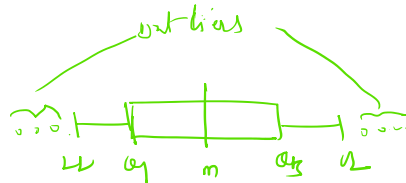
- ① mean : $\Sigma x/n = \bar{x}$
 - ② median : middle point
 - ③ mode : most repeated value in data
- } → imputations of null value
→ To show / identify the distribution of values

M.D -

① std : $\sigma = \sqrt{\frac{\Sigma (x - \bar{x})^2}{n}}$ (distance b/w sample point to mean)

② var : $\sigma^2 = \frac{\Sigma (x - \bar{x})^2}{n}$

Outliers : Inter Quartile Range (IQR)



$L = Q_1 - 1.5 \times IQR$

$U = Q_3 + 1.5 \times IQR$ $IQR = Q_3 - Q_1$

measures of shape :

skew - mean is affected by the outliers but not median

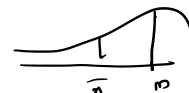
① mean > med → positive skewness

$sk > 0$



② mean < med → negative skewness

$sk < 0$



③ mean = med → skew symmetric

$sk = 0$



measures of relation :

Correlation :

relation b/w two (columns) variables

positive correlation =

$r \geq 0.5$

↑ ↑ / ↓ ↓ → direction same

$r = \frac{\text{cov}(x, y)}{\sigma_x \sigma_y}$

negative →

$r \leq -0.5$

↑ ↓ / ↓ ↑ → direction is opposite

No - Correlation →

$-0.5 < r < 0.5$

Probability -

chance of occurrence / non-occurrence

$P(E) = \frac{\text{no. of favourable outcome}}{\text{total no. of outcome}}$

A, B are two events

$P(A \text{ and } B) = P(A \cap B)$ → multiplication theorem

$P(A \text{ or } B) = P(A \cup B)$ → Addition theorem

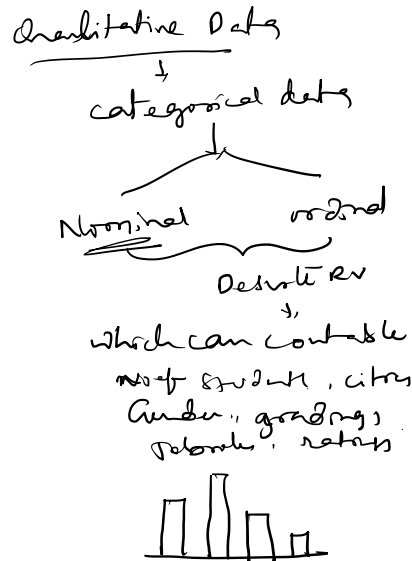
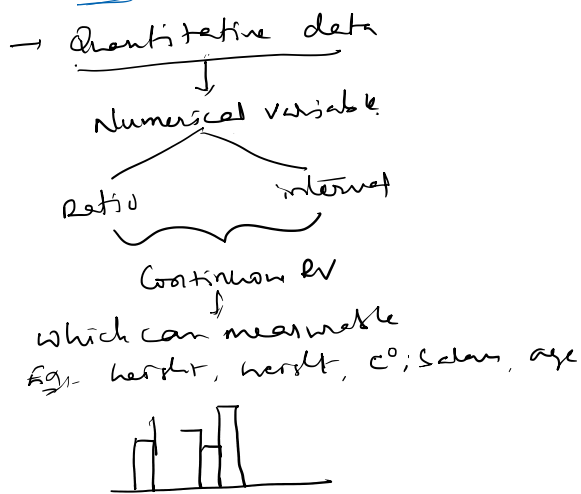
Types of probability,

- ① marginal probability $\rightarrow P(A) \cdot P(B)$
- ② Joint probability : $P(A \text{ and } B)$
- ③ Conditional Probability : $P(A|B) \cdot P(B|A)$

$$P(A|B) = \frac{P(A \text{ and } B)}{P(B)} = \frac{P(A \cap B)}{P(B)}$$

Extension of Conditional is Bayes' Theorem

Measurement of Statistics :-



Distributions :-

Binomial

- ① independent trials / Experiments
- ② each trial are having same outcomes

$$P(\text{success}) = {}^n C_x \times p^x \times q^{n-x}$$

$$\text{mean} = np$$

$$\text{var} = n \times p \times q$$

n = no. of trials
 $p = P(\text{success})$
 $q = P(\text{failure})$
 n = no. of success

Poisson

- ① Avg value is a certain time interval

$$P(x) = \frac{e^{-\lambda} \cdot \lambda^x}{x!}, \quad \lambda = \text{Average}$$

$$\text{mean} = \lambda$$

$$\text{var} = \lambda$$

Normal Distribution

- ① mean and median both are coincided equal
- ② It has symmetric curve (Bell)
- ③ Gaussian - dist'n
- ④ ND is following Empirical Rule



— 68.45% data lies in $\mu \pm 1\sigma$

Z-score
 $\mu \pm 2\sigma$, out

Z-score
 $\mu \pm 2\sigma$
 $\mu - 2\sigma$ < out
 $\mu + 2\sigma$ > out

(4) Normal distribution

- 68.45% data lies in the $\mu \pm 1\sigma$
- 95% data lies in the $\mu \pm 2\sigma$
- 99.73% data . . . $\mu \pm 3\sigma$

$$Z = \frac{x - \mu}{\sigma} \quad (\text{Standard scalar})$$

-2 to +2, mean = 0
 $\sigma = 1$

CIT:- ① mean of sample mean is always approximately equal to population mean

$$E(\bar{x}) = \mu$$

② Histogram of all the sample mean is follows normal distribution

Sampling Techniques:-

- ① Simple random sampling
- ② stratified
- ③ systematic
- ④ cluster sampling

Hypothesis Testing statement about population

Step 1: Before statement

- ① null (H_0) - Homogeneous state.
- ② Alternative (H_1) - Heterogeneous state.

Step 2:

Define loss (or) α .

$$\alpha = P(\text{Rejecting } H_0 \mid H_0 \text{ true})$$

Type-I error

$$\beta = \text{Type-II error}$$

$$P(\text{Accepting } H_0 \mid H_0 \text{ false})$$

Step 3:

Statistical test t | z | χ^2 -test

Step 4:

P -value = evidence about to Reject H_0

$$P \leq \alpha \rightarrow \text{Reject } H_0$$

$$P > \alpha \rightarrow \text{Failed to Reject } H_0$$